## Article

## Positioning the Root Elongation Zone Is Saltatory and Receives Input from the Shoot



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## Article

# Positioning the Root Elongation Zone Is Saltatory and Receives Input from the Shoot 

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#### Abstract

SUMMARY In the root, meristem and elongation zone lengths remain stable, despite growth and division of cells. To gain insight into zone stability, we imaged individual Arabidopsis thaliana roots through a horizontal microscope and used image analysis to obtain velocity profiles. For a root, velocity profiles obtained every 5 min over 3 h coincided closely, implying that zonation is regulated tightly. However, the position of the elongation zone saltated, by on average $17 \mu \mathrm{~m}$ every 5 min . Saltation was apparently driven by material elements growing faster and then slower, while moving through the growth zone. When the shoot was excised, after about 90 min, growth zone dynamics resembled those of intact roots, except that the position of the elongation zone moved, on average, rootward, by several hundred microns in 24 h . We hypothesize that mechanisms determining elongation zone position receive input from the shoot.


## INTRODUCTION

The region at the tip of the plant root where growth occurs is divided into functional zones. The zones generally distinguished are cap, meristem, elongation zone, and maturation zone. At the extremity of the root, the cap protects the meristem, senses gravity, and deposits material-and even cells-that influence the structure of the soil and the behavior of surrounding organisms. The meristem contains cells that divide continuously, generating the cells that make up the root. The elongation zone contains cells that do not divide and instead elongate rapidly, about 10 times faster than meristem cells. Finally, shootward of the elongation zone comes the maturation zone, where cells neither elongate nor divide but take on their mature functions. Here, we use shootward to mean toward the shoot tip and rootward to mean toward the root tip (Baskin et al., 2010).

Although these functional zones are a basic attribute of roots, the zones are often perceived as static entities. Seeing the root's zonation as static arises perhaps because of the discrete functions of the zones or because an image shows the root at only a single time point, divided into zones like countries on a map. Nevertheless, because root cells are growing, the zones are dynamic. On its own, the growth of cells would enlarge meristem and elongation zone indefinitely. To the contrary, as the root grows, these zones often maintain a constant length and when they do change length, the change is finite. Thus the positions of the boundaries between the zones must be adjusted continually, usually moving in step with growth (Figure 1, left). As the boundaries keep pace with the root tip, a cell in the meristem, say, will soon find itself in the elongation zone, and soon after that, in the maturation zone.

A boundary sweeping across cells is unusual. Developmental boundaries usually block cell passage, and, in fact, interactions between cells on either side of the boundary are used to reinforce distinct cell identities. For example, the leaf blade is divided into abaxial and adaxial zones, a differentiation maintained in part by cells in each domain interacting antagonistically where they meet at the leaf margin. In the root, even while the boundaries move across fields of cells, the specialization of each zone remains intact. We have a limited understanding of how zones of stable identity are maintained despite the boundaries moving over cells.

In general, we might account for dynamic boundaries by invoking two kinds of mechanism. The first is cellautonomous. This view endows a cell with a behavioral program (divide for some period, elongate for some
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Figure 1. Root Growth Dynamics at Steady State
In the laboratory frame (left), where growth pushes the tip downward, the boundaries (orange lines) between zones move, keeping pace with the root tip. In this frame, the boundaries pass by cells (blue and red ovals) and by the spatial coordinates (mustard-colored scale). In the root-tip frame (right), where growth apparently pushes material upward, the boundaries remain at the same coordinates and are traversed by cells. The tip (in fact, the quiescent center) is assigned $x=$ 0 . Reference values (microns) on the scale are approximate.
period, then mature), and the relatively coherent behavior of myriad cells in the root emerges from programs being run in strict synchrony. The second is non-cell-autonomous, where extrinsic signals impinge on cells at the boundary and modify behavior. In distinguishing these views, we note that cell autonomy has been considered to underlie certain root growth behaviors (Band et al., 2012; Cole et al., 2014; Pavelescu et al., 2018) but in contrast to generate discontinuous growth patterns that are contrary to observations of root anatomy (De Vos et al., 2014). These mechanisms are not exclusive, and indeed both probably are operating to delimit boundaries effectively.

To gain insight into how roots maintain a stable zonation, we sought to characterize boundary movement during growth. To do so, we took advantage of the fact that the boundaries are evident in kinematic analysis. Kinematics revolve around velocity, namely the rate and direction of movement (Silk and Erickson, 1979; Gandar, 1983; Silk, 1984). Because a root grows predominantly axially, kinematics are simplified by reporting velocity in the direction parallel to the root's long axis only and by averaging points over the root's cross section. This generates a one-dimensional velocity profile, plotting speed as a function of distance from the tip. In general, the velocity profile falls gradually from a maximum at the very tip, and then falls steeply, before finally reaching zero. The gradual region corresponds to the meristem, the steep region to the elongation zone, and the region with zero velocity to the maturation zone. Thus, the velocity profile reveals the boundaries between these zones as defined by their growth.

To an observer, velocity is greatest at the root tip and falls to zero at the maturation zone, where there is no growth and hence no motion; we will refer to this observational viewpoint as the laboratory frame. To simplify calculations, an alternative frame of reference is used for kinematic analysis, namely, the root tip frame (Silk, 1984). In this frame, the tip of the root is the origin (position and velocity both equal zero), and velocity rises to reach a plateau in non-growing regions. For a root growing at steady state, in the
laboratory frame the boundaries move at the same rate as the root tip and traverse cells; whereas in the root-tip frame, the boundaries are motionless and cells move across the boundary from one zone to the next (Figure 1).

We used Arabidopsis thaliana, because the thin roots of these species facilitate high-resolution imaging and kinematic analysis (Beemster and Baskin, 1998), and imaged the same root for 3 h , obtaining a velocity profile every 5 min . Here, we show that growth dynamics over 3 h are remarkably stable. However, the rootward boundary of the elongation zone saltates toward and away from the tip. Overall, the saltations span approximately $75 \mu \mathrm{~m}$, with an average step in 5 min of $17 \mu \mathrm{~m}$. When the shoot is removed, the root continues to grow but shootward steps are modestly suppressed, and thus the position where rapid elongation rate is attained moves steadily rootward, halving the length of the meristem in 24 h . These results suggest that the boundary between meristem and elongation zone is sited in part by an extrinsic signal, originating from the shoot.

