

Genetics of adaptation and fitness landscapes: From toy models to testable quantitative predictions

Thomas Bataillon,^{1,2,3,4,5} Thomas H. G. Ezard,¹ Michael Kopp,² and Joanna Masel³

¹ School of Ocean and Earth Science, National Oceanography Centre, University of Southampton Waterfront Campus, Southampton SO14 3ZH, United Kingdom ² Aix-Marseille University, CNRS, I2M, Marseille 13331, France

³Department of Ecology and Evolutionary Biology, University of Arizona, Tucson, Arizona 85721

⁴Bioinformatics Research Center, Aarhus University, Aarhus 8000, DK

⁵E-mail: tbata@birc.au.dk

Received January 6, 2022 Accepted March 3, 2022

Background

The "Fitness landscape" metaphor is central to our ability to conceptualize how mutations generate new phenotypes and, in turn, variation in fitness. This metaphor has been instrumental in shaping collective mental pictures of how evolution proceeds, where the limits to innovation lie, and how adaptation emerges as a consequence of natural selection acting on phenotypic differences that are at least partly heritable.

Fitness landscapes, also sometimes termed adaptive landscapes and originally introduced by Wright, "show up" for a variety of topics. The journal *Evolution* has been at the forefront: from the early 50s (Wright, 1948) onward, many seminal papers (Wright, 1982) were published in *Evolution* (and now also in *Evolution Letters*).

• *Wright, S. 1982. Character change, speciation, and the higher taxa. Evolution 36:427–443.

Interestingly, what started out as a concept that could arguably be dismissed as nothing more than a vague metaphor quickly evolved into formal models of the evolutionary process and, especially in the last two decades, motivated theoretical, experimental, and other empirical evolution research aimed at "measuring/quantifying fitness landscapes" (Fig. 1). Here, we focus on two lines of descent that represent two connected research programs:

- Gillespie's Molecular landscape and similar models relying on the "strong selection weak mutation" regime, which capture the joint impact of mutation and selection on evolutionary trajectories within a discrete genotype space.
- Fisher's geometric model of mutational impact in highdimensional continuous phenotype spaces, and its uses for predicting the distribution of fitness effects of new mutations, the joint fitness effects of mutations across environments, and so on.

This themed mini issue does not cover other aspects that are also intimately linked to the original fitness landscape metaphors. For instance, the concept of selection (or fitness) gradients in phenotype space, which also goes back to Wright, lies at the heart of evolutionary quantitative genetics (i.e., the Lande equation; Lande 1976), and has yielded methods for empirical estimation of linear and quadratic selection gradients acting on quantitative traits in natural populations (starting with the seminal paper by Lande and Arnold 1983).

Below, we provide a quick context for theoretical and empirical studies that have advanced our understanding by either deriving properties of new mutations—using both Gillespie's molecular landscape and Fisher's geometric model—or measured the effect of mutations and related these empirical measures to predictions of the above theory.

All authors contributed equally and are listed alphabetically.

1104

© 2022 The Authors. *Evolution* published by Wiley Periodicals LLC on behalf of The Society for the Study of Evolution. This is an open access article under the terms of the Creative Commons Attribution-NonCommercial-NoDerivs License, which permits use and distribution in any medium, provided the original work is properly cited, the use is non-commercial and no modifications or adaptations are made. *Evolution* 76-6: 1104–1107

