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# Impacts of Changes in Atmospheric $\mathrm{O}_{2}$ on Human Physiology. Is There a Basis for Concern? 

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Concern is often voiced over the ongoing loss of atmospheric $\mathrm{O}_{2}$. This loss, which is caused by fossil-fuel burning but also influenced by other processes, is likely to continue at least for the next few centuries. We argue that this loss is quite well understood, and the eventual decrease is bounded by the fossil-fuel resource base. Because the atmospheric $\mathrm{O}_{2}$ reservoir is so large, the predicted relative drop in $\mathrm{O}_{2}$ is very small even for extreme scenarios of future fossil-fuel usage which produce increases in atmospheric $\mathrm{CO}_{2}$ sufficient to cause catastrophic climate changes. At sea level, the ultimate drop in oxygen partial pressure will be less than 2.5 mm Hg out of a baseline of 159 mmHg . The drop by year 2300 is likely to be between 0.5 and 1.3 mmHg . The implications for normal human health is negligible because respiratory $\mathrm{O}_{2}$ consumption in healthy individuals is only weakly dependent on ambient partial pressure, especially at sea level. The impacts on top athlete performance, on disease, on reproduction, and on cognition, will also be very small. For people living at higher elevations, the implications of this loss will be even smaller, because of a counteracting increase in barometric pressure at higher elevations due to global warming.

Keywords: atmospheric oxygen, fossil fuels, global change, evolution, $\dot{\mathrm{V}}_{\mathrm{O}_{2 \max }}$, human health, hypoxia, high altitude

## INTRODUCTION

Direct observations since 1989 confirm that the atmospheric $\mathrm{O}_{2}$ abundance has been decreasing steadily year by year (Keeling and Manning, 2014). The $\mathrm{O}_{2}$ loss is the flip side of the $\mathrm{CO}_{2}$ buildup from fossil-fuel burning, and is expected to continue throughout the fossil-fuel era. The $\mathrm{CO}_{2}$ buildup is a major environmental concern, with consequences for global climate via the "greenhouse effect," for land plants via " $\mathrm{CO}_{2}$ fertilization," and for marine organisms via "ocean acidification" (Ciais et al., 2013). In comparison to the $\mathrm{CO}_{2}$ buildup, the $\mathrm{O}_{2}$ loss is very small in relative terms. $\mathrm{CO}_{2}$ has now risen from a preindustrial level of $\sim 277 \mathrm{ppm}$ to a level of 410 ppm in year 2020 (Friedlingstein et al., 2020). The measured $\mathrm{O}_{2}$ loss has been of comparable magnitude in moles, but this dwarfed by the massive atmospheric store of $\mathrm{O}_{2}$, which comprises $21 \%$ of air. Still, the fact that $\mathrm{O}_{2}$ is measurably in decline raises concerns. Considering that $\mathrm{O}_{2}$ is essential for aerobic life, how sure are we that the continuing $\mathrm{O}_{2}$ decline won't eventually have significant impacts?

We are aware of two prior reviews of this topic. The first, by Broecker (1970), makes a compelling case that the projected future $\mathrm{O}_{2}$ changes would be very small and likely insignificant. The second, by Martin et al. (2017), uses projections of much larger future $\mathrm{O}_{2}$ loss based on a parabolic model of Livina et al. (2015). Martin et al. (2017) systematically considered the major factors determining the potential impact of atmospheric oxygen $\left(\mathrm{O}_{2}\right)$ depletion on human survival. They discussed the different time domains of effects of hypoxia, from acute responses, such as increased breathing and circulation, to longerterm physiological and cellular acclimatization, such as increased blood- $\mathrm{O}_{2}$ carrying capacity, and ultimately evolutionary genetic adaptations that increase reproductive success in high altitude populations. They also considered the range of responses, from relatively benign conditions such as acute mountain sickness to loss of consciousness and ultimately extinction. However, as we discuss below, the larger projected $\mathrm{O}_{2}$ losses from Livina et al. (2015) do not have a sound geochemical basis.

The purpose of this article is to reassess possible future $\mathrm{O}_{2}$ loss to address its possible importance for human physiology and health. We begin by reviewing the geochemical controls on $\mathrm{O}_{2}$ discussing likely magnitudes of changes and offering a critique of the Livina et al. (2015) prediction. Second, we provide scenarios for possible $\mathrm{O}_{2}$ trends over the next 1,000 years, accounting for impacts on $\mathrm{O}_{2}$ from fossil-fuel usage, land-use, warming, rising $\mathrm{CO}_{2}$, and changes in barometric pressure. At high elevations, global warming is predicted to increase barometric pressure (Moore and Semple, 2009), an effect which offsets the impact of $\mathrm{O}_{2}$ loss on the $\mathrm{O}_{2}$ partial pressure and which dominates above $3,000 \mathrm{~m}$. To assess whether these $\mathrm{O}_{2}$ changes have potential physiological consequences, we then review the original research literature on the effects of hypoxia on human physiology. In addition to general physiological considerations, we discuss specific impacts on athletic performance, disease, altitude effects, reproduction, and evolution. In essence, we find that the physiological effects are too small to be of concern.

This article does not address a parallel question of whether the rising atmospheric $\mathrm{CO}_{2}$ might also have direct physiological impacts. This topic has been broached recently in studies focusing on cognitive impacts in indoor settings. Interested readers should consult Karnauskas et al. (2020) and references therein.

## GEOCHEMICAL CONTEXT

We first briefly discuss units for $\mathrm{O}_{2}$ (see also Appendix A). The current atmospheric $\mathrm{O}_{2}$ inventory corresponds to $37125 \mathrm{Pmol} \mathrm{O}_{2}$ ( $1 \mathrm{Pmol}=10^{15} \mathrm{~mol}$ ). A common unit for physiological studies is the $\mathrm{O}_{2}$ partial pressure that would be obtained if the air were fully dried at the same total pressure, which we call $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$. (The presence of water vapor reduces the actual $\mathrm{O}_{2}$ partial pressure slightly below $\left.\mathrm{P}_{\mathrm{O}_{2}}^{\prime}\right) . \mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ is typically reported in mm of mercury ( mmHg ) ( $1 \mathrm{~atm}=1013.25 \mathrm{mb}=760.0 \mathrm{~mm} \mathrm{Hg}$ ) yielding a typical sea level value of $0.2094 \times 760=159.1 \mathrm{mmHg}$. A further unit is changes in $\mathrm{O}_{2} / \mathrm{N}_{2}$ mole ratio, the conventional basis for reporting measured atmospheric $\mathrm{O}_{2}$ changes. These units are physically distinct but
can be approximately related by simple scaling as discussed in Appendices A,B.

The main controls on atmospheric $\mathrm{O}_{2}$ are shown in Figure 1. Gains or losses of atmospheric $\mathrm{O}_{2}$ are tied to gains or losses of dissolved $\mathrm{O}_{2}$ in the oceans or gains or losses of carbon in organic reservoirs. The chemistry of photosynthesis $\mathrm{CO}_{2}+\mathrm{H}_{2} \mathrm{O}$ $\rightarrow \mathrm{CH}_{2} \mathrm{O}+\mathrm{O}_{2}$ produces $\mathrm{O}_{2}$ and organic carbon (represented schematically as $\mathrm{CH}_{2} \mathrm{O}$ ). Both on land and in the oceans, virtually all organic matter produced by photosynthesis is eventually decomposed via the reverse reaction $\mathrm{CH}_{2} \mathrm{O}+\mathrm{O}_{2} \rightarrow \mathrm{CO}_{2}+\mathrm{H}_{2} \mathrm{O}$. The full cycle of life is therefore a do-nothing loop with respect to $\mathrm{O}_{2}$ production, as the $\mathrm{O}_{2}$ produced during photosynthetic production of organic matter is offset by $\mathrm{O}_{2}$ consumed during its eventual decomposition. The stability of atmospheric $\mathrm{O}_{2}$ therefore hinges the stability of the organic carbon reservoirs rather than on gross rates of photosynthesis and respiration. As shown in Figure 1, however, the reservoirs of organic carbon on land and in the ocean, such as vegetation, soils, permafrost, and dissolved organic matter, and the reservoir of dissolved $\mathrm{O}_{2}$ in the ocean are all very small when compared to the massive atmospheric $\mathrm{O}_{2}$ reservoir. For example, even if all photosynthesis were to cease while the decomposition continued, eventually oxidizing all tissues in vegetation and soils, including permafrost, this would consume 435 Pmol , equivalent to a $1.9 \mathrm{~mm} \mathrm{Hg}(1.2 \%)$ drop in $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ at sea level. Although land and marine biota can impact $\mathrm{O}_{2}$ at small detectible levels, they are not the "lungs of the planet" in the sense of ensuring global $\mathrm{O}_{2}$ supply. Similarly, wildfire does not threaten the $\mathrm{O}_{2}$ supply, not just because fire is usually followed by regrowth, but also because the impact is bounded by limited pool of carbon in vegetation. These issues are widely misunderstood in popular science.

Earth's $\mathrm{O}_{2}$ supply is actually a massive geologic deposit, stored in the atmosphere rather than the solid earth and closely tied to organic matter stored in sedimentary rocks (Royer, 2014). While this deposit is a distant byproduct of photosynthesis, its size is controlled by geological processes: (1) the incorporation of organic detritus into newly forming sea-floor sediments isolated from the atmosphere, and (2) by the uplift and exposure ancient sediments and volcanic gases to atmospheric oxidation. These are very slow processes, which are capable of producing significant changes in atmospheric $\mathrm{O}_{2}$ only on time scales of millions of years (Berner, 1999). These processes also control the global amount of organic carbon stored in sedimentary formations, such as shales. Very little of this carbon has economic value, but a small component is exploitable as fossil-fuels.