## RESULTS

## Root Growth Dynamics Vary Significantly over Time

To characterize root growth dynamics, we imaged a root for 3 h so that a velocity profile could be obtained every 5 min . Roots were imaged through a horizontal microscope and grew inside the agar medium, an enclosure that enhances image quality and suppresses lateral movement of the root (see Figure S4). Images spanned meristem and elongation zone but excluded the maturation zone, because including it would have decreased resolution. From a pair of images separated by 30 s , the velocity profile was obtained by Stripflow software (Yang et al., 2017; Baskin and Zelinsky, 2019). At each pixel along the midline of the root image, starting at the quiescent center, Stripflow estimates the motion in the two images of a strip-like region of interest, as wide as the root and 40 pixels ( $\sim 20 \mu \mathrm{~m}$ ) long, centered at that midline pixel; the component of motion tangent to the midline is taken as velocity.

In general, the velocity profiles for a root coincided closely (Figure 2A). The alignment appeared closest in the rootward 0.5 mm or so, corresponding to the meristem along with any adjacent transition zone. For this study, a total of 35 control roots were imaged, and all showed velocity profiles that were well aligned over the 3 h (Figure S1). This study includes roots imaged in the United Kingdom (Nottingham) and in the United States (Amherst) with similar results. To illustrate the alignment, we averaged all 37 velocity profiles for a single root and plotted the standard deviation around that average (Figure 2B) and the residuals (Figure 2 C ). Both types of plot have a transition between regions of low and high variability (at around $x=$ $475 \mu \mathrm{~m}$ in the example shown), with the sharpness of the transition underscoring the congruence among the underlying velocity profiles.

To characterize the temporal variation within a set of velocity profiles, we used principal-component analysis. Strikingly, the first component score explained more than $60 \%$ of the variation in the data whereas the second explained less than $8 \%$ (Figure 3A). Because of its dominance, we focus here on principal component 1. The first component score, but neither the second nor the third, underwent pronounced temporal fluctuations (Figures 3B and S2). These fluctuations appeared broad and somewhat sinusoidal for the roots imaged in Nottingham but narrower and less regular for those imaged in Amherst (Figure S2). To determine how likely this temporal variation would have happened by chance, we carried out a runs test, which tests for serial correlation in a sequence of values against a null hypothesis stating that the sequence is random (Bradley, 1968). For the roots imaged in Nottingham, the time-dependent variation in the first principal component was significant in 11 of the 12 roots imaged, and for roots imaged in Amherst, the variation was significant in 17 of the 23 roots imaged (Figure 3C). Thus for most roots, velocity profiles over time deviate from perfect superposition not only because of noise but also because of some non-random (i.e., time-dependent) behavior.

## The First Principal-Component Score Relates to the Position of the Elongation Zone

Principal-component analysis has the advantage of acting on the data directly, without any modification; however, it has the disadvantage that the components elaborated are purely mathematical. To relate the principal component to root growth, we parameterized the velocity profile. The first parameter is tip velocity (i.e., the rate at which the tip moves), measured directly by Stripflow. The second parameter, Trx, was obtained as the $x$-coordinate of the intersection of the best-fit pair of lines to the velocity profile (Figure 4A). Trx represents, roughly, the transition between meristem and elongation zone. Then, lines


Figure 2. Velocity Profiles for One Root
(A) 37 velocity profiles, one every 5 min over 3 h . For other roots, see Figure S1.
(B) Standard deviation versus position of the 37 velocity values shown in (A).
(C) Difference between the raw datum and the mean (i.e., the residual) versus position for the 37 profiles shown in (A).
were fitted to the data on either side of Trx, except that a $300-\mu \mathrm{m}$ interval, centered on Trx, was excluded because the velocity profile within this region is non-linear (Figure 4B). Also excluded was the shootward region of the data in any instances where the profile curved downward due to the velocity plateau (see, e.g., Figure 7D). The next two parameters were the slopes of these lines ( $m 1$ for the presumptive meristem, $m 2$ for the elongation zone). The slopes have units of $1 /$ time and estimate elemental elongation rate. This rate is how fast length increases without regard to absolute length and represents the speed of the elongation process itself (a process sometimes called cell elongation, despite the process being sub-cellular). Strictly speaking, elemental elongation rate applies to an infinitesimal increment of length; by fitting a line to a segment of the velocity profile, we are approximating elemental elongation rate over that region as constant, equal to the line's slope. The final parameter, $x$-int, was obtained as the $x$ axis coordinate of the point where the line fitted to the profile in the elongation zone for $m 2$ intersects a horizontal line at a value of $y$ chosen for that root to bisect the average fitted interval (Figure 4B). In terms of root growth,


Figure 3. Principal-Component Analysis
(A) Amount of the total variance explained by each of the first 37 components. Open circles plot mean $\pm$ standard deviation (when larger than the symbol) for the 35 intact roots.
(B) Plot of the first three component scores versus time for a single root. For other roots, see Figure S2.
(C) Outcome of runs test for non-randomness of the first three components. Roots 1-12 are from Nottingham.
$x$-int represents the relative position of the zone of elongation (i.e., a larger value indicates that the elongation zone is farther from the tip).

When the parameters at each time are averaged over the roots in the dataset, their temporal stability is clear (Figure 4C). Stability was also seen for growth rate in meristem (m1), but this parameter is less accurately measured and is omitted from Figure 4C (see Figure S12). Only tip velocity changed by more than $5 \%$ over the 3 h, increasing steadily. Roots of A. thaliana are known to grow faster over time (Beemster and Baskin, 1998), although that study reported a rate of increase about half as fast as seen here. Both Trx and the $x$ intercept were strikingly constant over the 3 h . Although the absolute values of the parameters on average show that roots imaged at Amherst were growing slightly faster and with slightly larger elemental growth rate in the elongation zone (m2) than those in Nottingham, the data from the two laboratories are otherwise similar (Table 1).

