

# An Extensive Set of Accurate Fluoride Ion Affinities for *p*-Block Element Lewis Acids and Basic Design Principles for Strong Fluoride Ion Acceptors

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The computed fluoride ion affinity (FIA) is a valuable descriptor to assess the Lewis acidity of a compound. Despite its widespread use, the varying accuracy of applied computational models hampers the broad comparability of literature data. Herein, we evaluate the performance of selected methods (like DLPNO-CCSD(T)) in FIA computations against CCSD(T)/CBS data and guide for the choice of suitable density functionals that allow the treatment of larger Lewis acids. Based on the benchmarked methods, we computed an extensive set of gas-

# 1. Introduction

Lewis acids play a vital role in all branches of chemistry, today more than ever.<sup>[1]</sup> Lewis acidity, the thermodynamic acceptor strength of a Lewis acid, strongly determines its efficiency in bond activation or catalysis. Lewis acidity can be gauged by a variety of experimental or theoretical methods.<sup>[2]</sup> Most of those metrics rely on the energetic or spectroscopic output caused by the binding of a probe Lewis base to the Lewis acid of interest. The predominantly applied scale is the fluoride ion affinity (FIA) - the negative enthalpy of the gas phase reaction between a fluoride ion and a Lewis acid (Figure 1).<sup>[3]</sup> The small size and polarizability of the fluoride anion minimizes steric repulsion and keeps second-order effects such as charge transfer,  $\pi$ -backbonding, or dispersion as little as possible. Considering the fluoride anion as a hard Lewis base, the FIA provides a number that majorly reflects hard Lewis acidity.<sup>[4]</sup> Since the experimental determination of FIA is nontrivial and requires specialized equipment, it is usually obtained by quantum theoretical computation.<sup>[2a]</sup> Hundreds of values have been computed and used meanwhile, e.g., to evaluate the stability of weakly coordinating anions.<sup>[2a,5]</sup> If conducted correctly, the computational FIA-method is endowed with a distinct predictive power that allows for the in silico preselection of high-potential candidates. However, the FIA-method also has severe deficien-

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© 2020 The Authors. Published by Wiley-VCH Verlag GmbH & Co. KGaA. This is an open access article under the terms of the Creative Commons Attribution License, which permits use, distribution and reproduction in any medium, provided the original work is properly cited. phase and solvation corrected FIA, that is covering group 13–16 elements featuring moderate to strong electron-withdrawing substituents (190 entries). It permits an unbiased comparison of FIA over a significant fraction of the periodic table, serves as a source of reference for future synthetic or theoretical studies, and allows to derive some simple design principles for strong fluoride ion acceptors. Finally, the manuscript includes a tutorial section for the computation of FIA with and without the consideration of solvation.



Figure 1. Benefits of the fluoride ion affinity (FIA) as a measure of hard Lewis acidity and its shortcomings as a motivation for the present work (LA = Lewis acid).

cies (Figure 1). First, all previous computations have been performed on a wide range of theoretical sophistication, spanning from semi-empirical to highly correlated ab initio models, with or without isodesmic anchoring. As errors exceeding 100 kJmol<sup>-1</sup> are possible, this prevents unequivocal comparability. Second, the lack of experimental data impedes a benchmark of the computed FIA and derogates the reliability of the theoretical results. Benchmark studies on the accuracy of FIA computations have been presented only marginally.<sup>[6]</sup> A third flaw of the FIA transpires when it comes to the interpretation of solution-phase experimental data. Since the fluoride ion binding reaction necessarily involves charged species, it is strongly affected by solvation energies - both for cationic and neutral Lewis acids.<sup>[2a,5,7]</sup> However, FIA have been computed commonly in vacuum only. In the present work, we attempt to handle the mentioned shortcomings.<sup>[8]</sup> In the first part, the DLPNO-CCSD(T) method and selected density func-

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tionals are benchmark for FIA computations against canonical CCSD(T)/CBS reference data. The second part provides an extensive set of 190 computed FIA for literature-known and hypothetical p-block element-based Lewis acids, both in the gas-phase and under consideration of solvation. The presented data is restricted to the common Lewis acidic *p*-block elements: group 13/14/15 in their highest oxidation states as well as group 15, oxidation state + III, and group 16, oxidation state + IV. Potential aggregation phenomena (e.g.,  $Al_2F_6 \rightarrow 2 AlF_3$ ) are not taken into account.<sup>[5]</sup> At first, this collection intends to serve as source of reference for correlations of FIA with other theoretical/experimental properties or as inspiration for future synthetic efforts. However, some general trends and maxima allow to extract empirical design principles for the construction of potent fluoride ion acceptors, which are attractive for numerous applications. Finally, a tutorial description for the computation of FIA is given.

# 2. Results and Discussion

The geometries for all involved compounds were optimized with the threefold-corrected PBEh-3c/def2-mSVP composite method, which reaches the structural accuracy of triple- $\zeta$  basis set second-order perturbation theory (MP2/TZ) across the periodic table.<sup>[9]</sup> Different VSEPR and non-VSEPR structures were considered as starting points, compared in energy, and the lowest energy conformers selected for the final single-point computations. For ligands with the ability of polydentate binding (e.g., OTf), several coordination isomers were prescreened, and the lowest energy isomers considered further. All

optimized structures were verified as local minima by frequency calculations. ZPEs and thermal corrections at 298.15 K were obtained from the PBEh-3c computations, as implemented in ORCA 4.1.2 or 4.2.<sup>[10]</sup> For the subsequent single point energy computation, a benchmark was conducted for a representative set of smaller Lewis acids. As reference data, non-isodesmic FIA were computed by coupled-cluster theory with single and double excitations, including perturbative triples correction, CCSD(T). The basis set incompleteness error was treated by a two-point extrapolation scheme to the complete basis set (CBS) with aug-cc-pVnZ (n = 3,4) (Table 1, first column).<sup>[11]</sup> The obtained values are in agreement with the few known CCSD(T) derived FIA, and reproduce the experimental values of COF<sub>2</sub>  $(208.8 \text{ kJmol}^{-1})$  and AIF<sub>3</sub>  $(481.2 \text{ kJmol}^{-1})$  with better than chemical accuracy (<4 kJ mol<sup>-1</sup>).<sup>[6b,12]</sup> To validate the CCSD(T)/ CBS method further, the challenging bond dissociation energy of F<sub>2</sub>, as well as the ionization potential and electron affinity of the F-atom was computed, and compared against experimental data ("F-test", Table 2).<sup>[13]</sup> These values are reproduced in excellent accuracy, providing additional confidence for the applicability of the CCSD(T)/CBS data as reference and anchor in all following comparisons.

