

Supplementary Material

1 SUPPLEMENTARY TABLES AND FIGURES

Fixed-effects Model	Random-effects Model
$\beta_k = \beta + e_k$ $e_k \sim N(0, \sigma_k^2)$ $\beta_k \sim N(\beta, \sigma_k^2)$ $w_k = \frac{1}{\sigma_k^2}$ $\hat{\sigma}_k^2 = s_k^2$ (large L_k)	$\beta_k = \beta + \eta_k + e_k$ $\eta_k \sim N(0, \tau^2)$ $e_k \sim N(0, s_k^2)$ $\beta_k \eta_k \sim N(\mu, \tau^2 + s_k^2)$ $w_k = \frac{1}{\tau^2 + s_k^2}$ η_k and e_k are independent

Table S1. Models to incorporate study results in a meta-analysis.

Factor (number of conditions)	Simulation conditions
number of studies (3)	$K = 3, 7, 10$
Within-study variance (3)	$\sigma^2 = 0.1, 0.45, 1$
Between-studies variances (4)	$\tau^2 = 0.001, 0.2, 0.5, 0.8$
Correlation between study random effects (4)	$\rho_{12} = 0.1, 0.7$ $\rho_{23} = 0.2$ $\rho_{13} = 0.6$
Overall effects (3)	$\beta = 0.2, 0.5, 0.8$

Table S2. Summary of the simulated factor conditions. The within-study variance for each study is assumed to be equal.

SUPPLEMENTARY FIGURES

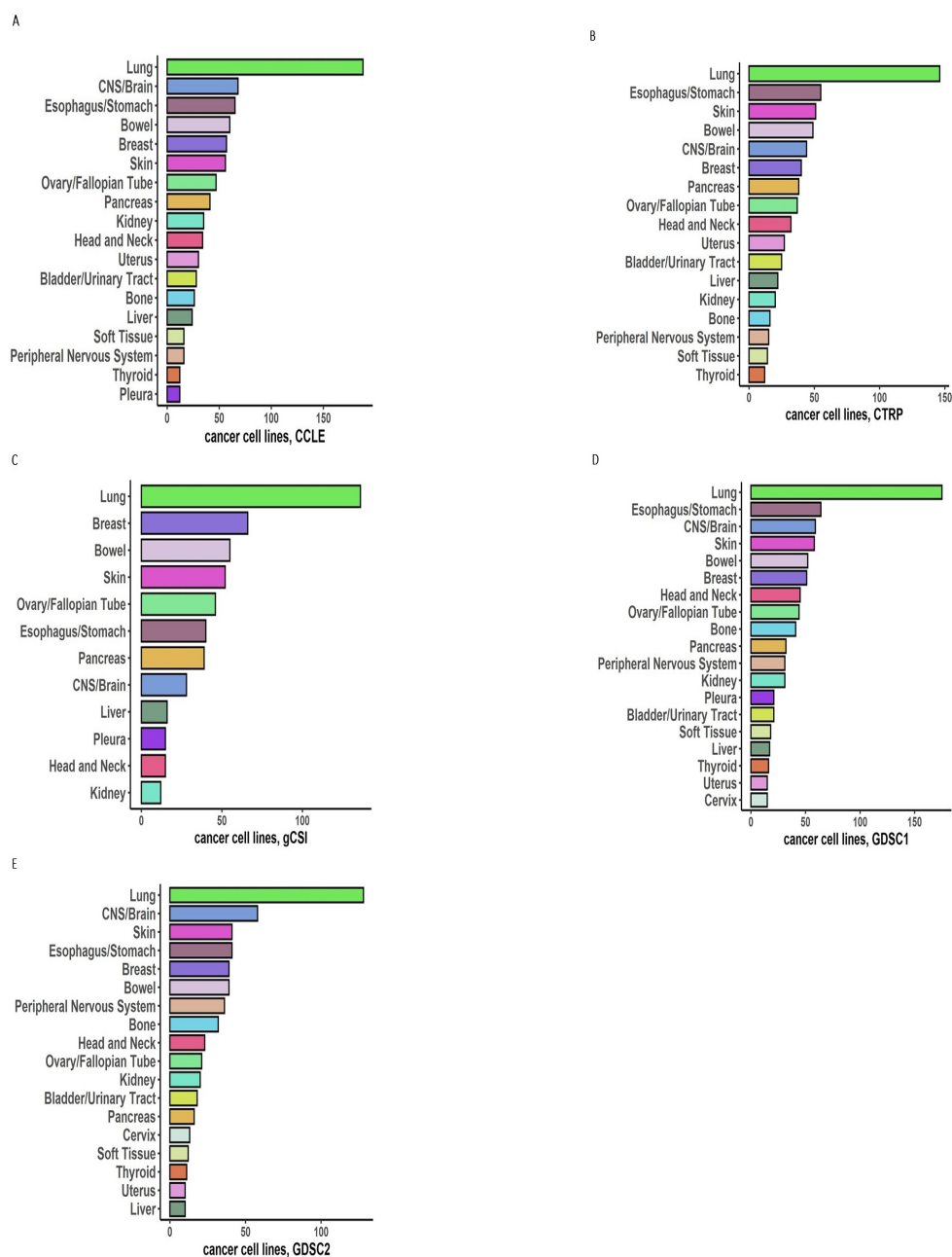


Figure S1. Pan-cancer cell line data. Bar plots illustrate distribution of cell lines across studies and tissue types.