These parameters were chosen to represent distinct elements of the velocity profile. To examine to what extent the parameters are independent, we calculated the correlation coefficient between various pairs (Figure 5A). The parameters were correlated modestly, although average $R^{2}$ values were rather low. The reasons for the modest correlations are not clear, but we feel that such a level of dependence will not influence our conclusions unduly.

Next, we calculated the correlation between these parameters and the first principal-component score. Here, because the sign of the component is arbitrary, we present the values for the squared coefficient only (Figure 5B). The first principal-component score was correlated weakly to $m 1, m 2$, and $\operatorname{Trx}$, but strongly to the $x$-intercept. To illustrate the strength of this correlation, we plot $x$-int together with the score versus time (Figure 6 and S3). The strict similarity extends even to roots where the temporal variation in the first component was not significant in the runs test. Evidently, the time-dependent variation demonstrated for the first principal component is captured substantially by $x$-int. Insofar as x-int reflects the position of the elongation zone, these results indicate that the localization of that zone saltates.

## Shoot Removal Provokes the x-Intercept to Move Rootward

To characterize the time-dependent variation further, we perturbed root growth by removing the shoot. Because in our system the roots grow inside the agar, removing the shoot is convenient compared with imposing salt or nutrient stress. Also, because the growth medium for all experiments contains sucrose, an energy source remains present. Without a shoot, the primary root grew surprisingly well for several days (Figure S4). To allow transients to diminish, we waited for 2 h before starting the 3-h image acquisition. As for intact plants, roots without a shoot had velocity profiles over time that coincided closely (Figure 7A). In a few examples, the growth zone appeared to be shortened, evidenced by the velocity nearing a plateau


Figure 4. Parameterization of the Velocity Profile
(A) The parameter Trx is found as the $x$-coordinate of the intersection of the two best-fitted regression lines (red) to the raw data (black, velocity profile) for a single time point.
(B) The slopes $m 1$ and $m 2$ are found by centering a $300-\mu m$ window at Trx and then fitting lines to the data on either side (red). Finally, $x$-int is found from the $x$ coordinate of the intersection of the velocity profile with a reference velocity (horizontal blue dotted line). The reference is obtained for a given root as the $y$ coordinate of the midpoint of the average regression interval used to find $m 2$.
(C) Parameter time courses.

Parameters for each root were averaged over time, expressed as a percentage of the mean, and then translated horizontally so that each curve would start at 100. The tip velocity parameter is measured directly by Stripflow along with the velocity profile. The time course for $m 1$ is omitted for clarity. Sample size $=35$. Parameters (including $m 1$ ) are plotted as absolute values in Figures S10 and S11.
(Figure S5). Also similar to intact plants, the parameters were correlated to each other to only a limited extent, whereas the first principal-component score was again strikingly correlated to the x-intercept (Figures 5C and 5D).

However, differences from intact plants appear when considering the parameters averaged at each time point (Figure 7B). While tip velocity increased across most of the interval, similar to the increase for intact plants (Figure 4), the elongation zone slope (m2) increased more steeply and the $x$-intercept, and to a lesser extent Trx, decreased steadily (Figure 7B). Furthermore, removing the shoot altered the behavior of the first principal-component score and likewise the $x$-intercept: the saltations became unbalanced, moving the $x$ intercept on-average rootward (Figures 8 and S6). On average, over the 3-h interval, the x-intercept moved closer to the tip by about $100 \mu \mathrm{~m}$.

To extend these results, after removing the shoot, we waited 24 h before starting the 3-h image acquisition. Again, the 37 velocity profiles closely coincided; only now the profiles for nearly all the roots reached an evident plateau, indicating that the complete growth zone had become small enough to be spanned by the $\sim 1.2-\mathrm{mm}$ image field (Figures 7C and S7). The shorter growth zone gave rise to a reduced tip velocity (Table 1). Based on parameterizing the velocity profiles and on principal-component analysis, the root's behavior at 24 h after excision resembled a noisier version of the behavior at 2 h (Figures 7D, S8, and S9). In particular, although its progress was noisy and diminished, the $x$-intercept continued a net rootward movement. By 24 h after shoot removal, the elongation zone slope ( m 2 ) had recovered its pre-excision value, whereas $\operatorname{Trx}$ had moved about $250 \mu \mathrm{~m}$ toward the tip (Table 1). Strongly decreased Trx a day after excision is consistent with previous observations of the A. thaliana root having a shorter apparent meristem 2 days following shoot excision (Grieneisen et al., 2007; Mähönen et al., 2014).

Evidently, removing the shoot converts a stable back-and-forth saltation of the x-intercept to a net movement toward the tip. To determine how soon this new pattern was established, we began the 3-h image acquisition as soon as possible after shoot excision, in practice about 2 min . Note that for the following data, time zero is the time of the first image, not the time of cutting. With this treatment, the velocity profiles diverged (Figures 9A and S10). About 15 min after removing the shoot, the measured parameters changed profoundly but transiently; by 45 min after cutting, tip velocity and elongation zone slope fell to about half

| Treatment | Tip Velocity <br> $\mu \mathrm{m} / \mathrm{min}$ | $m 1$ <br> $\% / \mathrm{h}$ | Trx <br> $\mu \mathrm{m}$ | $m 2$ <br> $\% / \mathrm{h}$ | x-int <br> $\mu \mathrm{m}$ |
| :--- | :--- | :--- | :--- | :--- | :--- |
| Intact Plants |  | $5.7 \pm 0.9$ | $40 \pm 4.6$ | $553 \pm 51$ | $915 \pm 44$ |
| Nottingham | $8.3 \pm 2$ | $5.6 \pm 0.6$ | $34 \pm 4.3$ | $532 \pm 42$ | $979 \pm 90$ |
| Amherst | $5.5 \pm 1.1$ | $5.7 \pm 0.8$ | $38 \pm 5.3$ | $548 \pm 51$ | $957 \pm 82$ |
| All | $7.3 \pm 2.2$ |  |  |  |  |
| Shoot Removed |  | $4.3 \pm 0.8$ | $31 \pm 2.7$ | $474 \pm 73$ | $1,028 \pm 92$ |
| 0h | $4.9 \pm 1$ | $3.1 \pm 0.7$ | $32 \pm 3.2$ | $540 \pm 65$ | $888 \pm 76$ |
| 2 h | $4.7 \pm 0.8$ | $4.6 \pm 1$ | $37 \pm 3.2$ | $273 \pm 63$ | $503 \pm 82$ |
| 24 h | $3.6 \pm 0.8$ |  |  |  |  |

