**Analysis** 

# Estimate hazard ratios in small clinical trials without reported hazard ratios

Shuyuan Wang<sup>1</sup> · Ziwei Song<sup>2</sup> · Mingjie Wu<sup>3</sup> · Yuanjian Huang<sup>4</sup>

Received: 30 January 2025 / Accepted: 13 May 2025

Published online: 24 May 2025 © The Author(s) 2025

#### **Abstract**

Background For survival studies, pooling hazard ratios (HRs) across multiple clinical trials through meta-analysis is commonly performed to achieve widely accepted and robust conclusions. However, clinical trials sometimes do not report HRs.

Methods We developed a new, simple approach to estimate HRs by reconstructing life tables from Kaplan–Meier (KM) curves, particularly for small clinical trials. First, we extracted the time points and survival rates from the published KM curves. Then, we reconstructed the life table by reverse derivation of its parameters, using time points and survival rates extracted from the KM curves. Finally, we replotted the KM curves using the Kaplan-Meier method and estimated the HRs via the Cox regression method by SPSS software, using the survival data from the reconstructed life table.

Results The estimated HRs of 3 examples were 0.510 (95% CI 0.272–0.958, P = 0.036), 2.472 (95% CI 1.548–3.949, P < 0.001), and 0.591 (95% CI 0.291–1.199, P=0.145), compared with the original HRs of 0.51 (95% CI 0.27–0.96, P=0.04), 2.33 (95% CI 1.45–3.73, P < 0.001), and 0.62 (95% CI 0.31–1.26, P = 0.18), respectively.

Conclusions This simple approach allows for the estimate of HRs from published KM curves in small survival studies without reported HRs, facilitating their inclusion in meta-analyses. This increases the overall sample size and enhances the reliability of synthesized clinical evidence.

Keywords Hazard ratio · Kaplan–Meier curve · Life table · Survival analysis · Clinical trial

#### 1 Introduction

To compare the efficacies of treatments for cancer, clinical trials usually require long-term follow-up [1]. In such scenarios, traditional efficacy indicators, such as odds ratios and relative risks, become less applicable because evaluating treatments involves not only determining whether a specific event, such as disease progression or death, has occurred but

Shuyuan Wang and Ziwei Song have contributed equally to this work.

Supplementary Information The online version contains supplementary material available at https://doi.org/10.1007/s12672-025-02703-z.

🖂 Mingjie Wu, 498102205@qq.com; 🖂 Yuanjian Huang, huangyuanjian@njmu.edu.cn; Shuyuan Wang, wangsy@njmu.edu.cn; Ziwei Song, 765767195@qq.com | 1Department of Cardiology, The First Affiliated Hospital with Nanjing Medical University, Nanjing 210029, Jiangsu, China. <sup>2</sup>College of Acupuncture and Moxibustion, Nanjing University of Chinese Medicine, Nanjing 210023, Jiangsu, China. <sup>3</sup>College of Traditional Chinese Medicine, Nanjing University of Chinese Medicine, Nanjing 210023, Jiangsu, China. <sup>4</sup>Department of General Surgery, The First Affiliated Hospital with Nanjing Medical University, Nanjing 210029, Jiangsu, China.



Discover Oncology

| https://doi.org/10.1007/s12672-025-02703-z



also considering the time until these events occur. Therefore, survival analysis, which combines the observation of events with the time experienced, is considered the most appropriate statistical method for these clinical trials [2].

Survival analysis involves the collection of survival data, including endpoint events (e.g., disease progression, death, or other events of interest), survival time, and censoring (e.g., loss to follow-up, withdrawal from the trial, or failure to complete the endpoint event) [2]. These survival data can be summarized into a life table and then presented more intuitively in the form of Kaplan-Meier (KM) curves, often accompanied by a hazard ratio (HR) [3, 4]. The HR is defined as the ratio of the hazards, representing the instantaneous risk conditional on no prior events, averaged over the observed event times [4].

Often, multiple similar clinical trials are conducted simultaneously or sequentially to compare the same treatments for the same caner. However, due to limitations such as small sample sizes, the influence of various confounding factors, and differences in study designs, the HRs for the same treatment reported by different clinical trials may be inconsistent or even contradictory [4]. To obtain a widely accepted and robust conclusion, meta-analyses are commonly performed to pool HRs across multiple trials [5]. This process collects existing or unpublished studies with comparable characteristics and integrates the results into a quantified combined effect estimate [5]. However, some studies do not report HRs, leading to incomplete synthesis of clinical evidence for meta-analysis. Several investigators have developed their own approaches to estimate HRs from KM curves to facilitate meta-analysis, but these methods can be complex [6–9].

To estimate HRs from studies that reported the KM curves but do not provide HRs, we developed a new, simple approach to estimate HRs by reconstructing life tables from KM curves, particularly for small clinical trials. This approach increases the number of studies included in the meta-analysis, thereby enhancing the reliability of the pooled HR and providing a more accurate reflection of the efficacies of treatments for cancer.

## 2 Methods

# 2.1 Workflow of constructing life table, plotting KM curve, and calculating HR

In this section, we briefly describe the standard workflow for constructing a life table, plotting a KM curve, and calculating the HR in a clinical trial. This will enhance the understanding of the methodology we developed to estimate HRs.

