



# A kinetic dissection of the fast and superprocessive kinesin-3 KIF1A reveals a predominant one-head-bound state during its chemomechanical cycle

Received for publication, June 26, 2020, and in revised form, October 14, 2020. Published, Papers in Press, October 20, 2020, DOI 10.1074/jbc.RA120.014961

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Edited by Enrique M. De La Cruz

The kinesin-3 family contains the fastest and most processive motors of the three neuronal transport kinesin families, yet the sequence of states and rates of kinetic transitions that comprise the chemomechanical cycle and give rise to their unique properties are poorly understood. We used stopped-flow fluorescence spectroscopy and single-molecule motility assays to delineate the chemomechanical cycle of the kinesin-3, KIF1A. Our bacterially expressed KIF1A construct, dimerized via a kinesin-1 coiled-coil, exhibits fast velocity and superprocessivity behavior similar to WT KIF1A. We established that the KIF1A forward step is triggered by hydrolysis of ATP and not by ATP binding, meaning that KIF1A follows the same chemomechanical cycle as established for kinesin-1 and -2. The ATP-triggered half-site release rate of KIF1A was similar to the stepping rate, indicating that during stepping, rear-head detachment is an order of magnitude faster than in kinesin-1 and kinesin-2. Thus, KIF1A spends the majority of its hydrolysis cycle in a one-head-bound state. Both the ADP off-rate and the ATP on-rate at physiological ATP concentration were fast, eliminating these steps as possible rate-limiting transitions. Based on the measured run length and the relatively slow off-rate in ADP, we conclude that attachment of the tethered head is the rate-limiting transition in the KIF1A stepping cycle. Thus, KIF1A's activity can be explained by a fast rear-head detachment rate, a rate-limiting step of tethered-head attachment that follows ATP hydrolysis, and a relatively strong electrostatic interaction with the microtubule in the weakly bound post-hydrolysis state.

The kinesin-3 motor protein KIF1A is a neuronal transport motor responsible for the anterograde transport of synaptic vesicle precursors and other vesicular cargo along microtubules (Mt) (1–4). Mutations of KIF1A in humans can cause a range of afflictions known as KIF1A-associated neurological disorders that include sensory and motor disabilities (5–7). In some cases, these disorders are caused by neuronal cell death and axon degeneration or specific mutations leading to the hyperactivation of KIF1A and an abundance of the correlative cargo at the synapse (8). However, in most cases, the links between the motor dysfunction and the resulting disease are not clear.

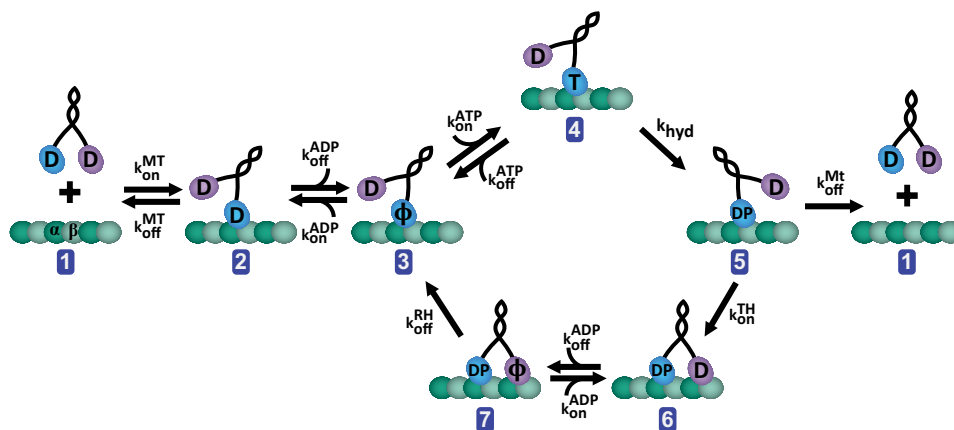
The kinesin-3 family is one of the largest of the 14 subfamilies in the kinesin superfamily (1, 2, 5, 9–12), and KIF1A is of particular interest due to a unique set of properties, including fast velocity (13), superprocessivity (13–16), low force resistance (17), and the ability to move processively as both a monomer and dimer (18–21). In addition to the conserved microtubule-binding interface, binding is mediated by an electrostatic interaction between the positively charged loop-12 (called the “K-loop”) and the negatively charged C-terminal tail of tubulin. The K-loop is required for processive movement of monomers but is not required for superprocessive movement of dimers at low ionic strength, indicating that there are also family-specific differences in the conserved microtubule-binding interface that enhance microtubule affinity (15, 17, 18, 22–26). Adaptations that increase microtubule affinity would generally be expected to slow the motor velocity rather than speed it up (27, 28), yet KIF1A steps 2.5-fold faster than kinesin-1. Furthermore, optical trapping studies and mixed motor assays have revealed that, despite the enhanced electrostatic association to the microtubule, kinesin-3 has a surprisingly low resistance to force and detaches under load (8, 15, 17, 29–31). How these opposing traits are reconciled in the same motor have yet to be fully understood.

Interpreting the chemomechanical properties of KIF1A and how the motor is tuned for its specific cellular functions requires a more complete understanding of the KIF1A chemomechanical cycle. Specifically, it remains to be determined whether the fast speed and superprocessivity of KIF1A result simply from differences in specific rate constants in the hydrolysis cycle or whether they result from the KIF1A cycle having a different sequence of chemomechanical states than kinesin-1. In the kinesin-1 chemomechanical cycle (Fig. 1), it has been established that, following initial binding and release of ADP (state 3), kinesin-1 waits for ATP binding with the tethered head in a rearward position (27, 32, 33). ATP binding to the bound head then repositions the tethered head forward, and ATP hydrolysis triggers full neck linker docking, which positions the tethered head near its next binding site. The forward step is completed by the tethered head binding the microtubule and releasing its bound ADP to generate a tight-binding state 7 (27, 28, 34–37). The key transition that determines processivity in this model is the kinetic race out of state 5—the race is won if the tethered head binds the next tubulin before the bound head detaches from the vulnerable ADP-P<sub>i</sub> state. Therefore,

This article contains supporting information.

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**Figure 1. Canonical kinesin chemomechanical cycle.** The cycle begins with ADP bound to both motor domains in solution (state 1). Upon binding to the microtubule (state 2), one ADP is released, locking the motor in a strongly bound state, while the other ADP remains bound to the tethered head (state 3). ATP then binds to the bound head (state 4) and is hydrolyzed to ADP-P<sub>i</sub> (state 5), triggering full neck linker docking, which positions the tethered head forward and puts the motor in a weakly bound state (27). From this vulnerable state 5, the bound head can detach from the microtubule and terminate the processive run (state 1). More often, the tethered head binds to its next binding site (state 6), which is reversible until ADP is released to generate a tightly bound state 7 that completes the forward step. In the transition from state 7 to state 3, both detachment and P<sub>i</sub> release by the rear head occur to return the motor to the one-head-bound ATP-binding state (state 3) (27, 28, 34–37). The model presented here is a minimal representation of the cycle to emphasize the states that are the focus of this study. D, ADP; T, ATP; DP, ADP-P<sub>i</sub>; φ, apo.

processivity requires that the rate of tethered-head attachment be considerably faster than the rate of bound head dissociation from the microtubule.

Mapping this canonical kinesin-1 hydrolysis cycle to the characteristics of KIF1A, one or more transitions must be ~2.5 times faster than kinesin-1 to account for the faster stepping rate, and the probability of dissociating per cycle must be ~7-fold lower to account for its superprocessivity (27, 28). Although there are several ways this may be achieved, one intriguing possibility is KIF1A bypassing specific transition states in the cycle. By removing the need for the forward step to be triggered by either ATP hydrolysis (removing state 5) or ATP binding (removing both states 4 and 5), KIF1A could theoretically both reduce the total number of sequential forward transitions in the cycle (gaining speed) and avoid the vulnerable one-head-bound ADP-P<sub>i</sub> state 5 (enhancing processivity). The goal of the present work is to use single-molecule tracking and pre-steady-state kinetic analysis of dimeric KIF1A to define the sequence of states that make up the KIF1A chemomechanical cycle and quantify the transition rates between these states. By delineating the chemomechanical cycle of KIF1A, we provide a mechanistic explanation of the motor's superprocessivity, high velocity, and sensitivity to load.

## Results

To form a stable dimer and allow for direct comparison of the properties of KIF1A with kinesin-1 and kinesin-2 constructs characterized previously (27, 28, 34), we bacterially expressed a *Rattus norvegicus* KIF1A construct dimerized via the *Drosophila melanogaster* KHC neck coil (Fig. 2, A and B). Two different lengths of the kinesin-1 neck coil were used in these KIF1A constructs for distinct purposes. For biochemical assays, we used KIF1A-406, which includes 61 residues from the kinesin-1 (*DmKHC*) neck coil added after the native KIF1A head and neck linker. For microscopy, we used KIF1A-560-GFP, which includes 216 residues from kinesin-1 that include

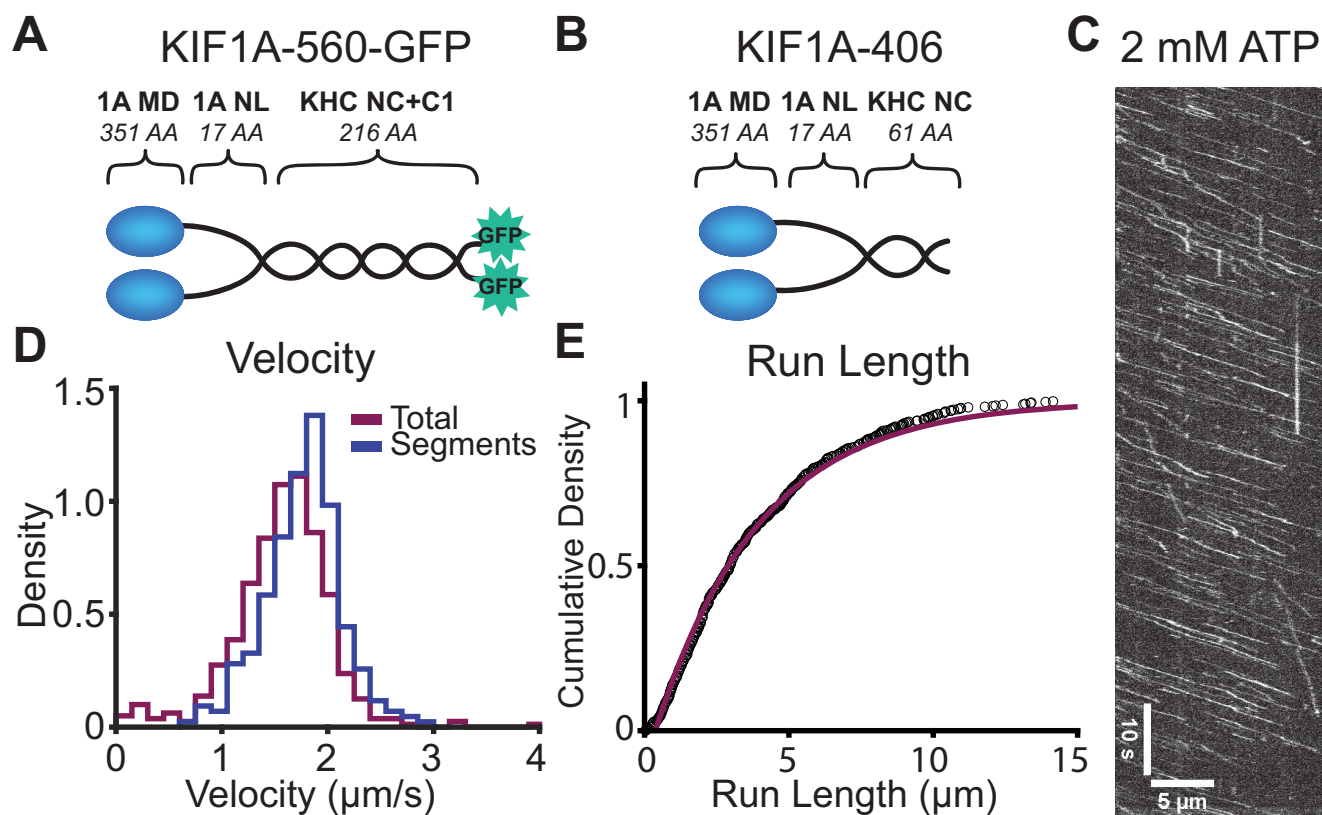
the neck coil and coil-1, followed by a C-terminal GFP. All experiments were carried out in 80 mM PIPES buffer (BRB80) to ensure physiologically relevant ionic strength of the solution.