Table 1. Average Root-Growth Parameters
Data are mean $\pm$ SD, with $n=12$ (Nottingham), 23 (Amherst), 35 (All), $17(2 \mathrm{~h}), 12(24 \mathrm{~h})$, and $12(0 \mathrm{~h})$. For shoot removed, the times given are the times between shoot removal and the start of imaging, except for 0 h where approximately 2 min elapsed between cutting and imaging onset
of their time zero value, similar to results for tobacco (Nagel et al., 2006), whereas both Trx and x-intercept increased by around $25 \%$ (Figure 9B). By $\sim 90 \mathrm{~min}$, all these parameters returned to near their pre-cut values, with only tip velocity failing to recover. We normalized parameter values to their value at 120 min and plotted them on the same scale as used previously (Figure 9C). After 120 min , the parameters changed steadily and in a way that resembled what was seen for roots imaged starting 2 h after shoot removal. The similarity between the third hour of the roots imaged immediately after shoot removal and the first hour of those imaged starting 2 h afterward is apparent from plotting absolute values of the parameters (Figure S11).

Along with causing the $x$-intercept to move rootward, removing the shoot also decreased the elemental elongation rate of the meristem (m1) (Table 1; Figure S12). This rate was particularly low 4 to 5 h after shoot removal but had not recovered fully by 24 h . It would be interesting to determine whether this was accompanied by an increased duration of the cell cycle. In general, rates of division and elongation in the meristem are tightly coupled, keeping average cell length constant (Green, 1976), but we know little about how this is regulated.

To gain further insight into the movement of the $x$-intercept, we plotted the distribution of the amount moved ("step size") in 5 min (i.e., between each time point) for intact plants and those imaged 2 h after shoot removal (Figure 10A). The distribution for intact plants was symmetrical with the majority of steps being $10 \mu \mathrm{~m}$ or less. The mean was slightly negative (rootward), implying there might have been a slight net rootward displacement of the $x$-intercept, too small to have shown up in the average plots. The shape of the distribution differed from that of a Gaussian curve, a deviation implying that the underlying process is out of equilibrium, consistent with a non-random temporal process (Wang et al., 2012). Removing the shoot changed the distribution subtly. First, shoulders appeared at -30 and $+20 \mu \mathrm{~m}$. Second, the frequency of the smallest rootward step size was increased, whereas the frequency of most shootward step sizes was reduced. We also examined the cumulative distribution of steps by sorting steps for each root from the largest negative to the largest positive step (Figures 10B and 10C). For all step-size ranks, the steps of cut roots were a few microns more negative than those of intact roots, a difference that if anything was slightly larger for shootward (i.e., positive) steps. Taken together, these data show that, with the shoot removed, balanced saltation of the elongation zone continued, but the balance point moved slowly (10$30 \mu \mathrm{~m} / \mathrm{h}$ ) rootward.

## Temporal Analysis Shows Material Elements Grow Faster and Then Slower

The above analysis is spatial (sometimes called Eulerian); a contrasting approach is temporal (or Lagrangian) (Silk, 2006). A spatial reference is converted to a temporal one by means of a time-position trajectory (Figure 11A). To make the trajectory, a particle is placed at an arbitrary position (say, $400 \mu \mathrm{~m}$ from the tip) and allowed to move for 5 min at the velocity known for that position from the first velocity profile.


Figure 5. Correlations among Key Parameters
(A and C) Values of the correlation coefficient (R) for the indicated parameter pairs for intact (A) and 2-h cut (C) roots. Numbers above the symbols give mean $\pm$ SD of the $R^{2}$ value.
( $B$ and D) Squares of the correlation coefficient $\left(R^{2}\right)$ for the indicated parameters versus the first principal component for intact (B) and 2-h cut (D). Each symbol represents a root. Comparable data for $24-\mathrm{h}$ cut are shown in Figure S 7 .

The particle arrives at a new position, and the next 5 min of movement is taken from the second velocity profile, and so on, until the last velocity profile. The positions reached by the particle at each time point give rise to the trajectory. In Figure 11A, three trajectories are shown: from roughly 400 to $490 \mu \mathrm{~m}$, from 490 to $670 \mu \mathrm{~m}$, and from 670 to $1,100 \mu \mathrm{~m}$. Together, the three trajectories span the transition region and most of the imaged elongation zone. Although each trajectory represents 3 h , the trajectories are increasingly longer in space because velocity increases with position.

With trajectories built, we followed elemental elongation rate for a material element as it moved through the root (Figures 11B, 11C, and S13). The material element represents an infinitesimally thin band of root, but one may imagine these plots as following a cell. When viewed with respect to time, elemental elongation rate increased gradually, particularly for the lower two trajectories, but here and there the rate fluctuated (Figure 11B). A fluctuation could happen in a single trajectory, or in two or all three synchronously (Figure S13). When viewed with respect to position, the fluctuations happened throughout the studied region (Figures 11C and S14). Notably in these fluctuations, local growth rate not only increased but also decreased. Growth rate decreases are surprising, insofar as growth rate from meristem to elongation zone is generally considered to increase monotonically. As discussed in the following section, these transients probably account for the saltatory movement of the x-intercept.

## DISCUSSION

We sought to understand root zonation by characterizing growth dynamics. We found in general that growth dynamics are reasonably stable on a minutes-to-hours scale, implying the existence of tight regulation. Stable growth dynamics are consistent with previous observations (e.g., Chavarría-Krauser et al.,


Figure 6. Comparison of the Time Course for Principal Component 1 Score and x-int for a Single Intact Root Data for all intact roots shown in Figure S3.