Generally, for all the lower-level methods, FIA computations via (pseudo-)isodesmic reactions are mandatory (Figure 2, eqs. 1a/b).<sup>[3a,6b]</sup> As anchor points, the TMS-system, initially proposed by Krossing et al. (Figure 2a) and the COF<sub>2</sub>-system (Figure 2b) are established.<sup>[6b]</sup> First, the enthalpy of eqs. 1a or 1b is computed at a "level of choice". Subtraction of the enthalpies of eqs. 2a/b from eqs. 1a/b, respectively, provides the final, absolute FIA. The enthalpies for eqs. 2a/b have to be very exact and are either obtained from top edge level computation or

**Table 1.** Benchmark of methods for FIA computation. All values (except column CCSD(T)/CBS and line COF<sub>2</sub>) anchored against TMS-ref. system, in kJ mol<sup>-1</sup>. <sup>a</sup>Non-isodesmic reference data; <sup>b</sup>n = normal, t = tight, <sup>c</sup>T = def2-TZVPP, Q = def2-QZVPP; <sup>d</sup>non-isodesmic calculation, experimental value: 208.8 kJ mol<sup>-1</sup>, COF<sub>2</sub> results not considered in MAD/RMSD.

	CCSD(T) /CBS <sup>a</sup>	DLPNO- CCSD(T)/ aug-cc- pVQZ nPNO <sup>b</sup>	DLPNO- CCSD(T)/ aug-cc- pVQZ tPNO <sup>b</sup>	BP86 D3BJ/ def2 SVP	PBEh- 3c/ def2- mSVP	B3LYP D3BJ/ T°	PW6B95 D3BJ/ Q°	M062X D3(0)/ Q°	B2PLYP D3BJ/ Q°	DSD- BLYP- D3BJ/ Q°	DSD- PBEB95- D3BJ/ Q°	DSD- PBEP86- D3BJ/ Q°
BH₃	277.9	279.3	279.4	313.9	244.7	316.9	301.3	282.7	286.1	281.5	286.6	284.2
BF₃	345.1	346.2	346.8	337.0	314.7	354.2	355.0	353.4	347.3	345.5	347.1	344.8
BCI <sub>3</sub>	404.9	403.8	404.6	401.9	392.9	404.4	406.5	410.0	401.0	401.0	402.4	402.7
BBr <sub>3</sub>	425.3	428.2	427.1	440.7	421.5	437.3	432.9	438.4	428.2	426.6	427.6	428.5
B(C <sub>6</sub> F <sub>5</sub> ) <sub>3</sub>		445.1		454.9	432.4	443.4	449.9	457.7	441.2	442.3	447.4	443.1
AIF <sub>3</sub>	483.6	484.2	484.6	469.3	441.5	491.9	492.2	497.1	489.0	487.6	485.5	484.7
AICI <sub>3</sub>	506.2	505.4	505.2	496.0	500.8	507.7	509.1	512.1	509.6	508.6	506.2	506.9
GaF₃	454.8	459.7	460.6	433.3	411.3	454.5	452.2	463.9	452.7	452.7	448.9	450.2
SiF₄	311.1	310.2	312.1	317.6	280.9	320.0	327.3	320.9	314.3	311.3	314.9	310.3
SiCl₄	328.1	328.0	327.8	324.5	315.9	330.9	337.2	335.2	327.5	325.6	328.2	326.5
GeF₄	356.2	354.8	356.1	345.8	305.2	363.0	363.5	364.8	357.2	355.2	354.8	353.3
PF₅	382.0	384.0	384.1	399.3	351.8	340.7	394.2	393.8	380.8	380.7	385.3	380.4
AsF₅	434.7	438.9	438.0	431.0	386.5	444.0	444.1	449.8	437.9	438.7	438.7	437.2
SbF₅	495.1	495.5	495.8	482.1	442.7	500.4	496.5	508.4	494.0	496.1	493.7	493.8
$COF_{2}^{d}$	207.2	207.8	209.2	378.1	351.9	247.5	228.2	245.0	221.7	223.1	226.2	227.1
MAD		1.7	1.6	12.3	29.1	10.5	8.3	9.9	3.0	2.2	2.8	2.2
RMSD		2.2	2.2	14.9	33.5	16.4	10.2	10.4	3.6	2.5	3.6	2.7

Table mol <sup>-1</sup> .	<b>2.</b> Compu <sup>a</sup> T = def2-	uted <i>"F-test"</i> : TZVPP, Q=0	F <sub>2</sub> -dissociatior	n enthalpy	, electron	affinity (E	A) and ioni	zation po	tential (IP)	of F-ator	n and experime	ntal data. All val	ues in kJ
	CCSD (T)/ CBS	DLPNO- CCSD(T)/ aug-cc- pVQZ nPNO	DLPNO- CCSD(T)/ aug-cc- pVQZ tPNO	BP86 D3BJ/ def2 SVP	PBEh- 3c/ def2- mSVP	B3LYP D3BJ/ Tª	PW6B95 D3BJ/ Q <sup>a</sup>	M062X D3(0)/ Q <sup>a</sup>	B2PLYP D3BJ/ Q <sup>a</sup>	DSD- BLYP- D3BJ/ Q <sup>a</sup>	DSD-PBEB95- D3BJ/ Q <sup>a</sup>	DSD-PBEP86- D3BJ/ Q <sup>a</sup>	exp. <sup>[13]</sup>
BDE F <sub>2</sub>	157.7	150.7	152.2	220.5	106.9	151.9	149.2	138.4	148.4	142.8	146.3	144.3	158.7
EA IP	-331.2 1680.2	—327.2 1674.1	—327.3 1673.7	—133.5 1692.4	—123.1 1673.7	—269.1 1697.4	-301.2 1696.5	—296.4 1689.3	-306.8 1685.8	-304.6 1681.2	-291.8 1669.7	—299.2 1670.5	-328.2 1681.0

a) TMS-system (recommended)  $LA + Me_3SiF \xrightarrow{\Delta H} [LA-F]^- + Me_3Si^+ eq. 1a$  $Me_3SiF \xrightarrow{\Delta H} Me_3Si^+ + F^$ eq. 2a 952.5 kJ mol-1 (CCSD(T)/CBS)  $LA + F^{-} \xrightarrow{FIA} [LA-F]^{-}$ = eg. 1a — 2a b) COF<sub>2</sub>-system  $LA + COF_{3^{-}} \xrightarrow[\text{level of}]{} LA + COF_{2} \rightarrow [LA - F]^{-} + COF_{2}$ eq. 1b  $COF_3^- \xrightarrow{\Delta H} COF_2 + F^$ eq. 2b 208.8 kJ mol-1 (experimental) LA + F<sup>-</sup> FIA reliable [LA-F]<sup>-</sup> = eq. 1b — 2b