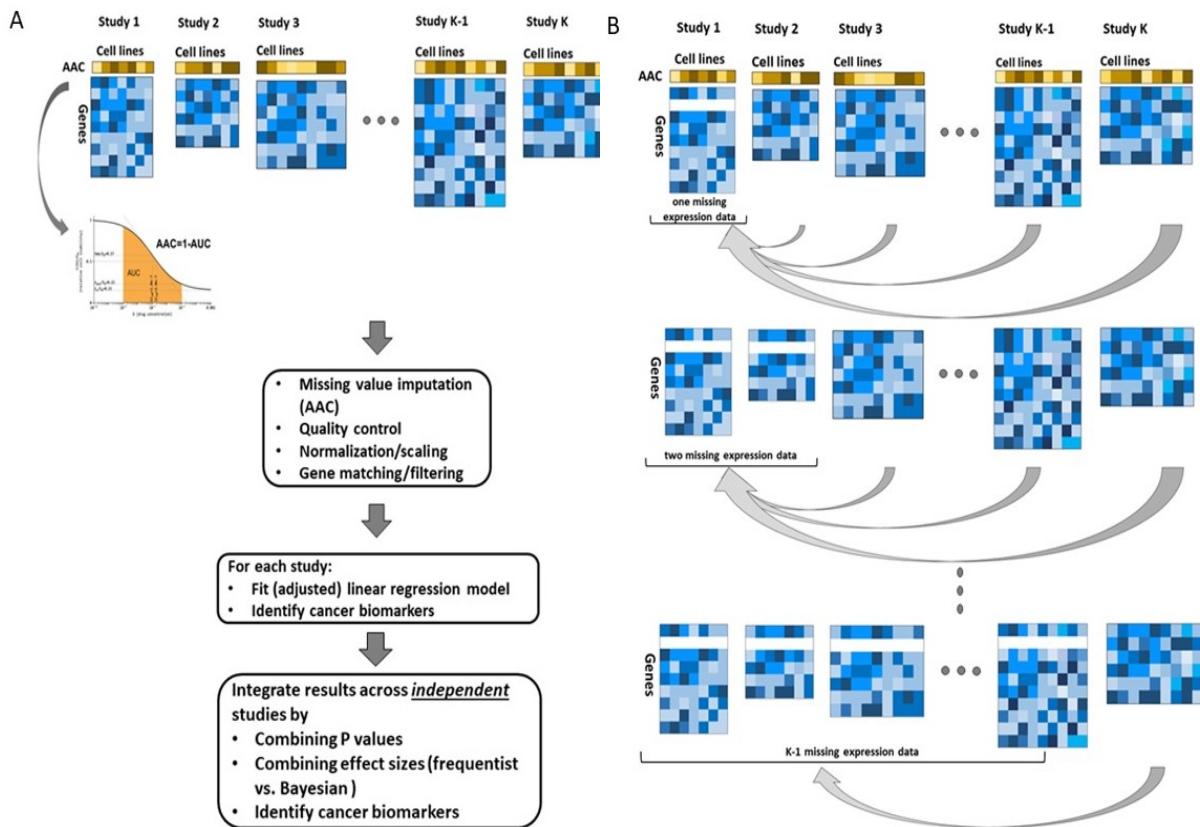


Figure S2. Flow diagram of meta-analysis. Integration analyses using (A) independent studies. (B) Duplicate partial or full missing expression data.

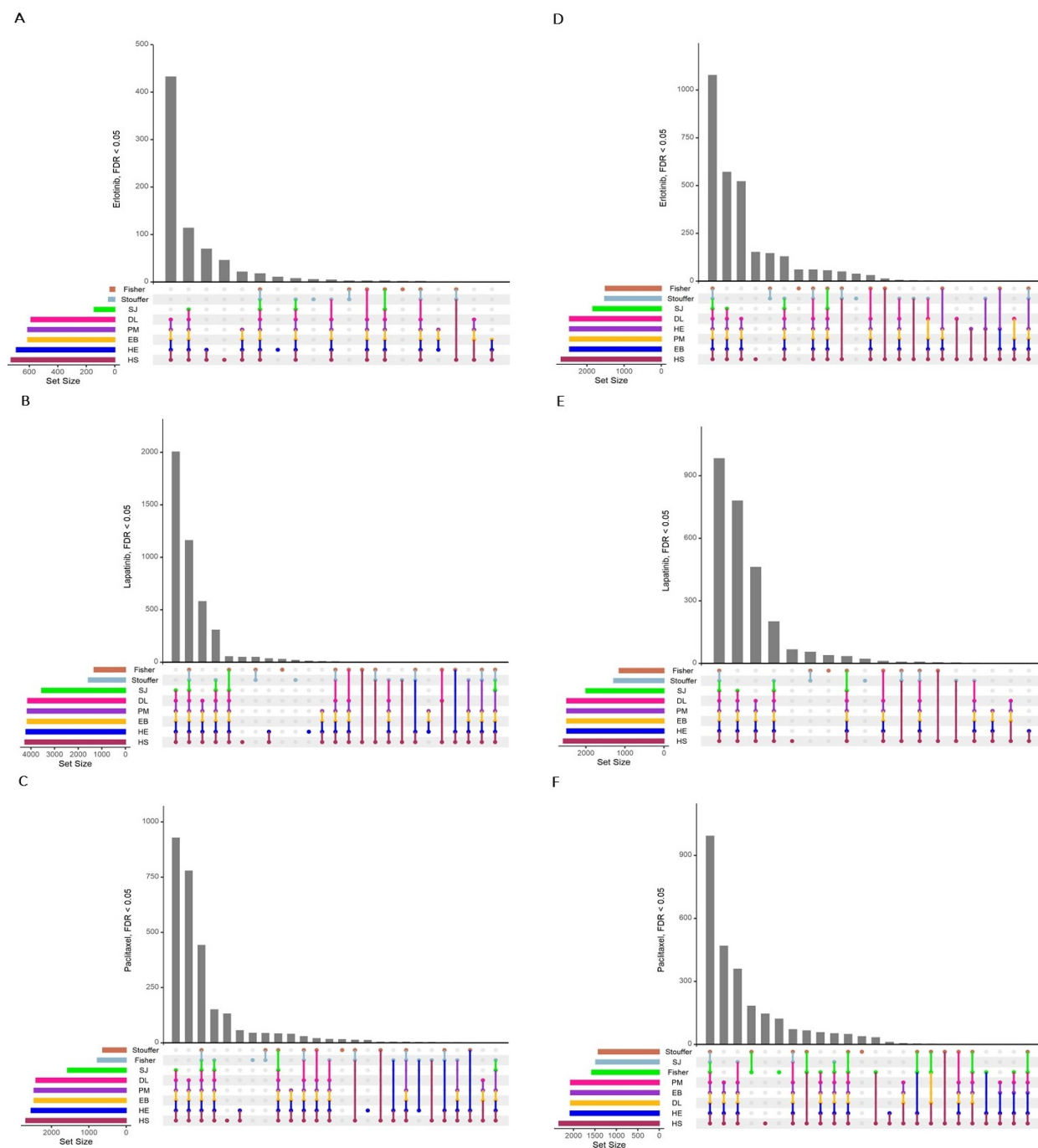
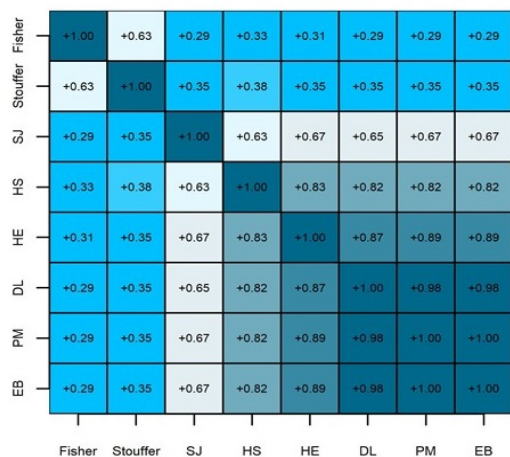


Figure S3. Comparison of different meta-analysis approaches. Upset diagrams represent the number of statistically significant genes associated with drug response (FDR < 0.05) using various meta-analysis methods for (A-C) breast and (D-F) pan-cancer data.