2008; Shih et al., 2014), at least as assessed by eye. However, we also discovered significant temporal variation. The variation was significant statistically for the principal-component 1 score, notable because principal-component analysis reflects the data directly. Because the first component explains a majority of the variation in the dataset and is correlated tightly to $x$-int, we conclude that $x$-int likewise varies significantly over time. We did not carry out a runs test on x-int because of the strength of its correlation to the first component score. This $x$-intercept saltates toward and away from the root tip, a fluctuation implying that zonation is regulated in part by a feedback mechanism. Consistently, we discovered that removing the shoot alters the balance of $x$-intercept movement, resulting in the elongation zone moving toward the root tip. We hypothesize that the shoot supplies one or more signals to a feedback mechanism shaping the growth zone.

## Variations on the Theme

Our experiments began at the University of Nottingham, where principal-component 1 varied over time with sufficient regularity that we could fit a sine function to the data and determine an average period of around 90 min (also found with auto-correlation analysis). Experiments continued at the University of Massachusetts, where principal-component 1 varied over time, but with less regularity (Figure S2). At Amherst, to obtain smoother kinetics, we varied a variety of factors, both biological (e.g., size of Petri dish, growth chamber model, seed batch) and technical (e.g., microscope camera, optics, light source), to no avail. That none of these things altered the results appreciably gives us confidence that they are robust; however, the reason for the qualitative differences between the two settings remains unknown.

A 90 min period is similar to periods reported previously for various kinds of rhythmic growth phenomena, including organ growth rate (Baskin, 2015). These rhythms are sometimes called ultradian to contrast them from the longer and more commonly studied circadian rhythms. Therefore, we checked to what extent prin-cipal-component 1 is correlated to tip velocity (Figure S15). For all the treatments studied, squared correlation coefficients were spread rather evenly from zero to 1 . Thus, in our system, displacement of the root tip is rhythmic in the ultradian range sometimes but not always; moreover, movement of the $x$-intercept is only occasionally associated tightly with root tip velocity.

## The Movement of the $x$-Intercept

What is the meaning of this $x$-intercept and its movement? The $x$-intercept is one of several parameters used here in representing the velocity profile as two linear regions (with slope $m 1$ and $m 2$ ) that flank a curved (and un-parameterized) transition region. These slopes represent elemental elongation rate. As shown previously, the velocity profile within the elongation zone is fitted by a line surprisingly well, meaning that it is reasonable to assume that the zone elongates at a constant rate throughout much of its length (van der Weele et al., 2003). The $x$-intercept represents the position of this line along the $x$ axis. When $x$-int


Figure 7. Shoot Removal
(A) All 37 velocity profiles for a root following shoot removal, with imaging started 2 h after removing the shoot ("2-h cut"). All replicate roots shown in Figure S5.
(B) Parameter time courses for the 2-h cut roots, plotted as for Figure 4. Sample size $=17$.
(C) All 37 velocity profiles for a root following shoot removal, with imaging started 24 h after removing the shoot (" $24-\mathrm{h}$ cut"). All replicate roots shown in Figure S7.
(D) Parameter time courses for the 24-h cut roots, plotted as for Figure 4. Sample size $=12$. Absolute parameter values are plotted in Figures S10 and S11.
decreases, the elongation zone has expanded to become closer to the root tip; conversely, when x-int increases, the elongation zone has receded to become farther away from the tip. We conceptualize changes in the x-intercept as movement of the elongation zone's rootward boundary, although we recognize that the boundary is gradual. Because the elongation zone was too large to image in its entirety, we do not know if rootward and shootward boundaries move independently, although we suspect they do.

What could cause the rootward boundary of the elongation zone to translate back and forth along the $x$ axis? The intercept's position will be affected by changes in the slope of the line (m2); but, around the midpoint of the regression interval, these changes should be too small to shift the intercept's position by the tens of microns often recorded. Also minor, compared with the magnitude of $x$-intercept movement, is the imprecision associated with defining the origin of each velocity profile (i.e., $x=0$ ), an uncertainty that we estimate to be about plus-or-minus $1 \mu \mathrm{~m}$. Given that the value of the $x$-intercept depends on the length of the meristem (plus associated transition zone), were that region to rapidly increase in length then that would move the x-intercept shootward. However, the growth rates measured for that region are too slow to account for all but the smallest shootward steps.

Instead, the most tenable explanation for the back-and-forth movement is increases and decreases in elemental growth rate around the rootward flank of the elongation zone. A rootward step indicates that additional material has joined the zone of elongation, an accretion that shortens the distance between the root tip and rapidly elongating material; conversely, a shootward step indicates that a band of material at the rootward edge has slowed its elongation, a loss that increases the amount of slowly growing material between the tip and the elongation zone. This explanation motivated the temporal analysis, which in fact


Figure 8. Comparison of the Time Course for Principal Component 1 and x-int for a Single 2-h Cut Root Data for all 2-h cut roots shown in Figure S5.
found the predicted growth rate transients (Figures 11B and 11C). Evidently, growth is prone to speed up and slow down as it ramps up to its eventual maximum.

Are these growth rate transients related to mechanisms that position the rootward boundary of the zone of elongation? Positioning the boundary and growth rate transients might be independent phenomena. Alternatively, the mechanism siting the boundary might home in on the desired position by using feedback from external signals, prompting first a growth rate increase and then a decrease. In this view, the loss of information from the shoot would alter the poise between these opposing impulses. We favor the mechanistic link because the growth rate transients are large and the two processes are spatially congruent.

## Role of the Shoot in the Growth Dynamics of the Root

When the shoot is removed, growth changes in two phases. In the first, which lasts less than 2 h , nearly every feature of growth dynamics changes. In the second phase, which lasts for at least a day, growth dynamics resemble those of intact plants, except that the position of the elongation zone moves steadily rootward. In both phases, the responses presumably happen because the roots lose something provided by shoot, but for each phase the missing material might be distinct.