### KIF1A is fast and superprocessive

Using single-molecule TIRF microscopy at 2 mM ATP, we measured the velocity of KIF1A-560-GFP from kymograph evaluation by the following two methods: 1) linear segments of uninterrupted stepping (excluding pauses) and 2) total runs (including pauses) (Fig. 2C). We determined a velocity of  $1.77 \pm 0.4 \mu\text{m/s}$  (mean  $\pm$  S.D.,  $n = 285$ ), when pauses are excluded, and  $1.56 \pm 0.5 \mu\text{m/s}$  (mean  $\pm$  S.D.,  $n = 534$ ) for entire runs (Fig. 2D). Assuming an 8-nm step size, these velocities translate to stepping rates of  $220 \pm 50$  and  $195 \pm 63 \text{ s}^{-1}$ , respectively. In addition to velocity, we also determined a run length of  $3.6 \pm 0.04 \mu\text{m}$  (mean  $\pm$  95% confidence interval (CI)) (Fig. 2E). This run length is an underestimate due to the finite microtubule lengths in the assay, a common limitation seen in KIF1A studies (13–15). Therefore, we developed a statistical model that accounts for runs that terminate prematurely due to motors reaching the end of the microtubule (see “Materials and methods”). Using this correction, we estimate a true average run length of  $5.6 \pm 0.4 \mu\text{m}$  (mean  $\pm$  S.D.). These run lengths are shorter than those reported for other dimeric KIF1A constructs *in vitro* (14, 15), but these differences can be attributed to the low-ionic strength 12 mM PIPES buffer used in those studies, compared with the 80 mM PIPES used here (16, 24). Considering the estimated run length and the velocity over the total trace, we determined a mean run time of  $3.6 \pm 1.2 \text{ s}$ , corresponding to a motor off-rate of  $0.28 \pm 0.09 \text{ s}^{-1}$ .

### ATP binding and hydrolysis are both required for fast forward stepping of KIF1A

The features of the KIF1A chemomechanical cycle that underlie the fast velocity and superprocessivity are not known. Based on the similarities in structure and cellular function to

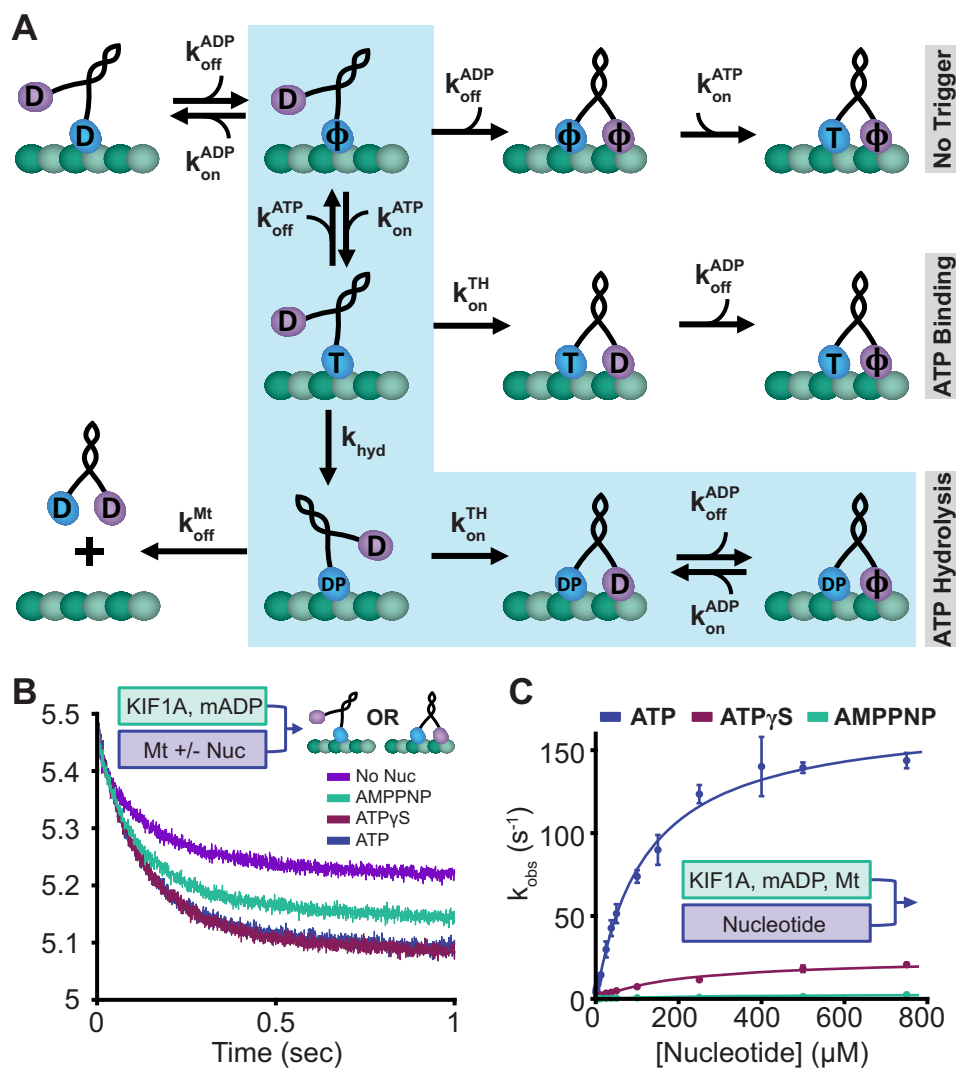


**Figure 2. Bacterially expressed KIF1A dimer is fast and superprocessive.** *A*, diagram of the KIF1A-560-GFP construct used in single-molecule assays. *B*, diagram of the KIF1A-406 construct used in biochemical assays. (Diagrams in *A* and *B* are not to scale). *C*, kymograph of KIF1A-560-GFP motility in 2 mM ATP at 10 fps. *D*, histogram of velocities determined from measuring the total trace (including pauses) and the linear regions of traces (excluding pauses). Mean velocities were  $1.56 \pm 0.5 \mu\text{m/s}$  (mean  $\pm$  S.D.,  $n = 534$ ) for total traces and  $1.77 \pm 0.4 \mu\text{m/s}$  (mean  $\pm$  S.D.,  $n = 285$ ) for linear regions. *E*, single-molecule run length of  $3.6 \pm 0.04 \mu\text{m}$  (mean  $\pm$  95% CI,  $n = 534$ ) was determined by cumulative density fit to the run lengths above  $0.4 \mu\text{m}$ . Statistical analysis of the traces terminated by microtubule length gives an estimated total run length of  $5.6 \pm 0.4 \mu\text{m}$  (see “Materials and methods”). 1A, KIF1A; MD, motor domain; NL, neck linker; KHC, kinesin heavy chain; NC, neck coil; C1, coil-1.

kinesin-1, a logical hypothesis is that kinesin-3 follows the same chemomechanical model that has been delineated for kinesin-1. However, this has never been experimentally confirmed (27, 28, 36, 38, 39). Furthermore, it is possible that, rather than resulting from quantitative differences in rate constants between the kinesin families, the faster speed and enhanced processivity of KIF1A results from qualitative differences in the sequence of states that make up the chemomechanical cycle. Of particular interest is the sequence of states that trigger the forward step. Recent experiments demonstrated that, rather than ATP binding alone, it is ATP hydrolysis that triggers the forward step in kinesin-1 (Fig. 1) (36, 38). The first consequence of this sequence is that two events, ATP binding and ATP hydrolysis, are required to trigger the step, which takes time. The second consequence is that the motor resides in a vulnerable post-hydrolysis ADP-P<sub>i</sub> state until the step is completed, which limits processivity. In theory, the fast speed and superprocessivity of KIF1A could be explained if no trigger or if only ATP binding was needed for the tethered head to complete a forward step. Both of these models could speed up the cycle rate by eliminating a waiting state and increase processivity by avoiding the vulnerable ADP-P<sub>i</sub> state. ATP binding as a trigger is plausible based on cryo-EM structures that show the neck linker docked in the presence of AMPPNP (40). A no-trigger model is plausible based on a kinesin-1 with an artificially

extended neck linker (20 residues) that both stepped faster than WT and released both nucleotides upon microtubule binding, indicating that no trigger was required for forward stepping (41). KIF1A has a 17-residue neck linker, and the tethered head has a strong electrostatic attraction to the microtubule (14, 15, 41, 42), raising the possibility that, following trailing head detachment, no trigger is required for the forward step.

In Fig. 3A, we propose three potential events that could trigger the KIF1A forward step: 1) the forward step could occur spontaneously while the bound head is in the apo state; 2) ATP binding to the bound head could trigger the forward step; or 3) ATP hydrolysis by the bound head could trigger the forward step. To test whether the forward step can occur spontaneously, we asked whether, upon binding to the microtubule in the absence of free nucleotide, the motor releases one or both bound ADPs (see “Materials and methods” for details) (43). If no trigger is required for the forward step, then the motor should release both ADPs upon microtubule binding, whereas if a trigger is required for the forward step, then only one ADP will be released. To measure the release of the nucleotide from the motor head domain, we used 2'-(or-3')-O-(*N*-methylanthraniloyl) adenosine 5'-diphosphate (mADP), whose fluorescence is enhanced upon motor binding, allowing mADP dissociation from the motor to be monitored by a decrease in fluorescence. In the control experiment, KIF1A in mADP was