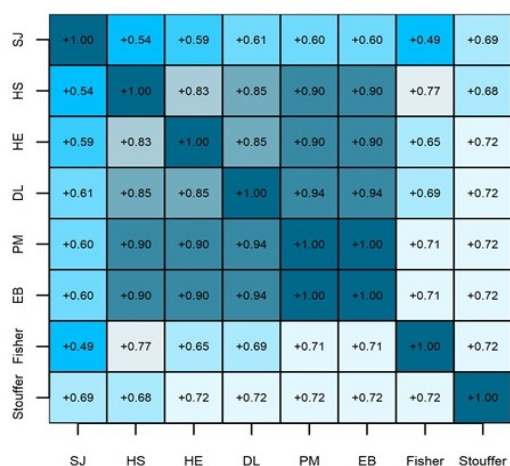
A

Erlotinib



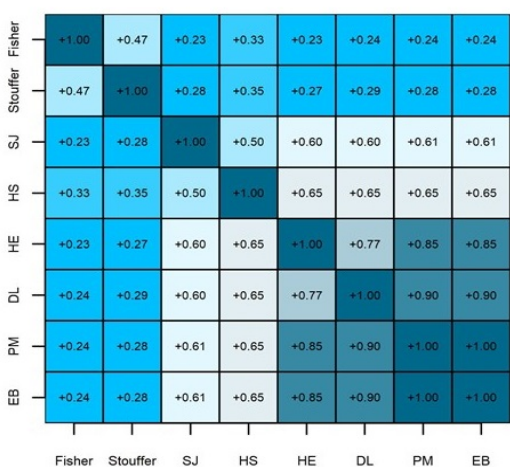
B

Lapatinib



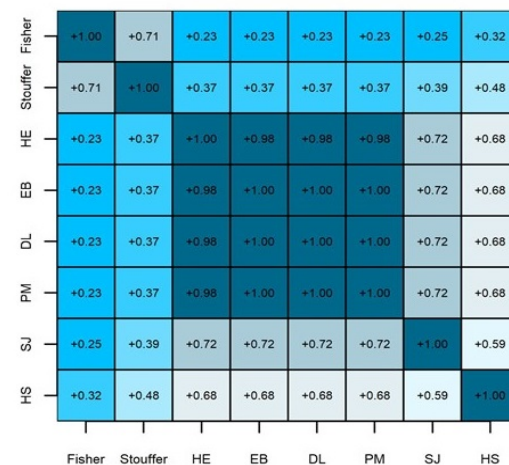
C

Paclitaxel



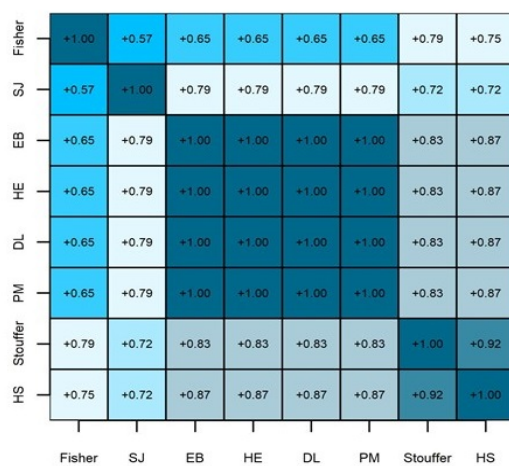
D

Erlotinib



E

Lapatinib



F

Paclitaxel

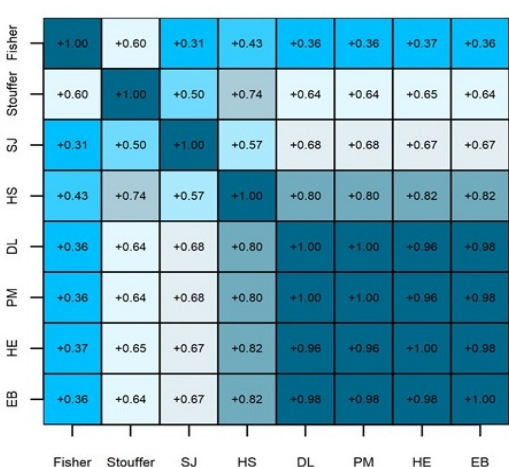


Figure S4. Stability metric to compare different meta-analysis approaches. Stability of identified 100 top-ranked genes associated with drugs by applying Jaccard similarity index using (A-C) breast and (D-F) pan-cancer data.

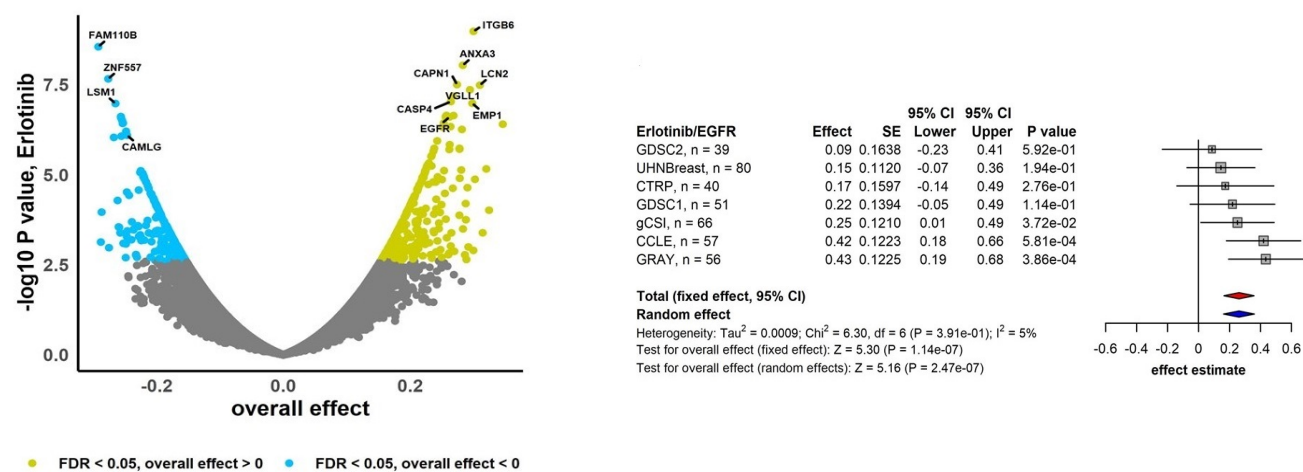


Figure S5. Breast cancer independent meta-analyses not limited to common cell lines across studies. Volcano plots show genes associated with drug response using RE meta-analysis model and forest plots illustrate overall effect estimate using FE (red diamond) and RE (blue diamond) meta-analysis models. DL approach was applied to estimate heterogeneity across studies. pan-cancer data.