At current rates, the extraction and burning of fossil fuels is equivalent to at least a 100 -fold acceleration of the global exposure process, which thereby dominates humanity's small impact on atmospheric $\mathrm{O}_{2}$ (Shaffer et al., 2008). The estimated fossil-fuel reserves in Figure 1 are based on Ciais et al. (2013). The upper estimate corresponds to an equivalent $\mathrm{O}_{2}$ loss of $\sim 309 \mathrm{Pmol}$ or a drop of 1.3 mm Hg in $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ from the preindustrial level. This would be achieved in $\sim 200$ years if consumption continues at the current rate. This high estimate is not a categorically upper bound, however. If large unconventional and undiscovered fossil energy resources are ultimately exploited, an even larger


FIGURE 1 | The global oxygen cycle, from Keeling (1988), showing short-term and long-term sources and sinks and coupling with the reservoirs of organic carbon in units of $10^{15}$ moles and $10^{15}$ moles year ${ }^{-1}$. Oxygen fluxes and reservoirs are denoted by solid lines and solid boxes. Organic fluxes reservoirs are denoted by gray boxes with dashed perimeter, and organic fluxes with dashed lines. Organic matter is expressed in terms of $\mathrm{O}_{2}$ equivalent, i.e., the amount of $\mathrm{O}_{2}$ consumed when the material is fully oxidized. Organic reservoirs other than surface biota and sedimentary rocks have been updated using recent estimates from Ciais et al. (2013) using $\mathrm{O}_{2} / \mathrm{C}$ oxidative ratios of 1.1 (vegetation, soils, permafrost), 1.3 (dissolved organic carbon), and for fossil-fuel by fuel type from Keeling (1988). Fluxes and reservoirs other than fossil-fuel burning are notionally for a pre-industrial steady state. Fossil-fuel burning is for year 2019 (Friedlingstein et al., 2020).
decline in $\mathrm{O}_{2}$ is possible. Taking an estimate of $\sim 5,000 \mathrm{Pg}$ C for the ultimate resource of fossil-fuels (Rogner, 1997) and assuming an oxidative ratio of 1.4 for fossil-fuels yields an upper bound on $\mathrm{O}_{2}$ loss of $580 \mathrm{Pmol} \mathrm{O}_{2}$ or a $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ drop of 2.5 mmHg .

Figure 2 compares the observed changes in $\mathrm{O}_{2} / \mathrm{N}_{2}$ from 1991 to 2018 against simulations using a simple carbon/climate model by Shaffer et al. (2009) for the so-called A2 and B1 scenarios (Nakicenovic et al., 2000). These simulations account for $\mathrm{O}_{2}$ changes from fossil fuel burning and land use, which promotes
decomposition of vegetation and soils, and account for the impact on ocean $\mathrm{O}_{2}$ and land carbon from $\mathrm{CO}_{2}$ fertilization and warming effects. Further details on these simulations are given in Appendix C. Without being explicitly tuned for $\mathrm{O}_{2}$ changes, the model for the A2 scenario accurately simulates the $\mathrm{O}_{2} / \mathrm{N}_{2}$ changes over the period of direct observations from 1991 to 2018. The success is partly attributable to the fact that fossil-fuel emissions from 1991 to 2018 have tracked the A2 scenario quite closely. The success also depends on quasi-realistic accounting for global influences on atmospheric $\mathrm{O}_{2}$ from land biospheric


FIGURE 2 | Modeled changes in atmospheric $\mathrm{O}_{2}$ from Shaffer et al. (2009) versus observed global averages from the Scripps $\mathrm{O}_{2}$ program (Keeling and Manning, 2014). The $\mathrm{O}_{2}$ levels are shown on left as fractional change in $\mathrm{O}_{2}$ partial pressure relative to a preindustrial reference and on right as absolute partial pressure. The observations, originally reported as changes in $\mathrm{O}_{2} / \mathrm{N}_{2}$ ratio in per meg units (see Appendix A), were converted to $\mathrm{dP}^{\prime} \mathrm{O}_{2} / \mathrm{P}^{\prime} \mathrm{O}_{2}$ and offset with an additive constant to align with the model results. Global averages are based on the data from Alert $\left(82.5^{\circ} \mathrm{N}\right)$, La Jolla $\left(32.9^{\circ} \mathrm{N}\right)$, and Cape Grim (40.7³) stations, following Keeling et al. (1996).
and ocean processes, which partly offset the $\mathrm{O}_{2}$ loss from fossilfuel burning. The simulations are useful for documenting that the recent $\mathrm{O}_{2}$ changes are quite well understood. The observed drop in $\mathrm{O}_{2} / \mathrm{N}_{2}$ over 28 years from 1991 to 2018 period corresponds to $20 \mathrm{Pmol} \mathrm{O}_{2}$ or -0.09 mmHg . The model suggest that the full drop from before the industrial revolution to 2018 has been 48 Pmol or 0.21 mmHg .

So what should be made of the large predicted future $\mathrm{O}_{2}$ losses of Livina et al. (2015)? Their prediction is based on an extrapolation of parabolic fit to recent atmospheric observations, an approach which lacks a geochemical basis. The success of the model simulations in Figure 2 shows that there is no evidence of a major missing process justifying such an openended approach. The Livina et al. loss curve is equivalent to extrapolating fossil-fuel consumption into the future based on recent fuel-use trends without accounting for eventual resource limitations.

## Predicted Changes in Atmospheric $\mathrm{O}_{2}$ Over the Next 1,000 Years

Figure 3 shows the predictions of the A2 and B1 scenarios from the Shaffer et al. (2009) model extended out for the next 1,000 years. The A2 scenario is a high-end emissions scenario that assumes that fossil-fuel consumption is capped at 403 Pmol $\mathrm{O}_{2}$, which is slightly above the fossil-fuel reserves upper bound in
Figure 1. The A2 scenario is similar to the more recent RCP8.5 scenario, which assumes an improbable fivefold expansion of coal use by 2100 and neglects competition from renewable energy sources, such as wind and solar (Hausfather and Peters, 2020). Warming in the A2 scenario peaks at $5.2^{\circ} \mathrm{C}, \mathrm{CO}_{2}$ peaks at $\sim 1,200 \mathrm{ppm}$, and $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ at sea level drops by 1.3 mmHg in year 2300. The B1 scenario is a middle-of-the-road scenario,
allowing for modest mitigation effort, and assumes fossil-fuel consumption is capped at $159 \mathrm{Pmol}_{2}$. In B 1 , warming peaks at $2.9^{\circ} \mathrm{C}, \mathrm{CO}_{2}$ peaks at $\sim 550 \mathrm{ppm}$, and $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ at sea level drops by 0.50 mmHg in year 2300. In both scenarios, the $\mathrm{O}_{2}$ loss from fossil-fuel burning and land-use is partially offset by $\mathrm{O}_{2}$ release from the ocean due to warming and release from the land biosphere due to $\mathrm{CO}_{2}$ fertilization of plant growth. Without these offset, the $\mathrm{O}_{2}$ decline (from fossil-fuel and land use) would have amounted to 1.8 mmHg in the A 2 scenario and 0.7 mmHg in the B1 scenario.

Shaffer et al. (2009) do not address changes in $\mathrm{O}_{2}$ partial pressure at higher altitudes, where barometric pressure is expected to increase due to upwards expansion of the atmosphere with warming (increasing scale height). In Table 1, we estimate the expected barometric pressure increase as a function of altitude corresponding to $3^{\circ} \mathrm{C}$ of surface warming for two cases, corresponding either to tropical or mid latitude atmospheric profiles. The calculations allow for uncertainty in the pressure increase associated with alternate assumptions for how the temperature lapse rate evolves, bracketed by assuming either that the lapse rate remains unchanged, or assuming it decreases in magnitude with warming as for a saturated moist adiabatic lapse rate. Current understanding suggests the lapse rate changes will lie between these limits (Bony et al., 2006). The differences between the tropical and mid latitude cases are small. In the following we consider only the tropical case.

Figure 4 shows the resulting estimates for future variations in $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ at various altitudes. These calculations account for changes in $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ due both to changes in the global $\mathrm{O}_{2}$ inventory from Shaffer et al. (2009), as well as the changes in barometric pressure with altitude, assuming pressure increases linearly with surface warming using the central estimates for the tropics from Table 1. At 2 km above sea level (ASL) the predicted $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ changes are considerably smaller than those at sea level, while at 4 and 6 km , the $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ is predicted to increase as the barometric pressure change more than offsets the $\mathrm{O}_{2}$ losses. The cross-over altitude at which there is effectively no change in $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ is 3.6 km for A2 and 2.5 km for B1.

## EVALUATION OF PHYSIOLOGICAL CONSEQUENCES OF THE PREDICTED $\mathrm{O}_{2}$ DECLINES

At the outset, it is clear that any physiological effects of these $\mathrm{O}_{2}$ changes must be very small because the $\mathrm{O}_{2}$ changes under consideration are very small. The physiological effect of $\mathrm{O}_{2}$ is determined by the partial pressure, which depends on the product of the $\mathrm{O}_{2}$ concentration and total barometric pressure. Whether the $\mathrm{O}_{2}$ partial pressure changes from changing barometric pressure or $\mathrm{O}_{2}$ concentration, the physiological consequences are similar, especially for small $\mathrm{O}_{2}$ changes (Richalet, 2020). Table 2 summarizes the predicted changes in $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ for year 2300 for the A1 and B1 scenarios, as well as the equivalence of these changes in terms of altitude shift. The equivalent


FIGURE 3 | Predicted changes in atmospheric $\mathrm{O}_{2}$ partial pressure ( $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ ), temperature, and $\mathrm{CO}_{2}$ mole fraction from model simulations of Shaffer et al. (2009).

TABLE 1 | Barometric pressure increase at altitude driven by $3^{\circ} \mathrm{C}$ of surface warming.

|  | Tropical |  | Mid latitude |  |
| :---: | :---: | :---: | :---: | :---: |
| Initial temperature at sea level | $25^{\circ} \mathrm{C}$ |  | $15^{\circ} \mathrm{C}$ |  |
| Constant lapse rate | $4.5^{\circ} \mathrm{C} \mathrm{km}^{-1}$ |  | $6^{\circ} \mathrm{C} \mathrm{km}^{-1}$ |  |
| Altitude (km ASL) | Initial pressure ( hPa$)^{\text {a }}$ | Pressure increase ( hPa$)^{\text {b }}$ | Initial pressure ( hPa$)^{\text {a }}$ | Pressure increase ( hPa$)^{\text {b }}$ |
| 6 | 494.59 | $4.6 \pm 0.9$ | 475.34 | $5.0 \pm 1.0$ |
| 4 | 633.21 | $3.6 \pm 0.6$ | 618.99 | $3.9 \pm 0.6$ |
| 2 | 804.00 | $2.2 \pm 0.3$ | 796.13 | $2.2 \pm 0.2$ |
| 0 | 1031.25 | 0 | 1031.25 | 0 |

[^0]altitude change is consistently 70 m or less over all altitudes of human habitation $(<5 \mathrm{~km})$. These changes in $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ are similar in magnitude or smaller than the changes that occur during the
passage of moderately strong storm systems. We are aware of no studies that have attempted to resolve physiological impacts of such tiny changes in $\mathrm{P}_{\mathrm{O}_{2}}$, which would be in the noise


FIGURE $4 \mid$ Predicted changes in $\mathrm{O}_{2}$ partial pressure $\left(\mathrm{P}_{\mathrm{O}_{2}}^{\prime}\right)$ at different elevations. The curves for sea level are from Shaffer et al. (2009) and repeated from Figure 2. The curves for other elevations were calculated by accounting both for global $\mathrm{O}_{2}$ loss and for changes in barometric pressure with warming (Table 1), scaled by the modeled temperature changes from Shaffer et al. (2009).
range for physiological studies. Our analysis thus draws on inferences from studies over larger ranges in $\mathrm{P}_{\mathrm{O}_{2}}$ and from theoretical considerations.