Based on its speed, the first phase could be triggered by the abrupt release of tension in the xylem and the consequent upward surge in water potential. Within minutes, removing the shoot changes turgor pressure in cortical cells (Zimmermann et al., 1992; Rygol et al., 1993) and decreases aquaporin expression and hydraulic conductivity (Vandeleur et al., 2014; Meng et al., 2016). What's more, following excision, aquaporins and conductivity decrease even when the phloem has been stopped beforehand by girdling (Vandeleur et al., 2014) but stay constant when xylem cells at the cut root stump are connected to a pump and put in tension (Meng et al., 2016). Nevertheless, factors that govern water transport from the root to the shoot (summed up in root hydraulic conductivity) probably are distinct from those governing growth at the root tip. Indeed, root tip velocity decreases rapidly (similar to the kinetics seen here) when A. thaliana leaves are wounded carefully to keep the xylem intact; and the velocity decreases even more when such wounds are laced with bacteria (Schmidt et al., 2010). These results imply that the initial rapid changes in root growth are not necessarily explained directly by lost xylem tension.

About 2 h after shoot removal, growth parameters become stable, but the balanced back-and-forth movement of the x-intercept changes to favor a net movement toward the root tip, a movement that continues for at least a day and shortens the apparent meristem. Likewise, the elongation zone becomes shorter, as seen by velocity profiles at 24 h after shoot removal, reaching a plateau within the microscope's field of view (Figures 7C and S7). Evidently, without a shoot, both boundaries of the elongation zone move rootward. Although the changes during the second phase could be a root-based response to lost xylem tension, we hypothesize that the position of the boundaries is influenced by a signal transmitted from the shoot.


Figure 9. Growth Dynamics with Imaging Started Immediately after Shoot Removal ("Zero-Hour Cut")
(A) All 37 velocity profiles.
(B) Parameter time courses, plotted as in Figure 4, but with the scale reduced to accommodate the large changes. Sample size $=$ 12. Parameters are plotted as absolute values in Figures S10 and S11.
(C) Same data as in (B), but shown on a scale similar to that of Figure 4 and translated so that the curves all equal $100 \%$ at 120 min .

What is the signal? One possibility is sucrose, which reaches the root through the phloem and in addition to being a substrate often acts as a signal (Ruan, 2014). In our experiments, sucrose (1\%) is present in the medium; when the sucrose is omitted, shoot removal stops root growth entirely within an hour or two, suggesting that sucrose is taken up by shootless roots (MacGregor et al., 2008). However, sucrose entering the root via the epidermis might send a distinct signal compared with sucrose unloaded from the phloem.

Instead, the signal might be auxin, a compound known to influence almost every aspect of plant physiology. Oscillations in auxin signaling drive the formation of lateral roots (De Smet et al., 2007;


Figure 10. Analysis of $x$-int Steps for Intact and 2-h Cut Seedlings
The step size is the difference between successive (i.e., every 5 min ) values.
(A) Frequency distribution. Symbols plot mean for each root $\pm 95 \%$ confidence interval. Numerical values show mean $\pm$ SD for all steps in the treatment.
( B and C ) Cumulative distributions. For each root, steps were sorted from largest negative to largest positive and then averaged over each rank (i.e., the smallest steps were averaged, then the next smallest, and so on). (B) Average step size of each rank $\pm 95 \%$ confidence interval. (C) The difference ( $2-\mathrm{h}$ cut minus intact) for the data in (B). Total roots: $\mathrm{n}=35$ for intact, 17 for 2 -h cut; total steps: $\mathrm{n}=1,269$ for intact, $\mathrm{n}=612$ for 2 -h cut.

Moreno-Risueno et al., 2010; Xuan et al., 2015), although their period is 4 h or more, longer than the $\sim 1.5 \mathrm{~h}$ seen here. We sought to determine whether auxin could mimic the presence of a shoot and maintain balanced movement of the x-intercept. Applying auxin to the cut stump and assaying root elongation over several days, we reasoned that an excessive concentration would inhibit growth strongly, whereas a suitable concentration would be at the threshold for inhibition. Contrary to our reasoning and in contrast to previous results (e.g., Reed et al., 1998; Fu and Harberd, 2003), the auxin did nothing to root growth, regardless of concentration and of whether auxin was applied in agar or lanolin or onto cut or intact plants (at the root-shoot junction). Likewise, auxin added to the stump failed to decrease fluorescence at the root tip from the DII-Venus reporter. Auxin has been reported to need the phloem to move effectively from shoot to root (Bishopp et al., 2011) and sometimes moves to a limited extent in intact plants (Chen et al., 2014). Be that as it may, we were unable to test auxin involvement experimentally.

Another candidate signal is cytokinin, because this hormone regulates the size of the meristem (Takatsuka and Umeda, 2014; Gu et al., 2018); however, cytokinin typically represses the size of the meristem, as seen, for example, by exogenous cytokinin shrinking the meristem (Beemster and Baskin, 2000) and by loss of cytokinin responsiveness enlarging it (Dello loio et al., 2008, 2012). What's more, meristem size is unchanged when cytokinin reaching the root is limited by a cytokinin oxidase expressed specifically in the phloem (Bishopp et al., 2011). Apparently, the cytokinin used for sizing the meristem is internal to the root.

Besides auxin, hormones that positively regulate the size of the meristem include gibberellin and brassinosteroid (Band et al., 2012; Wei and Li, 2016). Loss of either could be expected to shorten the meristem. However, in addition, both these hormones positively regulate elemental ("cell") elongation rate. Insofar as roots without shoots recover their elemental elongation rate (as indicated by $m 2$ ) to precut levels (Table 1; Figure S11), neither of these hormones are straightforward candidates.

The final possibility to consider is signals carried by ions such as action potentials or calcium waves (Choi et al., 2017; Toyota et al., 2018). Although wounding generates such signals avidly, the implication here is that the signal is present continuously in intact plants, adjusting the position where constant elemental elongation rate is attained. Discovering the signal that propagates stably through the plant to convey information influencing root growth dynamics stands as a challenge for the future.