Suppose that a clinical trial evaluating the efficacies of certain treatments for cancer has been completed. During the follow-up, death or censoring occurred i times in total, with corresponding time points denoted as T<sub>i</sub>. Note that each time death or censoring occurs, the number of deaths  $(D_i)$  or censored patients  $(C_i)$  should be  $\geq 1$ . The values of  $T_i$ ,  $D_i$ , and C<sub>i</sub> can be easily obtained during the follow-up.

Then, the number of risk patients (N<sub>i</sub>) is calculated by

$$N_i = N_{i-1} - D_{i-1} - C_{i-1} (i \ge 2). \tag{1}$$

Note that  $N_1$  is the number of patients included at the start of the clinical trial and can be easily determined according to the study design.

The survival probability ( $P_i$ ) is the probability of living for  $N_i$  risk patients at time point  $T_i$  and is calculated by

$$P_i = \frac{N_i - D_i}{N_i} (i \ge 1) \tag{2}$$

The survival rate  $(S_i)$  is the probability of living until time point  $T_i$  and is calculated as the cumulative product of  $P_i$ :

$$S_i = P_1 P_2 P_3 \dots P_{i-1} P_i (i \ge 2).$$
 (3)

Note that  $S_1 = P_1$  at time point  $T_1$ . Finally, based on the above parameters, the life table for this clinical trial can be constructed (Table 1).

For better visualization of survival, the KM curve, a series of declining horizontal steps, can be plotted based on the T<sub>i</sub> and  $S_i$  values from the life table (Fig. 1A) [3, 10]. The parameters in the life table can be understood from the perspective of the KM curve as follows: The follow-up time is divided into a series of steps corresponding to i time intervals [0, T<sub>1</sub>],  $(T_1, T_2], (T_2, T_3], \dots, (T_{i-1}, T_i]$  for  $i \ge 1$  [11]. These time intervals are defined such that at least one patient either died or was



Table 1 Parameters of the life table

Number (i)	Time (T <sub>i</sub> )	Death (D <sub>i</sub> )	Censored (C <sub>i</sub> )	Risk patients (N <sub>i</sub> )	Survival probability (P <sub>i</sub> )	Survival rate (S <sub>i</sub> )
1	T <sub>1</sub>	D <sub>1</sub>	C <sub>1</sub>	N <sub>1</sub>	$P_1 = \frac{N_1 - D_1}{N_1}$	$S_1 = P_1$
2	$T_2$	$D_2$	$C_2$	$N_2 = N_1 - D_1 - C_1$	$P_{1} = \frac{N_{1} - D_{1}}{N_{1}}$ $P_{2} = \frac{N_{2} - D_{2}}{N_{2}}$	$S_2 = P_1 P_2$
3	$T_3$	$D_3$	C <sub>3</sub>	$N_3 = N_2 - D_2 - C_2$	$P_3 = \frac{N_3 - D_3}{N_3}$	$S_3 = P_1 P_2 P_3$
i-1	$T_{i-1}$	$D_{i-1}$	$C_{i-1}$	$N_{i-1} = N_{i-2} - D_{i-2} - C_{i-2}$	$P_{i-1} = \frac{N_{i-1} - D_{i-1}}{N_{i-1}}$	$S_{i-1} = P_1 P_2 P_3 \dots P_{i-2} P_{i-1}$
i	$T_i$	$D_i$	$C_i$	$N_i = N_{i-1} - D_{i-1} - C_{i-1}$	$P_i = \frac{N_i - D_i}{N_i}$	$S_i = P_1 P_2 P_3 \dots P_{i-1} P_i$

The values of  $T_i$ ,  $D_i$ , and  $C_i$  can be easily obtained during the follow-up. Based on  $T_i$ ,  $D_i$ , and  $C_i$ , the values of  $N_i$ ,  $P_i$ , and  $S_i$  can be calculated. This table demonstrates how to construct the life table for a clinical trial

censored at the end of the interval (i.e., at time point  $T_i$  of each interval  $(T_{i-1}, T_i]$ ).  $D_i$  and  $C_i$  represent the numbers at the end of the interval.  $N_i$  represents the number at the start of the interval (i.e., at time point  $T_{i-1}$  of each interval  $(T_{i-1}, T_i]$ ).

The survival data of patients, i.e., the values of  $T_i$ ,  $D_i$ , and  $C_i$  in the life table, can be input into SPSS (IBM, v25) (Fig. 1B). Then, the KM curve is plotted using the Kaplan–Meier method (Fig. 1C). The HR is calculated using the Cox regression method (Fig. 1D).

# 2.2 Extraction of T<sub>i</sub> and S<sub>i</sub> from the KM curve

For the clinical trials that only reported the KM curves without presenting HRs, if the values of  $T_i$  and  $S_i$  can be extracted from the KM curve and combined with Eqs. (1–3), the values of  $T_i$ ,  $D_i$ , and  $C_i$  in the life table could be reversely derived, and the HR can be estimated accordingly. In the subsequent sections, we will elaborate on the procedures of our methodology.

The KM curve is plotted with T<sub>i</sub> values as x-axis coordinates and S<sub>i</sub> values as y-axis coordinates, where vertical tick-marks indicate censored patients (Fig. 1A) [3]. The coordinates of the endpoints at the end of each time interval and the coordinates of all the tick-marks on the KM curve are extracted using Engauge Digitizer (github.com/markummitchell/engauge-digitizer/releases, v12.1). Briefly, the x-axis and y-axis are defined by mouse-clicking the start and end points of each axis in the KM plot. Then, all endpoints and tick-marks are selected by clicking to be read off from the curve. The resulting T<sub>i</sub> and S<sub>i</sub> coordinates are then exported for the reverse derivations of parameters in the life table.