## Normal Healthy Individuals

To understand how changes in $\mathrm{O}_{2}$ may affect humans, we consider the basics of respiratory physiology for healthy humans (Guyton and Hall, 1996) using an approach similar to that of Martin et al. (2017) but focusing on much smaller decreases in $\mathrm{P}_{\mathrm{O}_{2}}$ consistent with the geochemical analysis presented above. $\mathrm{O}_{2}$ is essential for life because it provides electrons to mitochondria, cellular organelles that use these electrons to generate the molecule ATP. ATP is vital as the primary fuel for cellular ion pumps that are necessary for nerve and brain function, muscle contraction and movement, the heart beat and breathing, digestion and metabolic functions, the synthesis of
reproductive hormones and all other physiological functions necessary to sustain life.

Figure 5 shows how the cellular process of generating ATP depends on the amount of $\mathrm{O}_{2}$ available. Isolated mitochondria studied in vitro can maintain a maximum rate of ATP production and maximum $\mathrm{O}_{2}$ consumption, which is abbreviated as $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$, until $\mathrm{O}_{2}$ drops to very low values (Gnaiger, 2001). $\mathrm{O}_{2}$ levels are shown as partial pressure $\left(\mathrm{P}_{\mathrm{O}_{2}}\right)$ because this determines the "pressure head" driving diffusion for $\mathrm{O}_{2}$ into mitochondria, as well as $\mathrm{O}_{2}$ diffusion from the lungs into blood and from the blood into cells. The results shown in Figure 5 are obtained in vitro by adding metabolic substrates to a solution with mitochondria at high $\mathrm{P}_{\mathrm{O}_{2}}$ levels until a maximum value of $\mathrm{O}_{2}$ consumption is measured, i.e., $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$. Then the level of substrate is maintained while $\mathrm{P}_{\mathrm{O}_{2}}$ is decreased. $\dot{\mathrm{V}}_{\mathrm{O}_{2} \text { max }}$ is expressed as the ratio (in percent) to the value of $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ at normal $\mathrm{P}_{\mathrm{O}_{2}}$ values of 159 mmHg , known as "normoxia." Figure 5 shows

TABLE 2 | Baseline values and changes in year 2,300 relative to baseline.

| Alt-itude (km ASL) | Baro-metric pressure (mb) | $\begin{gathered} \mathrm{P}_{\mathrm{O}_{2}}^{\prime} \\ (\mathrm{mmHg}) \end{gathered}$ | $\begin{gathered} \dot{\mathbf{v}}_{\mathrm{O}_{2 \max }} \\ \text { (\% of sl value) } \end{gathered}$ | $\begin{aligned} & \dot{\mathrm{V}}_{\mathrm{O}_{2 \max }} \text { slope } \\ & \left(\% \mathrm{mmHg}^{-1}\right)^{a} \end{aligned}$ | Equiv. altitude change (m) |  | $\begin{aligned} & \text { Change in } \mathrm{P}_{\mathrm{O}_{2}}^{\prime} \\ & (\mathrm{mmHg}) \end{aligned}$ |  | Change in$\dot{\mathrm{V}}_{\mathrm{O}_{2 \max }}(\%)$ |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  | A2 | B1 | A2 | B1 | A2 | B1 |
| 6 | 494.59 | 74.7 | 66 | 0.89 | -50 | -38 | +0.50 | +0.39 | +0.45 | +0.35 |
| 4 | 633.21 | 97.2 | 80 | 0.46 | -8 | -16 | +0.09 | +0.20 | +0.04 | +0.09 |
| 2 | 804.00 | 125.0 | 93 | 0.27 | 32 | 6 | -0.50 | -0.09 | -0.13 | -0.02 |
| 0 | 1031.25 | 159.1 | 100 | $<0.27$ | 70 | 26 | -1.32 | -0.50 | $(-0.4)^{\text {b }}$ | $(-0.1)^{\text {b }}$ |

${ }^{a}$ For healthy untrained individual. Slope at sea level is unknown but very small. In elite athletes, a larger slope has been measured (see text).
${ }^{\text {b }}$ Upper bound.


FIGURE 5 | Maximal $\mathrm{O}_{2}$ consumption $\left(\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }\right.$, as $\%$ of the maximum value at $\left.\mathrm{P}_{\mathrm{O}_{2}}=150 \mathrm{mmHg}\right)$ measured at different ambient $\mathrm{P}_{\mathrm{O}_{2}}$ conditions for isolated mitochondria in a saline suspension (open symbols) and humans on a bicycle ergometer (closed symbols). $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ decreases at inspired $\mathrm{P}_{\mathrm{O}_{2}}$ levels in exercising humans much greater than those necessary to decrease $\dot{V}_{\mathrm{O}_{2} \max }$ in isolated mitochondria, which can be explained by $\mathrm{P}_{\mathrm{O}_{2}}$ around the mitochondria in exercising humans falling to less than 1 mmHg (see text). After Gnaiger (2001) and Pugh et al. (1964).
that no significant change in $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ observed in mitochondria until $\mathrm{P}_{\mathrm{O}_{2}}$ drops below $1-2 \mathrm{mmHg} ; \dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ decreases to $50 \%$ of the normoxic value when $\mathrm{P}_{\mathrm{O}_{2}}$ is $<0.5 \mathrm{mmHg} . \dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ is a reproducible and biologically meaningful way to quantify the effects of decreased $\mathrm{P}_{\mathrm{O}_{2}}$ on physiological processes.

The effects of decreasing $\mathrm{P}_{\mathrm{O}_{2}}$ on $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ are very different, however, when they are measured in humans doing exercise as also illustrated in Figure 5. For this experiment data, a person is asked to pedal an exercise bike as hard as possible and the resistance or work load is increased while the subject's $\mathrm{O}_{2}$ consumption is measured (with gas analyzers connected to a mouthpiece used to measure ventilation, Pugh et al., 1964). At some point, $\mathrm{O}_{2}$ consumption will reach a plateau as the work rate increases. This point defines the $\dot{V}_{\mathrm{O}_{2} \max }$ (any additional work possible beyond this is powered by anaerobic metabolism, e.g., from lactic acid). The same can be repeated at different levels of ambient $\mathrm{P}_{\mathrm{O}_{2}}$, establishing a curve of $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ as a function of ambient $\mathrm{P}_{\mathrm{O}_{2}}$. In most healthy subjects (though not highly trained athletes as discussed below), the measured $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ plateaus when $\mathrm{P}_{\mathrm{O}_{2}}$ approaches a normal sea level value of around 159 mmHg .

However, $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ decreases dramatically with modest decreases in $\mathrm{P}_{\mathrm{O}_{2}}$, in stark contrast to the isolated mitochondria (Figure 5). $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ falls to half the value measured at sea level when inspired $\mathrm{P}_{\mathrm{O}_{2}}$ is dropped to 60 mmHg . The isolated mitochondria experiment demonstrated that basic cellular function is not affected by such modest decreases in $\mathrm{P}_{\mathrm{O}_{2}}$ so something is different in whole organisms that makes us more sensitive to decreased $\mathrm{P}_{\mathrm{O}_{2}}$, i.e., hypoxia.

This difference can be understood via the "oxygen cascade," which quantifies the fall in $\mathrm{P}_{\mathrm{O}_{2}}$ at sequential steps of physiological transport of $\mathrm{O}_{2}$ from the atmosphere to the mitochondria. Figure 6A shows this cascade using values typical of a healthy subject at rest (Richardson et al., 2006). Two curves are shown, one for sea level and one for 1.5 km ASL. At the first step, $\mathrm{P}_{\mathrm{O}_{2}}$ decreases when air is inspired from the atmosphere into the nose and upper airways. The decrease occurs because the air gains water vapor, as it saturates at a normal body temperature of $37^{\circ} \mathrm{C}$, yielding a water vapor pressure 47 mmHg . The $\mathrm{P}_{\mathrm{O}_{2}}$ in the airway is designated $\mathrm{P}_{\mathrm{IO}_{2}}$. At current $\mathrm{O}_{2}$ levels, $\mathrm{P}_{\mathrm{IO}_{2}}$ is 149 mmHg at sea level and 123 mmHg at 1.5 km ASL. Because the humidity in the airway is fixed by body temperature, the inspired $\mathrm{P}_{\mathrm{O}_{2}}$ level is independent of ambient humidity. In contrast, the $\mathrm{P}_{\mathrm{O}_{2}}$ in the atmosphere will be higher if the air is drier. A suitable measure of ambient $\mathrm{O}_{2}$ which determines $\mathrm{P}_{\mathrm{IO}_{2}}$ is the partial pressure that would be obtained in perfectly dry air at ambient pressure, the quantity defined in the previous section as $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$. The drop in $\mathrm{P}_{\mathrm{O}_{2}}$ from dry ambient air to inspired air is $\sim 10 \mathrm{mmHg}$ whether at sea level or 1.5 km ASL. The humidification effect is relatively larger at high altitude since it remains constant at 10 mmHg regardless of atmospheric pressure and temperature; e.g. on the summit of Mt. Everest where barometric pressure is only $1 / 3$ that at sea level (West, 1996), $\mathrm{P}_{\mathrm{O}_{2}}$ decreases almost $20 \%$ with humidification versus $6 \%$ at sea level.

A significant decrease in $\mathrm{P}_{\mathrm{O}_{2}}$ occurs at the step between inspired $\mathrm{P}_{\mathrm{O}_{2}}$ in the airways and the alveoli in the lungs where $\mathrm{O}_{2}$ exchange with blood occurs (Figure 6A). The magnitude of this decrease depends on the efficiency of convective (bulk) transport of air into the lungs by ventilation. The next step occurs as $\mathrm{O}_{2}$ diffuses from the alveoli into capillary blood in the lungs and is pumped by the heart to the tissues in arterial blood. The decrease between alveolar and arterial $\mathrm{P}_{\mathrm{O}_{2}}$ is very small, at least in healthy lungs that have an excess of diffusing capacity under resting conditions. There are some small differences in $\mathrm{P}_{\mathrm{O}_{2}}$ to this


FIGURE 6| Oxygen cascade, showing how $\mathrm{P}_{\mathrm{O}_{2}}$ decreases from the atmosphere to mitochondria along the physiological $\mathrm{O}_{2}$ transport chain at sea level (red) and high altitude (blue). (A) person at rest, (B) person at maximum exercise.
point in the oxygen cascade at moderately high altitude versus sea level, since breathing rate increases at high altitude to maintain alveolar $\mathrm{P}_{\mathrm{O}_{2}}$ near normal levels, at least under resting conditions.