## Limitations of the Study

As discussed in the previous section, we identify three limitations. (1) The velocity profiles contain high-frequency noise and we do not know whether the noise originates from technology (e.g., vibrations) or biology


Figure 11. Temporal Analysis for the Root of an Intact Seedling
(A) Position trajectories. The end of the black trajectory is at the position where the red one starts; the end of the red trajectory is where the blue one starts.
(B) Elemental elongation rate as a function of time for the three trajectories. Plots for all intact roots in Figure S12.
(C) Elemental elongation rate as a function of position for the three trajectories. Plots for all intact roots in Figure S13.
(e.g., cytoplasmic streaming). (2) The shootward boundary of the elongation zone was not imaged, and we do not know whether this boundary moves together with, or independently of, the rootward boundary. (3) The rootward boundary of the elongation zone is positioned with input from the shoot, but we do not know the nature of this input.

## Resource Availability

Lead Contact
Further information and requests for resources and reagents should be directed to and will be fulfilled by the Lead Contact, Tobias Baskin, baskin@umass.edu.

## Materials Availability

This study generated no new materials.

## Data and Code Availability

Stripflow is available here: https://github.com/TobiasBaskin/Stripflow-release. The data and other code supporting the current study have not been deposited in a public repository because they are idiosyncratic and unwieldy, but are available from the corresponding author on request.

## METHODS

All methods can be found in the accompanying Transparent Methods supplemental file.

## SUPPLEMENTAL INFORMATION

Supplemental Information can be found online at https://doi.org/10.1016/j.isci.2020.101309.

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## AUTHOR CONTRIBUTIONS

Conceptualization, T.I.B.; Software, D.B., S.P., and D.M.W.; Formal Analysis, S.P.; Investigation, T.I.B., E.Z., X.Y., and M.E.; Resources, D.M.W. and M.J.B.; Writing - Original Draft, T.I.B.; Writing - Review and Editing, T.I.B., E.Z., S.P., and M.J.B.; Supervision, T.I.B. and M.J.B.; Funding Acquisition, T.I.B.

## DECLARATION OF INTERESTS

The authors declare no competing interests.

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## Supplemental Information

## Positioning the Root Elongation Zone

Is Saltatory and Receives
Input from the Shoot
Tobias I. Baskin, Simon Preston, Ellen Zelinsky, Xiaoli Yang, Melissa Elmali, Dimitrios Bellos, Darren M. Wells, and Malcolm J. Bennett

Velocity plots: $\mu \mathrm{m} / \mathrm{s}$ vs $\mu \mathrm{m}$ from the tip


Figure S1. Superimposition of velocity profiles for intact roots. Related to Fig. 2A. Each panel shows data from a single root, imaged to yield a velocity profile every 5 min for 3 hours ( 37 profiles in total). All 35 of the intact seedlings are shown, identified by letter. Part 1 of 3, Nottingham roots.

Velocity plots: $\mu \mathrm{m} / \mathrm{s}$ vs $\mu \mathrm{m}$ from the tip


Figure S1. Part 2 of 3, Amherst roots.


Figure S1. Part 3 of 3, Amherst roots.
$P C 1, P C 2, \& P C 3$ versus time


Figure S2. The first three principal components versus time plotted for each of the 35 intact roots, identified by letter. Related to Fig. 3B. N.S. indicates not significant in the runs test shown in Fig. 3A. Part 1 of 3, Nottingham roots.
$P C 1, P C 2, \& P C 3$ versus time


Figure S2. Part 2 of 3, Amherst roots.
$P C 1, P C 2, \& P C 3$ versus time


Figure S2. Part 3 of 3, Amherst roots.

## $x$-intercept ( $\mu \mathrm{m}$, left) and PC1 (right) vs time



Figure S3. Comparison of the time course for principal component 1 and $x$-int for each of the 35 intact roots, identified by letter. Related to Fig. 6. For some roots, the PC1 scores have been inverted (the sign of the score is arbitrary). Part 1 of 3, Nottingham roots.
$x$-intercept ( $\mu \mathrm{m}$, left) and PC1 (right) vs time


Figure S3. Part 2 of 3, Amherst roots.
$x$-intercept ( $\mu \mathrm{m}$, left) and PC1 (right) vs time


Figure S3. Part3 of 3, Amherst roots.


Figure S4. Roots grow for several days following shoot removal. Related to Fig. 7. To illustrate, the back of the plate was scored with a razor at the position of the root tip, once a day for five days. At the start of the second day (orange arrow) the shoots of plants on the right-hand plate were removed. After 5 days, the plates were scanned. Roots are growing inside the agar medium.

Velocity plots: $\mu \mathrm{m} / \mathrm{s}$ vs $\mu \mathrm{m}$ from the tip


Figure S5. Superimposition of velocity profiles for roots where imaging started 2 h after shoot removal. Related to Fig. 7. Each panel shows data from a single root, imaged to yield a velocity profile every 5 min for 3 hours ( 37 profiles in total). All 17 of the 2 h cut roots are shown, identified by letter. Part 1 of 2.

## Velocity plots: $\mu \mathrm{m} / \mathrm{s}$ vs $\mu \mathrm{m}$ from the tip





Figure S5. Part 2 of 2.

## $x$-intercept ( $\mu \mathrm{m}$, left) and PCs (right) vs time 2 h cut



Figure S 6 . Comparison of the time course for the first three principal components and $x$-int for each of the 2 h cut roots, identified by letter. Related to Fig. 8. For some roots, the PC scores have been inverted. Part 1 of 2.

## $x$-intercept ( $\mu \mathrm{m}$, left) and PCs (right) vs time 2 h cut





Figure 56 . Part 2 of 2.

Velocity plots: $\mu \mathrm{m} / \mathrm{s}$ vs $\mu \mathrm{m}$ from the tip












Figure S7. Superimposition of velocity profiles for roots where imaging started 24 h after shoot removal. Related to Fig. 7. Each panel shows data from a single root, imaged to yield a velocity profile every 5 min for 3 hours ( 37 profiles in total). All 12 of the 24 h cut roots are shown, identified by letter.


Figure S8. Correlations and time course data for roots where imaging started 24 h after removing the shoot. Related to Fig. 7 C, D. Correlation are made as for Fig. 5 A and B.

## $x$-intercept ( $\mu \mathrm{m}$, left) and PCs (right) vs time



Figure S9. Comparison of the time course for three principal components and x-int for all 12 roots where imaging started 24 h after shoot removal, with each root identified by letter. Related to Fig's 6 \& 8 and to Fig's S3 \& S5.