# 2.3 Reverse derivation of parameters in the life table

An empty life table is created in the Excel (Microsoft, v2406) sheet, and the  $T_i$  and  $S_i$  coordinates are input into it (Fig. 2A). The values of censored patients  $C_x$  ( $1 \le x \le i$ ) will be set as 0 if no censoring and will be set as 1 a priori if corresponding to the tick-marks on the KM curve (see next section for more information) (Fig. 2B). The survival rate,  $S_{i-1}$ , can be written in the following equations:

$$S_{i-1} = P_1 P_2 P_3 \dots P_{i-1} (i \ge 2), \tag{4}$$

so that

$$P_{i} = \frac{S_{i}}{S_{i-1}} (i \ge 2) \tag{5}$$

if Eq. (3) is divided by Eq. (4). Note that  $P_1 = S_1$  at time point  $T_1$ . All other values of  $P_i$  can be calculated using Eq. (5) (Fig. 2B). The number of patients included at the start of clinical trial,  $N_1$ , can be determined by the study design (Fig. 2C). According to Eq. (2), the number of deaths,  $D_i$ , can be written in the following equation:

$$D_i = N_i (1 - P_i)(i \ge 1), \tag{6}$$



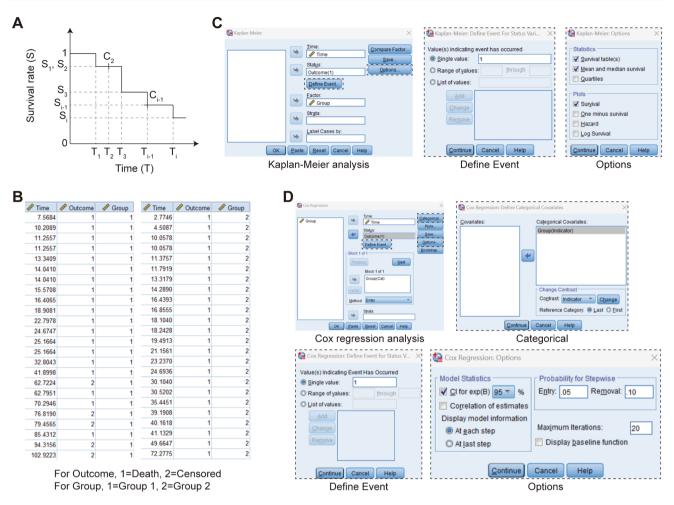


Fig. 1 Workflow of constructing life table, plotting KM curve, and calculating HR. A Example of a standard KM curve. The endpoint of each declining horizontal step (i.e., the end of each time interval) represents dead patients. Vertical tick-marks represent censored patients. T, Time; S, Survival rate; C, Censored patients; i, Number. B Example of survival data input into SPSS. For the outcome variable, 1 represents death, and 2 represents censoring. For the group variable, 1 and 2 represent different groups according to the design of the clinical trial. C Kaplan–Meier analysis in SPSS. In the 'Kaplan–Meier' dialog box, the variables 'Time', 'Status', and 'Factor' were set as the data for 'Time', 'Outcome', and 'Group', respectively. In the 'Define Event' dialog box, 'Single value' was set to 1, representing death. In the 'Options' dialog box, 'Survival' was additionally selected. D Cox regression analysis in SPSS. In the 'Cox regression' dialog box, 'the variables 'Time', 'Status', and 'Covariates' were set as the data for 'Time', 'Outcome', and 'Group', respectively. In the 'Categorical' dialog box, 'Categorical covariates' was set to 'Group (Indicator)'. In the 'Define Event' dialog box, 'Single value' was set to 1, representing death. In the 'Options' dialog box, 'CI for exp(B) 95%' was selected

so that  $D_1 = N_1(1 - P_1)$  (Fig. 2C). The number of risk patients,  $N_i$ , can be calculated using Eq. (1), so that  $N_2 = N_1 - D_1 - C_1$  (Fig. 2C).

Then, the other values of  $D_i$  and  $N_i$  can be auto filled by double-clicking the fill handles of the sheet cells of  $D_1$  and  $N_1$ , respectively (Fig. 2D). The values of  $D_i$  will be auto corrected once the values of  $N_i$  are auto filled. Finally, the life table is reconstructed (Table 2).

#### 2.4 Rules to reconstruct the life table

During the above process to reconstruct the life table, 3 rules should be followed.

First, although one tick-mark on the KM curve may indicate several patients censored at the same time point  $T_x$  (where  $1 \le x \le i$ ), the number of censored patients  $C_x$  corresponding to the tick-mark will be set as 1 a priori. This assumption is reasonable for small clinical trials because the number of censored patients is usually very small. This setting ensures that the values of  $D_{x+m}$  (where m=1, 2, 3, ...) representing the number of deaths at the following m time intervals after