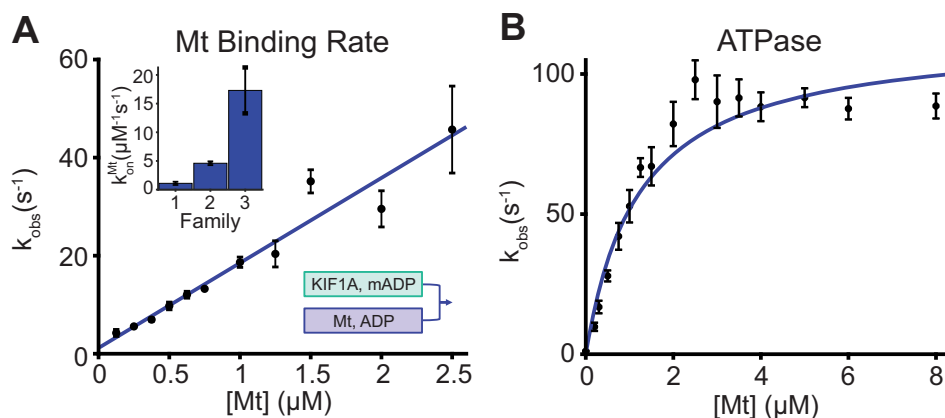


**Figure 3. The forward step of KIF1A is triggered by ATP hydrolysis.** *A*, diagram of three proposed models for the stepping trigger in the KIF1A chemomechanical cycle. In the *No Trigger* model, the tethered head steps independent of the nucleotide state of the bound head. In the *ATP Binding* model, ATP binding to the bound head triggers the forward step by the tethered head. In the *ATP Hydrolysis*-triggered model (highlighted by light blue shading), ATP hydrolysis is required for forward stepping by the tethered head. *D*, ADP; *T*, ATP; *DP*, ADP-P<sub>i</sub>;  $\phi$ , apo. *B*, KIF1A half-site reactivity experiment. 150 nM mADP-labeled KIF1A was flushed against a solution of 1  $\mu$ M microtubules and 1 mM ATP, 1 mM AMPPNP, 1 mM ATP $\gamma$ S, or no nucleotide (all final chamber concentrations). Amplitudes of the traces were 0.2 in no nucleotide, 0.29 in AMPPNP, 0.36 in ATP $\gamma$ S, and 0.36 in ATP. *C*, nucleotide-triggered half-site release assay. 150 nM mADP-exchanged KIF1A and 3  $\mu$ M microtubules were flushed against varying concentrations of the ATP, ATP $\gamma$ S, or AMPPNP (all final chamber concentrations). Fitting with hyperbolae gave maximal rates, relative amplitudes, and  $K_{0.5}$  values of  $172 \pm 10$  s<sup>-1</sup>, 1.0, and  $119 \pm 21$   $\mu$ M for ATP;  $25 \pm 6$  s<sup>-1</sup>, 0.78, and  $215 \pm 110$   $\mu$ M for ATP $\gamma$ S; and  $2.3 \pm 0.6$  s<sup>-1</sup>, 0.37, and  $286 \pm 162$   $\mu$ M for AMPPNP (all fit  $\pm$  95% CI). Error bars, S.E.M.

flushed against microtubules and 1 mM ATP, which triggers stepping and rapid release of both bound mADPs (Fig. 3B, blue trace). The ATP nucleotide analogs ATP $\gamma$ S and AMPPNP triggered mADP release to a similar and slightly lesser degree, respectively. However, in the absence of ATP, the fluorescence decreased by half, indicating that only one nucleotide is released per KIF1A dimer upon microtubule binding (Fig. 3B, purple trace). Thus, a trigger in the form of ATP binding or ATP hydrolysis by the bound head is necessary to catalyze the forward step of KIF1A. This result nullifies the first potential pathway in Fig. 3A.

To further evaluate whether ATP binding alone is sufficient to trigger the forward step or if hydrolysis is necessary, we used a nucleotide-triggered half-site release assay first used by Ma and Taylor (44). In this experiment, motors and microtubules

are combined in the absence of free nucleotide to produce a 1HB ATP waiting state with mADP in the tethered head. Different concentrations of ATP or ATP analogs are then flushed against this complex, and the rate of mADP release from the tethered head is measured. ATP triggered a maximal half-site release rate of  $172 \pm 10$  s<sup>-1</sup> (fit  $\pm$  95% CI) (Fig. 3C, blue trace), which is similar to the motor stepping rate. If only ATP binding is required to trigger the step, then the slowly hydrolyzed ATP analog ATP $\gamma$ S or the nonhydrolyzable ATP analog AMPPNP should also trigger half-site release at a similar rate. Instead, ATP $\gamma$ S triggered half-site release of only  $24.9 \pm 6.4$  s<sup>-1</sup> (fit  $\pm$  95% CI) (Fig. 3C, red trace), and AMPPNP triggered a maximal half-site release rate of only  $2.3 \pm 0.6$  s<sup>-1</sup> (fit  $\pm$  95% CI) (Fig. 3C, green trace). These rates are both significantly slower than either the ATP-triggered half-site release rate or the



**Figure 4. KIF1A ATPase and microtubule on-rate.** A, KIF1A microtubule on-rate, measured by mADP release by the motor upon binding to the microtubule. A linear fit to the observed rates as a function of microtubule concentration gave a bimolecular on-rate,  $k_{\text{on}}^{\text{Mt}} = 17 \pm 4 \mu\text{M}^{-1} \text{s}^{-1}$  (fit  $\pm$  95% CI;  $n = 3$  trials per point with  $n = 5$ –7 shots per trial; error bars, S.E.M.). Inset, comparing microtubule binding rates in BRB80 for kinesin-1, -2, and -3 (34, 45). B, microtubule-stimulated ATPase of KIF1A. A Michaelis–Menten fit weighted by the inverse of S.E.M. of the points ( $n = 6$  trials per point) gave a  $k_{\text{cat}}$  of  $115 \pm 16 \text{s}^{-1}$  and a  $K_m$  of  $1.2 \pm 0.5 \mu\text{M}$  (fit  $\pm$  95% CI).

stepping rate, thus nullifying our second potential pathway in Fig. 3A.

To gain further insight into the chemical events that trigger the KIF1A forward step, we analyzed the nucleotide analogs in greater detail. In a single-molecule assay, KIF1A moved in 1 mM ATP $\gamma$ S at a speed of  $92 \pm 2.5$  nm/s (mean  $\pm$  S.E.; Fig. S2), corresponding to 11.5 steps/s. This stepping rate is within a factor of 2 of the half-site release rate, suggesting that both rates are limited by the hydrolysis rate of ATP $\gamma$ S. If hydrolysis were absolutely required for KIF1A to take a forward step, we would expect the nonhydrolyzable AMPPNP to not trigger a step, which is supported by the very slow ( $\sim 2 \text{s}^{-1}$ ) AMPPNP-triggered half-site release rate in Fig. 3C. Closer inspection of the amplitudes of nucleotide release also support this idea. In Fig. 3B, the amount of mADP released upon microtubule binding in ATP $\gamma$ S matches that of ATP, whereas the amplitude in AMPPNP is smaller, suggesting incomplete binding and mADP release by the tethered head in AMPPNP. Similarly, the amplitude of the AMPPNP-triggered half-site was less than 40% that of ATP, whereas the amplitude for ATP $\gamma$ S was nearly 80% that of ATP (see legend to Fig. 3). To ensure that AMPPNP does in fact bind to KIF1A and mimic ATP, we analyzed the single-molecule motility of KIF1A in a mixture of ATP and AMPPNP (Fig. S1). We observed numerous static binding events that disrupted processive runs, confirming that AMPPNP does act as an ATP analog for KIF1A.

Thus, we conclude that during the normal stepping cycle of KIF1A, ATP hydrolysis is required to trigger the forward step. The step is completed by the forward head releasing ADP to generate a tightly bound state (*shaded pathway* in Fig. 3A). The observation that both ATP binding and hydrolysis are required for the forward step indicates that KIF1A follows a similar hydrolysis cycle to kinesin-1 and -2 (27, 34), and therefore the enhanced motility must result from quantitative differences in transition rates between each state.

#### Transition rates in the KIF1A chemomechanical cycle

Having defined the sequence of the states in the KIF1A chemomechanical cycle, we then measured the kinetic rates of

each of the transitions KIF1A undergoes upon interaction with the microtubule. Preceding the stepping cycle, the motor protein must first land on the microtubule. Therefore, to gain insight into the KIF1A-microtubule affinity, we measured the microtubule on-rate in solution (step 1  $\rightarrow$  2 in Fig. 1). By flushing motors against varying concentrations of microtubules, we monitored mADP release from the motor upon microtubule binding (34). When mADP-bound motors are flushed against low concentrations of microtubules, the microtubule binding step is rate-limiting, enabling determination of the first-order on-rate for microtubule binding. From this assay, we calculated a  $k_{\text{on}}^{\text{Mt}}$  of  $17 \pm 4 \mu\text{M}^{-1} \text{s}^{-1}$  (Fig. 4A, fit  $\pm$  95% CI). Notably, this rate is  $\sim 15$ -fold faster than the corresponding rate for kinesin-1 (45) (Table 2) and is consistent with fast KIF1A single-molecule landing rates observed previously (15). The second question we addressed was whether ATP hydrolysis is tightly coupled to motor stepping; if the motor undergoes futile hydrolysis cycles during stepping, then the Fig. 1 model will have to be modified to explain KIF1A. To measure the ATP hydrolysis cycle rate, we used an enzyme-coupled assay to measure the KIF1A ATPase at varying microtubule concentrations. Fitting with the Michaelis–Menten equation, we measured a  $k_{\text{cat}}$  of  $115 \pm 16 \text{s}^{-1}$  and a  $K_m$  of  $1.2 \pm 0.5 \mu\text{M}$  (Fig. 4B, fit  $\pm$  95% CI) per dimer. This  $k_{\text{cat}}$  is lower than the total stepping rate of  $195 \pm 63 \text{s}^{-1}$ , determined from single-molecule velocity including pauses (Fig. 2D), arguing against the motor undergoing any futile cycles of ATP hydrolysis under no load. The  $k_{\text{cat}}$  calculated here may be underestimated because the active motor concentration determined by microtubule pelleting assay in AMPPNP (see “Materials and methods”) may be an overestimation due to inactive motors that irreversibly bind. Thus, because our transient kinetics investigations are generally studying only one motor step, we choose to use the uninterrupted stepping rate at 25 °C of  $220 \pm 50 \text{s}^{-1}$  (Fig. 2D) as the best estimate of the overall KIF1A chemomechanical cycle rate.

To identify the rate-limiting step in the KIF1A cycle, we designed experiments to measure the rates of the specific transitions within the cycle and compared them with the overall

stepping rate. Possible transitions that could determine the overall KIF1A cycle rate (Fig. 1) include 1) ATP binding ( $k_{\text{on}}^{\text{ATP}}$ ), 2) ATP hydrolysis ( $k_{\text{hyd}}$ ), 3) tethered-head attachment to the next tubulin ( $k_{\text{on}}^{\text{TH}}$ ), 4) ADP release by the tethered head ( $k_{\text{off}}^{\text{ADP}}$ ), and 5) rear-head detachment ( $k_{\text{off}}^{\text{RH}}$ ).

#### **ATP binding and ADP release are not rate-limiting**

The first portion of the stepping cycle that can be excluded as a possible rate-limiting step is the ATP on-rate (state 3  $\rightarrow$  4 in Fig. 1). This can be shown by the observation that in the ATP-triggered half-site release experiment in Fig. 3C, the maximal rate was  $172 \text{ s}^{-1}$ , and the half-maximal rate was achieved at an ATP concentration of  $119 \mu\text{M}$ . Thus, at  $1 \text{ mM}$  ATP, the curve has reached a plateau, indicating that ATP binding is not rate-limiting. Going further, the half-maximum ( $K_{0.5}$ ) can be used to estimate a lower limit for ATP binding, as follows. If ATP binding were irreversible and the reaction is treated as a sequence of ATP binding followed by the remainder of steps, then it follows that at the ATP concentration that produces half-maximal release, half of the time is taken by ATP binding. At saturating ATP (where ATP binding is very fast), the release rate is  $172 \text{ s}^{-1}$ , meaning that at the  $K_{0.5}$  of  $119 \mu\text{M}$  ATP, the binding rate of ATP is  $172 \text{ s}^{-1}$  (followed by the remainder of the steps at  $172 \text{ s}^{-1}$ ). This  $K_{0.5}$  corresponds to a second-order on-rate for ATP binding of  $172 \text{ s}^{-1}/119 \mu\text{M} = 1.4 \mu\text{M}^{-1} \text{ s}^{-1}$ , which at  $1 \text{ mM}$  ATP corresponds to a rate of  $1400 \text{ s}^{-1}$ , much faster than the  $220 \text{ s}^{-1}$  stepping rate. Also, if ATP binding is reversible, which is likely the case, then the on-rate would need to be even faster. We therefore conclude that at physiological ATP concentrations, ATP binding is far from rate-limiting in the KIF1A hydrolysis cycle.