Velocity plots: $\mu \mathrm{m} / \mathrm{s}$ vs $\mu \mathrm{m}$ from the tip


Figure S10. Superimposition of velocity profiles for roots where imaging started immediately after shoot removal. Related to Fig. 9. Each panel shows data from a single root, imaged to yield a velocity profile every 5 min for 3 hours ( 37 profiles in total). All 12 of the zero $h$ cut roots are shown, identified by letter.


Figure S11. Comparison of growth parameter kinetics for the various treatments. Related to Fig's 4C, 7C, and 9B. Parameters are plotted as absolute values, not percentages. Data for 24 h cut are plotted as starting at time zero, for convenience.


Figure S12. Elemental elongation rate for the meristem (m1) plotted as for Fig. S10. Related to Fig's 4C, 7C, and 9B.

## Temporal analysis: Elemental elongation rate vs time for three positions (blue, red, yellow)

Intact


Figure S13. Temporal analysis, part 1. Related to Fig. 11B. Each panel shows elemental elongation rate of three elements plotted vs time for a single root. Results from all 35 intact roots are plotted, indicated by letter. Part 1 of 3 , Nottingham roots.

Temporal analysis: Elemental elongation rate vs time for three positions (blue, red, yellow)

Intact


Figure S13. Part 2 of 3, Amherst roots.

## Temporal analysis: Elemental elongation rate vs time for three positions (blue, red, yellow)

Intact


Figure S13. Part 3 of 3, Amherst roots.

## Temporal analysis: Elemental elongation rate vs distance from the tip

 for three elements (blue, black, green)Intact


Figure S14. Temporal analysis, part 2. Related to Fig. 11C. Each panel shows elemental elongation rate of three elements plotted vs position for a single root. Results from all 35 intact roots are plotted, indicated by letter. Part 1 of 3, Nottingham roots.


Figure S14. Part 2 of 3, Amherst roots.


Figure S14. Part 3 of 3, Amherst roots.


Figure S15. Correlation coefficient squared values for principal component one and tip velocity for the four treatments. Relates to Fig's 5B \& D.

## Transparent Methods

## Plant material and growth conditions

Arabidopsis thaliana L. (Heynh), Columbia accession, seed were plated on a modified Hoagland's medium containing $0.9 \%$ agar and $1 \%$ sucrose. Composition of the medium is given by Baskin and Wilson (1997). The seeds were pushed into the agar so that following germination the roots grew inside the medium, rather than on the surface. After stratification, plates were placed vertically in a growth chamber under continuous light ( $100 \mu \mathrm{~mol} \mathrm{~m}{ }^{-2} \mathrm{~s}^{-1}$ ) and temperature $\left(23^{\circ} \mathrm{C}\right)$ and roots were imaged after 7 to 10 days. Experiments were run initially at the University of Nottingham and subsequently at the University of Massachusetts Amherst.

## Root imaging and shoot excision

The plate was placed on the stage of a horizontal microscope (Nottingham: Zeiss Axiostar; Amherst: Olympus CH 2 ) with the bottom side of the plate facing the objective. The light source was an array of infrared diodes (~900 nm). After finding a suitable root, the plate was let equilibrate on the stand for an hour (unless noted). The objective lens was 10X and the final magnification at Amherst was adjusted to match that of Nottingham by means of a variable magnification intermediate lens relay. Images were acquired via a CCD camera (Nottingham: Stingray, Allied Vision Technologies; Amherst: MicroEye, IDS Imaging) interfaced to a computer running appropriate software (Nottingham: LabView; Amherst: Micro Manager). A script was written to acquire a pair of images separated by 30 sec , wait 4.5 min , acquire a second pair of images, and so on, for 3 h ( 37 image pairs). From time to time during a 4.5 min interval, the microscope stage was raised manually to keep the root tip at the edge of the frame.

For some experiments, the shoot was excised. To do so, a suitable root was chosen, and then the plate opened and a fragment of a double-edged razor was used to sever the hypocotyl near the root-shoot junction and the shoot was discarded. The plate was sealed, returned to the microscope stage and either imaged immediately ("zero h cut") of after 2 h (" 2 h cut"). In one set of experiments, the sealed plate was returned to the growth chamber for 24 h (" $24 \mathrm{~h} \mathrm{cut")} \mathrm{and} \mathrm{then} \mathrm{imaged} \mathrm{after} \mathrm{a} \mathrm{one-}$ hour period of equilibration on the microscope state. For the zero $h$ cut, approximately two min elapsed between the cut and taking the first image.

For each pair of images, the velocity profile was obtained by means of Stripflow (Yang et al., 2017). This software is available here (URL1) and is described in detail by Baskin and Zelinsky (2019). Because we imaged the root for 3 h and obtained a velocity profile every 5 min , there are 37 velocity profiles per root.

## Numerical analysis

For each root the velocity profiles were resampled using MATLAB's function 'interp1' so that each profile is recorded at a common set of $p$ values of the $x$ variable (distance), where $p$ varied between roots but was typically around 2200. The data for each root may thus be represented as an $n$-by- $p$ data matrix, with $n$ rows and $p$ columns, where $n=37$ (the number of time points). Principal component analysis was performed based on the corresponding p-by-p covariance (rather than correlation) matrix. This gives rise to principal component vectors representing the primary modes of variability amongst the $n$ profiles, and principal component scores representing the weight of the principal components for each profile (Mardia et al., 1979).

The runs test (Bradley, 1969) was performed by binarizing the temporal PC scores according to whether they were greater or less than the mean PC score and then using MATLAB's 'runstest', which tests for serial correlation in the binary sequence versus a null hypothesis that the ordering is completely random. For the temporal analysis, elemental elongation rate was obtained from the derivative of a
function fitted to the velocity profile. The function was the modified sigmoid described by Peters and Baskin (2006) truncated before the second transition. The function was fitted according to a leastsquares criterion, minimized numerically using MATLAB function 'fminsearch', which is an implementation of a Nelder-Mead optimization routine.

## Supplemental References

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