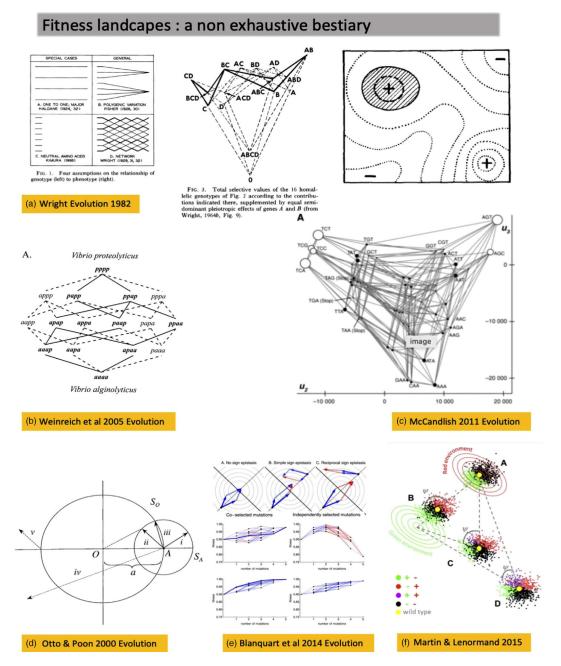


Figure 1. These are various conceptualizations (and empirical characterization) of fitness landscapes as they appeared in some of the papers listed in this themed virtual issue. (A) Original conceptualization of multilocus genotypes and adaptive landscapes from S. Wright (1982). (B) A four-loci empirical fitness landscape from Weinreich et al. (2005). (C) A projection of a theoretical landscape where distance between genotypes reflects the waiting time for evolutionary transitions, from McCandlish (2011). (D) Conceptual figure illustrating fisher's geometric model, depicting the position of a current genotype (A) at a distance a to the fitness optimum (O). Here, fitness is determined by two phenotypic dimensions and mutations are represented as vectors (i, ii, iii, iv). Figure from Otto and Poon (2000). (E) Visualization of sign epistasis by Blanquart et al., using the representation introduced in panel D. Red mutations are deleterious and blue ones beneficial. (F) Clouds of mutations away from four possible wild-type genotypes (yellow dots, A, B, C, D) and their joint fitness in two environments (labelled green and red). Mutations are colored by their joint fitness effects (positive or negative) in both environments. Figure from Martin and Lenormand (2015). Note, all figures are originals from previous *Evolution* issues: © 1982 Sewall Wright. *Evolution* © 1982 The Society for the Study of Evolution. © 2000 Otto and Poon. *Evolution* © 2000 The Society for the Study of Evolution. © 2014 The Society for the Study of Evolution. © 2014 The Society for the Study of Evolution © 2015 The Society for the Study of Evolution © 2014 The Society for the Study of Evolution. © 2015 The Society for the Study of Evolution.

Gillespie's Legacy: A Clever Heuristic that Integrates Mutation and Selection

In Gillespie's mutational landscape, there is no phenotype but just an abstract mutation-to-fitness mapping. By treating evolution as a Markov chain describing successive fixation events, these models facilitate our understanding of complex evolutionary trajectories. Evolutionary accessibility is a property of an entire network of genotypes linked by possible mutational steps between them. The choice between alternative transitions at each step depends both on relative mutation rates and on fixation probabilities, where the latter combine selection coefficients with effective population size.

- Gillespie, J. H. 1984. Molecular evolution over the mutational landscape. Evolution 38:1116–1129.
- Gillespie, J. H. 2001. Is the population size of a species relevant to its evolution? Evolution 11;55:2161–2169.
- Weinreich, D. M., R. A. Watson, and L. Chao. 2005. Perspective: sign epistasis and genetic constraint on evolutionary trajectories. Evolution 59:1165–1174.
- McCandlish, D. M. 2011. Visualizing fitness landscapes. Evolution 65:1544–1558.
- Orr, H. A. 2002. The population genetics of adaptation: the adaptation of DNA sequences. Evolution 56:1317–1330.
- Bertram, J., K. Gomez, and J. Masel. 2017. Predicting patterns of long-term adaptation and extinction with population genetics. Evolution 71:204–214.

A Rediscovery/Revival of Fisher's Geometric Model of Adaptation

Fisher's original model of stabilizing selection on a set of multivariate phenotypes was proposed over 90 years ago (Fisher 1930). It was probably intended as a rhetorical toy: a purely theoretical construct to champion the idea that adaptation of organisms should be seen as "fine tuning" of phenotypes in many dimensions. The model predicts that only mutations of small effects have a sizable probability of being beneficial, and that the number of phenotypic dimensions drastically limits the amount of beneficial mutations (i.e., the more traits a pleiotropic mutation affects, the less likely it is to be beneficial). This toy model was dormant for many years before it was briefly taken up by Kimura who argued that very small mutations were comparatively more likely to be lost early on by drift. Over the last two decades, Fisher's model has been back on the forefront and extensively explored theoretically. This renewal can be traced back to two papers by Orr (1998) and Otto and Poon (2000), which were soon

picked up others. Many of these contributions were published in *Evolution*.

- Orr, H. A. 1998. The population genetics of adaptation: the distribution of factors fixed during adaptive evolution. Evolution 52:935–949.
- Poon, A., and S. P. Otto. 2000. Compensating for our load of mutations: freezing the meltdown of small populations. Evolution 54:1467–1479.
- Orr, H. A. 2000. Adaptation and the cost of complexity. Evolution 54:13–20.
- Martin, G., and T. Lenormand. 2006. A general multivariate extension of Fisher's geometrical model and the distribution of mutation fitness effects across species. Evolution 60:893–907.
- Chevin, L. M., G. Martin, and T. Lenormand. 2010. Fisher's model and the genomics of adaptation: restricted pleiotropy, heterogeneous mutation, and parallel evolution. Evolution 64:3213–3231.
- Lourenço, J., N. Galtier, and S. Glémin. 2011. Complexity, pleiotropy, and the fitness effect of mutations. Evolution 65:1559–1571.
- Blanquart, F., G. Achaz, T. Bataillon, and O. Tenaillon. 2014. Properties of selected mutations and genotypic landscapes under Fisher's geometric model. Evolution 68:3537–3554.

Applications of Fisher's Geometric Model: The Distribution of Mutations in a Heterogenous World

Early theoretical and empirical work often assumed that fitness landscapes were constant, which contrasted metaphorical appropriations: in the Modern Synthesis, G. G. Simpson evoked the idea of the adaptive landscape as a dynamic entity, a "choppy sea" with waves, ridges, and troughs rising, falling, merging, and separating in relentless perpetual motion. The idea that fitness landscapes can be dynamic is also consistent with population responses to frequency-dependent selection (in particular, the idea that populations can be trapped at stable fitness minima [Abrams et al. 1993; Geritz et al. 1998]) or the ways in which mutational and selection patterns can interact to alter landscape features without invoking environmental change (reviewed by Arnold et al. 2008 in the context of G-matrices).