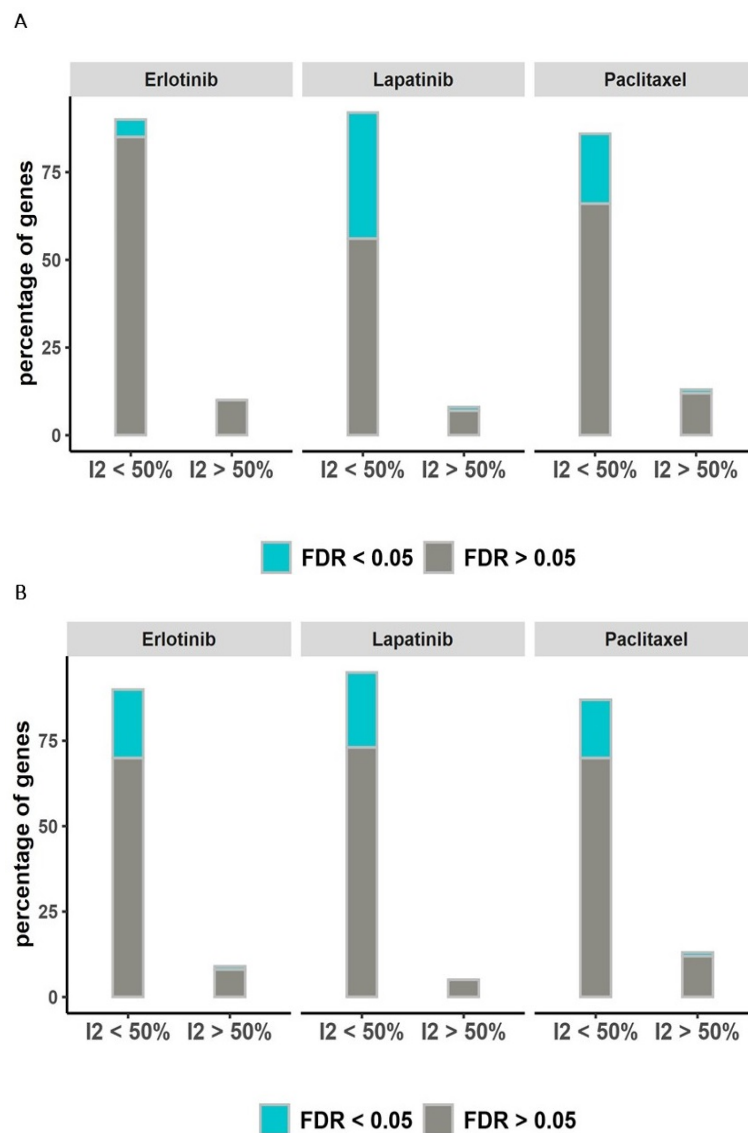


Figure S6. Gene-drug association meta-analyses and estimated heterogeneity. Bar plots present the percentage of gene-drug association meta-analyses using RE meta-analysis across estimated heterogeneity using (A) breast and (B) pan-cancer data.