A large decrease in $\mathrm{P}_{\mathrm{O}_{2}}$ occurs also along the oxygen cascade between arterial and venous $\mathrm{P}_{\mathrm{O}_{2}}$. The amount of $\mathrm{O}_{2}$ transported by blood flow is a non-linear function of the $\mathrm{P}_{\mathrm{O}_{2}}$ of the blood, rising rapidly at low $\mathrm{P}_{\mathrm{O}_{2}}$ but then saturating at higher $\mathrm{P}_{\mathrm{O}_{2}}$. The relationship is explained by $\mathrm{O}_{2}$-hemoglobin equilibrium, curve shown in Figure 7, which relates $\mathrm{P}_{\mathrm{O}_{2}}$ to the actual $\mathrm{O}_{2}$ concentration $\left[\mathrm{O}_{2}\right.$ ], or the $\mathrm{O}_{2}$ saturation, $\mathrm{S}_{\mathrm{O}_{2}}$, of hemoglobin available in the blood (Guyton and Hall, 1996). $\mathrm{S}_{\mathrm{O}_{2}}$ is conveniently measured with a finger pulse oximeter and is the most widely used measure of arterial oxygenation. Of critical importance is the arterial to venous difference in $\left[\mathrm{O}_{2}\right]$ which represents the amount of $\mathrm{O}_{2}$ that diffused out of capillaries to be consumed by the mitochondria. This difference depends on (1) the rate of $\mathrm{O}_{2}$ consumption by the tissues and (2) the blood flow to the tissues, e.g., cardiac output. Since the $\mathrm{O}_{2}$ demand and cardiac output are similar at rest at sea level and high altitude, the arterial-venous difference in $\left[\mathrm{O}_{2}\right]$ is similar. Due to the non-linear shape of the $\mathrm{O}_{2}$-hemoglobin equilibrium curve, this translates into larger differences in $\mathrm{P}_{\mathrm{O}_{2}}$ at sea level versus altitude. As long as venous $\mathrm{P}_{\mathrm{O}_{2}}$ remains above a few mm Hg , as required by the mitochondrial $\dot{V}_{\mathrm{O}_{2} \max }$ curve (cf. Figure 5), this is sufficient to satisfy mitochondrial demand.

It is also instructive to consider cases of increased $\mathrm{O}_{2}$ demand, which are illustrated in Fig. 6B. showing the effects of exercise on the oxygen cascade at sea level and high altitude (Richardson et al., 2006). As $\mathrm{O}_{2}$ consumption increases, alveolar $\mathrm{P}_{\mathrm{O}_{2}}$ can actually increase from hyperventilation, especially at high altitude where there is already a reflex increase in ventilation to counteract decreased $\mathrm{O}_{2}$ supply. The decrease from alveolar to arterial $\mathrm{P}_{\mathrm{O}_{2}}$ can increase with exercise too, especially at high altitude where diffusion may not be adequate even in healthy lungs to support complete equilibration in $\mathrm{P}_{\mathrm{O}_{2}}$ between the alveoli and pulmonary capillaries. Also, exercise generally decreases venous $\mathrm{P}_{\mathrm{O}_{2}}$ because cardiac output cannot increase as much as $\mathrm{O}_{2}$ consumption (5-7 fold versus $10-20$ fold, Guyton and Hall, 1996). Finally, increased $\mathrm{O}_{2}$ demand requires greater diffusion of $\mathrm{O}_{2}$ across the capillaries into the mitochondria. Since the diffusion rate is proportional to the gradient in $\mathrm{P}_{\mathrm{O}_{2}}$, increased demand therefore produces an even larger drop in $\mathrm{P}_{\mathrm{O}_{2}}$ in the mitochondria than in the venous


FIGURE $7 \mid \mathrm{O}_{2}$-hemoglobin equilibrium curve plotting the $\%$ hemoglobin saturation with $\mathrm{O}_{2}$ (left) or $\mathrm{O}_{2}$ concentration in blood (right) versus $\mathrm{P}_{\mathrm{O}_{2}}$. The sigmoidal shape of the curve allows a similar change in $\mathrm{O}_{2}$ concentration for a smaller change in $\mathrm{P}_{\mathrm{O}_{2}}$ in hypoxia versus normoxia.
blood at the end of the capillaries. The ultimate limit on $\mathrm{O}_{2}$ demand is set at the point at which $\mathrm{P}_{\mathrm{O}_{2}}$ in the mitochondria drops below $\sim 1 \mathrm{mmHg}$, thus limiting ATP synthesis as for mitochondria in vitro (Figure 5). In principle, this limit (or equivalently $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ ) is sensitive to all of the steps in the $\mathrm{O}_{2}$ cascade including ambient $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ levels (Wagner, 1996).

Of critical importance to assessing the impacts of declining atmospheric $\mathrm{O}_{2}$ on normal human metabolism is the plateau of the $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ curve near normal sea level $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ levels. This plateau implies that small changes in $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ can have only a very small impact on maximum $\mathrm{O}_{2}$ uptake rates. Although $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ is ultimately determined by the combined interaction of all steps in the oxygen cascade, the existence of the plateau depends on normal humans having $\mathrm{S}_{\mathrm{O}_{2}}$ close to $100 \%$, where the $\mathrm{S}_{\mathrm{O}_{2}}$ is almost independent of arterial $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ (Wagner, 1996). This helps buffer arterial $\mathrm{O}_{2}$ supply from upstream changes in lung function or ambient $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$.

We are not aware of measurements of slope of the $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ curve for healthy individuals at sea level, as this slope is in any case very small. In Table 2, we adopt as an upper bound a value corresponding to the slope at 2 km , which together with the estimated change in $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ from the A 2 scenario in year 2300 yields an estimated change in $\dot{V}_{\mathrm{O}_{2} \max }$ of $-0.4 \%$. A best guess might be between -0.1 and $-0.2 \%$, taking a more reasonable estimate of the eventual $\mathrm{O}_{2}$ loss and a lower slope of the $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ curve. We note that a slightly larger change in $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ is expected for elite athletes, who are more sensitive to changes in $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$, as discussed below. However, the decrease in $\mathrm{P}^{\prime} \mathrm{O}_{2}$ would have to be an order of magnitude greater than the $\sim 1.3 \mathrm{~mm} \mathrm{Hg}$ predicted to have a significant effect on performance, if we consider a $10 \%$ reduction in $\dot{\mathrm{V}}_{\mathrm{O}_{2} \text { max }}$ is not observed until $\mathrm{P}_{\mathrm{O}_{2}}$ drops to 125 mm Hg in healthy individuals at sea level (Figure 5).

The $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ curve as shown in Figure 5 applies to an individual exposed to short-term changes in $\mathrm{P}_{\mathrm{O}_{2}}$. For longterm exposure, the responses are typically smaller because of physiological acclimatization, whereby the body increases its capacity to uptake and deliver $\mathrm{O}_{2}$. Acclimatization has been observed, not just for large changes in $\mathrm{P}_{\mathrm{O}_{2}}$, but also for quite small changes (Donoghue et al., 2005). This is yet another reason why the changes in $\dot{\mathrm{V}}_{\mathrm{O}_{2} \text { max }}$ driven by falling $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ are likely to be very small for a healthy individual.

## Highly Trained Athletes

Highly trained athletes are likely more sensitive to changes in $\mathrm{O}_{2}$ levels than most people. For example, elite athletes actually show decreased arterial $\mathrm{O}_{2}$ saturation during maximum exercise at sea level because they have extremely high cardiac outputs and high pulmonary blood flow so there is insufficient time for $\mathrm{O}_{2}$ equilibration in the lungs, resulting in a diffusion impairment. Consequently mild increases in $\mathrm{O}_{2}$ ( $5 \%$ inspired, $\left.\mathrm{PIO}_{2}=149-185 \mathrm{mmHg}\right)$ significantly increases $\dot{\mathrm{V}}_{\mathrm{O}_{2} \text { max }}$ in trained athletes with an average $\dot{\mathrm{V}}_{\mathrm{O}_{2} \text { max }}=70 \mathrm{ml} \mathrm{O}_{2} / \mathrm{kg} / \mathrm{min}$ but not in normal subjects with an average $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }=57 \mathrm{ml} \mathrm{O} \mathrm{O}_{2} / \mathrm{kg} / \mathrm{min}$ (Powers et al., 1989). Such athletes do not show as pronounced a plateau in whole body $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ versus $\mathrm{P}_{\mathrm{O}_{2}}$ at normal sea level $\mathrm{P}_{\mathrm{O}_{2}}$ as indicated in Figure 5. Trained athletes have both increased mitochondria and capillary surface area for increased $\mathrm{O}_{2}$ diffusion in tissues, in addition to increased $\mathrm{O}_{2}$ transport at other stages along the oxygen cascade, to support this increased $\mathrm{O}_{2}$ consumption.

In a study with trained athletes, Wehrlin and Hallén (2006) detected a decrease in $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ for an increase in altitude from only 300 to 800 m ASL (Wehrlin and Hallén, 2006) associated with an 8 mmHg decrease in inspired $\mathrm{P}_{\mathrm{O}_{2}}(144-136 \mathrm{~mm} \mathrm{Hg})$. The change was consistent with measurements over a larger altitude range showing a decrease of $6.3 \%$ in $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ for every 1 km increase in altitude ASL (Wehrlin and Hallén, 2006), corresponding to a slope of $\sim 0.37 \%$ per mmHg . On this basis, if $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ at sea level drops by 2 mmHg , as might occur in an extreme scenario, this would yield a decrease of $0.75 \%$ in $\dot{V}_{\mathrm{O}_{2} \max }$. The more likely scenario assuming 0.5 mmHg decrease would yield a $0.18 \%$ drop in $\dot{V}_{\mathrm{O}_{2} \max }$. This study used subjects with $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ of $\sim 66 \mathrm{ml} \mathrm{O}_{2} / \mathrm{kg} / \mathrm{min}$ (Wehrlin and Hallén, 2006) compared to
a normal value for a healthy individual of $\sim 40 \mathrm{ml} \mathrm{O}_{2} / \mathrm{kg} / \mathrm{min}$. Other reviews of the literature have found linear decreases in $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ with inspired $\mathrm{P}_{\mathrm{O}_{2}}$ between 150 and 80 mmHg and predict a similar decrease in $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ of less than $1 \%$ for the 1.5 mmHg decrease (Gonzalez and Kuwahira, 2018).