Figure 2. Isodesmic reactions for FIA computation and two established anchors, together with the revised anchor for eq. 2a.

experiment. In that way, the problematic treatment of the "naked" fluoride ion at the (usually low) "level of choice" (applied in eqs. 1) is avoided. At first, the selection of one over the other reference systems (COF\_2 or  $\mbox{Me}_3\mbox{Si}^+\mbox{)}$  seems now arbitrary. However, the final FIA will depend on how well the "level of choice" in eqs. 1 treats the anchor compounds (COF<sub>2</sub>/  $COF_3^-$  or  $Me_3Si^+/Me_3SiF$ ). Compact anions, such as  $COF_3^-$ , are more difficult to compute than neutral or cationic species, given that a higher charge density requires a more robust consideration of dynamic electron correlation. By consequence, the computation of eq. 1b is more prone to errors as eq. 1a. This is indeed verified by the better performance of the TMS-anchored DFT-data in comparison to the COF2-anchored DFT-data (see table S3). The TMS-system anchor energy (eq. 2a) has initially been computed with the Gaussian G3<sup>[14]</sup> composite method.<sup>[6b]</sup> However, neither G3 (214 kJ mol<sup>-1</sup>) nor  $G4^{[15]}$  (203 kJ mol<sup>-1</sup>) reproduced the non-isodesmic FIA of COF<sub>2</sub> as accurate as the above described CCSD(T)/CBS protocol (see table S2). Hence, we revised the TMS-system anchor energy (eq. 2a) by CCSD(T)/ CBS. A slightly lower value of 952.5 kJ mol<sup>-1</sup> in comparison to the previous G3-derived value  $^{\rm [6b]}$  (958.4 kJ mol $^{-1}$ ) was obtained and used for the present study.  $^{\rm [16]}$ 

Having set up the reference data and specified the isodesmic anchoring, a benchmark of quantum-theoretical methods applicable to larger Lewis acids was conducted. The local approximation method DLPNO-CCSD(T), in combination with the aug-cc-pVQZ basis and matching auxiliary basis, anchored to the TMS-system, was benchmarked first (Table 1, column 2).<sup>[17]</sup> To our delight, this method reproduced the canonical CCSD(T) data with excellent accuracy (MAD = 1.7 kJ mol<sup>-1</sup>). Indeed, with this method, even the challenging Ftest set was treated with good outcome (Table 2). Although the use of tightPNO settings increased the accuracy slightly (Table 1, column 3), we decided to use the substantially faster normalPNO settings as sufficiently accurate for our purpose.[18] Moreover, neither the use of basis set extrapolation,<sup>[19]</sup> decontracted basis sets, the recently introduced iterative computation of triples,<sup>[20]</sup> nor the explicitly correlated F12-basis sets<sup>[21]</sup> did show significant improvement that would legitimate the increased computational costs or limitations connected with those modifications. Thus, the DLPNO-CCSD(T)/auq-cc-pVQZ level of theory was identified as an ideal compromise between accuracy and computational cost and chosen as standard model L1 for small-to-medium-sized Lewis acids in the following collection.

Although the DLPNO-CCSD(T) method is considered as linear scaling with the size of the system, memory requirements rise quickly and make the computation of huge, polyhalogenated groups, pervasive in modern Lewis acid chemistry, unsuitable. Thus, DLPNO-CCSD(T) with the non-augmented cc-pVQZ basis set was considered for the next size-scale of molecules. It was assumed, that the neglect of diffuse functions is acceptable for larger anions due to the more efficient spread of the negative charge across the extended system. Indeed, DLPNO-CCSD(T) FIA computations for a model Lewis acid B  $(C_6F_5)_3$  with aug-cc-pVQZ (445 kJ mol<sup>-1</sup>) or the cc-pVQZ (448 kJ mol<sup>-1</sup>) basis sets revealed an acceptable difference. Thus for the medium-to-large-sized Lewis acids, this model *L2* (DLPNO-CCSD(T)/cc-pVQZ) was used in the following collection.

To treat even the largest Lewis acids at a reasonable time and resource costs, selected density functional/basis set combinations were evaluated (Table 1, columns 4 to 12). The benchmark set was extended by the DLPNO-CCSD(T)/aug-cc-pVQZ derived FIA of  $B(C_6F_s)_3$ . Again, absolute values were obtained by isodesmic anchoring against the TMS-system (Figure 2a). Re-



markably, although performing overall not best in the series, the low-cost BP86(D3BJ)/def2-SVP rendered sufficient for preliminary screening, in line with previous studies.<sup>[6b]</sup> Nevertheless, FIA with significantly lower MAD against the CCSD(T)/CBS reference set were obtained with double-hybrid functionals in combination with the large basis set def2-QZVPP, in particular with DSD-BLYP(D3BJ).<sup>[22]</sup> The excellent results with double-hybrid functionals are in agreement with more general benchmarks,<sup>[23]</sup> and underline their supremacy also for the particular case of FIA computations. Thus, the DSD-BLYP(D3BJ)/ def2-QZVPP level of theory granted access to accurate FIA with less computational resources as for the DLPNO-CCSD(T) method and was used as "low-cost" model *L3* for the largest Lewis acids in the following collection.

Noteworthily, the M06-2X(D3Zero)<sup>[24]</sup> functional performed moderate with the TMS-reference system, but revealed a proper matching with the COF<sub>2</sub>-system (see table S3). Indeed, good results of the M06-2X functional were also reported in a recent computational study on the energetics of classical Lewis donoracceptor interactions.<sup>[25]</sup> Importantly, although the best DFT methods are not dramatically inferior compared to DLPNO-CCSD(T) for the isodesmic FIA computation, they absolutely fail in the non-isodesmic FIA computations (line COF<sub>2</sub> in Table 1, and table S4). Errors up to  $170 \text{ kJmol}^{-1}$  (>80% of total enthalpy!) are possible if FIA are calculated non-isodesmically. The difficulties of the DFT methods to treat F-species correctly was further illustrated by the F-test (Table 2). To conclude the benchmark, the ideal overlap of the three identified levels of theory (L1-L3) permit for the first time a self-consistent comparison of multiple FIA spanning several orders of molecular size-scales. Moreover, this section emphasizes the absolute requirement for isodesmic reactions in case of "low-cost" computations.