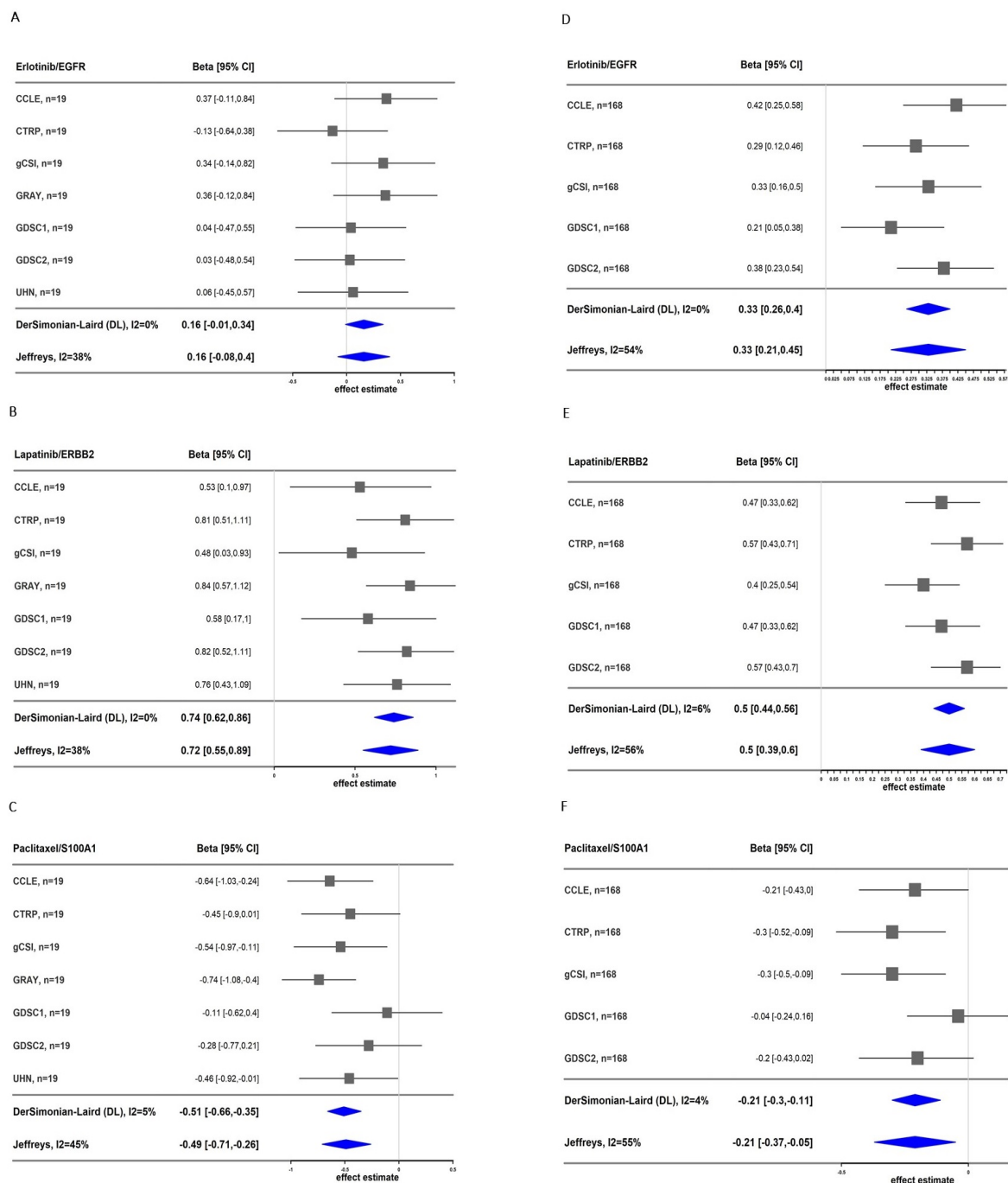


Figure S7. Bayesian versus classical independent meta-analyses. Forest plots illustrate overall effect estimate and 95% confidence and credible intervals along with heterogeneity estimate I^2 using DL and Bayesian Jeffreys procedures using (A-C) breast and (D-F) pan-cancer data.

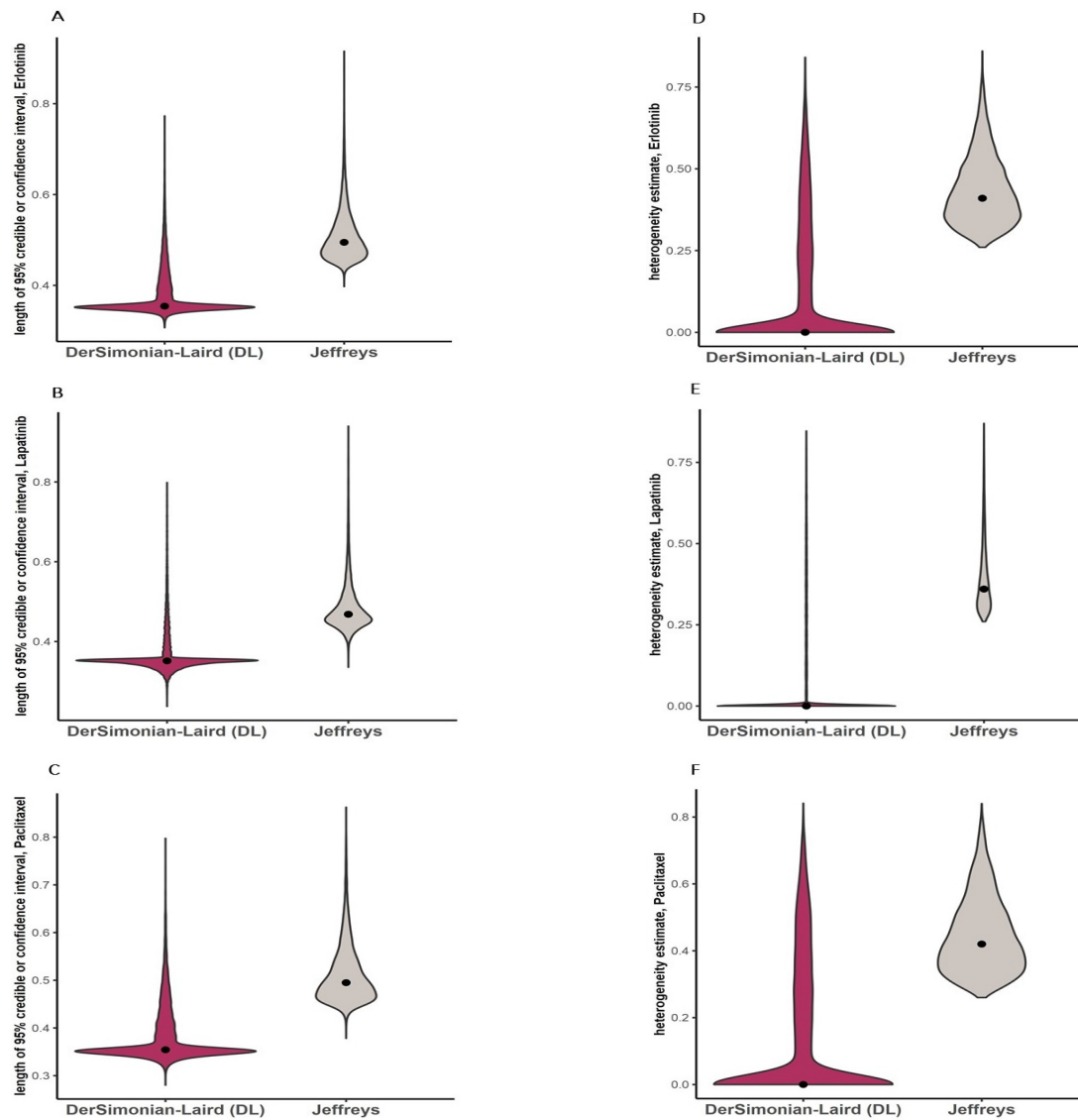


Figure S8. Bayesian versus classical independent to assess gene-drug association using breast cancer data. Violin plots illustrate (A-C) length of 95% confidence and credible intervals and (D-F) heterogeneity estimate I^2 using DL and Bayesian Jeffreys procedures. Black dot represents the median.