Athletic performance in aerobic sports such as long distance running has been shown to correlate with $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ when comparing individuals with large differences in $\dot{V}_{\mathrm{O}_{2} \max }$ (Bassett and Howley, 2000). On this basis it is conceivable that a 0.5 mm Hg decrease in $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ due to global $\mathrm{O}_{2}$ loss could cause a $0.18 \%$ drop in $\dot{V}_{\mathrm{O}_{2} \max }$ in elite athletes, and this in turn could cause a $\sim 0.18 \%$ increase in e.g., marathon times. But this extrapolation is fraught with uncertainty. Establishing a causal connection between small (e.g., $<1 \%$ ) changes in $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ and performance is very difficult because other metabolic factors, such as lactic acid accumulation and running economy, dominate over such small ranges (Bassett and Howley, 2000). It thus seems very unlikely that the small conceivable change in performance due to dropping $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$, occurring over centuries, could be detected in the face of changes in training, nutrition, talent recruitment, genetic changes, doping, etc.

## High Altitude

The non-linearity of the $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ curve implies greater sensitivity to $\mathrm{P}_{\mathrm{O}_{2}}$ changes at altitude. However, the modeling of atmospheric changes discussed earlier produces an interesting result that $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ may actually increase above $3,000 \mathrm{~m}$ in 2300 CE versus today due to increasing barometric pressure with warming. One way to assess these competing effects is to calculate the expected changes $\dot{V}_{\mathrm{O}_{2} \max }$ at different altitudes, accounting the predicted changes in $\mathrm{P}_{\mathrm{O}_{2}}$ and the non-linearity of the $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ curve. Table 2 summarizes this calculation for year 2300 at sea level, 2, 4, and 6 km ASL. At 2 km and below, $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ is calculated to decline, but the magnitude of the changes is extremely small, less than $0.4 \%$ for both A2 and B1 scenarios. At 4 and $6 \mathrm{~km} \dot{\mathrm{~V}}_{\mathrm{O}_{2} \max }$ is calculated to increase, with larger gains at the highest altitudes. Not only are these changes very small over all altitudes of normal human habitation $<5 \mathrm{~km}$ ASL (West, 2002), but they also neglect the possibility of acclimatization, which would reduce impacts further. The calculated changes apply to an individual, living at sea level and traveling to higher altitude, who has NOT acclimatized to the small $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ changes at sea level. The impact on $\dot{V}_{\mathrm{O}_{2} \max }$ at altitude after any such acclimatization would necessarily be even smaller.

Even greater gains in $\mathrm{P}_{\mathrm{O}_{2}}$ and $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ can be expected above 6 km . As discussed by Moore and Semple (2009), this may have benefits for high altitude mountaineering, although Moore and Semple (2009) slightly overestimate the benefits because they consider only the impact of changes in barometric pressure and not the impact of global $\mathrm{O}_{2}$ loss.

It is interesting that the reversal of the direction of change in $\mathrm{P}_{\mathrm{O}_{2}}$ and $\dot{\mathrm{V}}_{\mathrm{O}_{2} \max }$ versus altitude with global change occurs very near the threshold for acute mountain sickness (AMS) in today's atmosphere. AMS symptoms include headache, insomnia, lassitude, anorexia, and/or nausea that occur above $3,000 \mathrm{~m}$ in most subjects, but can occur in the most sensitive individuals with rapid ascent to only $2,400 \mathrm{~m}$ (Hultgren, 1997). Hence,

AMS could occur in the most sensitive subjects at lower altitude in the future while less sensitive subjects may be better able to tolerate higher altitude, i.e., the altitude range over which AMS symptoms appear could be expanded with global change. The altitude threshold changes are very small in any case, e.g., $<50 \mathrm{~m}$. Similar predictions can be made for more serious altitude illnesses such as high altitude pulmonary or cerebral edema that are extremely rare with even rapid ascent to altitude less than 2,400 or $2,700 \mathrm{~m}$, respectively (Hultgren, 1997).

## Disease

Lung disease reduces the efficiency of $\mathrm{O}_{2}$ uptake causing arterial $\mathrm{P}_{\mathrm{O}_{2}}$ levels to be lower in patients compared to normal subjects for a given inspired $\mathrm{P}_{\mathrm{O}_{2}}$. Such hypoxemia has a major impact on many physiological functions and provides the rationale for supplemental oxygen therapy in patients with chronic heart and lung disease. The American College of Physicians (ACP) recommends supplemental long-term oxygen therapy in all patients who have severe resting hypoxemia, defined as an arterial $\mathrm{P}_{\mathrm{O}_{2}} \leq 59-55 \mathrm{mmHg}$ (depending on the complications) or $\mathrm{S}_{\mathrm{O}_{2}}$ $\leq 88 \%$ (Qaseem et al., 2011). The ACP does not recommend a target to which $\mathrm{S}_{\mathrm{O}_{2}}$ should be restored, but there are British guidelines for $88-92 \%$ (NICE, 2016). An increase in $\mathrm{S}_{\mathrm{O}_{2}}$ of $87-$ $90 \%$ corresponds to a $\sim 4 \mathrm{mmHg}$ increase in arterial $\mathrm{P}_{\mathrm{O}_{2}}$, which is about three-times the predicted changes in $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ predicted for 2300 for the A2 scenario (Table 2). The drop in $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ thus cannot have a significant impact on the recommended threshold for supplemental $\mathrm{O}_{2}$ usage.

High altitude studies provide another way to consider the physiological consequences of global changes in $\mathrm{O}_{2}$. Patients with emphysema living at 7,000 feet ASL show increased cardiovascular complications compared to similar patients living only 4,500 feet ASL (Moore et al., 1982). Also, the patients living at $2,133 \mathrm{~m}$ ASL ( $7,000 \mathrm{ft}$ ASL) died at 68.1 years on average versus 70.1 years for the patients living at $1,372 \mathrm{~m} \mathrm{ASL}(4,500 \mathrm{ft}$ ASL). However, the decrease in $\mathrm{PIO}_{2}$ between these altitudes is from 126 to 115 mmHg , which is over sevenfold greater than the decrease in $\mathrm{P}_{\mathrm{O}_{2}}$ predicted at with global change by 2300 for the A2 scenario. If age at death scaled similarly with $\mathrm{PIO}_{2}$ at sea level, the change in life expectancy for year 2300 would be a few months. This is an upper bound to impacts because individuals at sea level are less sensitive to changes in $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$, as discussed above.

Interestingly, almost the same decrease in inspired $\mathrm{P}_{\mathrm{O}_{2}}$ was found to be significant for another study of patients with chronic obstructive pulmonary disease (COPD) trying to determine if hypoxia during air travel proposed a risk (Gong et al., 1984). Generally, airplanes are pressurized to maintain an equivalent altitude of no higher than 8000 ft , which maintains arterial $\mathrm{O}_{2}$ hemoglobin saturation $\geq 85 \%$, corresponding to a $\mathrm{P}_{\mathrm{O}_{2}}$ of about 55 mmHg , in healthy subjects (De La Zerda and Powell, 2014). In the patients studied by Gong et al. (1984), arterial $\mathrm{P}_{\mathrm{O}_{2}}$ fell from a safe level of 55 mmHg at 5000 ft altitude to 50 mmHg at $7,000 \mathrm{ft}$, a level which requires supplemental $\mathrm{O}_{2}$. The difference in inspired $\mathrm{P}_{\mathrm{O}_{2}}$ between these altitudes is $124-115$, or 9 mmHg , which again is seven times the predicted change in $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ for the A2 scenario. Patients at sea level are almost certainly considerably less sensitive to small changes in $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$, which further reinforces
the view that the predicted changes in $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ are too small to be significant for these patients.

In considering the effects of global $\mathrm{O}_{2}$ decline on disease, it is important to note that changes in arterial $\mathrm{P}_{\mathrm{O}_{2}}$ can also exacerbate disease through processes not directly related to $\mathrm{O}_{2}$ delivery by the lungs or circulation. In fact, this significance of $\mathrm{O}_{2}$ for health and disease was recently recognized with the 2019 Nobel Prize for Physiology or Medicine being awarded to Kaelin, Ratcliffe and Semenza for their discoveries about how cells sense and adapt to $\mathrm{O}_{2}$ availability ${ }^{1}$. A key part of their discoveries related to $\mathrm{O}_{2}$-sensitive control of gene expression and specifically Hypoxia Inducible Factor-1 $\alpha$ (HIF-1 $\alpha$ ). HIF-1 $\alpha$ was identified by Semenza as the transcription factor for the hormone erythropoietein (EPO), which increases red blood cell production in response to hypoxemia. Originally it was a surprise that HIF-1 $\alpha$ was expressed in essentially every type of cell tested-including cancer cells-but now this is recognized as a hallmark of the vital central role of $\mathrm{O}_{2}$ in homeostasis. Recent studies show that HIF-1 $\alpha$ plays an important role in physiological processes as diverse as inflammatory responses (Zinkernagel et al., 2007) and neural plasticity (Moya et al., 2020), illustrating how $\mathrm{O}_{2}$ levels affect much more than just mitochondrial function. Hence, it may not be surprising that there appears to be natural selection for $\mathrm{O}_{2}$-sensitive transcription factors in high altitude populations as discussed below, although again the magnitude of $\mathrm{O}_{2}$ decreases may be greater than the global changes we are considering.

## Reproduction

A major challenge to long-term habitation at high elevation is reduced birth weight impacting reproductive success. In the Rocky Mountains, Moore et al. (1998) found that birth weight decreases by $\sim 100 \mathrm{~g}$ for every km ASL, corresponding to a decrease in inspired $\mathrm{P}_{\mathrm{O}_{2}}$ of 13 mmHg . Assuming this relationship also holds at sea level, and assuming $\mathrm{P}_{\mathrm{O}_{2}}$ at sea level drops by 2 mmHg , as assumed the most extreme scenario, this would decrease birth weight by $\sim 15 \mathrm{~g}$ relative to a normal birth weight of $2,500 \mathrm{~g}$. This is likely an upper bound because it is based on an extreme estimate of $\mathrm{O}_{2}$ loss and because of the nonlinearities in $\mathrm{O}_{2}$ exchange discussed earlier. The impacts at higher altitude would also be small because predicted $\mathrm{P}_{\mathrm{O}_{2}}$ changes are also small (Table 2).