A	Number (i)	Time (T <sub>i</sub> )	Death (D <sub>i</sub> )	Censored (C <sub>i</sub> )	Risk Patients (N <sub>i</sub> )	Survival Probability $(P_i)$	Survival rate (S <sub>i</sub> )
	1	①[T <sub>1</sub> ]					② S <sub>1</sub>
	2	T <sub>2</sub>					S <sub>2</sub>
	3	T <sub>3</sub>					S <sub>3</sub>
	i-1	T <sub>i-1</sub>					S <sub>i-1</sub>
	i	T,					S
		11_1					1
В	Number (i)	Time (T <sub>i</sub> )	Death (D <sub>i</sub> )	Censored (C <sub>i</sub> )	Risk Patients (N <sub>i</sub> )	Survival Probability (P <sub>i</sub> )	Survival rate (S <sub>i</sub> )
	1	T <sub>1</sub>	3	C <sub>1</sub> =0, 1, or	1	4 P <sub>1</sub> =S <sub>1</sub>	S <sub>1</sub>
	2	$T_2$	 	C <sub>2</sub> =0, 1, or		P <sub>2</sub> =S <sub>2</sub> /S <sub>1</sub>	$S_2$
	3	$T_3$	1	C <sub>3</sub> =0, 1, or		P <sub>3</sub> =S <sub>3</sub> /S <sub>2</sub>	$S_3$
	i-1	$T_{i-1}$		C <sub>i-1</sub> =0, 1, or		P <sub>i-1</sub> =S <sub>i-1</sub> /S <sub>i-2</sub>	S <sub>i-1</sub>
	i	$T_{_{i}}$		C <sub>i</sub> =0, 1, or		P <sub>i</sub> =S <sub>i</sub> /S <sub>i-1</sub>	$S_{i}$
					-		
C	Number (i)	Time (T <sub>i</sub> )	Death (D <sub>i</sub> )	Censored (C <sub>i</sub> )	Risk Patients (N <sub>i</sub> )	Survival Probability $(P_i)$	Survival rate (S <sub>i</sub> )
	1	T <sub>1</sub> 6	D <sub>1</sub> =N <sub>1</sub> (1-P <sub>1</sub> )	C <sub>1</sub> =0, 1, or	N <sub>1</sub>	5 P <sub>1</sub> =S <sub>1</sub>	S <sub>1</sub>
	2	T <sub>2</sub>		C <sub>2</sub> =0, 1, or	N <sub>2</sub> =N <sub>1</sub> -D <sub>1</sub> -C <sub>1</sub>	$\overline{P}_2 = S_2 / S_1$	$S_2$
	3	$T_{3}$		C <sub>3</sub> =0, 1, or		P <sub>3</sub> =S <sub>3</sub> /S <sub>2</sub>	$S_3$
	i-1	$T_{i-1}$		C <sub>i-1</sub> =0, 1, or		P <sub>i-1</sub> =S <sub>i-1</sub> /S <sub>i-2</sub>	S <sub>i-1</sub>
	i	$T_{_{i}}$		C <sub>i</sub> =0, 1, or		$P_i=S_i/S_{i-1}$	$S_{i}$
D	Number (i)	Time (T <sub>i</sub> )	Death (D <sub>i</sub> )	Censored (C <sub>i</sub> )	Risk Patients (N <sub>i</sub> )	Survival Probability (P <sub>i</sub> )	Survival rate (S <sub>i</sub> )
	1	T <sub>1</sub>	$D_1 = N_1 (1 - P_1)$	C <sub>1</sub> =0, 1, or	$N_{_1}$	P <sub>1</sub> =S <sub>1</sub>	S <sub>1</sub>
	2	$T_2$		C <sub>2</sub> =0, 1, or	$N_2 = N_1 - D_1 - C_1$	P <sub>2</sub> =S <sub>2</sub> /S <sub>1</sub>	$S_2$

U	Number (I)	Time (T <sub>i</sub> )	Death (D <sub>i</sub> )	Censored (C <sub>i</sub> )	Risk Patients (N <sub>i</sub> )	Survival Probability (P <sub>i</sub> )	Survival rate (S <sub>i</sub>
	1	T <sub>1</sub>	D <sub>1</sub> =N <sub>1</sub> (1-P <sub>1</sub> )	C <sub>1</sub> =0, 1, or	N <sub>1</sub>	P <sub>1</sub> =S <sub>1</sub>	S <sub>1</sub>
	2	$T_2$		C <sub>2</sub> =0, 1, or	$N_2 = N_1 - D_1 - C_1$	P <sub>2</sub> =S <sub>2</sub> /S <sub>1</sub>	$S_2$
	3	$T_{_3}$	® <b>≡</b>	C <sub>3</sub> =0, 1, or		P <sub>3</sub> =S <sub>3</sub> /S <sub>2</sub>	$S_3$
			Atuofill		@ Atuofill		
	i-1	$T_{i-1}$		$C_{i-1} = 0, 1, or$	Atu	P <sub>i-1</sub> =S <sub>i-1</sub> /S <sub>i-2</sub>	S <sub>i-1</sub>
	i	$T_i$	$\downarrow$	C <sub>i</sub> =0, 1, or	<b>\</b>	$P_i = S_i / S_{i-1}$	$S_{i}$

**Fig. 2** Workflow for the reverse derivation of parameters in the life table. **A** Input the  $T_i$  and  $S_i$  coordinates into the Excel spreadsheet. **B** Input the pre-assumed values of  $C_i$  and calculation of the values of  $S_i$ . **C** Calculation of the values of  $N_1$ ,  $D_1$ , and  $N_2$ . **D** Auto fill of the remaining values of  $D_i$  and  $D_i$  and  $D_i$  will be auto corrected once the values of  $D_i$  are auto filled. ① to ⑧ represents the sequence of operations

 $(T_{x-1}, T_x]$  are close to integers. If they are not,  $C_x$  will be increased to 2 or more, termed a sensitivity test, until the values of  $D_{x+m}$  are close to integers.