Having identified the most suitable models, a comprehensive and systematic screening of FIA for literature known and hypothetical Lewis acids was performed.<sup>[26]</sup> In Table 3, a collection of FIA values can be found, ordered by central elements (group 13: B, Al, Ga; group 14: Si, Ge, Sn; group 15: P, As, Sb). Table 4 contains group 15 and group 16 element compounds in medium oxidation states as well as a selection of special Lewis acids that have been described in the literature. Depending on the molecular size, the values are obtained on the level of theory *L1-L3* and anchored to the TMS-reference system. Besides the gas-phase FIA, also the solvation corrected FIA<sub>solv</sub> values can be found in tables 3/4. For FIA<sub>solv</sub>, the solvation energies of the Lewis acids, the fluoride adducts, and the fluoride anion were obtained with COSMO-RS<sup>[27]</sup> in CH<sub>2</sub>Cl<sub>2</sub> as implemented in the ADF program package.<sup>[28]</sup> The final solvation corrected FIA<sub>solv</sub> is obtained by eq. 4:

$$\begin{split} \text{FIA}_{\text{solv}} &= \text{FIA} - [\Delta \text{E}_{\text{solv}}(\text{LA-F}^{-}) \\ -\Delta \text{E}_{\text{solv}}(\text{LA}) - \Delta \text{E}_{\text{solv}}(\text{F}^{-})] \end{split} \tag{3}$$

### 3. Discussion

We abstain from an exhaustive discussion of the computed values, as it would branch into a delicate consideration of electrostatic, orbital, steric, and dispersive contribution for every specific Lewis acid. However, by solely focusing on some general trends, the collection allows deriving some basic design principles for the construction of strong fluoride ion acceptors.

Figure 3a represents the comparison of the FIA for group 13–15 element halides in their highest oxidation states. For the lighter elements (B, Al, Si, and P), the FIA increases in direction F < CI < Br(<I), whereas for the heavier elements (Ga, Ge, Sn, As, Sb), the opposite trend  $F > CI \approx Br > I$  can be found. Interestingly, those trends differ for the lower oxidation state + III in group 15, which generally possess the order F < CI < Br (see Table 4 and Figure S1). Essentially the same trends remain in solution (FIA<sub>solv</sub>), although dampened by roughly 150 kJ mol<sup>-1</sup>. The findings of this correlation allow to formulate: *In their highest oxidation states, maximum FIA are obtained for light element acceptors with heavy element substituents (e.g., Bl<sub>3</sub>) or heavy element acceptors with light element substituents (e.g., SbF<sub>s</sub>).* 

Figure 3b depicts the comparison for the carbon-based ligands at group 13–15 elements. In contrast to the halide substituents, the trends are less divergent. For the non-fluorinated C-ligands, an increase in FIA for  $sp_3 < sp_2 < sp$  hybridized carbon ligands is found, in line with their increasing group electronegativity. The prominent  $C_6F_5$  group is effective for FIA boosting, but with the  $C_2F_5$  substituent the strongest



Figure 3. Comparisons of computed FIA for the different ligand classes a) halides b) C-substituents and c) O-substituents.