## Evolution

Over geologic time, changes in $\mathrm{O}_{2}$ are known to have had a large impact on evolution of mammals and other organisms (Falkowski et al., 2005; Powell, 2010). These evolutionary changes have been in response to fairly large changes in in $\mathrm{O}_{2}$, ranging from 60 to $140 \%$ of present atmospheric levels.

Hypoxia at high altitude is also known to be a potent force of natural selection in humans. Hundreds of studies published to date provide evidence that Tibetan, Andean, and Ethiopian highland populations have genetic adaptations to high altitude that involve various hypoxia sensing and response genes, including those in the HIF pathway (Simonson, 2015; Moore, 2017). The genomes of Tibetan individuals exhibit

[^1]adaptive signatures at several genes, including EPAS1, which encodes the $\alpha$ subunit of the HIF-2 transcription factor (HIF$2 \alpha$ ), and EGLN1, prolyl hydroxylase 2 (PHD2) that targets HIF- $\alpha$ subunits for degradation under conditions of normoxia. Both are associated with relatively lower hemoglobin concentration in Tibetans resident at high altitude (Beall et al., 2010; Simonson et al., 2010; Yi et al., 2010). The genomes from Andean and Ethiopian highlanders also exhibit various adaptive signals, including some of the same gene regions identified in Tibetans, although the precise adaptive changes appear to be distinct. For example, functional variants identified at the EGLN1 locus in Tibetans are absent or found at low frequency in Andeans (Heinrich et al., 2019). The distinct population histories of continental populations (e.g., different genetic backgrounds, admixture events, and generations at altitude) are important factors that contribute to variation across and even within continental populations (Wuren et al., 2014; Simonson, 2015).

It seems possible that natural selection of populations at higher elevations is still ongoing. What is clear from our analysis, however, is that this trajectory cannot be significantly modified by the impacts of fossil-fuel burning on atmospheric $\mathrm{O}_{2}$, because these changes are tiny compared to even modest changes in elevation (Table 2).

## Cognition

Brain function is critically sensitive to $\mathrm{O}_{2}$ supply, as the brain typically consumes about $20 \%$ of the body's $\mathrm{O}_{2}$ uptake while comprising only $2 \%$ of body mass (Guyton and Hall, 1996; West, 2016). Brain impairment on exposure to high altitude has been demonstrated for both short-term and long-term exposure, including during childhood development (West, 2017). It should be noted, however, that our understanding of cognitive impacts of long-term exposure to low $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ is informed by very few studies. Childhood development studies are especially difficult because they require comparing one group of individuals to another group, with potential confounding influences of cultural and environmental factors. Significant effects have been resolved only for large changes in altitude. The studies on young adults by Yan et al. (2011), for example, involve comparing a group raised between 2,400 and $4,200 \mathrm{~m}$, with a control group raised below 400 m . These groups were thus exposed to changes in $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ that are 25-100 times larger than the predicted drop in $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ in sea level by year 2300. Because the future losses of $\mathrm{O}_{2}$ are equivalent to such small changes in altitude, we conclude that any cognitive impacts of this loss can be at most of very minor significance.

## DISCUSSION

From measurements and models it is well established that the background level of $\mathrm{O}_{2}$ in the atmosphere is declining slowly. The decline is mostly caused by fossil-fuel burning with smaller impacts from changes in ocean and land biogeochemistry. These processes are estimated to have caused the $\mathrm{O}_{2}$ partial pressure at sea level to drop by $\sim 0.21 \mathrm{mmHg}$ from a preindustrial times to 2018 from a baseline of 159 mmHg . Based on results presented here, we estimate that, if no steps are taken to mitigate continued exploitation of fossil-fuels, $\mathrm{O}_{2}$ will continue to decline, eventually
dropping by 1.3 mmHg over a several hundred-year time frame. If humans additionally exploit resources comprising currently uneconomic or undiscovered fossil fuels, the ultimate decrease might amount to 2.5 mmHg many centuries into the future. In either of these very extreme scenarios, atmospheric $\mathrm{CO}_{2}$ will rise above $1,200 \mathrm{ppm}$, associated with global warming of $5^{\circ} \mathrm{C}$ or more, triggering climate changes considered "beyond catastrophic" (Xu and Ramanathan, 2017). In a less extreme scenario, in which dependence on fossil-fuels is reduced before reserves are exhausted, capping the $\mathrm{CO}_{2}$ rise to $\sim 550 \mathrm{ppm}$, the $\mathrm{O}_{2}$ drop will likely be around 0.5 mmHg . Warming would then be reduced to $\sim 3^{\circ} \mathrm{C}$, which is still considered catastrophic ( Xu and Ramanathan, 2017). More aggressive measures to curtail fossilfuel emissions and warming would likely lead to even smaller $\mathrm{O}_{2}$ changes. Above sea level, the declines in $\mathrm{O}_{2}$ partial pressure will be smaller than at sea level, due to an offsetting increase in barometric pressure from warming. In fact, above $\sim 3,000 \mathrm{~m}$ ASL, $\mathrm{O}_{2}$ partial pressure to is expected slightly increase, despite $\mathrm{O}_{2}$ loss globally.

Relatively small changes in altitude or barometric pressure are required to produce similar changes in $\mathrm{O}_{2}$ partial pressure. In the high-end A2 scenario considered here, a person living at sea level in year 2300 will experience an $\mathrm{O}_{2}$ partial pressure similar to a person living at an altitude of 70 m ASL today. A person living at $4,000 \mathrm{~m}$ altitude in year 2300 will experience a $\mathrm{O}_{2}$ partial pressure similar to someone living at $\sim 3,992 \mathrm{~m}$ today.

We have considered the possible impacts of these small $\mathrm{O}_{2}$ changes on human health, focusing on normal human function, athletic performance, disease, human reproduction, evolution, and cognition. In no case do we find that the changes are significant enough to raise concerns.

These conclusions are based on changes in $\mathrm{O}_{2}$ partial pressure in a clean outdoor setting, but a consideration of the additional impacts of $\mathrm{O}_{2}$ changes due to local combustion or respiration within an indoor or urban setting does not alter our conclusions. The OSHA occupational exposure limit for indoor $\mathrm{CO}_{2}$ is $5,000 \mathrm{ppm},{ }^{2}$ which compares to the natural background of $\sim 400 \mathrm{ppm}$. To raise the $\mathrm{CO}_{2}$ concentration by respiration within a confined space from 400 to $5,000 \mathrm{pm}$, yields a drop $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ of $\sim$ ( $0.005-0.0004) \times 760=\sim 4 \mathrm{mmHg}$ at sea level, which is similar to the drop that occurs on ascent of $\sim 220 \mathrm{~m}$. Typical indoor $\mathrm{CO}_{2}$ exposures are $<\sim 1,400 \mathrm{ppm}$ (Karnauskas et al., 2020), so this limit in fact is rarely achieved. As background $\mathrm{O}_{2}$ partial pressures drop in the future, indoor partial pressures will drop in parallel from their lower starting point. Our purpose is not to analyze the physiological impact of a $\sim 4 \mathrm{mmHg}$ indoor $\mathrm{O}_{2}$ loss (though we expect it is very small). But clearly the incremental impact of an additional loss over the next few centuries of 1.3 mmHg , for example, will be very minor.

The ongoing changes in atmospheric $\mathrm{O}_{2}$ could also potentially impact other aerobic life, such as animals, plants, fungi, bacteria, etc., a topic which remains to be carefully reviewed. We note that even in oxygen-starved aquatic systems, however, the impacts will generally be small because the low $\mathrm{O}_{2}$ levels in these systems are controlled by processes below the water surface, such as solubility, sluggish circulation and high inputs of detritus.

[^2]Tiny changes in the atmospheric boundary condition will not normally have much impact on these systems. Rather, the specter of large future expansion of ocean suboxic zones with dire consequences for ocean life rests firmly on the effects of global warming itself by way of reduced $\mathrm{O}_{2}$ solubility and ocean circulation change (Shaffer et al., 2009; Oschlies et al., 2018).

The $\mathrm{O}_{2}$ loss over the next few centuries will be dominated by fossil-fuel burning. The ultimate potential loss is capped by known reserves of fossil-fuel, and future trajectory will be largely governed by actual usage trajectories. The model used here predicts that $\mathrm{O}_{2}$ loss from fossil-fuel burning will be offset at the $\sim 30 \%$ level by $\mathrm{O}_{2}$ sources from the land and ocean. The land source is driven by fertilization from rising $\mathrm{CO}_{2}$ leading to accumulation of land biomass. The ocean source is driven by warming-induced solubility changes of $\mathrm{O}_{2}$ in seawater and by increased ocean stratification, which increases atmospheric $\mathrm{O}_{2}$ at the expense of greater deficits of dissolved $\mathrm{O}_{2}$ in the ocean interior. These processes are known to be offsetting $\mathrm{O}_{2}$ losses today, and the model is credible because it accounts well for changes in $\mathrm{O}_{2}$ to date. Future predictions of these biogeochemical responses are clearly speculative, but they are in any case of secondary importance. We find no basis to support the higher estimate of $\mathrm{O}_{2}$ loss from Livina et al. (2015) which is based on mathematical extrapolation without geochemical underpinning.

In theory, $\mathrm{O}_{2}$ loss could be exacerbated by strategies to reduce $\mathrm{CO}_{2}$ emissions, such as carbon capture and storage (CCS), which captures $\mathrm{CO}_{2}$ and stores it underground. CCS offsets the $\mathrm{CO}_{2}$ emission from fossil-fuel burning and the associated global warming, but does not offset the $\mathrm{O}_{2}$ loss because the captured carbon is in the form of $\mathrm{CO}_{2}$, rather than biomass. Although the model simulations presented here did not consider CCS, it is easy to set bounds on $\mathrm{O}_{2}$ by considering an extreme version of the A2 scenario in which all the $\mathrm{CO}_{2}$ eventually released from fossil-fuel burning is captured and stored. Because this eliminates warming and $\mathrm{CO}_{2}$ buildup, the $\mathrm{O}_{2}$ loss is governed by fossil-fuel usage alone, yielding an ultimate drop of 1.8 mmHg or $1.1 \%$ of the initial pressure of 159 mm Hg . This fractional change would be felt throughout the atmospheric column, equivalent to a nearly uniform upwards shift in altitude of $\sim 90 \mathrm{~m}$. The societal benefit

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of this outcome in terms of climate mitigation would greatly outweigh any small impacts from the changes in $\mathrm{O}_{2}$. This merely illustrates that concern over $\mathrm{O}_{2}$ loss is a very weak argument against CCS as a mitigation strategy.