**Table 2** Reverse derivations of parameters in the life table

Number (i)	Time (T <sub>i</sub> )	Death (D <sub>i</sub> )	Censored (C <sub>i</sub> )	Risk patients (N <sub>i</sub> )	Survival prob- ability (P <sub>i</sub> )	Survival rate (S <sub>i</sub> )
1	T <sub>1</sub>	$D_1 = N_1 (1 - P_1)$	C <sub>1</sub>	N <sub>1</sub>	$P_1 = S_1$	S <sub>1</sub>
2	$T_2$	$D_2 = N_2 \left( 1 - P_2 \right)$	$C_2$	$N_2 = N_1 - D_1 - C_1$	$P_2 = \frac{S_2}{S}$	$S_2$
3	$T_3$	$D_3 = N_3 \big( 1 - P_3 \big)$	C <sub>3</sub>	$N_3 = N_2 - D_2 - C_2$	$P_3 = \frac{S_3}{S_2}$	S <sub>3</sub>
	•••					
i-1	$T_{i-1}$	$D_{i-1} = N_{i-1} (1 - P_{i-1})$	$C_{i-1}$	$N_{i-1} = N_{i-2} - D_{i-2} - C_{i-2}$	$P_{i-1} = \frac{S_{i-1}}{S_{i-2}}$	$S_{i-1}$
i	$T_i$	$D_i = N_i (1 - P_i)$	$C_i$	$N_i = N_{i-1} - D_{i-1} - C_{i-1}$	$P_i = \frac{S_i}{S_{i-1}}$	$S_{i}$

The values of  $T_i$  and  $S_i$  can be extracted from the KM curve. Based on  $T_i$  and  $S_i$ , the values of  $P_i$ ,  $N_i$ , and  $D_i$  can be calculated. This table demonstrates how to reconstruct the life table through reverse derivation of parameters within the life table

Second, in cases where the steps of the KM curve decline too rapidly over a very short period, the values of  $D_i$  are still not close to integers after the sensitivity test. This is typically due to too many steps clustering within relatively short time intervals, which makes the manually extracted coordinates inevitably deviate from the actual numbers. Therefore, if the consistent sum of  $D_x$ ,  $D_{x+1}$ , ...,  $D_{x+m}$  across m+1 time intervals,  $\sum_{k=x}^{x+m} D_k$ , is near an integer, it will be acceptable to combine these short steps as a whole step, meaning that  $\sum_{k=x}^{x+m} D_k$  patients died at time point  $T_{x+m}$ . In other words, the pairs  $(T_x, D_x)$ ,  $(T_{x+1}, D_{x+1})$ , ...,  $(T_{x+m}, D_{x+m})$  will be changed to  $(T_x, 0)$ ,  $(T_{x+1}, 0)$ , ...,  $(T_{x+m}, \sum_{k=x}^{x+m} D_k)$  in the life table, respectively. Third, if any parameter values, such as deaths, censored patients, and risk patients, have been reported in the original trial, the data modification following the above rules will conform to the original data.

# 2.5 Reconstruction of KM curve and estimate of HR

Similarly, based on the reconstructed life table, the survival data were input into SPSS for the replotting of the KM curve and the estimate of HR (Fig. 1B-D).

#### 3 Results

## 3.1 Estimate HRs from clinical trials reporting no number of censored or risk patients

Example 1 (Fig. 3A, i.e., Fig. 2 of Cashin [12]) includes KM curves depicting the overall survival of patients with colorectal peritoneal metastases, comparing those who underwent cytoreductive surgery combined with intraperitoneal chemotherapy (surgery group) to those who received systemic chemotherapy (chemotherapy group) [12]. The study reported that 24 patients were included at the start of the trial in both groups. At the end of the trial, 19 deaths were observed in the surgery group and 24 deaths in the chemotherapy group. However, no numbers of censored patients or risk patients were reported.

From Fig. 3A, the x-axis coordinates  $(T_i)$  and y-axis coordinates  $(S_i)$  of the endpoints at the end of each time interval and all tick-marks on the KM curves were extracted (Table S1, left panel). Then, the values of  $T_i$  and  $S_i$  were filled into the 'Time' and 'Survival Rate' columns of the reconstructed life tables (Table S1, middle panel), respectively. According to the 1st rule for reconstructing the life tables outlined in the Methods,  $C_i$  values corresponding to each tick-mark were set as 1 a priori, and the values of other parameters were calculated based on Eqs. (1), (5), and (6) (Table S1, middle panel). A sensitivity test was performed by increasing  $C_i$  to 2 or more due to non-integer values for  $D_3$ ,  $D_4$ ,  $D_6$ ,  $D_7$ ,  $D_{13}$ , and  $D_{14}$  in the surgery group, which remained non-integer afterward. This indicated that adjusting the values of  $C_i$  could not resolve the issue. Subsequently, according to the 2nd rule,  $D_3$  and  $D_4$ , which were initially 0.6327 and 1.3470, were changed to 0 and 2, respectively, indicating that no patients died at 10.6282 months and 2 patients died at 11.2557 months (Table S1, middle panel). Similar adjustments were made for  $D_6$ ,  $D_7$ ,  $D_{13}$ , and  $D_{14}$ . Then, the reconstructed life tables were modified by changing all  $D_i$  values to integers (Table S1, middle panel). According to the 3rd rule, the recalculated total numbers of deaths (19 in the surgery group and 24 in the chemotherapy group) were verified to be consistent with the original