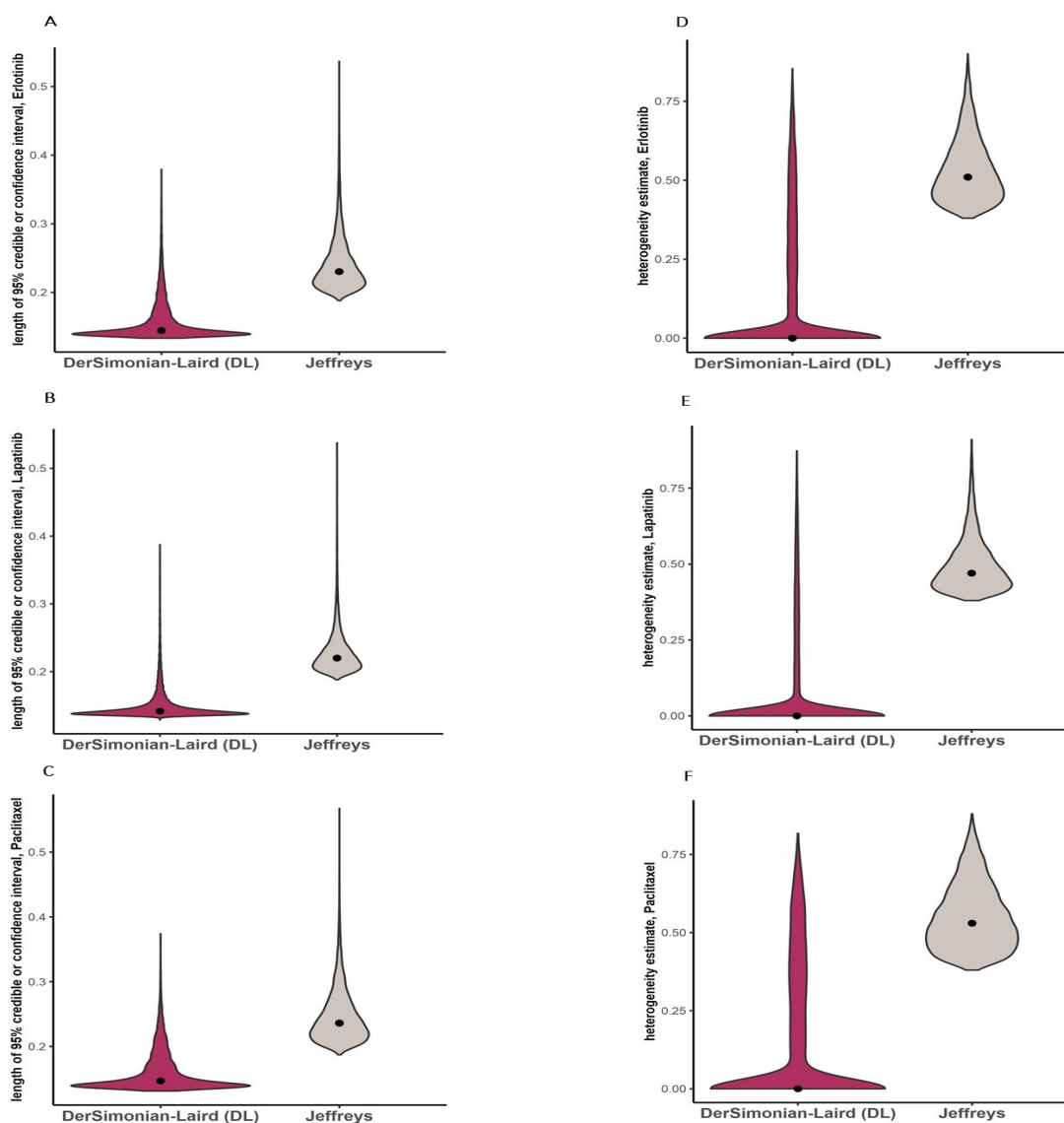


Figure S9. Bayesian versus classical independent to assess gene-drug association using pan-cancer data. Violin plots illustrate (A-C) length of 95% confidence and credible intervals and (D-F) heterogeneity estimate I^2 using DL and Bayesian Jeffreys procedures. Black dot represents the median.

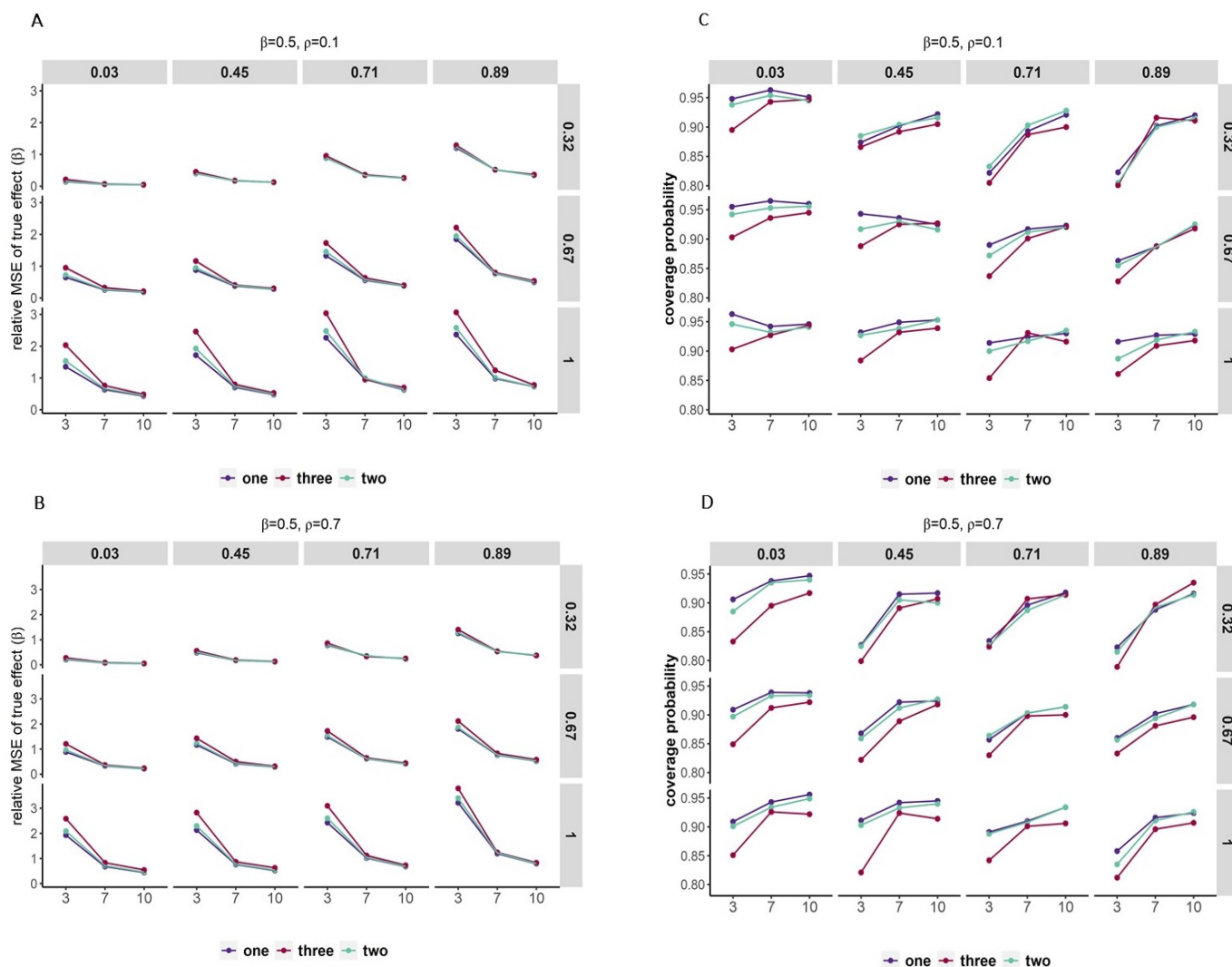


Figure S10. Mean squared error and coverage probability of overall effect estimates. Scenarios containing various within-study variances (row) and heterogeneity across studies (column). The x-axis represents the number of studies and the y-axis shows the relative MSE (A-B) and coverage probability of 95% confidence intervals (C-D). Set overall effect $\beta = 0.5$. Different colors represent a number of duplication or non-independent effects across studies.