More generally, there is now clearly an urgent need to curtail fossil-fuel $\mathrm{CO}_{2}$ emissions to avoid catastrophic climate change, which will certainly dominate the impact on human health. The corresponding loss of $\mathrm{O}_{2}$, which is of biogeochemical interest, is merely a physiological curiosity in comparison. The case for action rests on the consequences for $\mathrm{CO}_{2}$, not $\mathrm{O}_{2}$.

## AUTHOR CONTRIBUTIONS

RK and FP drafted the manuscript with contributions from other coauthors. RK contributed measurements of $\mathrm{O}_{2} / \mathrm{N}_{2}$ ratio for Figure 1 and carried out calculations of pressure $\mathrm{O}_{2}$ changes at higher elevations. GS contributed published model runs in support of Figures 2, 3. All authors contributed to the ideas and framing.

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Conflict of Interest: The authors declare that the research was conducted in the absence of any commercial or financial relationships that could be construed as a potential conflict of interest.

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## APPENDIX A. $\mathrm{O}_{2}$ UNITS

## Total Atmospheric $\mathrm{O}_{\mathbf{2}}$ Inventory

This can be expressed in moles or mass of $\mathrm{O}_{2}$. Using the $\mathrm{O}_{2}$ mole fraction of 0.2094 from Tohjima et al. (2005) for year 2000, a corresponding molecular weight of dry air of $28.96 \mathrm{~g} / \mathrm{mol}$, and the total mass of dry air of $5.135 \times 10^{18} \mathrm{~kg}$ (Trenberth and Smith, 2005) yields an $\mathrm{O}_{2}$ inventory of $3.7125 \times 10^{19}$ moles or 37125 Pmol .

## $\mathbf{O}_{\mathbf{2}}$ Mole Fraction in Dry Air, $\mathbf{X}_{\mathbf{O}_{2}}$

This unit express the ratio of moles of $\mathrm{O}_{2}$ per mole of dry air in a sample, often loosely called "concentration" and typically expressed as percent or in ppm .

## $\mathrm{O}_{2}$ Partial Pressure, $\mathrm{P}_{\mathrm{O}_{2}}, \mathrm{P}_{\mathrm{O}_{2}}^{\prime}$

This unit is used to describe $\mathrm{O}_{2}$ tension in blood, for example, which is relevant to assess $\mathrm{O}_{2}$ transport to vital tissues. Typical units are atmospheres, or mmHg , Torr or kPa for physiology. For physiological applications, it is useful to quantity ambient $\mathrm{P}_{\mathrm{O}_{2}}$ in relation to air with the same pressure but zero humidity, which is given by $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}=\mathrm{X}_{\mathrm{O}_{2}} \times \mathrm{P}_{\text {tot }}$, where $\mathrm{P}_{\text {tot }}$ is the total barometric pressure (including water vapor), and $\mathrm{X}_{\mathrm{O}_{2}}$ is the $\mathrm{O}_{2}$ dry air mole fraction. At sea level and 1 standard atmosphere this yields $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}=(0.2094)(760 \mathrm{mmHg})=159.1 \mathrm{mmHg}$.

## Inspired $\mathrm{O}_{\mathbf{2}}$ Partial Pressure, $\mathrm{P}_{\mathrm{IO}_{2}}$

Another physiologically relevant measure of the ambient $\mathrm{O}_{2}$ is the partial pressure in the lung airways, which is lower than $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ due to dilution by water vapor (as $\mathrm{X}_{\mathrm{O}_{2}}$ and $\mathrm{P}_{\text {tot }}$ are unchanged). This quantity is known as the inspired $\mathrm{O}_{2}$ partial pressure, given by $\mathrm{P}_{\mathrm{IO}_{2}}=\mathrm{X}_{\mathrm{O}_{2}} \times\left(\mathrm{P}_{\text {tot }}-\mathrm{P}_{\text {sat }}(37)\right)=\mathrm{P}_{\mathrm{O}_{2}}^{\prime}-\mathrm{X}_{\mathrm{O}_{2}} \cdot \mathrm{P}_{\text {sat }}(37)$, where $\mathrm{P}_{\text {sat }}(37)=47 \mathrm{mmHg}$ is the saturation vapor pressure of water at body temperature $37^{\circ} \mathrm{C}$ and $\mathrm{X}_{\mathrm{O}_{2}} \times \operatorname{Psat}(37)=10 \mathrm{mmHg}$.

## Present Atmospheric Level (PAL)

This unit is used in the geochemistry community to express the abundance of $\mathrm{O}_{2}$ in the atmosphere in the distant past. The unit measures the total $\mathrm{O}_{2}$ abundance level in the atmosphere in relation to the present $21 \%$ level. An atmosphere containing 1.1 PAL has $10 \%$ more $\mathrm{O}_{2}$ molecules or $10 \%$ more $\mathrm{O}_{2}$ mass than our current atmosphere.

## $\delta\left(\mathrm{O}_{2} / \mathrm{N}_{2}\right)$

This is the conventional unit for reporting changes in atmospheric $\mathrm{O}_{2}$ abundance in the modern atmosphere. This unit expresses the relative deviation in the molar $\mathrm{O}_{2} / \mathrm{N}_{2}$ ratio from a standard value of this ratio:

$$
\delta\left(\mathrm{O}_{2} / \mathrm{N}_{2}\right)=\left(\left(\mathrm{O}_{2} / \mathrm{N}_{2}\right)_{\text {sample }}-\left(\mathrm{O}_{2} / \mathrm{N}_{2}\right)_{\text {standard }}\right) /\left(\mathrm{O}_{2} / \mathrm{N}_{2}\right)_{\text {standard }}
$$

$\delta\left(\mathrm{O}_{2} / \mathrm{N}_{2}\right)$ is typically multiplied by $10^{6}$ and expressed in "per meg units", where 1 per meg $=0.0001 \%$. The $\mathrm{O}_{2} / \mathrm{N}_{2}$ ratio can be influenced both by changes in $\mathrm{O}_{2}$ or $\mathrm{N}_{2}$, but changes in $\mathrm{N}_{2}$ are typically much smaller.

## Example Calculation

We start with an idealized well-mixed dry atmosphere that initially contains $21 \% \mathrm{O}_{2}, 78 \% \mathrm{~N}_{2}$, and $1 \%$ Ar. These figures refer to mol $\%$. We assume the sum of the partial pressure of these gases equals 1 atm at sea level. We assume ideal gas behavior. The sea-level partial pressure of $\mathrm{O}_{2}$ is thus 0.21 atm , the dry air $\mathrm{O}_{2}$ mole fraction is $21 \%$ and the $\mathrm{O}_{2} / \mathrm{N}_{2}$ ratio is $21 / 78$, which is taken as the standard ratio. The initial value of $\delta\left(\mathrm{O}_{2} / \mathrm{N}_{2}\right)$ is thus $0 \%$ or 0 per meg.

Suppose that $1 \%$ of the $\mathrm{O}_{2}$ content of the atmosphere is removed without any changes in $\mathrm{N}_{2}$ or Ar. With these assumptions, the final PAL level is 0.99 and the final $\mathrm{O}_{2} / \mathrm{N}_{2}$ ratio value is $0.99 \times 21 / 79$ corresponding to $\delta\left(\mathrm{O}_{2} / \mathrm{N}_{2}\right)=-1 \%$ or $-10,000$ per meg. The final dry air $\mathrm{O}_{2}$ mole fraction is $0.99 \times 0.21 /(0.79+0.99 \times 0.21)=0.208338$, where the denominator $(0.79+0.99 \times 0.21)$ accounts for the decrease in total moles caused by the $\mathrm{O}_{2}$ loss. If $\mathrm{CO}_{2}$ is produced in association with the $\mathrm{O}_{2}$ loss, this would tend to offset the changes in the denominator. The final $\mathrm{O}_{2}$ partial pressure is given to a good approximation by $0.99 \times 0.21=0.2079 \mathrm{~atm}$, which assumes that total barometric pressure drops in proportion to total moles. Some minor limitations to this assumption are discussed in Appendix B.

## Unit Conversion Factors

The above considerations suggest these conversion factors for global changes at sea level: $1 \mathrm{PAL}=37125 \mathrm{Pmol}_{\mathrm{O}}^{2}=10^{6}$ per meg $\left(\delta\left(\mathrm{O}_{2} / \mathrm{N}_{2}\right)\right)=159.1 \mathrm{mmHg}$ (dry air partial pressure, $\left.\mathrm{P}_{\mathrm{O}_{2}}^{\prime}\right)$. Conversion based on these factors may be in error by a few percent depending also on changes in $\mathrm{N}_{2}, \mathrm{CO}_{2}$, and $\mathrm{H}_{2} \mathrm{O}$, as discussed in Appendix B.

## APPENDIX B. ON THE PROPORTIONALITY BETWEEN P $\mathrm{O}_{\mathrm{O}_{2}}$ AND GLOBAL $\mathrm{O}_{2}$ INVENTORY

Figure 3 computes changes in $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ from the results of Shaffer et al. (2009) on the assumption that $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ is proportional to the total $\mathrm{O}_{2}$ inventory. Here we identify several corrections to this assumption, showing they are all small.