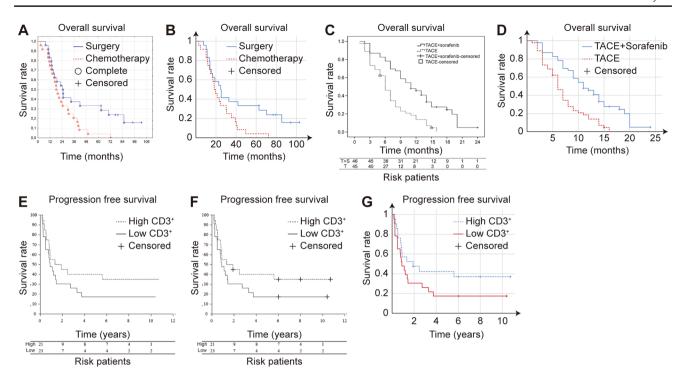


Fig. 3 Original and reconstructed KM curves. **A**, **B**, Original (**A**) and reconstructed (**B**) KM curves of Example 1. **C**, **D**, Original (**C**) and reconstructed (**D**) KM curves of Example 2. The original study reported risk patients (**C**). **E**–**G**, Original (**E**), censoring tick-marks rebuilt (**F**), and reconstructed (**G**) KM curves of Example 3. The original study reported the number of risk patients but did not mark censored patients with tick-marks on the KM curves (**E**). We rebuilt the tick-marks based on the table of risk patients (**F**). All the reconstructed KM curves (**B**, **D**, **G**) match the original ones (**A**, **C**, **E**) in size

numbers reported in the study [12]. Finally, the survival data from the modified life tables were input into SPSS (Table S1, right panel).

The reconstructed KM curves of Example 1 are shown in Fig. 3B. The estimated HR was 0.510 (95% CI 0.272–0.958, P = 0.036), whereas the original HR was 0.51 (95% CI 0.27–0.96, P = 0.04) [12]. The deviation of the estimated HR from the original HR was 0.

# 3.2 Estimate HRs from clinical trials reporting risk patients

Example 2 (Fig. 3C, i.e., Fig. 2a of Zhu [13]) includes KM curves depicting the overall survival of patients with hepatocellular carcinoma, comparing those who underwent transarterial chemoembolization combined with sorafenib (TACE+sorafenib group) to those who underwent TACE alone (TACE group) [13]. The study reported that 46 patients were included in the TACE+sorafenib group and 45 patients in the TACE group at the start of the trial. At the end of the trial, 37 deaths were observed in the TACE+sorafenib group and 43 deaths in the TACE group. The numbers of risk patients were reported (Risk patients in Fig. 3C), but the numbers of censored patients were not.

From Fig. 3C, the values of  $T_i$  and  $S_i$  were extracted and filled into the reconstructed life tables (Table S2, left panel).  $C_i$  values were set as 1 a priori, and then the values of other parameters within the life tables were calculated (Table S2, middle panel). However, the calculated values of  $D_{16}$ - $D_{18}$  were not close to integers when  $C_{15}$  was 1 in the TACE+sorafenib group. A sensitivity test was performed by increasing  $C_{15}$  up to 3, resulting in  $D_{16}$  being close to 1,  $D_{17}$  close to 3, and  $D_{18}$  close to 0 (Table S2, middle panel). Then, the reconstructed life tables were modified by changing all  $D_i$  values to integers (Table S2, middle panel). The recalculated total numbers of deaths (37 in the TACE+sorafenib group, 43 in the TACE group) and the numbers of risk patients at different timepoints (Table S2, middle panel) were verified to be consistent with the original numbers reported in the study [13]. Finally, the survival data from the modified life tables were input into SPSS (Table S2, right panel).

The reconstructed KM curves of Example 2 are shown in Fig. 3D. The estimated HR was 2.472 (95% CI 1.548–3.949, P < 0.001), whereas the original HR was 2.33 (95% CI 1.45–3.73, P < 0.001) [13]. The deviation of the estimated HR from the original HR was 6.09%.



# 3.3 Estimate HRs from clinical trials reporting risk patients but losing censoring information

Example 3 (Fig. 3E, i.e., Fig. 3b of Tanis [14]) includes KM curves depicting progression free survival of patients with liver metastases after colorectal surgery, comparing those with high CD3<sup>+</sup> lymphocyte density at the tumour-normal interface (high CD3<sup>+</sup> group) to those with low CD3<sup>+</sup> lymphocyte density (low CD3<sup>+</sup> group) [14]. The study reported that 21 patients were included in the high CD3<sup>+</sup> group and 23 in the low CD3<sup>+</sup> group at the start of the trial. The numbers of risk patients were reported (Risk patients in Fig. 3E), but the numbers of deaths or censored patients were not.