The second step we were able to rule out as rate-limiting is ADP release (state 6  $\rightarrow$  7 in Fig. 1). To do this, we measured the rate of mADP exchange when the motor is bound to the microtubule in the one-head-bound state. As shown in the half-site release experiment (Fig. 3C), incubating KIF1A with microtubules in the absence of added nucleotide results in release of one ADP and formation of a 1HB complex. By flushing this complex against different concentrations of mADP, we measured an unstrained ADP on-rate of  $29 \pm 15 \mu\text{M}^{-1} \text{ s}^{-1}$  and unstrained ADP off-rate of  $354 \pm 78 \text{ s}^{-1}$  (fit  $\pm 95\%$  CI; Fig. 5, A and B). This unstrained ADP off-rate is likely less relevant to the normal stepping cycle than the strained rate when in the 2HB state; however, the strained rate is too fast to accurately measure. Importantly, the unstrained ADP off-rate, despite being an underestimation of the true rate, is faster than the  $220 \text{ s}^{-1}$  overall stepping rate. Finally, to rule out the possibility that mADP off-rates are not representative of unlabeled ADP, we measured ADP off-rates from KIF1A in the absence of microtubules. From these assays (see “Materials and methods” for details), the unlabeled ADP off-rate of  $0.26 \pm 0.005 \text{ s}^{-1}$  (fit  $\pm 95\%$  CI; Fig. 5C) was in good agreement with the mADP off-rate of  $0.27 \pm 0.001 \text{ s}^{-1}$  (fit  $\pm 95\%$  CI; Fig. 5D). Notably, these solution off-rates were roughly 20-fold faster than the corresponding ADP off-rate for kinesin-1, which is  $\sim 0.01 \text{ s}^{-1}$  (46). Although this off-rate in solution does not play a part in the normal ATP-stimulated chemomechanical

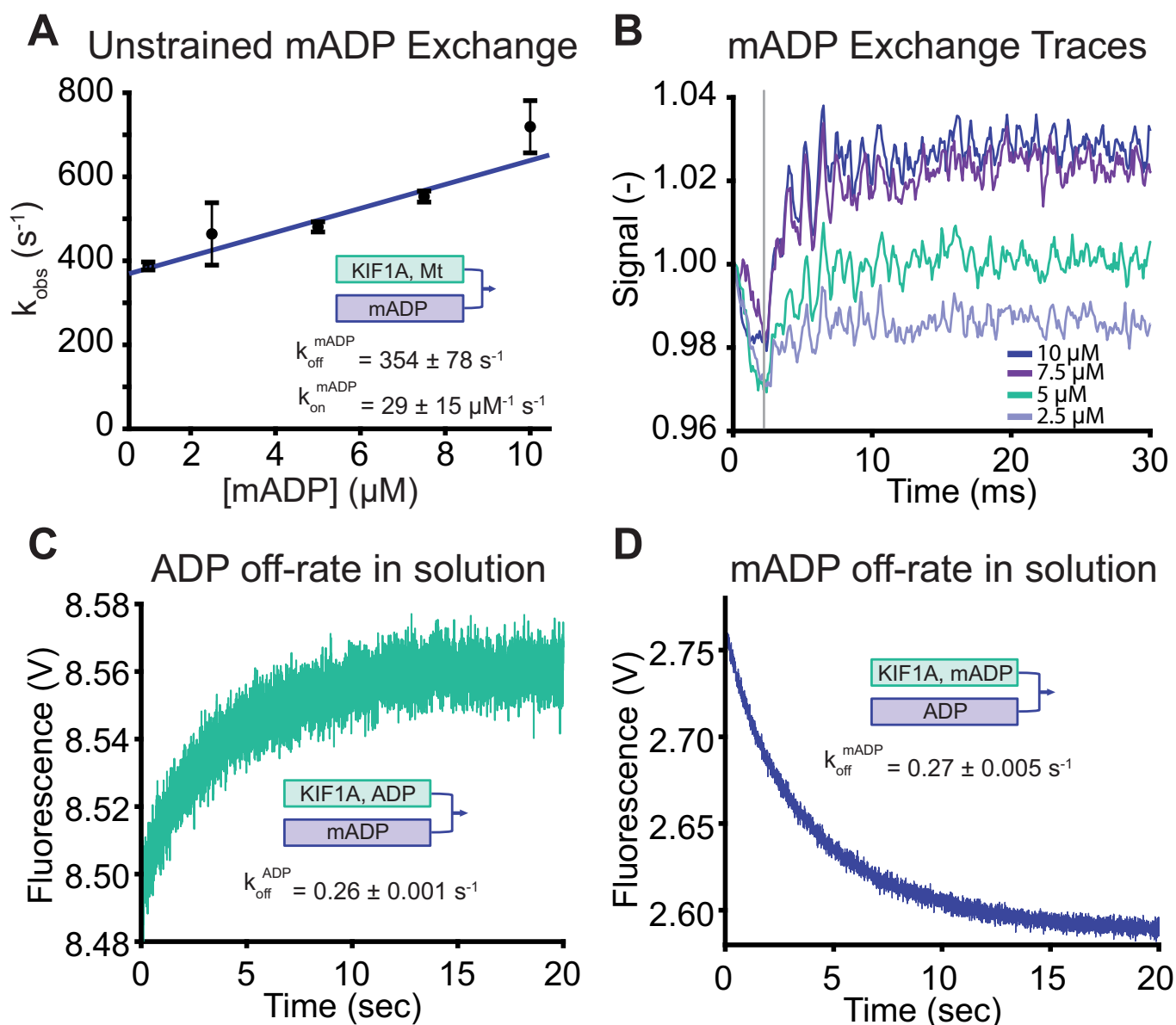
cycle on the microtubule, it is indicative of differences in the nucleotide binding affinity that may relate to the fast KIF1A stepping speed. In summary, the  $\sim 350 \text{ s}^{-1}$  unstrained mADP off-rate and the similarity in solution off-rates for ADP and mADP argue strongly that ADP release is not the rate-limiting step in the overall stepping cycle of KIF1A.

#### **Rear-head detachment is fast**

In the kinesin-1 and kinesin-2 chemomechanical cycles, rear-head detachment is at least partially rate-limiting (27, 34, 45). This rate (state 7  $\rightarrow$  3 in Fig. 1) can be calculated from the difference between the duration (inverse of the rate constant) observed in the ATP-triggered half-site release assay (states 3–7 in Fig. 1) and the total step duration (inverse of the stepping rate). Based on previous work, kinesin-1 has a step duration of  $15.4 \text{ ms}$  and spends  $6.5 \text{ ms}$  transitioning from the 2HB to 1HB state during rear-head detachment (Table 2) (27). Similarly, rear-head detachment in kinesin-2 ( $11.2 \text{ ms}$ ) makes up half of the total cycle time ( $22.4 \text{ ms}$ ) (Table 2) (34). To determine whether kinesin-3 follows this same trend, we compared the ATP-triggered half-site release rate (Fig. 3C) with the stepping rate. The pause-free stepping rate of  $220 \text{ s}^{-1}$  (Fig. 2D) converts to a step duration of  $4.5 \pm 1.0 \text{ ms}$ . The maximal ATP-triggered half-site release rate of  $172 \text{ s}^{-1}$  (Fig. 3C) corresponds to a duration of  $5.8 \pm 0.4 \text{ ms}$ . The similarity of these durations means that  $k_{\text{off}}^{\text{RH}}$  is faster than we can measure and that the rear-head detachment rate is not the rate-limiting step in the KIF1A hydrolysis cycle. Thus, the motor spends only a small fraction of its hydrolysis cycle in a 2HB state.

#### **Tethered-head attachment is rate-limiting**

Because we have excluded  $k_{\text{off}}^{\text{RH}}$ ,  $k_{\text{on}}^{\text{ATP}}$ , and  $k_{\text{off}}^{\text{ADP}}$  as potential rate-limiting steps of the cycle, we are left with the rate-limiting step being either ATP hydrolysis ( $k_{\text{hyd}}$ ) or tethered-head attachment ( $k_{\text{on}}^{\text{TH}}$ ). Measuring  $k_{\text{hyd}}$  generally requires quenched flow approaches, which are technically challenging for such a fast motor. However, because processivity can be considered as a kinetic race between detachment of the bound head and attachment of the tethered head (state 5 in Fig. 1), we can use single-molecule motility measurements to estimate  $k_{\text{on}}^{\text{TH}}$ . To quantify the rate of KIF1A detachment from the post-hydrolysis state, we used the ADP state as a proxy for this weakly bound state and measured single-molecule binding durations in varying ADP concentrations (Fig. 6, A and B). Microtubule off-rates at each [ADP] were obtained by fitting to the exponential dwell time distributions (Fig. 6C). A hyperbolic fit (see “Materials and methods”) revealed a maximum off-rate of  $0.27 \pm 0.11 \text{ s}^{-1}$  in ADP, an off-rate in the apo state of  $0.09 \pm 0.002 \text{ s}^{-1}$ , and a  $K_{0.5}$ , representing the  $K_D$  of KIF1A for ADP when bound to the microtubule, of  $93 \pm 204 \mu\text{M}$  (Fig. 6D, fit  $\pm 95\%$  CI). This KIF1A off-rate in ADP is  $\sim 5$ -fold slower than for kinesin-1 and almost 7-fold slower than for kinesin-2 (Fig. 6D) (27, 28, 34, 45). Importantly, this KIF1A off-rate in ADP is very similar to the off-rate of the motor during a processive run, which we calculated as  $0.28 \pm 0.09 \text{ s}^{-1}$  (Fig. 2D). If the detachment rate during stepping is considered simply as the off-rate in the weakly



**Figure 5. KIF1A has a high ADP off-rate.** *A*, exchange rate of mADP in the bound head of KIF1A when the motor is in the 1HB state.  $0.5 \mu\text{M}$  mADP-exchanged KIF1A dimers,  $2.5 \mu\text{M}$  microtubules, and  $0.25 \mu\text{M}$  mADP were combined and flushed against varied [mADP] (all final chamber concentrations). Linear fit using  $k_{\text{obs}} = k_{\text{on}}^{\text{mADP}} \times [\text{mADP}] + k_{\text{off}}^{\text{mADP}}$  gives  $k_{\text{on}}^{\text{mADP}} = 29 \pm 15 \mu\text{M}^{-1} \text{s}^{-1}$  and  $k_{\text{off}}^{\text{mADP}} = 354 \pm 78 \text{s}^{-1}$  ( $n = 3$  trials/point, fit  $\pm 95\%$  CI; error bars, S.E.M.). *B*, raw traces of stopped-flow results at final [mADP] of 2.5, 5, 7.5, and  $10 \mu\text{M}$ ,  $n = 6$  traces averaged. A gray line at 2 ms indicates start of fit. Data are normalized to 1 at time 0. *C*, time course of ADP dissociation from KIF1A in the absence of microtubules, triggered by flushing  $0.15 \mu\text{M}$  motors in  $0.25 \mu\text{M}$  unlabeled ADP against  $5 \mu\text{M}$  mADP (all final chamber concentrations). An exponential fit, which is governed by the off-rate of unlabeled ADP, gives  $0.26 \pm 0.001 \text{s}^{-1}$  (fit  $\pm 95\%$  CI,  $n = 5-7$  traces averaged). *D*, time course of mADP dissociation from KIF1A in the absence of microtubules, triggered by flushing  $0.15 \mu\text{M}$  motors and  $0.25 \mu\text{M}$  mADP against  $1 \text{mM}$  unlabeled ADP (all final chamber concentrations). Exponential fit gives  $0.27 \pm 0.005 \text{s}^{-1}$  (fit  $\pm 95\%$  CI,  $n = 5-7$  traces averaged).