Considering models where more than one phenotypic optimum may exist across environments, sexes, and/or generations opens up a myriad of interesting predictions. Recent theoretical papers have explored long standing problems inherent to the genetics of adaptation: for example, how can complex organisms adapt to environmental change? Do mutations that confer adaptation to environment A systematically incur a cost in environment B? What are the consequences of sex-specific selection for adaptation, the maintenance of variation, or even genetics of speciation?

- Matuszewski, S., J. Hermisson, and M. Kopp. 2014. Fisher's geometric model with a moving optimum. Evolution 68:2571– 2588.
- Connallon, T., and A. G. Clark. 2015. The distribution of fitness effects in an uncertain world. Evolution 69:1610–1618.
- Fraïsse, C., P. A. Gunnarsson, D. Roze, N. Bierne, and J. J. Welch. 2016. The genetics of speciation: insights from Fisher's geometric model. Evolution 70:1450–1464.
- Martin, G., and T. Lenormand. 2015. The fitness effect of mutations across environments: Fisher's geometrical model with multiple optima. Evolution 69:1433–1447.
- Zajitschek, F., and T. Connallon. 2018. Antagonistic pleiotropy in species with separate sexes, and the maintenance of genetic variation in life-history traits and fitness. Evolution 72:1306– 1316.
- Yamaguchi, R., and S. P. Otto. 2020. Insights from Fisher's geometric model on the likelihood of speciation under different histories of environmental change. Evolution 74:1603–1619.

Last but Not Least: Confronting Fitness Landscape Model Predictions with Data

Over the last 15 years, many empirical estimates of the distribution of fitness effects of new mutations have been motivated by predictions borne out of theoretical papers grounded in Fisher's model or Gillespie's molecular landscape heuristics. A more recent emphasis (see above) has been on trying to evaluate how much the distribution of fitness effects can change across environments and the extent to which fitness landscape models can account for patterns in the data.

- Hietpas, R. T., C. Bank, J. D. Jensen, and D. N. A. Bolon. 2013. Shifting fitness landscapes in response to altered environments. Evolution 67:3512–3522.
- Perfeito, L., A. Sousa, T. Bataillon, and I. Gordo. 2014. Rates of fitness decline and rebound suggest pervasive epistasis. Evolution 68:150–162.

- Simon, A., N. Bierne, and J. J. Welch. 2018. Coadapted genomes and selection on hybrids: Fisher's geometric model explains a variety of empirical patterns. Evolution Letters, 2: 472–498.
- Weng, M.-L., J. Ågren, E. Imbert, H. Nottebrock, M. T. Rutter, and C. B. Fenster. 2020. Fitness effects of mutation in natural populations of *Arabidopsis thaliana* reveal a complex influence of local adaptation. Evolution 75:330–348.

DISCLAIMER

The papers listed here were co-opted as important/central within the two rather narrowly defined research programs described above. Geography, gender of authors, study type, or systems were not determining factors in our selection. Empirical studies are to date confined to a narrow range of tractable experimental systems. Further biases inherent to our selection reflect both the current state of these subfields and our own biases as editors. The papers listed here should be seen as a historical snapshot of the field and their representation in the journal *Evolution*, and a possible starting point for thinking more actively on how to redress existing biases.

REFERENCES

- Abrams, P.A., Matsuda, H., & Harada, Y. (1993) Evolutionarily unstable fitness maxima and stable fitness minima of continuous traits. *Evolutionary Ecology*, 7, 465–487.
- Arnold, S.J., Bürger, R., Hohenlohe, P.A., Ajie, B.C., & Jones, A.G. (2008) Understanding the evolution and stability of the G-matrix. *Evolution*; *Internation Journal of Organic Evolution*, 62, 2451–2461.
- Fisher, R.A. (1930) The genetical theory of natural selection. Clarendon Press, Oxford, U.K.
- Geritz, S.A., Mesze, G., & Metz, J.A. (1998) Evolutionarily singular strategies and the adaptive growth and branching of the evolutionary tree. *Evol. Ecol.*, 12, 35–57.
- van Nimwegen, E., Crutchfield, J.P., & Huynen, M. (1999) Neutral evolution of mutational robustness. *Proc. Natl. Acad. Sci. USA*, 96, 9716–9720.
- Lande, R. (1976) Natural selection and random genetic drift in phenotypic evolution. *Evolution; Internation Journal of Organic Evolution*, 30, 314–334.
- Lande, R., & Arnold, S.J. (1983) The measurement of selection on correlated characters. *Evolution; Internation Journal of Organic Evolution*, 37, 1210–1226.
- Wright, S. (1948) On the roles of directed and random changes in gene frequency in the genetics of populations. *Evolution; Internation Journal of Organic Evolution*, 2, 279–294.

Associate Editor: D. Agashe Handling Editor: T. Chapman