From Fig. 3E, the life tables were reconstructed (Table S3) as usual. However, the numbers of risk patients generated from these life tables (Table S3, right panel) were inconsistent with the table of risk patients reported in the study (Fig. 3E) [14]. We then realized that the authors did not mark censored patients with tick-marks on the KM curves. We rebuilt the tick-marks based on the table of risk patients (Fig. 3F). From Fig. 3F, the values of  $T_i$  and  $S_i$  were extracted and filled into the reconstructed life tables (Table S4, left panel). Guided by the table of risk patients,  $C_{11}$ ,  $C_{14}$ ,  $C_{15}$ , and  $C_{16}$  in the high CD3<sup>+</sup> group were easily set as 3, 3, and 1, respectively, and  $C_{18}$  and  $C_{19}$  in the low CD3<sup>+</sup> group were both set as 2. Then, the values of other parameters within the life tables were calculated (Table S4, middle panel). A sensitivity test was unnecessary since all the calculated  $D_i$  values were close to integers in both groups. Then, the reconstructed life tables were modified by changing all  $D_i$  values to integers (Table S4, middle panel). The numbers of risk patients at different timepoints (Table S4, middle panel) were verified to be consistent with the original numbers reported in the study [14]. Finally, the survival data of the modified life tables were input into SPSS (Table S4, right panel).

The reconstructed KM curves of Example 3 are shown in Fig. 3G. The estimated HR was 0.591 (95% CI 0.291–1.199, P=0.145), whereas the original HR was 0.62 (95% CI 0.31–1.26, P=0.180) [14]. The deviation of the estimated HR from the original HR was 4.68%.

# 3.4 More examples

To eliminate selection bias, we estimated additional HRs from several small clinical trials [15–18] using this approach. The deviations of the estimated HRs from the original ones ranged from 0.21 to 2.29% (Table S5), suggesting good repeatability and accuracy.

# 4 Discussion

This study develops a new, simple approach to estimate HR by reconstructing life tables from KM curves, particularly for small survival studies. Utilizing this approach, the reliability of meta-analysis can be enhanced by pooling more clinical trials, even those that do not report HRs, thereby generating more accurate synthesized clinical outcomes.

Several studies have proposed methods to estimate HRs from KM curves [6–9]. Parmar et al. assumed that censoring was uniform across the entire follow-up period, patient information was collected at regular time intervals, and there was minimal missing information on the endpoint [6]. However, this assumption ignored the true follow-up status of clinical trials. Williamson et al. relied on the proportional hazards regression assumption [7], which may not be accessible to beginners unfamiliar with Cox regression equations. Tierney et al. estimated censoring using the minimum and maximum follow-up periods [8], but this approach discarded some survival information. Previous investigators [6–8] extracted limited time points from the KM curves, whereas we, along with Guyot et al. [9], utilized all available time points to preserve complete survival information. In contrast, while Guyot et al. [9] employed R programming for their method, our approach is notably simpler, relying on user-friendly software with a graphical interface, such as Excel and SPSS.

Additionally, our approach reconstructs life tables and simulates the process of constructing the KM curves, making it easy to understand. Moreover, unlike the complex equations used by previous investigators [6-9] to estimate  $\log(HR)$  and its variance, our approach calculates parameters within the life table based on the time points  $(T_i)$  and survival rates  $(S_i)$  of the KM curves using simple Eqs. (1), (5), and (6) in Excel, making the process highly convenient. While studies that do not report HRs may be considered less rigorously conducted, when only a few clinical trials address a specific clinical issue, using our approach to estimate HRs for meta-analysis can still provide scientific significance.



Our study has limitations. First, our approach is based on the low-censoring assumption (the 1st rule for reconstructing life tables in the Methods). In clinical trials with high censoring rates, or when KM curves lack markings for censored patients or do not provide a risk patient table, the number of censored patients is difficult to estimate, and our approach may produce suboptimal results. Second, although our approach can theoretically estimate HRs from KM curves of any sample size, in practice, the coordinates of adjacent declining horizontal steps in KM curves with large sample sizes are often too close to be accurately extracted. These two limitations restrict the applicability of our approach primarily to small clinical trials. Based on our experience, parameter optimization for life table reconstruction becomes challenging when the sample size per group exceeds 50. Thus, in this context, we consider a 'small' clinical trial as one with fewer than 50 patients per group. Third, high-resolution publication of KM curves is required so that the declining steps remain clearly identifiable even when the curve is enlarged. Errors in extracting T<sub>i</sub> and S<sub>i</sub> coordinates may occur due to poor publication quality of the curve or carelessness during point extraction. Therefore, each coordinate should be manually verified, which is time-consuming. Nevertheless, since coordinates are manually extracted, deviations from their true values remain unavoidable, regardless of the resolution of the KM curve or the level of care taken during extraction. These limitations are also common challenges faced by other similar studies [6–9].

In conclusion, our study proposed a new, simple approach to estimate HRs from published KM curves for small survival studies without reported HRs. This approach will help researchers to include small trials in meta-analysis and increase the sample size and reliability of synthesized clinical evidence.

**Acknowledgements** We are grateful to Dr. Xianzhen Peng (Department of Epidemiology, School of Public Health, Nanjing Medical University) for the statistical consultation.

**Generative AI** Language, grammar, and terminology edits were performed by ChatGPT to meet the language requirements for publication. ChatGPT did not generate or alter any data or content in this study. Authors are responsible for all data and content of this study.

**Author contributions** Y.H. conceived and designed this study. S.W. and Z.S. searched for clinical trials, extracted data, reconstructed life tables and KM curves, reproduced HRs, and wrote the manuscript. S.W., Z.S., M.W. and Y.H. examined the statistical methodology and verified the results. S.W., Z.S., M.W. and Y.H. critically revised the manuscript. All authors approved the final version that was submitted.

Funding This work was supported by the Nanjing Overseas Scholars Scientific and Technological Innovation Project Merit-based Funding Plan (BSHNJ2023015 to S.W.), the Jiangsu Province Double Innovation Doctor Project (JSSCBS20230388 to S.W.), and the Young Scholars Fostering Fund of The First Affiliated Hospital with Nanjing Medical University (PY202408 to Y.H.).