Table 3. Coll system, order	ection of comput ed by acceptor ele	ed FIA ement	for gi Color	oup 13–15 coded accep	element compound otor strength (green	ds in : highe	highest est/red:	oxidation s lowest).	states, according n	nodels	L1-L3,	anchored by	/ the TMS-
	Compound		FIA	FIAsolv	Compound		FIA	FIAsolv	Compound		FIA	FIAsolv	
	BH₃	L1	279	207	AlH₃	L1	384	268	GaH₃	L1	302	198	
	BF₃	L1	346	258	AIF <sub>3</sub>	L1	484	364	GaF₃	L1	460	340	
	BCl <sub>3</sub>	L1	404	280	AICI <sub>3</sub>	L1	505	361	GaCl₃	L1	448	308	
	BBr <sub>3</sub>	L1	428	294	AlBr <sub>3</sub>	L1	513	363	GaBr₃	L1	448	302	
	Bl <sub>3</sub>	L1	446	296	All <sub>3</sub>	L1	512	351	Gal₃	L1	440	284	
	B(NH <sub>2</sub> ) <sub>3</sub>	L1	120	22	AI(NH <sub>2</sub> ) <sub>3</sub>	L1	316	205	Ga(NH <sub>2</sub> ) <sub>3</sub>	L1	267	154	
	B(OH)₃	L1	190	106	AI(OH) <sub>3</sub>	L1	377	272	Ga(OH)₃	L1	342	233	
	B(SH) <sub>3</sub>	L1	309	176	Al(SH)₃	L1	445	297	Ga(SH)₃	L1	372	229	
	B(CH <sub>3</sub> ) <sub>3</sub>	L1	248	132	AI(CH <sub>3</sub> ) <sub>3</sub>	L1	369	236	Ga(CH <sub>3</sub> ) <sub>3</sub>	L1	285	160	
	BPh <sub>3</sub>	L1	320	164	AlPh₃	L1	427	264	GaPh₃	L1	349	196	
	B(CCH) <sub>3</sub>	L1	334	221	AI(CCH) <sub>3</sub>	L1	448	318	Ga(CCH) <sub>3</sub>	L1	377	253	
	$B(C_2F_5)_3$	L1	581	417	$AI(C_2F_5)_3$	L1	607	425	$Ga(C_2F_5)_3$	L1	514	340	
	B(C <sub>6</sub> F <sub>5</sub> ) <sub>3</sub>	L2	448	254	$AI(C_6F_5)_3$	L2	544	344	$Ga(C_6F_5)_3$	L2	454	261	
	$B(OC_6F_5)_3$	L2	419	224	AI(OC <sub>6</sub> F <sub>5</sub> ) <sub>3</sub>	L2	541	336	Ga(OC <sub>6</sub> F <sub>5</sub> ) <sub>3</sub>	L2	481	280	
	$B(OC(CF_3)_3)_3$	L2	423	232	$AI(OC(CF_3)_3)_3$	L2	546	353	Ga(OC(CF <sub>3</sub> ) <sub>3</sub> ) <sub>3</sub>	L2	501	309	
	B(OTf) <sub>3</sub>	L1	565	384	AI(OTf) <sub>3</sub>	L1	513	338	Ga(OTf)₃	L1	490	314	
	$B(N(C_6F_5)_2)_3$	L3	368	148	$AI(N(C_6F_5)_2)_3$	L3	541	317	$Ga(N(C_6F_5)_2)_3$	L3	458	246	
	SiH₄	L1	140	-32	GeH <sub>4</sub>	L1	112	15	SnH₄	L1	152	-42	
	SiF <sub>4</sub>	L1	310	165	GeF <sub>4</sub>	L1	355	241	SnF₄	L1	412	277	
	SiCl <sub>4</sub>	L1	328	183	GeCl <sub>4</sub>	L1	323	182	SnCl₄	L1	360	205	
	SiBr <sub>4</sub>	L1	344	189	GeBr <sub>4</sub>	L1	321	173	SnBr <sub>4</sub>	L1	364	201	
	Sil <sub>4</sub>	L1	352	184	Gel <sub>4</sub>	L1	299	137	Snl₄	L1	331	156	
	Si(NH <sub>2</sub> ) <sub>4</sub>	L1	171	0	Ge(NH <sub>2</sub> ) <sub>4</sub>	L1	186	68	Sn(NH <sub>2</sub> ) <sub>4</sub>	L1	240	71	
	Si(OH) <sub>4</sub>	L1	223	62	Ge(OH) <sub>4</sub>	L1	258	143	Sn(OH)₄	L1	315	169	
	Si(SH)₄	L1	323	157	Ge(SH) <sub>4</sub>	L1	289	141	Sn(SH) <sub>4</sub>	L1	318	152	
	SiMe <sub>4</sub>	L1	134	-46	GeMe <sub>4</sub>	L1	101	-28	SnMe₄	L1	153	-35	
	SiPh <sub>4</sub>	L1	149	-31	GePh₄	L1	86	-77	SnPh₄	L1	184	1	
	Si(CCH) <sub>4</sub>	L1	255	128	Ge(CCH) <sub>4</sub>	L1	206	86	Sn(CCH) <sub>4</sub>	L1	246	110	
	$Si(C_2F_5)_4$	L1	430	254	$Ge(C_2F_5)_4$	L1	344	171	Sn(C <sub>2</sub> F <sub>5</sub> ) <sub>4</sub>	L1	364	183	
	$SI(C_6F_5)_4$	L2	336	120	$Ge(C_6F_5)_4$	L2	278	74	$Sn(C_6F_5)_4$	L3	332	114	
	Si(OC <sub>6</sub> F <sub>5</sub> ) <sub>4</sub>	L2	431	211	Ge(OC <sub>6</sub> F <sub>5</sub> ) <sub>4</sub>	L2	436	228	$Sn(OC_6F_5)_4$	L3	492	279	
		L2	370	166	Ge(OC(CF <sub>3</sub> ) <sub>3</sub> ) <sub>4</sub>	L2	403	200	$Sn(OC(CF_3)_3)_4$	L3	464	259	
	$Si(OIf)_4$	L1	519	333	Ge(Off) <sub>4</sub>	L1	524	338	Sn(OTT)4	L1	519	327	
	$SI(N(C_6F_5)_2)_4$	L3	382	145	$Ge(N(C_6F_5)_2)_4$	L3	368	134	Chu	14	040	00	
	PH <sub>5</sub>	L1	186	86	ASH5	L1	166	60	SDH5	L1	219	99	
			384	2/0			439	323			490	362	
			390	251	ASCI5		401	204			430	205	
			400	201	ASDI5		393	200			413	254	
			105	221			100	192			400	230	
			105	-21		11	242	122	Sb(14112)5 Sb(OH)-		247	100	
		L1 11	267	112		11	242	120	Sb(OH)5 Sb(SH)-	11	321	133	
	PMo-		145	2			155	14	Sb(SH)5		212	69	
	PPh <sub>c</sub>	13	226	44		13	227	49	ShShh-	13	284	109	
		11	301	178	Δs(CCH)-	11	286	159	Sh(CCH)-	11	320	203	
		11	504	320	As(CoFr)	11	300	214	Sb(CoFo)c	11	437	253	
	$P(C_{2}F_{2})_{5}$	12	335	116	As(CoFe)e	12	325	108	Sb(CoFc)c	13	384	167	
	$P(OC_{a}F_{a})_{a}$	12	453	236	As(OC_F_)	12	509	293	Sb(OC_F_)	13	543	327	
	$P(OC(CF_{a})_{a})_{a}$	12	483	272	As(OC(CE <sub>2</sub> ) <sub>2</sub> ) <sub>2</sub>	12	504	293	Sh(OC(CFa)a)	13	559	363	
	P(OTf)₅	L1	557	365	As(OTf)₅	L1	598	404	Sb(OTf)₅	L1	594	397	
1													

fluoride ion acceptors are obtained. Interestingly, the effect of  $C_2F_5$  is most pronounced for the most electronegative elements B and P in this series (*vide infra* for discussion).

Figure 3c illustrates the trends observed with groups connected via oxygen at group 13–15 elements. With the hydroxyl-substituent, the FIA ordering within each group is similar to the fluoride ligand, although overall diminished. Upon endowing the oxygen atom with a fluorinated aryl or alkyl group, the FIA increases considerably. Although the  $OC_6F_5$ 

group and the OC(CF<sub>3</sub>)<sub>3</sub> group are roughly in the same "league" of efficiency, a notable difference occurs. The central element determines the change in FIA upon going from OC<sub>6</sub>F<sub>5</sub> to OC (CF<sub>3</sub>)<sub>3</sub>. Group 13 and group 15 elements experience an increase in FIA (OC(CF<sub>3</sub>)<sub>3</sub> > OC<sub>6</sub>F<sub>5</sub>), whereas the group 14 elements show a decrease in FIA upon changing OC<sub>6</sub>F<sub>5</sub> to OC(CF<sub>3</sub>)<sub>3</sub>. With the triflate ligand, B, Si, and Ge outperform Al and Ga for the first time, as for those two latter elements, the free Lewis acids experience a stabilization by bidentate binding of the triflate