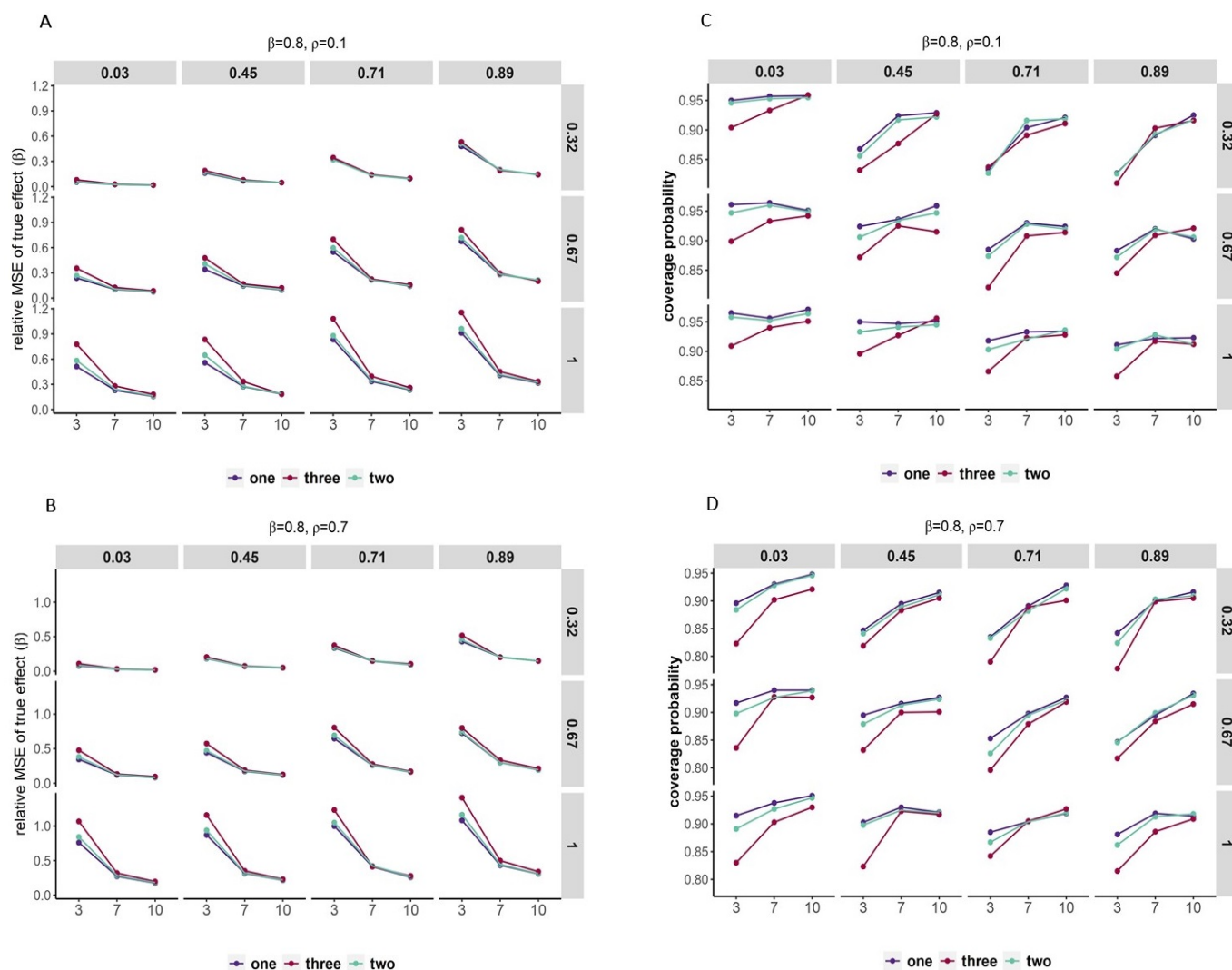


Figure S11. Mean squared error and coverage probability of overall effect estimates. Scenarios containing various within-study variances (row) and heterogeneity across studies (column). The x-axis represents the number of studies and the y-axis shows the relative MSE (A-B) and coverage probability of 95% confidence intervals (C-D). Set overall effect $\beta = 0.8$. Different colors represent a number of duplication or non-independent effects across studies.