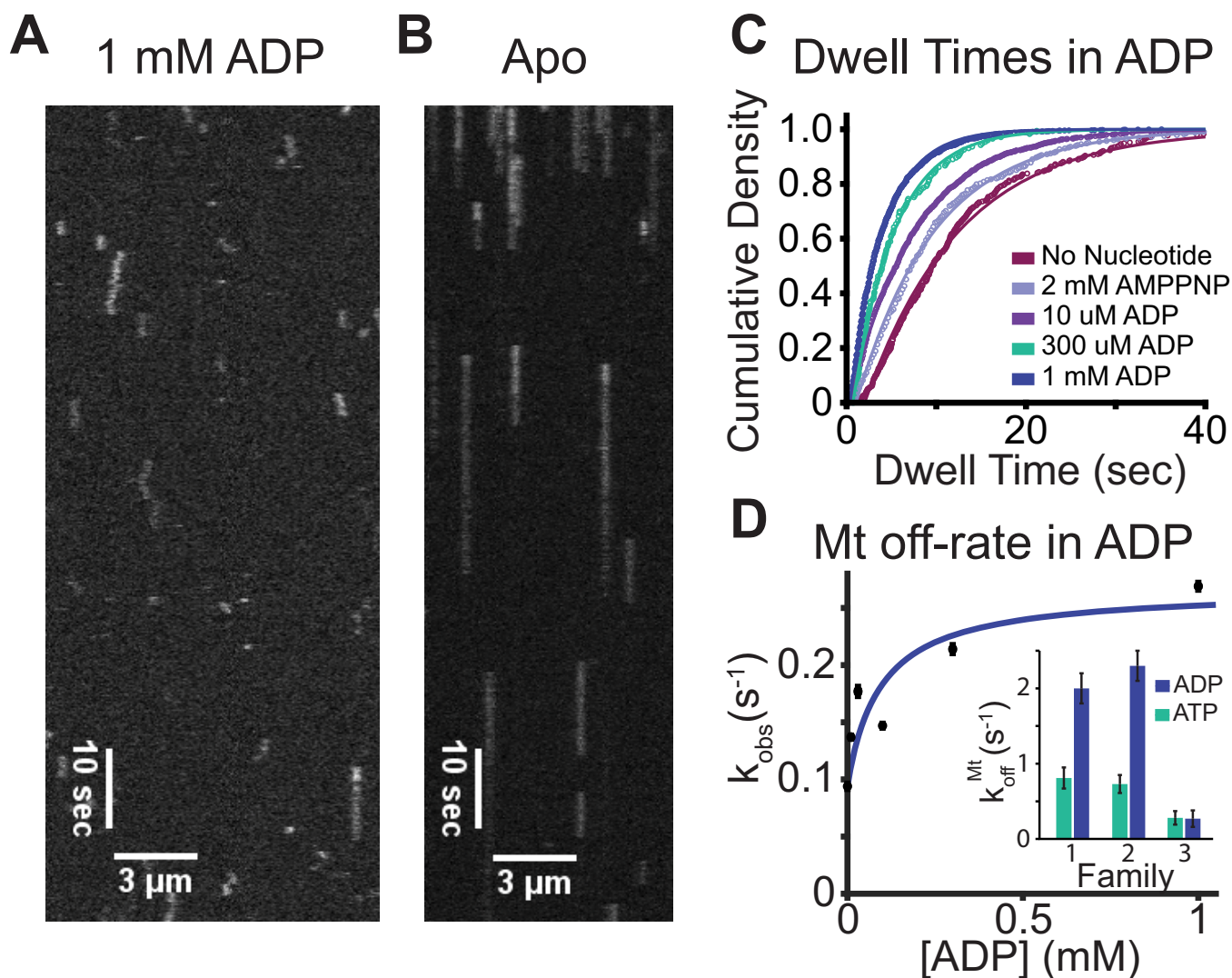
bound state multiplied by the fraction of time in the weakly bound state, then it follows that the motor must spend the majority of its cycle in the weakly bound post-hydrolysis state. This implies that tethered-head attachment is rate-limiting, rather than hydrolysis.

We can use a second approach to estimate the tethered-head attachment rate, by comparing the motor dissociation rate in ADP with the probability the motor will detach per step it takes along the microtubule in ATP. Following ATP hydrolysis (state 5 in Fig. 1), we consider processivity as a race between the tethered head completing the forward step with a rate  $k_{\text{on}}^{\text{TH}}$  and the

bound head dissociating from the microtubule at a rate  $k_{\text{detach}}^{\text{ADP}}$  (28). The probability of the motor detaching per step is as follows,

$$p_{\text{detach}} = \frac{k_{\text{detach}}^{\text{ADP}}}{k_{\text{on}}^{\text{TH}} + k_{\text{detach}}^{\text{ADP}}} \approx \frac{k_{\text{detach}}^{\text{ADP}}}{k_{\text{on}}^{\text{TH}}} \quad (\text{Eq. 1})$$

where, for a highly processive motor,  $k_{\text{on}}^{\text{TH}} \gg k_{\text{detach}}^{\text{ADP}}$ . By calculating the probability of detaching per step from our measured run length, and using the measured detachment rate in ADP, we can rearrange Equation 1 to solve for  $k_{\text{on}}^{\text{TH}}$ , as follows.



**Figure 6. Microtubule affinity of KIF1A at varying ADP concentrations by single-molecule assay.** A, kymograph for KIF1A-560-GFP in 1 mM ADP at 5 fps. B, kymograph for KIF1A-560-GFP in the absence of nucleotide (apo) at 5 fps. C, cumulative density fit to dwell time distributions in 0, 0.01, 0.3, and 1 mM ADP and 2 mM AMPPNP gave mean dwell times of  $10.6 \pm 0.2$ ,  $7.3 \pm 0.02$ ,  $4.7 \pm 0.06$ ,  $3.7 \pm 0.03$ , and  $8.9 \pm 0.1$  s, respectively. The inverse of these durations gives microtubule off-rates of  $0.09 \pm 0.002$ ,  $0.14 \pm 0.0002$ ,  $0.21 \pm 0.003$ ,  $0.27 \pm 0.002$ , and  $0.11 \pm 0.002$  s<sup>-1</sup>, respectively. Values are presented as fit  $\pm$  95% confidence intervals. D, microtubule off-rate of KIF1A versus the ADP concentration. Fit with Equation 1 (see “Materials and methods”) gives a maximum off-rate of  $0.27 \pm 0.11$  s<sup>-1</sup> in saturating ADP, an apo state off-rate of  $0.09 \pm 0.2$  s<sup>-1</sup>, and a  $K_{0.5}$  of  $93 \pm 204$   $\mu$ M (all fit  $\pm$  95% CI). Inset, comparing  $k_{\text{off}}^{\text{Mt}}$  in ATP (green bars) and ADP (blue bars) in BRB80 for kinesin-1, -2, and -3 (28). Error bars, S.E.M.

KIF1A has an estimated run length of  $5.6 \pm 0.4$   $\mu$ m (Fig. 2E), meaning it takes  $\sim$ 700 steps before dissociating; thus, the probability of detaching per step,  $p_{\text{detach}} = 1/700$ . The measured KIF1A off-rate in ADP was  $0.27 \pm 0.11$  s<sup>-1</sup> (Fig. 6D). Solving for  $k_{\text{on}}^{\text{TH}} = \frac{k_{\text{attach}}^{\text{ADP}}}{p_{\text{detach}}}$  yields a tethered-head attachment rate of  $189 \pm 78$  s<sup>-1</sup>. This rate corresponds to a duration in the 1HB state following ATP hydrolysis of  $5.3 \pm 2.2$  ms, which is comparable with the total cycle duration of  $4.5 \pm 1.0$  ms (Fig. 2D). To summarize, comparison of the KIF1A off-rate in the weak-binding state ( $0.27 \pm 0.11$  s<sup>-1</sup>; Fig. 6D) with either the motor off-rate in ATP ( $0.28 \pm 0.09$  s<sup>-1</sup>; Fig. 2) or the probability of detaching per step (1/700; Fig. 2E) yields a consistent conclusion that tethered-head attachment is the rate-limiting step in the KIF1A chemomechanical cycle and that KIF1A spends the bulk of its cycle in a weak-binding 1HB state.

## Discussion

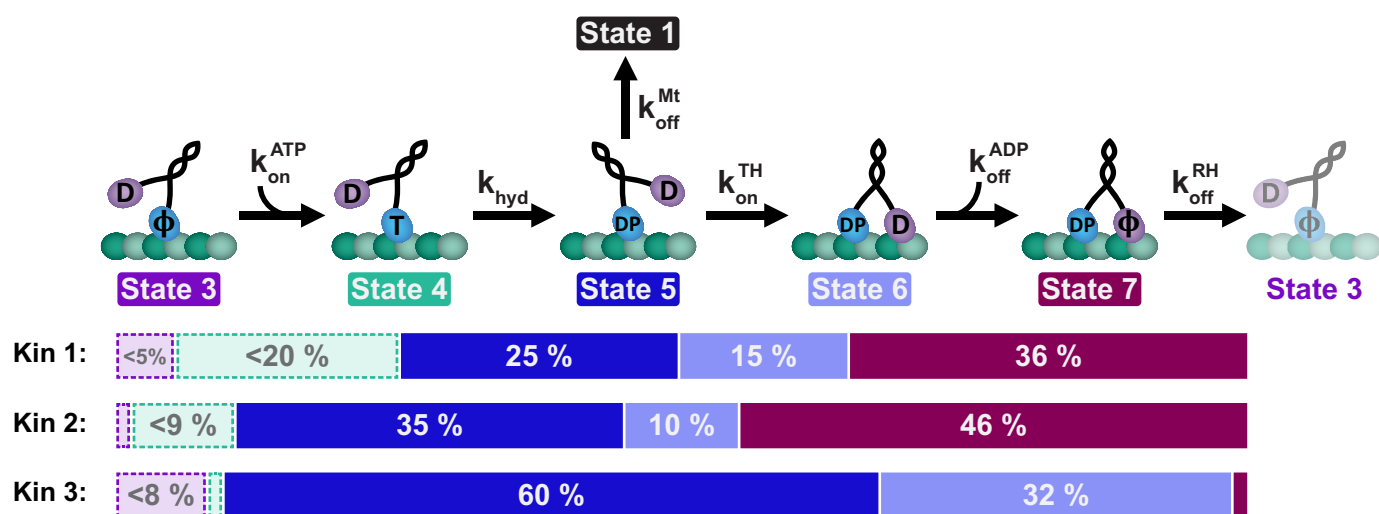
In this work, we find that the KIF1A chemomechanical cycle follows the same sequence of states as established for kinesin-1 and kinesin-2 (27, 34, 38) and that the motor’s fast stepping rate and superprocessivity result from differences in specific transition rates in the chemomechanical cycle. Compared with transport motors in the kinesin-1 and -2 families, the KIF1A chemomechanical cycle is distinctive in having 1) an order of magnitude faster rear-head detachment rate; 2) a rate-limiting tethered-head attachment rate; and 3) relatively slow dissociation from the low affinity, post-hydrolysis state. The measured KIF1A rate constants are summarized in Table 1. A comparison between the chemomechanical cycles of KIF1A and kinesin-1 and -2 is presented in Fig. 7 and summarized in Table 2 and Table S1. Below, we account for the