Compound		FIA	FIAsolv	Compound		FIA	FIAsolv	Compound		FIA	FIA <sub>solv</sub>
PH₃	L1	63	-26	SbCl₃	L1	309	169	$Te(C_2F_5)_4$	L1	360	178
PF <sub>3</sub>	L1	200	99	SbBr <sub>3</sub>	L1	315	169	Te(OC(CF <sub>3</sub> ) <sub>3</sub> ) <sub>4</sub>	L3	430	225
PCl₃	L1	265	141	$Sb(C_2F_5)_3$	L1	315	142	B(C <sub>6</sub> F <sub>4</sub> -pCF <sub>3</sub> ) <sub>3</sub> <sup>[30]</sup>	L3	487	277
PBr₃	L1	286	157	Sb(OC(CF <sub>3</sub> ) <sub>3</sub> ) <sub>3</sub>	L3	402	190	B(OTeF <sub>5</sub> ) <sub>3</sub> <sup>[31]</sup>	L3	506	314
$P(C_2F_5)_3$	L1	274	111	SH4	L1	27	-36	B(OC <sub>5</sub> F <sub>4</sub> N) <sub>3</sub> <sup>[32]</sup>	L3	462	256
P(OC(CF <sub>3</sub> ) <sub>3</sub> ) <sub>3</sub>	L2	319	126	SF <sub>4</sub>	L1	223	118	$F_4C_6(1,2-B(C_6F_5)_2)_2^{[33]}$	L3	501	283
AsH₃	L1	74	-62	$S(C_2F_5)_4$	L1	166	-13	pentaphenylborole-F <sub>25</sub> [34]	L3	481	270
AsF <sub>3</sub>	L1	244	135	S(OC(CF <sub>3</sub> ) <sub>3</sub> ) <sub>4</sub>	L2	319	117	F <sub>4</sub> C <sub>6</sub> (1,2-(B(C <sub>12</sub> F <sub>8</sub> )) <sub>2</sub>	L3	487	276
AsCl <sub>3</sub>	L1	276	146	SeH <sub>4</sub>	L1	34	-58	AI(OTeF <sub>5</sub> )3 <sup>[35]</sup>	L3	598	406
AsBr <sub>3</sub>	L1	286	149	SeF <sub>4</sub>	L1	292	177	AI(OC <sub>5</sub> F <sub>4</sub> N) <sub>3</sub> <sup>[32]</sup>	L3	595	378
$As(C_2F_5)_3$	L1	267	100	$Se(C_2F_5)_4$	L1	231	51	AI(OC(C <sub>6</sub> F <sub>5</sub> ) <sub>3</sub> ) <sub>3</sub> <sup>[36]</sup>	L3	539	301
As(OC(CF <sub>3</sub> ) <sub>3</sub> ) <sub>3</sub>	L2	341	138	Se(OC(CF <sub>3</sub> ) <sub>3</sub> ) <sub>4</sub>	L2	366	162	As(OTeF₅)₅	L3	580	374
SbH₃	L1	129	22	TeH₄	L1	111	1	Sb(OTeF₅)₅	L3	623	416
SbF <sub>3</sub>	L1	290	167	TeF₄	L1	348	219				

Table 4. Collection of computed EIA for group 15-16 element compounds in medium oxidation states, and some selected special Lewis acids according

substituent. The same effect causes the relatively low FIA of Sb (OTf)<sub>5</sub>.

By consideration of the last two comparisons (carbon and oxy substituents), some interesting statements can be made. For the carbon-based ligands, the  $\sigma$ -electron-withdrawing effect is most decisive, since carbon itself is not very electronegative, but has no free electron pairs available to delocalize to the central element. Thus, the C<sub>2</sub>F<sub>5</sub> group is most effective, especially for the less electropositive elements. For oxy-ligands, free electron pairs are available, which may delocalize to the central atom and diminish the FIA. The sensitivity of these effects depends on the group and the electronegativity of the central element. The  $OC_6F_5$  ligand offers a low-lying  $\pi$ -system for the free electron pair to delocalize also in the opposite direction. For group 14 species, it is the  $\pi$ -electron density that matters more, in line with previous findings for bis(catecholato) silanes.<sup>[29]</sup> For group 13 and 15 elements, especially for the most electronegative P and B, the  $\sigma$ -electron-withdrawing effect gains more weight, and the  $OC(CF_3)_3$  becomes more effective. As a rule of thumb, one may formulate: Group 14 acceptors with oxy-ligands profit from negative mesomeric effects ( $\pi$ -electron acceptors at oxygen,  $OC_6F_{6r}$  perhalogenated catecholates). Group 13 and group 15 acceptors, the more electronegative B and P in particular, profit from negative inductive effects (substituents with electron-poor  $\sigma$ -framework connected, OC(CF<sub>3</sub>)<sub>2</sub>). For the less electronegative carbon substituents, inductive electron-withdrawal is most effective in all cases (e.g.,  $C_2F_5$ ).

A graphical comparison of the computed FIA with the global electrophilicity indices<sup>[37]</sup> (based on the PBEh-3c FMO energies of the free Lewis acids) has been performed, but no correlation was observable (see Figure S2). Last, we would like to comment on the effect of solvation. The COSMO-RS corrected values substantiate the trend that has been indicated in a previous contribution.<sup>[2a]</sup> Overall, the  $FIA_{solv}$  is decreased by roughly 100–200 kJ mol<sup>-1</sup> in comparison to the gas-phase value. It originates from the larger  $\Delta E_{solv}(F^{-})$  relative to the  $\Delta E_{solv}(LA)$ and  $\Delta E_{solv}(LA-F^{-})$ . The size of the Lewis acid determines the absolute magnitude of this FIA-damping. Smaller Lewis acids (e.g.,  $BF_3$ ) lead to compact anions (e.g.,  $BF_4^{-}$ ) with a significant  $\Delta E_{solv}(LA-F^-)$  due to high charge density. For larger Lewis acids (e.g.,  $AI(OC(C_6F_5)_3)_3)$ ), the charge density in the fluoride adducts and hence of  $\Delta E_{solv}(LA-F^-)$  is much smaller. Thus, for the larger Lewis acids, the FIA-damping happens to be more pronounced. Tentative comparisons of the FIA-damping with simply the number of atoms indicated no meaningful correlation. Parameters like the molecular Van der Waals volume<sup>[38]</sup> might be better suited, but are not readily available throughout most parts of the periodic table.

### 3.1. Tutorial Section

Finally, a more detailed description of the computation of FIA will be given. It might appear trivial for the experienced scientists in the field, but merits presentation, given some found misuses of the method.