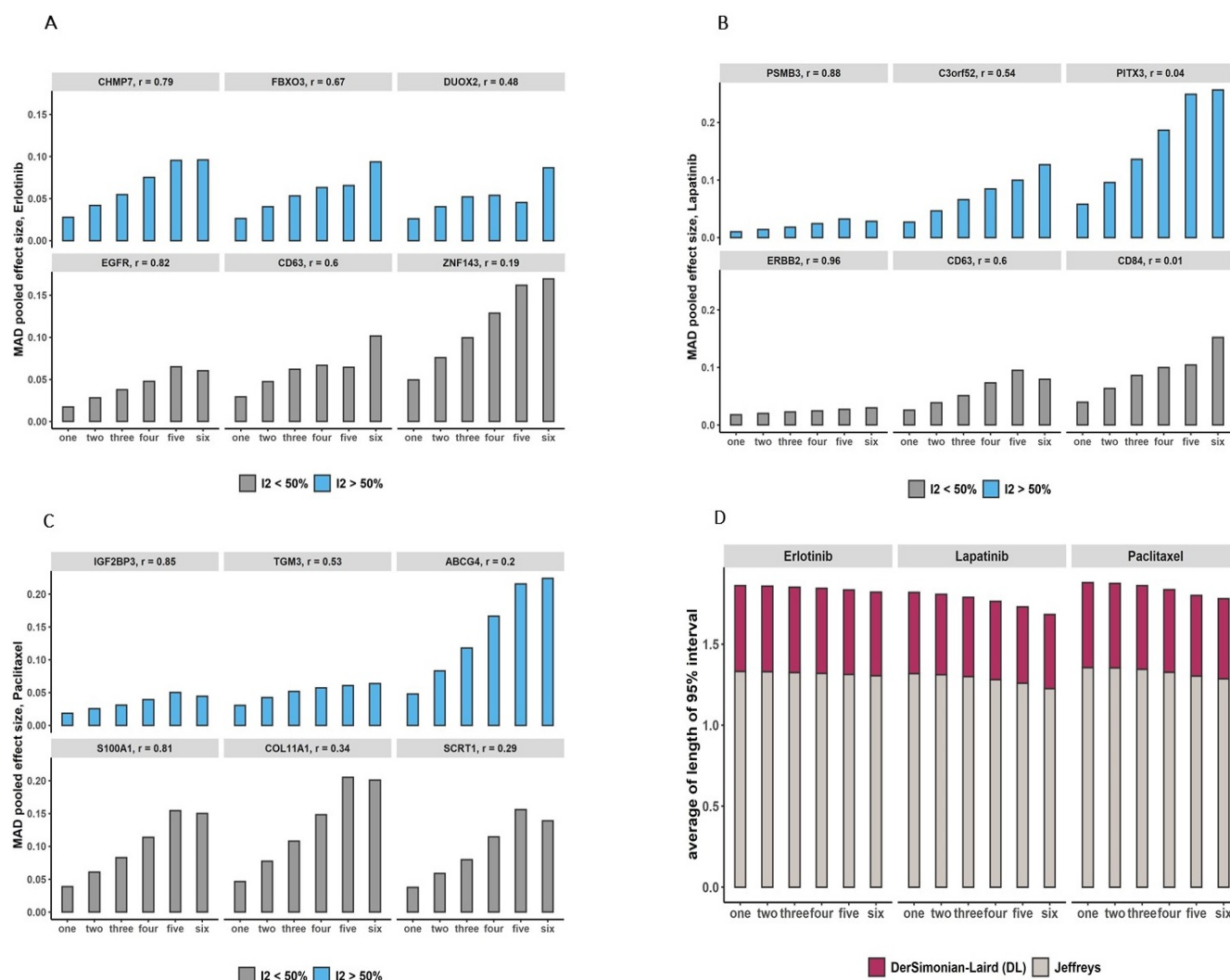


Figure S12. Breast cancer non-independent Jeffreys Bayesian meta-analyses. (A-C) Bar plots present increases in the number of duplications and its impact on the estimated overall effect using MAD metric across drugs and selected genes with substantial (blue) and non-substantial (gray) heterogeneity estimation. Note that x-axis presents the number of duplicate study effects. (D) Bar plots illustrate an average of 95% confidence or credible intervals for specific genes over the number of duplications using DL and Bayesian Jeffreys procedures.

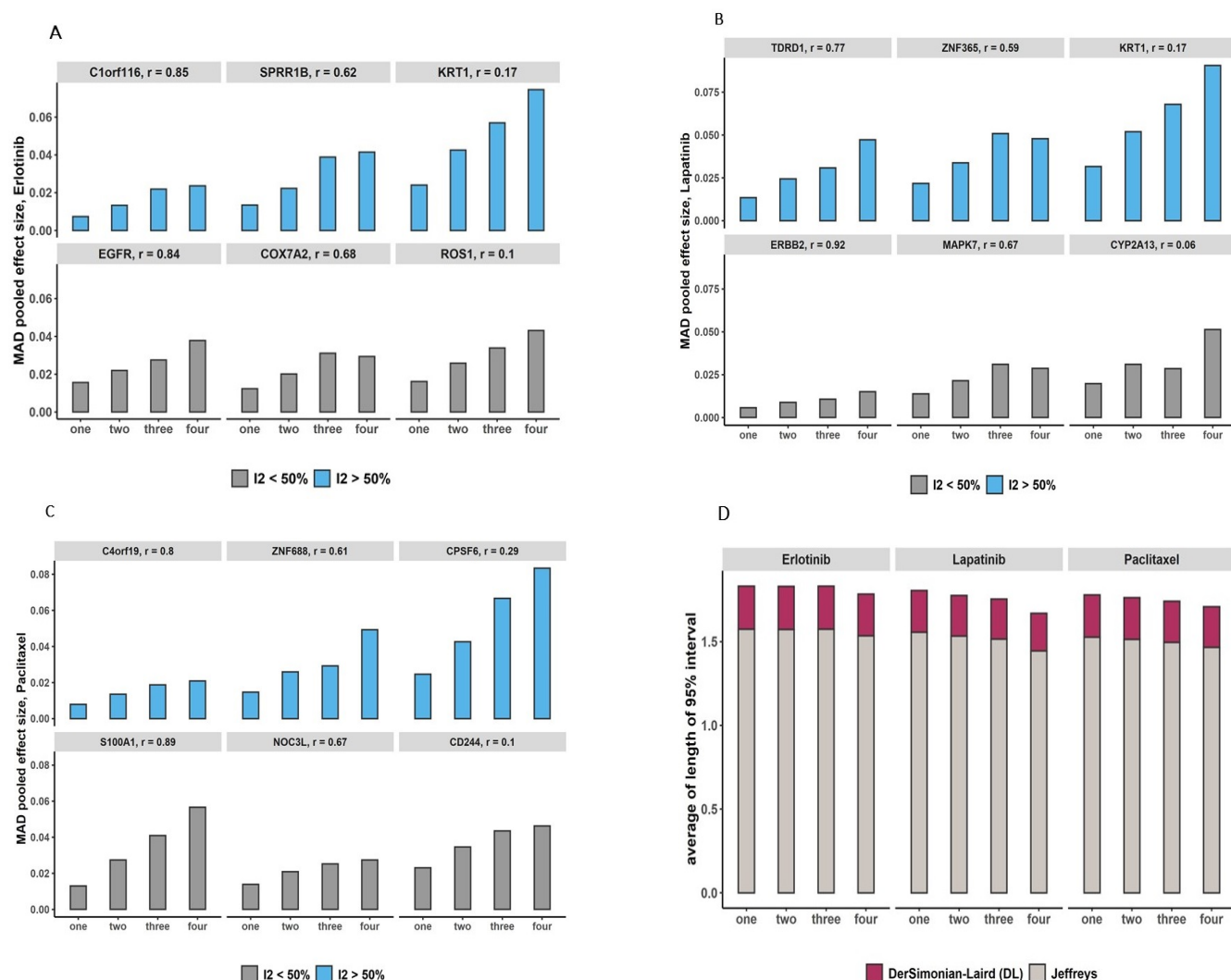


Figure S13. Pan-cancer non-independent Jeffreys Bayesian meta-analyses. (A-C) Bar plots present increases in the number of duplications and its impact on the estimated overall effect using MAD metric across drugs and selected genes with substantial (blue) and non-substantial (gray) heterogeneity estimation. Note that x-axis presents the number of duplicate study effects. (D) Bar plots illustrate an average of 95% confidence or credible intervals for specific genes over the number of duplications using DL and Bayesian Jeffreys procedures.