**Table 1**  
 Rates and state durations of the KIF1A chemomechanical cycle

| Parameter                    | Notation                       | Experimental                                       | Duration                       | Source               |
|------------------------------|--------------------------------|--|--------------------------------|----------------------|
| Velocity (with pauses)       | $Vel_a$                        | $1.56 \pm 0.5 \mu\text{m/s}$                       |                                | Fig. 2D              |
| Velocity (without pauses)    | $Vel_b$                        | $1.77 \pm 0.4 \mu\text{m/s}$                       |                                | Fig. 2D              |
| Run length (measured)        | $RL_a$                         | $3.6 \pm 0.04 \mu\text{m}$                         |                                | Fig. 2E              |
| Run length (corrected)       | $RL_b$                         | $5.6 \pm 0.4 \mu\text{m}$                          |                                | Equation 12          |
| Step number                  | Steps                          | $700 \pm 50$ steps                                 |                                | $RL_b/8 \text{ nm}$  |
| Stepping rate                | $k_{\text{step}}$              | $220 \pm 50 \text{ s}^{-1}$                        | $4.5 \pm 1.0 \text{ ms}$       | $Vel_b/8 \text{ nm}$ |
| Mt off-rate in ATP           | $k_{\text{off}}^{\text{Mt}}$   | $0.28 \pm 0.09 \text{ s}^{-1}$                     | $3.6 \pm 1.2 \text{ s}$        | $Vel_a/RL_b$         |
| Mt off-rate in ADP           | $k_{\text{off}}^{\text{Mt}}$   | $0.27 \pm 0.11 \text{ s}^{-1}$                     | $3.72 \pm 0.03 \text{ s}$      | Fig. 6D              |
| Half-site release rate       | $k_{\text{max}}^{\text{HS}}$   | $172 \pm 10 \text{ s}^{-1}$                        | $5.8 \pm 0.4 \text{ ms}$       | Fig. 3C              |
| ATP for half-maximum release | $K_{0.5}^{\text{HS}}$          | $119 \pm 21 \mu\text{M ATP}$                       |                                | Fig. 3C              |
| ATP on-rate (lower limit)    | $k_{\text{on}}^{\text{ATP}}$   | $\geq 1.4 \pm 0.3 \mu\text{M}^{-1} \text{ s}^{-1}$ | $\leq 0.7 \pm 0.15 \text{ ms}$ | Fig. 3C              |
| Mt on-rate                   | $k_{\text{on}}^{\text{Mt}}$    | $17 \pm 4 \mu\text{M}^{-1} \text{ s}^{-1}$         |                                | Fig. 4A              |
| ATPase cycle rate            | $k_{\text{cat}}$               | $115 \pm 16 \text{ s}^{-1}$                        | $8.7 \pm 1.2 \text{ ms}$       | Fig. 4B              |
| $K_m$                        | $K_m$                          | $1.2 \pm 0.5 \mu\text{M Mt}$                       |                                | Fig. 4B              |
| Unstrained mADP off-rate     | $k_{\text{off}}^{\text{mADP}}$ | $354 \pm 78 \text{ s}^{-1}$                        | $2.8 \pm 0.6 \text{ ms}$       | Fig. 5A              |
| Unstrained mADP on-rate      | $k_{\text{on}}^{\text{mADP}}$  | $29 \pm 15 \mu\text{M}^{-1} \text{ s}^{-1}$        |                                | Fig. 5A              |
| Solution ADP off-rate        | $k_{\text{off}}^{\text{ADP}}$  | $0.26 \pm 0.001 \text{ s}^{-1}$                    | $3.8 \pm 0.02 \text{ s}$       | Fig. 5C              |
| Solution mADP off-rate       | $k_{\text{off}}^{\text{mADP}}$ | $0.27 \pm 0.005 \text{ s}^{-1}$                    | $3.7 \pm 0.07 \text{ s}$       | Fig. 5D              |
| Tethered-head on-rate        | $k_{\text{on}}^{\text{TH}}$    | $189 \pm 78 \text{ s}^{-1}$                        | $5.3 \pm 2 \text{ ms}$         | Equation 1           |
| Hydrolysis rate              | $k_{\text{hyd}}$               | Fast <sup>a</sup>                                  | Fast                           | Equation 3           |
| Rear-head detachment rate    | $k_{\text{off}}^{\text{RH}}$   | Fast   | Fast                           | Equation 4           |

<sup>a</sup> Fast refers to rates that are above our detection limit.



**Figure 7. Comparison of stepping cycles for kinesin-1, -2, and -3.** The percentage of time spent in each chemomechanical state is compared for kinesin-1 (KHC) (27, 28, 45), kinesin-2 (KIF3A) (28, 34), and kinesin-3 (KIF1A). The state numbers correspond to those in Fig. 1. Dashed boxes represent uncertainty of the duration due to experimental limitations of the ATP on-rate and ATP hydrolysis rate determinations. Small boxes without labels represent a state duration estimated at <1% of the cycle time. The total cycle duration used for determining the percentages presented here is the sum of the state durations rather than the experimentally determined cycle duration. See Table 2 and Table S1 for precise values. D, ADP; T, ATP; DP, ADP-P<sub>i</sub>;  $\phi$ , apo.

specific motor characteristics of KIF1A in terms of our measured kinetic rates and affinities.

### Origin of fast velocity

The KIF1A property that most contributes to its faster stepping rate is the rapid rear-head detachment rate. Nucleotide-triggered half-site release assays provide a convenient estimation of this transition rate because the measurement includes

every transition in the chemomechanical cycle except rear-head detachment. Comparison with the overall stepping rate, which includes all transitions in the cycle, thus yields the rear-head detachment rate. For KIF1A, the ATP-triggered half-site release rate agrees with the stepping rate to within experimental error (Figs. 3C and 2D, respectively), indicating that rear-head detachment is faster than we are able to measure. As a comparison, a recent kinesin-1 study measured a stepping rate

**Table 2**

**Comparing kinetic parameters for the kinesin families 1, 2, and 3**

Calculations and errors are propagated from reported values in reference papers (shown in parentheses). All values presented in the 'Kinesin-3 experimental value' column where determined in this study. ND, not determined.

| Parameter                           | Kinesin-1                                      |            | Kinesin-2                                    |            | Kinesin-3                                      |
|-------------------------------------|--|------------|--|------------|--|
|                                     | Experimental value                             | References | Experimental value                           | References | Experimental value                             |
| $k_{\text{on}}^{\text{Mt}}$         | $1.1 \pm 0.05 \mu\text{M}^{-1} \text{s}^{-1}$  | 45         | $4.6 \pm 0.9 \mu\text{M}^{-1} \text{s}^{-1}$ | 34         | $17 \pm 4 \mu\text{M}^{-1} \text{s}^{-1}$      |
| $k_{\text{on}}^{\text{ATP}}$        | $> 1.2 \pm 0.3 \mu\text{M}^{-1} \text{s}^{-1}$ | 27         | $18.0 \mu\text{M}^{-1} \text{s}^{-1}$        | 34         | $> 1.4 \pm 0.3 \mu\text{M}^{-1} \text{s}^{-1}$ |
| $k_{\text{hyd}}$                    | $281 \pm 215 \text{s}^{-1}$                    | 28         | $478 \pm 489 \text{s}^{-1}$                  | 34         | ND   |
| $k_{\text{on}}^{\text{TH}}$         | $216 \pm 22 \text{s}^{-1}$                     | 28         | $117 \pm 14 \text{s}^{-1}$                   | 34         | $189 \pm 78 \text{s}^{-1}$                     |
| $k_{\text{off}}^{\text{ADP}}$       | $367 \pm 4 \text{s}^{-1}$                      | 27         | $390^a \text{s}^{-1}$                        | 34         | $354 \pm 78 \text{s}^{-1}$                     |
| $k_{\text{off}}^{\text{RH}}$        | $154 \pm 17 \text{s}^{-1}$                     | 27         | $89 \pm 25 \text{s}^{-1}$                    | 34         | ND   |
| $k_{\text{cat}}$                    | $67 \pm 11 \text{s}^{-1}$                      | 28         | $42 \pm 4 \text{s}^{-1}$                     | 34         | $115 \pm 16 \text{s}^{-1}$                     |
| $k_{\text{max}}^{\text{HS}}$        | $112 \pm 9 \text{s}^{-1}$                      | 27         | $\geq 47^a \text{s}^{-1}$                    | 34         | $172 \pm 10 \text{s}^{-1}$                     |
| Vel                                 | $533 \pm 3 \text{ nm/s}$                       | 27         | $400 \pm 40 \text{ nm/s}$                    | 28         | $1770 \pm 400 \text{ nm/s}$                    |
| RL                                  | $860 \pm 20 \text{ nm}$                        | 28         | $550 \pm 70 \text{ nm}$                      | 28         | $5600 \pm 400 \text{ nm}$                      |
| $k_{\text{off}}^{\text{Mt}}$ in ATP | $0.81 \pm 0.14 \text{s}^{-1}$                  | 28         | $0.73 \pm 0.12 \text{s}^{-1}$                | 28         | $0.28 \pm 0.09 \text{s}^{-1}$                  |
| $k_{\text{off}}^{\text{Mt}}$ in ADP | $2.0 \pm 0.2 \text{s}^{-1}$                    | 28         | $2.3 \pm 0.2 \text{s}^{-1}$                  | 28         | $0.27 \pm 0.11 \text{s}^{-1}$                  |
| No. of steps                        | $108 \pm 3 \text{ steps}$                      | 28         | $69 \pm 9 \text{ steps}$                     | 28         | $700 \pm 50 \text{ steps}$                     |
| $k_{\text{step}}$                   | $65 \pm 0.4 \text{s}^{-1}$                     | 27         | $50 \pm 5 \text{s}^{-1}$                     | 28         | $220 \pm 50 \text{s}^{-1}$                     |

<sup>a</sup> Some kinesin-2 values are approximate due to the motor's higher affinity for mADP than unlabeled ADP; therefore, no error is reported.

of  $65 \text{ s}^{-1}$  (15.4 ms) and an ATP-triggered half-site release rate of  $112 \text{ s}^{-1}$  (8.9 ms). This yields a calculated rear-head detachment rate for kinesin-1 of  $155 \text{ s}^{-1}$  (6.5 ms), which approaches half of the overall cycle time (Fig. 7, Table 2, and Table S1) (27, 28). Similarly, in the slow-moving kinesin-5, rear-head detachment is the rate-limiting state, ensuring that the motor spends the bulk of its cycle in a two-heads-bound state (47).