First Step: Optimize the geometry of the Lewis acid and of its fluoride ion adduct by a method that describes the structural characteristics of this class of compounds well enough. The use of PBEh-3c can be recommended, although other functionals with dispersion correction and sufficient basis sets, like B3LYP-D3(BJ) or TPSS-D3(BJ), should perform equally well. For all compounds, perform frequency analysis, check for the absence of imaginary frequencies, keep the geometries and the ZPE/ thermal corrections for the next step.

Second Step: Compute the single point-energy for both species with either a well-benchmarked DF (like PW6B95-(D3BJ)/def2-QZVPP and the TMS-reference system or the M06-2X(D3zero)/def2-QZVPP and the COF2 reference system) or ideally at a higher level of theory (like DSD-BLYP(D3BJ)/def2-QZVPP or DLPNO-CCSD(T)/(aug)-cc-pVQZ). Combine the electronic energies obtained from step 2 with the thermal correction of step 1, to obtain the total enthalpies of the Lewis acids and their fluoride adducts. Isodesmic calculations are mandatory if lower levels of theory are applied and generally recommended (see third step).



*Third Step* (must be performed only once): To obtain the absolute FIA values, optimize the two species of the selected reference system (i.e.,  $COF_2/COF_3^-$  or  $Me_3SiF/Me_3Si^+$ ) with the same method as in step 1 and compute the single point enthalpies with the same method as in step 2. Now, calculate the reaction enthalpy of eqs. 1a/b, Figure 2. Next, subtract the experimental value of the FIA of  $COF_2$  (208.8 kJmol<sup>-1</sup>) or the high-level value for the FIA of  $Me_3Si^+$  (952.5 kJmol<sup>-1</sup>). By doing so, a final absolute FIA with an estimated accuracy of  $\pm 5$  kJmol<sup>-1</sup> should be obtained.

*Fourth Step* (optional): Consider solvation correction with a meaningful model.<sup>[39]</sup> The solvation free energy has to be computed for the Lewis acid, the fluoride adduct of the Lewis acid, and the fluoride ion. The solvation energies can then be combined with the FIA from step 3, according to eq. 3, to provide the FIA<sub>solv</sub> data.

### 4. Conclusion

With the present contribution, we provide a benchmark, that identified three methods for the computation of fluoride ion affinities (FIA) suitable for a broad range of p-block elements and molecular size levels with an estimated accuracy of  $\pm 5 \text{ kJ} \text{ mol}^{-1}$ . Based on these methods, a self-consistent set of 190 FIA was computed. With this collection, we provide a source of reference that allows connecting the FIA with models of chemical bonding or experimental findings in future works. Moreover, it allowed for the first time a reliable large-scale comparison that disclosed two design principles for the construction of strong fluoride ion acceptors: I) Light elements with heavy element substituents or heavy elements with light element substituents. II)  $\pi$ -acceptors at oxy-ligands for group 14 and  $\sigma$ -acceptors at oxy-ligands for groups 13 and 15.

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## **Conflict of Interest**

The authors declare no conflict of interest.

Keywords: benchmark  $\cdot$  fluoride ion affinity  $\cdot$  Lewis acids  $\cdot$  Lewis acidity scale  $\cdot$  p-block element compounds

- a) A. Corma, Chem. Rev. 1995, 95, 559–614; b) H. Yamamoto, Lewis acids in organic synthesis, Wiley-VCH, Weinheim, 2002; c) A. Corma, H. García, Chem. Rev. 2003, 103, 4307–4366.
- [2] a) L. Greb, Chem. Eur. J. 2018, 24, 17881–17896; b) J. R. Gaffen, J. N. Bentley, L. C. Torres, C. Chu, T. Baumgartner, C. B. Caputo, Chem 2019, 5,

1567–1583; c) S. Künzler, S. Rathjen, A. Merk, M. Schmidtmann, T. Müller, Chem. Eur. J. 2019, 25, 15123–15130.