Data availability All original KM plots can be found in the cited clinical trials. All extracted coordinates can be found in the supplementary tables.

### **Declarations**

Ethics approval and consent to participate Not applicable.

Consent for publication Not applicable.

Competing interests The authors declare no competing interests.

Open Access This article is licensed under a Creative Commons Attribution-NonCommercial-NoDerivatives 4.0 International License, which permits any non-commercial use, sharing, distribution and reproduction in any medium or format, as long as you give appropriate credit to the original author(s) and the source, provide a link to the Creative Commons licence, and indicate if you modified the licensed material. You do not have permission under this licence to share adapted material derived from this article or parts of it. The images or other third party material in this article are included in the article's Creative Commons licence, unless indicated otherwise in a credit line to the material. If material is not included in the article's Creative Commons licence and your intended use is not permitted by statutory regulation or exceeds the permitted use, you will need to obtain permission directly from the copyright holder. To view a copy of this licence, visit http://creativecommons.org/licenses/by-nc-nd/4.0/.

# References

- 1. Rothman KJ. Epidemiology: an introduction. 2nd ed. New York: Oxford University Press; 2012.
- 2. Klein JP, Moeschberger ML. Survival analysis: techniques for censored and truncated data. 2nd ed. New York: Springer; 2003.
- 3. Rich JT, Neely JG, Paniello RC, Voelker CC, Nussenbaum B, Wang EW. A practical guide to understanding Kaplan-Meier curves. Otolaryngol Head Neck Surg. 2010;143(3):331–6.
- 4. Spruance SL, Reid JE, Grace M, Samore M. Hazard ratio in clinical trials. Antimicrob Agents Chemother. 2004;48(8):2787–92.



- 5. Walker E, Hernandez AV, Kattan MW. Meta-analysis: its strengths and limitations. Clevel Clin J Med. 2008;75(6):431-9.
- 6. Parmar MK, Torri V, Stewart L. Extracting summary statistics to perform meta-analyses of the published literature for survival endpoints. Stat Med. 1998;17(24):2815.
- 7. Williamson PR, Smith CT, Hutton JL, Marson AG. Aggregate data meta-analysis with time-to-event outcomes. Stat Med. 2002;21(22):3337-51.
- Tierney JF, Stewart LA, Ghersi D, Burdett S, Sydes MR. Practical methods for incorporating summary time-to-event data into meta-analysis. Trials. 2007;8:16.
- Patricia G, Ades AE, Jnm OM, Welton NJ. Enhanced secondary analysis of survival data: reconstructing the data from published Kaplan-Meier survival curves. BMC Med Res Methodol. 2012;12(1):9.
- 10. Kaplan EL, Meier P. Nonparametric estimation from incomplete observations. New York: Springer; 1992. p. 457–81.
- 11. Mclachlan GJ, editor. Modelling survival data in medical research. Boca Raton: Chapman & Hall/CRC; 2004.
- 12. Cashin PH, Mahteme H, Spang N, Syk I, Frodin JE, Torkzad M, et al. Cytoreductive surgery and intraperitoneal chemotherapy versus systemic chemotherapy for colorectal peritoneal metastases: a randomised trial. Eur J Cancer. 2016;53:155-62.
- 13. Zhu K, Chen J, Lai L, Meng X, Zhou B, Huang W, et al. Hepatocellular carcinoma with portal vein tumor thrombus: treatment with transarterial chemoembolization combined with sorafenib—a retrospective controlled study. Radiology. 2014;272(1):284–93.
- Tanis E, Julie C, Emile JF, Mauer M, Nordlinger B, Aust D, et al. Prognostic impact of immune response in resectable colorectal liver metastases treated by surgery alone or surgery with perioperative FOLFOX in the randomised EORTC study 40983. Eur J Cancer. 2015;51(17):2708-17.
- 15. Heiss MM, Murawa P, Koralewski P, Kutarska E, Kolesnik OO, Ivanchenko VV, et al. The trifunctional antibody catumaxomab for the treatment of malignant ascites due to epithelial cancer: results of a prospective randomized phase II/III trial. Int J Cancer. 2010;127(9):2209–21.
- 16. Thuss-Patience PC, Kretzschmar A, Bichev D, Deist T, Hinke A, Breithaupt K, et al. Survival advantage for irinotecan versus best supportive care as second-line chemotherapy in gastric cancer—a randomised phase III study of the Arbeitsgemeinschaft Internistische Onkologie (AIO). Eur J Cancer. 2011;47(15):2306-14.
- 17. Higuchi K, Tanabe S, Shimada K, Hosaka H, Sasaki E, Nakayama N, et al. Biweekly irinotecan plus cisplatin versus irinotecan alone as secondline treatment for advanced gastric cancer: a randomised phase III trial (TCOG GI-0801/BIRIP trial). Eur J Cancer. 2014;50(8):1437-45.
- 18. Pinter M, Ulbrich G, Sieghart W, Kölblinger C, Reiberger T, Li S, et al. Hepatocellular carcinoma: a phase ii randomized controlled doubleblind trial of transarterial chemoembolization in combination with biweekly intravenous administration of bevacizumab or a placebo. Radiology. 2015;277(3):903-12.

Publisher's Note Springer Nature remains neutral with regard to jurisdictional claims in published maps and institutional affiliations.