The ability to quickly detach the rear head from the microtubule appears to be in conflict with the slow microtubule off-rate of KIF1A in the ADP state, but upon closer inspection, these rates can be reconciled. It has been clearly established that this relatively high microtubule affinity of KIF1A in the ADP state results from electrostatic interaction between the positively charged loop 12 and the negatively charged C-terminal tail of tubulin (18, 24). Additionally, the diffusive behavior of KIF1A along microtubules in ADP indicates that electrostatic interactions with any given tubulin are fleeting and that the motor remains bound to the microtubule by renewing electrostatic interactions with different tubulin subunits along the lattice (15, 24). Thus, the measured off-rate of  $0.27 \text{ s}^{-1}$  (Fig. 6D) in ADP does not represent the off-rate from individual tubulin but rather from the entire microtubule. Second, the rear-head detachment rate is thought to be accelerated by interhead tension when the motor is in the two-heads-bound state (48, 49), which contrasts with the unloaded off-rate in ADP. Of note, we found that the microtubule off-rates in the strong-binding apo state and AMPPNP state are more than an order of magnitude faster in KIF1A than in kinesin-1 (Fig. 6C) (50). Thus, one possible interpretation is that in weak-binding states KIF1A is stabilized by more electrostatic interactions with the microtubule than is kinesin-1, but kinesin-1 forms greater stabilizing interactions with the microtubule in strong-binding states. Previous cryo-EM and molecular dynamics studies have noted differences between the microtubule-binding interfaces of kinesin-3 and kinesin-1 (51, 52), but they are unable to clearly account for this lower affinity in the apo state.

The faster stepping rate of KIF1A results from not only a faster rear-head detachment rate, but also a faster tethered-head binding rate compared with kinesin-1 and -2 (Fig. 7, Table 2, and Table S1) (28, 34). This faster tethered-head binding rate is qualitatively consistent with the fast microtubule on-rate of KIF1A, measured by stopped flow here and from landing rates in previous single-molecule investigations (15). However, despite KIF1A having a 15-fold faster microtubule binding rate from solution than kinesin-1, its tethered-head attachment rate is <2-fold faster than kinesin-1. Thus, the electrostatic interactions that are thought to determine the fast  $k_{\text{on}}^{\text{Mt}}$  are likely not the dominant factor in tethered-head binding during motor stepping. One potential explanation for this kinetic discrepancy is that the tethered-head attachment rate is determined not by the association kinetics between the tethered head and the microtubule, but rather by the kinetics of neck linker docking. A recent study found that, compared with kinesin-1, neck linker docking in KIF1A is stabilized by fewer hydrogen bonds between the neck linker, cover strand, and catalytic core (53), which could manifest as a slower rate of neck linker docking in KIF1A.

The effect of the nucleotide analogs ATP $\gamma$ S and AMPPNP on KIF1A stepping provides another hint of neck linker docking differences between KIF1A and kinesin-1 and -2. In kinesin-1, both analogs trigger half-site release at roughly one-third the rate of ATP, despite the fact that kinesin-1 does not step in AMPPNP and only steps very slowly ( $\sim 1 \text{ s}^{-1}$ ) in ATP $\gamma$ S (27, 37, 44). This is consistent with ATP binding alone inducing at least partial neck linker docking in kinesin-1 and -2 and the tethered head being able to access (possibly lateral or trailing) tubulin to trigger nucleotide release (44). In contrast, the ATP $\gamma$ S-triggered half-site release rate in KIF1A was within 2-fold of the stepping rate in this analog (Fig. 3C and Fig. S2), suggesting that in ATP $\gamma$ S, hydrolysis is rate-limiting and required for neck linker docking and tethered-head attachment in KIF1A. The very slow AMPPNP-triggered half-site release rate

(Fig. 3C) and the smaller mADP release amplitudes for AMPPNP in this and the microtubule-triggered release experiment (Fig. 3B) are also consistent with AMPPNP only poorly or not at all triggering a forward step in KIF1A. These AMPPNP results appear to contradict cryo-EM data showing the neck linker of KIF1A docked in the presence of AMPPNP (40). However, those structures were monomeric KIF1A, and it is possible that removing the second head relieves important steric constraints and the potential for interhead tension, and thus the structures do not accurately represent the mechanochemical cycle of the intact KIF1A dimer.

Our conclusion that tethered-head attachment is rate-limiting for KIF1A is supported by two lines of evidence: 1) the motor off-rate in ADP is quite slow and agrees with the motor off-rate during processive stepping, meaning that the motor must spend the majority of its cycle in this low affinity state; and 2) modeling processivity as a kinetic race yields a tethered-head on-rate similar to the overall stepping rate. Both of these analyses lead to the conclusion that KIF1A dwells in the one-head-bound post-hydrolysis state for the majority of its stepping cycle, with the following caveats. The first caveat is that we are using the motor off-rate in ADP as a model of the post-hydrolysis state. Whether the head dissociates in the ADP-P<sub>i</sub> state and rapidly releases P<sub>i</sub>, or whether P<sub>i</sub> release precedes dissociation is not known. There is evidence from kinesin-1 that the ADP-P<sub>i</sub> state is higher-affinity than the ADP state (36). If this is the case for KIF1A, this would present a quandary because the tethered-head on-rate would need to be slower than the overall stepping rate to explain the processivity of KIF1A. It has been suggested based on crystal structures in solution that the ADP-P<sub>i</sub> state of KIF1A may have a lower microtubule affinity than the ADP state (26). However, the relevance of these structures to microtubule-docked structures is questionable, and there are no supporting functional data to back up this claim. A second caveat is that, if tethered-head attachment is rate-limiting, then it implies a very fast ATP hydrolysis rate. Hydrolysis rates for other kinesins have been indirectly estimated to be a few hundred per second (Fig. 7, Table 2, and Table S1) (28, 34), but the rate of hydrolysis is very difficult to measure quantitatively and is arguably the most poorly defined rate constant in the kinesin chemomechanical cycle. Nonetheless, a hydrolysis rate over 1000 s<sup>-1</sup> seems unlikely, and because the KIF1A stepping cycle is so fast, rates below this imply that the time for hydrolysis is a nonnegligible fraction of the cycle. In summary, our data support tethered-head attachment as the sole rate-limiting step, but there are caveats, and a more precise estimate of this rate constant will require high-resolution head-tracking experiments as have been carried out for kinesin-1 (27, 54).

### Origin of superprocessivity and load sensitivity

The finding that rear-head detachment is fast and tethered-head attachment is rate-limiting means that KIF1A spends most of its cycle in a one-head-bound state, a property that would generally be expected to reduce processivity. The key characteristic of KIF1A that determines its superprocessivity is its slow off-rate in the post-hydrolysis state (state 5 → 1; Figs. 1 and 7). This trait was observed first in the finding that an engineered

KIF1A monomer in low-ionic strength buffer is capable of processive transport (24). This electrostatic tethering thus contributes to both high velocity (by allowing fast rear-head detachment) and superprocessivity (by minimizing probability of detachment during a step). However, a negative byproduct of the motor spending most of its time in a 1HB weak-binding state is that KIF1A tends to detach against applied loads (17, 29–31). In an optical trapping assay using the *C. elegans* KIF1A, Unc104, a 1-piconewton applied load led to a 10-fold increase in the motor detachment rate (19). This effect is also seen in mixed motor assays, where minor fractions of the slower kinesin-1 mixed with the fast kinesin-3 lead to mixed motor speeds very similar to kinesin-1 (31), and in engineered pairs of kinesin-1 and kinesin-3, where the speed of the pair is very close to the speed of kinesin-1 alone (29). These multimotor assays suggest that when the slower kinesin-1 pulls against the faster kinesin-3, the kinesin-3 motors detach. We attribute these observations to the motor being primarily in the 1HB state while stepping.

### Conclusions

Defining the KIF1A chemomechanical cycle is important both for understanding the motor's diverse transport functions in cells and understanding how kinesins have evolved to achieve diverse mechanochemistry. From a design perspective, fast speed and superprocessivity provide competing constraints because each head must cyclically detach from the microtubule, whereas the dimeric motor remains associated over hundreds of steps. KIF1A does this by maximizing the rear-head detachment rate and maintaining electrostatic association with the microtubule even in the weak-binding post-hydrolysis state. As a result, however, the motor is sensitive to load. It may be that these motor properties have evolved for multimotor transport, where each motor feels only a small fraction of the load or where the rapid motor reattachment of KIF1A ensures a stable population of motors bound to the microtubule. The mitotic kinesin-5 motor, Eg5, provides a contrast to KIF1A in that it moves roughly 20-fold slower, is much less processive (55), and is able to generate large forces as teams because it spends most of its hydrolysis cycle in a two-head-bound state (47, 56, 57). Thus, by tuning their chemomechanical cycles, kinesins are able to achieve diverse mechanochemistry and carry out diverse cellular functions.

### Materials and methods

#### Protein constructs, purification, and activity quantification

The KIF1A construct used in the biochemical assays (KIF1A-406) consisted of the motor head and neck linker domains (residues 1–368) of *R. norvegicus* KIF1A followed by 61 residues (residues 445–405) from the neck-coil domain of *D. melanogaster* KHC. The KIF1A construct used for the single-molecule experiments (KIF1A-560-GFP) includes an additional 216 residues from the coiled-coil domain of *Dm*KHC followed by a C-terminal GFP. Both constructs included a C-terminal His<sub>6</sub> tag. These constructs match similar kinesin-1, -2, -5, and -7 constructs analyzed in previous studies (34, 47, 49). The bacterial expression of KIF1A-560-GFP was carried out in a 2-liter flask in-house followed by nickel gravity column chromatography

purification with an elution buffer containing 10  $\mu\text{M}$  ATP and DTT, following published protocols (58, 59). The elution was exchanged into storage buffer (BRB80, 10  $\mu\text{M}$  ATP, 5 mM  $\beta$ -mercaptoethanol, 5% glycerol) and then flash-frozen and stored at  $-80^\circ\text{C}$ . The concentration of KIF1A-560-GFP was quantified using GFP absorption at 488 nm.

The KIF1A-406 construct used for biochemical experiments was bacterially expressed in a Sartorius Biostat Cplus 30-liter vessel at the CSL Behring Fermentation Facility at Pennsylvania State University. The motor was purified by nickel column chromatography on an AKTA Pure FPLC system with an elution buffer containing 10  $\mu\text{M}$  ATP and DTT, following published protocols (34, 58). Following purification, KIF1A-406 was incubated in 200  $\mu\text{M}$  mADP and then buffer-exchanged into BRB80 buffer (80 mM PIPES, 1 mM EGTA, 1 mM  $\text{MgCl}_2$ , pH 6.9) plus 0.5 or 10  $\mu\text{M}$  mADP using a PD10 G25 desalting column. Sucrose was then added to the peak fractions, and aliquots were flash-frozen and stored at  $-80^\circ\text{C}$ . To quantify the active motor dimer concentrations for stopped flow assays, a motor sample was incubated with 1 mM ATP to chase off the bound mADP, the fluorescence of mADP (356-nm excitation/450-nm emission) was measured and converted to [mADP] using a calibration curve, the solution mADP was subtracted, and the value was divided by 2 (34). We found that the nearly micromolar mADP affinity for KIF1A in solution and competition with free ATP from the purification procedure led to underestimates of the true active motor concentration by this method. Therefore, for ATPase assays where the active concentration was critical, the active motor concentration was determined by pelleting motors in the presence of microtubules and AMPPNP, quantifying the fraction of motors remaining in the supernatant via SDS-PAGE and ImageJ gel band intensity analysis, and multiplying this relative activity by the total motor concentration determined by  $A_{280}$ .