- [3] a) K. O. Christe, D. A. Dixon, D. McLemore, W. W. Wilson, J. A. Sheehy, J. A. Boatz, *J. Fluorine Chem.* **2000**, *101*, 151–153; b) T. E. Mallouk, G. L. Rosenthal, G. Mueller, R. Brusasco, N. Bartlett, *Inorg. Chem.* **1984**, *23*, 3167–3173.
- [4] R. G. Pearson, J. Am. Chem. Soc. 1963, 85, 3533-3539.
- [5] I. Krossing, I. Raabe, Chem. Eur. J. 2004, 10, 5017–5030.
- [6] a) R. Craciun, R. T. Long, D. A. Dixon, K. O. Christe, *J. Phys. Chem. A* 2010, *114*, 7571–7582; b) H. Böhrer, N. Trapp, D. Himmel, M. Schleep, I. Krossing, *Dalton Trans.* 2015, *44*, 7489–7499.
- [7] K. M. Marczenko, C. L. Johnson, S. S. Chitnis, Chem. Eur. J. 2019, 25, 8865–8874.
- [8] It is always important to keep in mind, that the FIA, like every other Lewis acidity scale, is only one-dimensional. The FIA is predominated by the hard-hard or electrostatic Lewis acid-Lewis base interaction. There is no need, that the FIA ranking has to match with complex properties like e.g. the catalytic activity of a Lewis acid, as this might be governed by orbital perturbations of a substrate (soft Lewis acidity) or disturbed by steric repulsion.
- [9] a) S. Grimme, J. G. Brandenburg, C. Bannwarth, A. Hansen, *J. Chem. Phys.* **2015**, *143*, 054107; b) A. T. Cavasin, A. Hillisch, F. Uellendahl, S. Schneckener, A. H. Göller, *J. Chem. Inf. Model.* **2018**, *58*, 1005–1020.
- [10] F. Neese, Wiley Interdiscip. Rev.: Comput. Mol. Sci. 2018, 8, e1327-n/a.
- [11] a) S. Zhong, E. C. Barnes, G. A. Petersson, J. Chem. Phys. 2008, 129, 184116; b) F. Neese, E. F. Valeev, J. Chem. Theory Comput. 2011, 7, 33– 43.
- [12] a) D. J. Grant, D. A. Dixon, D. Camaioni, R. G. Potter, K. O. Christe, *Inorg. Chem.* 2009, 48, 8811–8821; b) C. G. Krespan, D. A. Dixon, *J. Fluorine Chem.* 1996, 77, 117–126; c) L. N. Sidorov, M. I. Nikitin, E. V. Skokan, I. D. Sorokin, *Int. J. Mass Spectrom.* 1980, 35, 203–214.
- [13] a) Y.-R. Luo, Comprehensive handbook of chemical bond energies, Taylor & Francis, Boca Raton, Fla., 2007; b) T. J. Bruno, D. R. Lide, J. R. Rumble, CRC handbook of chemistry and physics : a ready-reference book ofchemical and physical data, 2018.
- [14] L. A. Curtiss, K. Raghavachari, P. C. Redfern, V. Rassolov, J. A. Pople, J. Chem. Phys. 1998, 109, 7764–7776.
- [15] L. A. Curtiss, P. C. Redfern, K. Raghavachari, J. Chem. Phys. 2007, 126, 084108.
- [16] Hence, the FIA data reported herein is systematically shifted by 6 kJ mol<sup>-</sup> in comparison to previous FIA data that have been anchored at the G3-value. See citing literature of reference [6].
- [17] a) F. Neese, A. Hansen, D. G. Liakos, J. Chem. Phys. 2009, 131, 064103;
  b) C. Riplinger, F. Neese, J. Chem. Phys. 2013, 138, 034106.
- [18] D. G. Liakos, M. Sparta, M. K. Kesharwani, J. M. L. Martin, F. Neese, J. Chem. Theory Comput. 2015, 11, 1525–1539.
- [19] D. G. Liakos, F. Neese, J. Phys. Chem. A 2012, 116, 4801-4816.
- [20] Y. Guo, C. Riplinger, U. Becker, D. G. Liakos, Y. Minenkov, L. Cavallo, F. Neese, J. Chem. Phys. 2018, 148, 011101.
- [21] K. A. Peterson, T. B. Adler, H.-J. Werner, J. Chem. Phys. 2008, 128, 084102.
- [22] S. Kozuch, D. Gruzman, J. M. L. Martin, J. Phys. Chem. C. 2010, 114, 20801–20808.
- [23] L. Goerigk, A. Hansen, C. Bauer, S. Ehrlich, A. Najibi, S. Grimme, Phys. Chem. Chem. Phys. 2017, 19, 32184–32215.
- [24] Y. Zhao, D. G. Truhlar, Theor. Chem. Acc. 2008, 120, 215-241.
- [25] G. Bistoni, A. A. Auer, F. Neese, Chem. Eur. J. 2017, 23, 865-873.
- [26] We are aware of potential instabilities of some of the herein considered Lewis acids or their fluoride ion adducts (e.g. towards self-condensation with terminal hydroxy or amino groups). However, to reflect the influence of pure atom types we included such compounds. Moreover, to warrant further comparability, we did not to consider heteroleptic substitution patterns; e.g. cases like the more realistic  $F_2PC(_2F_5)_3$ .
- [27] a) A. Klamt, J. Phys. Chem. **1995**, 99, 2224–2235; b) F. Eckert, A. Klamt, AlChE J. **2002**, 48, 369–385; c) A. Klamt, B. Mennucci, J. Tomasi, V. Barone, C. Curutchet, M. Orozco, F. J. Luque, Acc. Chem. Res. **2009**, 42, 489–492.
- [28] C. C. Pye, T. Ziegler, E. van Lenthe, J. N. Louwen, Can. J. Chem. 2009, 87, 790–797.
- [29] D. Hartmann, M. Schadler, L. Greb, Chem. Sci. 2019, 10, 7379–7388.
- [30] L. A. Körte, J. Schwabedissen, M. Soffner, S. Blomeyer, C. G. Reuter, Y. V. Vishnevskiy, B. Neumann, H.-G. Stammler, N. W. Mitzel, Angew. Chem. Int. Ed. 2017, 56, 8578–8582; Angew. Chem. 2017, 129, 8701–8705.
- [31] F. Sladky, H. Kropshofer, O. Leitzke, J. Chem. Soc. Chem. Commun. 1973, 134–135.



- [32] I. M. Riddlestone, S. Keller, F. Kirschenmann, M. Schorpp, I. Krossing, Eur. J. Inorg. Chem. 2019, 0, 59–67.
- [33] S. P. Lewis, N. J. Taylor, W. E. Piers, S. Collins, J. Am. Chem. Soc. 2003, 125, 14686–14687.
  [34] C. Fan, W. E. Piers, M. Parvez, Angew. Chem. Int. Ed. 2009, 48, 2955–2958;
- [34] C. Fall, W. E. Flets, M. Falvez, Aligew. Chem. Int. Ed. 2009, 48, 2955–2958;
  Angew. Chem. 2009, 121, 2999–3002.
  [35] A. Wissener, T. W. Gries, C. Galinhaum, H. Bach, C. Dinkhalm, G. G.
- [35] A. Wiesner, T. W. Gries, S. Steinhauer, H. Beckers, S. Riedel, Angew. Chem. Int. Ed. 2017, 56, 8263–8266; Angew. Chem. 2017, 129, 8375–8378.
   [36] J. F. Köngl, A. Y. Timochkin, A. Schröder, F. Lerk, J. Beckmann, Chem. Col.
- [36] J. F. Kögel, A. Y. Timoshkin, A. Schröder, E. Lork, J. Beckmann, *Chem. Sci.* 2018, *9*, 8178–8183.
  [37] a) B. C. Barri, L. & Scantracht, G. Lin, J. Am. Cham. Comput. 1002, 1002
- [37] a) R. G. Parr, L. v Szentpály, S. Liu, J. Am. Chem. Soc. 1999, 121, 1922–1924; b) A. R. Jupp, T. C. Johnstone, D. W. Stephan, Dalton Trans. 2018, 47, 7029–7035; c) A. R. Jupp, T. C. Johnstone, D. W. Stephan, Inorg. Chem. 2018, 57, 14764–14771.
- [38] a) Y. H. Zhao, M. H. Abraham, A. M. Zissimos, J. Org. Chem. 2003, 68, 7368–7373; b) A. Gavezzotti, J. Am. Chem. Soc. 1983, 105, 5220–5225.
- [39] a) A. Klamt, B. Mennucci, J. Tomasi, V. Barone, C. Curutchet, M. Orozco, F. J. Luque, *Acc. Chem. Res.* **2009**, *42*, 489–492; b) J. Tomasi, B. Mennucci, R. Cammi, *Chem. Rev.* **2005**, *105*, 2999–3094.

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