### Single-molecule fluorescence tracking

Single-molecule tracking of GFP-labeled KIF1A-560 was performed on a Nikon TE2000 TIRF microscope at  $25^\circ\text{C}$ , as described previously (27, 48, 49). Flow cells were functionalized by flowing in 0.5 mg/ml casein, followed by full-length rigor kinesin (27). Taxol-stabilized microtubules, polymerized from a 1:20 ratio of Cy5-labeled (GE Healthcare) and unlabeled tubulin, were then introduced, and after a 5-min incubation, motors were introduced and imaged. KIF1A motile events were recorded at 5 or 10 fps and manually analyzed using the Kymograph Evaluation tool in FIESTA software (60) to determine the run length, velocity, and dwell times. In the ADP dwell time assays, some trials contain hexokinase to reduce the amount of ATP contamination in solution. Calculations of observed motor off-rates per concentration were done using the relation  $k_{\text{off}}^{\text{Mt}} = 1/\text{dwell time}$  (34). Plots of the observed off-rate as a function of ADP concentration were fit with the following equation to determine the maximum off-rate and dissociation constant of the motor for the microtubule in the nucleotide state.

$$k_{\text{off}}([\text{ADP}]) = k_{\text{off,Apo}}^{\text{Mt}} + \frac{(k_{\text{off,ADP}}^{\text{Mt}} - k_{\text{off,Apo}}^{\text{Mt}}) \times [\text{ADP}]}{(K_D^{\text{ADP}} + [\text{ADP}])} \quad (\text{Eq. 2})$$

### ATPase assays

KIF1A ATPase rates were measured by quantifying the rate of NADH conversion in an enzyme-coupled reaction at varying [Mt], as described by Huang *et al.* (34, 61). The reaction contained BRB80 with 1 mM Mg-ATP, 2 mM phosphoenolpyruvate, 1 mM  $\text{MgCl}_2$ , 0.2 mg/ml casein, 10  $\mu\text{M}$  Taxol, 0.25 mM NADH, and 1.5/100 volume of pyruvate kinase/lactate dehydrogenase (Sigma, P-0294). Absorbance of NADH at 340 nm over time was measured on a Molecular Devices FlexStation 3 Multi-mode Microplate Reader, converted to an ATPase rate, and divided by the active motor concentration to give the total hydrolysis cycle rate at  $25^\circ\text{C}$ .

### Stopped-flow setup

Stopped-flow experiments were carried out at  $25^\circ\text{C}$  in BRB80 buffer using an Applied Photophysics SX20 spectrofluorometer at 356-nm excitation with an HQ480SP emission filter. Each sample trial reported is based on the fit of the average trace of 5–7 consecutive shots. Concentrations reported below are pre-mix syringe concentrations and thus are twice the final chamber concentrations. Under “Results,” all concentrations are chamber reaction concentrations.

### $k_{\text{on}}^{\text{Mt}}$ experiments

To obtain the bimolecular on-rate for microtubule binding, 300 nM mADP-exchanged KIF1A dimers in 0.5  $\mu\text{M}$  free mADP were flushed against varying concentrations of Taxol-stabilized microtubules in a solution of 2 mM ADP. The change in fluorescence due to release of mADP from the bound head was fit with a double exponential to determine the  $k_{\text{obs}}$ . The fast phase of the exponential fits was plotted *versus* the microtubule concentration and fit linearly to obtain  $k_{\text{on}}^{\text{Mt}}$ . The slow phase was attributed to slower mADP release by the second head (34).

### Half-site reactivity experiment

300 nM mADP-labeled KIF1A was flushed against a solution of 2  $\mu\text{M}$  Taxol-stabilized microtubules with or without 2 mM ATP. The change in fluorescence due to mADP release from the bound head(s) was fit with a single exponential to determine the amplitude, and the relative amplitudes were compared in the presence and absence of ATP (43).

### Nucleotide-stimulated half-site release assays

To establish a one-head-bound complex, 300 nM mADP-exchanged KIF1A dimers was incubated with 6  $\mu\text{M}$  Taxol-stabilized microtubules. This solution was then flushed against varying concentrations of ATP, ATP $\gamma$ S, or AMPPNP. The change in fluorescence due to release of mADP from the tethered head was fit with a single exponential, the rates were plotted against

the nucleotide concentration, and the curve was fit with the Michaelis–Menten equation to obtain the maximum release rate and  $K_{0.5}$  (34, 44).

### Nucleotide exchange experiments

To determine the ADP solution off-rate, 0.3  $\mu\text{M}$  KIF1A in a solution of 0.5  $\mu\text{M}$  free ADP was flushed against 10  $\mu\text{M}$  mADP. In this configuration, the exponential increase in fluorescence from the binding of mADP is rate-limited by the off-rate of ADP in solution. In the complementary assay to determine the mADP solution off-rate, 0.3  $\mu\text{M}$  mADP-exchanged KIF1A dimers in a solution of 0.5  $\mu\text{M}$  free mADP was flushed against 2 mM ADP. The exponential decrease in fluorescence was fit to obtain the off-rate of mADP in solution.

To determine the unstrained mADP exchange rate, 1  $\mu\text{M}$  mADP-exchanged KIF1A dimers were combined with 5  $\mu\text{M}$  Taxol-stabilized microtubules and 0.5  $\mu\text{M}$  mADP to achieve a one-head-bound KIF1A-Mt complex. This solution was flushed against varying concentrations of mADP, and the increase in fluorescence due to mADP binding was fit to an exponential. Due to the high free [mADP] in this assay, mADP binding was monitored by exciting at 280 nm and measuring the FRET signal between Trp in the motor domain and the mADP (62). For the unstrained exchange assay, the exponential fits began at 2 ms, due to the instrument limitations. To obtain the ADP on- and off-rates, the resulting  $k_{\text{obs}}$  values were plotted *versus* the mADP concentration and fit linearly with the equation,  $k_{\text{obs}} = k_{\text{on}} \times [\text{mADP}] + k_{\text{off}}$ .

### Calculations

State transition durations within the chemomechanical cycle were calculated using the following relationship.

$$\frac{1}{k_{\text{cat}}} = \frac{1}{k_{\text{on}}^{\text{ATP}}[\text{ATP}]} + \frac{1}{k_{\text{hyd}}} + \frac{1}{k_{\text{on}}^{\text{TH}}} + \frac{1}{k_{\text{off, FH}}^{\text{ADP}}} + \frac{1}{k_{\text{off}}^{\text{RH}}} \quad (\text{Eq. 3})$$

Additionally, the relationship between the total step duration and the time for half-site release is as follows.

$$\frac{1}{k_{\text{cat}}} = \frac{1}{k_{\text{max}}^{\text{ATP/HS}}} + \frac{1}{k_{\text{off}}^{\text{RH}}} \quad (\text{Eq. 4})$$

### Run length correction for finite microtubule lengths

KIF1A has a long run length, which results in a significant fraction of motors that run off the microtubule end, which if not accounted for, leads to an underestimate of the run length. Thus, motor run lengths were corrected for finite microtubule lengths, as follows.

For every event, the run length was recorded, along with whether the motor dissociated from some point along the microtubule or ran off the end. Motor stepping was assumed to be history-independent, and thus the run lengths were assumed to be exponentially distributed with a mean run length of  $\theta = 1/\lambda$ . If the microtubule was infinitely long, the

standard model for the run length would have probability density as follows.

$$f_{\lambda}(x) = \lambda e^{-\lambda x} \quad (\text{Eq. 5})$$

The run lengths for  $n$  motors corresponding to our observations are  $\{X_1, X_2, \dots, X_n\}$ . For motors that run off the end of the microtubule, we know the distance from the landing point of the motor to the end of the microtubule and notate the value as  $t_i$ . The measured run lengths,  $Y_i$ , including events that run off the end, are the minimum of the true run length,  $X_i$ , and the distance to the end of the microtubule,  $t_i$ .

$$Y_i = \min(X_i, t_i) \quad (\text{Eq. 6})$$

We also define a variable  $W_i$  denoting whether the motor dissociated normally from the lattice ( $W_i = 1$ ) or ran off the end ( $W_i = 0$ ). Our data will then be  $Y_i, W_i$  with  $t_i$  serving as a known covariate. Our goal is to solve for the rate of dissociation (in inverse distance),  $\lambda$ .

The log of the likelihood function is defined as follows.

$$\log L_{Y,W}(\lambda) = \sum_{i=1}^n (W_i(\log \lambda - \lambda Y_i) + (1 - W_i)(-\lambda t_i)) \quad (\text{Eq. 7})$$

To maximize the likelihood, we take the derivative with respect to  $\lambda$  and set it to zero. Then, because we define the mean run length as  $\theta = 1/\lambda$ , we can simplify to the following equation.

$$\hat{\theta} = \frac{\sum_{i=1}^n W_i Y_i + \sum_{i=1}^n (1 - W_i) t_i}{\sum_{i=1}^n W_i} \quad (\text{Eq. 8})$$

Under some broad regularity conditions, the asymptotic variance for a maximum likelihood estimator is the reciprocal of the Fisher information. Thus,  $\hat{\theta}$  should be approximately normally distributed with mean  $\theta$  and a variance as follows.

$$\frac{\theta^2}{\sum_{i=1}^n (1 - e^{-t_i/\theta})} \quad (\text{Eq. 9})$$

Assuming the average of the  $Y_i$  is defined as follows,

$$Y_{\text{ave}} = \frac{\sum_{i=1}^n Y_i}{n} \quad (\text{Eq. 10})$$

we can define  $t_i = Y_i$  and simplify the maximum likelihood estimator equation to the following.

$$\hat{\theta} = \frac{\sum_{i=1}^n Y_i}{\sum_{i=1}^n W_i} = \frac{Y_{\text{ave}}}{\frac{1}{n} \sum_{i=1}^n W_i} \quad (\text{Eq. 11})$$

As such, the denominator represents the fraction of motors that detach normally from the lattice, leading to the following interpretation.

$$\hat{\theta} = \frac{Y_{\text{ave}}}{\text{fraction detach}} = \frac{Y_{\text{ave}}}{(1 - \text{fraction run off end})} \quad (\text{Eq. 12})$$

Thus, if all motors detach normally, then the run length is the average, but, for example, if half of the motors reach the end, then the run length is corrected up by a factor of 2. This correction should apply generally for processes that generate exponential distributions with censoring, such as photobleaching. The correction is similar to the Kaplan–Meier estimate that was used for run length corrections by Ruhnnow *et al.* (63) but has a simpler form. In addition, we are using an asymptotic result for the variance as opposed to the bootstrap method found in Ruhnnow *et al.*

### Data availability

Data in the paper are available at [https://scholarsphere.psu.edu/concern/generic\\_works/xpn89d825f](https://scholarsphere.psu.edu/concern/generic_works/xpn89d825f).

**Acknowledgments**—We thank members of the Hancock laboratory for contributions and helpful discussions.

**Author contributions**—T. M. Z. and W. O. H. conceptualization; T. M. Z. data curation; T. M. Z. and J. F. formal analysis; T. M. Z. validation; T. M. Z., A. M. G., and W. O. H. investigation; T. M. Z., A. M. G., J. F., and W. O. H. methodology; T. M. Z. writing-original draft; T. M. Z., A. M. G., J. F., and W. O. H. writing-review and editing; W. O. H. supervision; W. O. H. funding acquisition; W. O. H. project administration.

**Funding and additional information**—This work was supported by National Institutes of Health Grants R01GM076476 (to W. O. H.), R01GM122082 (to J. F. and W. O. H.), and F32GM137487 (to A. M. G.). The content is solely the responsibility of the authors and does not necessarily represent the official views of the National Institutes of Health.

**Conflict of interest**—The authors declare that they have no conflicts of interest with the contents of this article.

**Abbreviations**—The abbreviations used are: Mt, microtubules; TIRF, total internal reflection fluorescence; mADP, (2'-(or-3')-O-(N-methylanthraniloyl) adenosine 5'-diphosphate; AMPNP 5'-adenylyl- $\beta$ , $\gamma$ -imidodiphosphate; ATP $\gamma$ S, adenosine 5'-O-(thiotriphosphate); CI, confidence interval; fps, frames per second.

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