To relate $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ to the composition of the atmosphere, we take

$$
\begin{align*}
& \mathrm{P}_{\mathrm{O}_{2}}^{\prime}=\mathrm{X}_{\mathrm{O}_{2}} \times \mathrm{P}_{\text {tot }}  \tag{B1}\\
& \mathrm{X}_{\mathrm{O}_{2}}=\mathrm{N}_{\mathrm{O}_{2}} /\left(\mathrm{N}_{\mathrm{N}_{2}}+\mathrm{N}_{\mathrm{O}_{2}}+\mathrm{N}_{\mathrm{Ar}}+\mathrm{N}_{\mathrm{CO}_{2}}+\ldots\right)  \tag{B2}\\
& \mathrm{P}_{\text {tot }}=(\mathrm{g} / \mathrm{A}) \cdot\left(\mathrm{N}_{\mathrm{N}_{2}} \cdot \mathrm{~m}_{\mathrm{N}_{2}}+\mathrm{N}_{\mathrm{O}_{2}} \cdot \mathrm{~m}_{\mathrm{O}_{2}}+\mathrm{N}_{\mathrm{Ar}} \cdot \mathrm{~m}_{\mathrm{Ar}}+\mathrm{N}_{\mathrm{H}_{2} \mathrm{O}} \cdot \mathrm{~m}_{\mathrm{H}_{2} \mathrm{O}}+\mathrm{N}_{\mathrm{CO}_{2}} \cdot \mathrm{~m}_{\mathrm{CO}_{2}}+\ldots\right)  \tag{B3}\\
& \mathrm{W}_{\mathrm{O}_{2}}=\mathrm{N}_{\mathrm{O}_{2}} \times \mathrm{m}_{\mathrm{O}_{2}} /\left(\mathrm{N}_{\mathrm{N}_{2}} \cdot \mathrm{~m}_{\mathrm{N}_{2}}+\mathrm{N}_{\mathrm{O}_{2}} \cdot \mathrm{~m}_{\mathrm{O}_{2}}+\mathrm{N}_{\mathrm{Ar}} \cdot \mathrm{~m}_{\mathrm{Ar}}+\mathrm{N}_{\mathrm{H}_{2} \mathrm{O}} \cdot \mathrm{~m}_{\mathrm{H}_{2} \mathrm{O}}+\mathrm{N}_{\mathrm{CO}_{2}} \cdot \mathrm{~m}_{\mathrm{CO}_{2}}+\ldots\right) \tag{B4}
\end{align*}
$$

where $\mathrm{N}_{i}$ and $\mathrm{m}_{i}$ are the number of moles and molecular mass of species $\mathrm{i}, \mathrm{X}_{\mathrm{O}_{2}}$ is the dry air $\mathrm{O}_{2}$ mole fraction (0.2094), $\mathrm{W}_{\mathrm{O}_{2}}$ is the $\mathrm{O}_{2}$ mass fraction of the entire atmosphere $(\sim 0.2314), \mathrm{P}_{\text {tot }}$ is barometric pressure at sea level, g is gravitational acceleration, and A is Earth's surface area. The sums in B2-B4 implicitly include contributions from all other trace gases in dry air. The sums in B3 and B4 also include the contribution from water vapor but the sum B 2 for dry air does not.

To evaluate the dependence of $\mathrm{P}^{\prime} \mathrm{O}_{2}$ on $\mathrm{O}_{2}$ amount, we take the logarithmic derivative of Eq. B1 with respect to $\mathrm{N}_{\mathrm{O}_{2}}$ with substitutions from B 2 to B 4 , yielding

$$
\begin{equation*}
\mathrm{dP}_{\mathrm{O}_{2}}^{\prime} / \mathrm{P}_{\mathrm{O}_{2}}^{\prime}=\left(1+\mathrm{W}_{\mathrm{O}_{2}}-\mathrm{X}_{\mathrm{O}_{2}}\right) \delta \mathrm{N}_{\mathrm{O}_{2}} / \mathrm{N}_{\mathrm{O}_{2}} \approx 1.022 \delta \mathrm{~N}_{\mathrm{O}_{2}} / \mathrm{N}_{\mathrm{O}_{2}} \tag{A5}
\end{equation*}
$$

The assumption that $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ is proportional to $\mathrm{N}_{\mathrm{O}_{2}}$ thus underestimates changes in $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ by $2.2 \%$. This small correction arises because barometric pressure at sea level does not scale in proportion to the number of moles of air (as would be true for an ideal gas in a constant volume) but rather with atmospheric mass. $\mathrm{O}_{2}$ has a molecular weight (32) that exceeds the average molecular weight of air (29) and thus makes a proportionally larger contribution to total mass than total moles.
$\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ is also sensitive to changes in the abundance of $\mathrm{CO}_{2}$, via the presence of $\mathrm{N}_{\mathrm{CO}_{2}}$ in equations B 2 and B 3 . Taking the logarithmic derivative of Eq. B 1 with respect to $\mathrm{N}_{\mathrm{CO}_{2}}$ with substitutions from B 2 to B 4 yields

$$
\begin{equation*}
\mathrm{dP}_{\mathrm{O}_{2}}^{\prime} / \mathrm{P}_{\mathrm{O}_{2}}^{\prime}=\left(\mathrm{W}_{\mathrm{CO}_{2}}-\mathrm{X}_{\mathrm{CO}_{2}}\right) \delta \mathrm{N}_{\mathrm{CO}_{2}} / \mathrm{N}_{\mathrm{CO}_{2}} \approx\left(\left(\mathrm{~W}_{\mathrm{CO}_{2}}-\mathrm{X}_{\mathrm{CO}_{2}}\right) / \mathrm{X}_{\mathrm{CO}_{2}}\right) \delta \mathrm{X}_{\mathrm{CO}_{2}}=0.516 \delta \mathrm{X}_{\mathrm{CO}_{2}} \tag{A6}
\end{equation*}
$$

where $\mathrm{W}_{\mathrm{CO}_{2}}$ and $\mathrm{X}_{\mathrm{CO}_{2}}$ are the weight and mole fractions of $\mathrm{CO}_{2}$ in air, defined similarly to B 2 and B 4 . Assuming $\mathrm{CO}_{2}$ eventually rises to from a preindustrial level of 280 ppm to 1000 ppm (per A2 in Figure 3), this yields $\mathrm{dP}_{\mathrm{O}_{2}}^{\prime}=(159)(0.516)(0.00100-$ $0.000280)=0.06 \mathrm{mmHg}$, which is negligible.

Atmospheric water vapor is also expected to increase with climate warming. Water vapor has no impact on the dry air mole fraction $\mathrm{X}_{\mathrm{O}_{2}}$ but comprises $0.25 \%$ of the mass of the atmosphere (Trenberth and Smith, 2005), and thus contributes $0.25 \%$ to $\mathrm{P}_{\text {tot }}$ in Eq. B1. Assuming that the water content scales with warming according to the saturation vapor curve, and adopting warming estimate of $5^{\circ} \mathrm{C}$ from the A2 scenario (Figure 3), this yields an increase in water vapor of $\sim 40 \%$. This causes barometric pressure to increase by $0.1 \%$, corresponding to an increase in $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ at sea level of $0.001 \times(159 \mathrm{mmHg})=0.16 \mathrm{mmHg}$. This compares to the drop in $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ of 1.4 mmHg estimated under the A2 scenario due to global $\mathrm{O}_{2}$ loss (Figure 3) at year 2150, when Earth has warmed by 5C.

Warming causes the oceans to release $\mathrm{N}_{2}$ to the atmosphere due to the temperature dependence of the $\mathrm{N}_{2}$ solubility in seawater. Keeling et al. (2004) estimate a sensitivity of $\sim 2 \times 10^{-6}$ of the atmospheric $\mathrm{N}_{2}$ inventory per 100 ZJ of ocean warming. Assuming the oceans as a whole eventually warm by an average of $\sim 4^{\circ} \mathrm{C}$ for the A 2 scenario (e.g., Shaffer et al., 2009), this yields a relative increase in atmospheric $\mathrm{N}_{2}$ inventory of $0.04 \%$, which in turn impacts both $\mathrm{X}_{\mathrm{O}_{2}}$ and $\mathrm{P}_{\text {tot }}$ at the $0.04 \%$ level but in opposite directions. The impact on $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ via Eq. B 1 is less than $0.01 \%$ because the contributions from $\mathrm{X}_{\mathrm{O}_{2}}$ and $\mathrm{P}_{\text {tot }}$ nearly cancel, and is thus completely negligible.

In summary, we have quantified several small corrections required to the estimated changes in $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ in Figure 3. One correction results from changes in molecular weight of dry air with $\mathrm{O}_{2}$ loss, leading to a $\sim 2 \%$ correction in the direction of amplifying the $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ decrease. A second and larger correction results from an increase in atmospheric water vapor which increases $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ through the impact on barometric pressure. In the context of the future scenarios, this water vapor impact amounts to $\sim 12 \%$ of the calculated decrease in $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ due to $\mathrm{O}_{2}$ loss, partially offsetting the overall $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ decrease. The combined impact of both corrections is of order $\sim 10 \%$ in the direction of offsetting the $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ decrease. Adjusting our calculation for these small effects would not change any conclusions. Other corrections due to changes in $\mathrm{CO}_{2}$ and $\mathrm{N}_{2}$ are even smaller.

## APPENDIX C. Shaffer et al. (2009) MODEL DETAILS

The A2 and B1 scenarios used in Shaffer et al. (2009) prescribe future fossil-fuel burning and land-use change, which drive $\mathrm{CO}_{2}$ emissions and $\mathrm{O}_{2}$ loss. The scenarios ascribe minor importance to land-use change emissions going forward. The intermediatecomplexity carbon/climate model used in Shaffer et al. (2009) computes changes in $\mathrm{CO}_{2}$ and global temperature which drive additional
changes in $\mathrm{O}_{2}$ from changes in ocean and land biogeochemistry (Shaffer et al., 2008). Shaffer et al. (2009) extend these scenarios past year 2100 using polynomial functions that taper emissions gradually toward zero around 2200 . The A2 and B1 scenarios are often considered to bracket possible outcomes: the A2 scenario allows for emissions growth without any mitigation ("business as usual"), while B1 assumes emissions are partly curtailed to mitigate climate changes. The model assumes $\mathrm{O}_{2}$ : C stoichiometric ratios of 1.391 for fossil-fuel burning and 1.1 for land biospheric exchanges.

Shaffer et al. (2009) report $\mathrm{O}_{2}$ changes in units of partial pressure, which they calculate by multiplying the estimated preindustrial sea level $\mathrm{O}_{2}$ partial pressure of 0.2094 atm by the relative change in the total atmospheric $\mathrm{O}_{2}$ inventory from their model. From the considerations Appendix B , we interpret these results as corresponding to $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$.

The predictions shown in Figure 3 used a prescribed climate sensitivity of $3^{\circ} \mathrm{C}$ per doubling of $\mathrm{CO}_{2}$. Shaffer et al. (2009) also carried out simulations with a higher sensitivity of $4.8^{\circ} \mathrm{C}$. The choice of climate sensitivity has very little impact on decreases in $\mathrm{P}_{\mathrm{O}_{2}}^{\prime}$ at sea level because this sensitivity impacts only the land and ocean $\mathrm{O}_{2}$ sources and not the $\mathrm{O}_{2}$ losses from fossil-fuels and land-use. The changes in $\mathrm{P}^{\prime} \mathrm{O}_{2}$ at higher altitudes are somewhat sensitive to the assumed climate sensitivity. Higher climate sensitivity causes more warming and therefore larger increases in barometric pressure and $\mathrm{P}^{\prime} \mathrm{O}_{2}$ at higher altitude while also lowering the cross-over altitude.


[^0]:     constant lapse rate. The value of the constant lapse was selected so that $P_{\text {const }}$ is similar to $P_{\text {moist }}$ up to 6 km . Calculations done with formulae and constants from Jacobson et al. (2005).
    ${ }^{b}$ Pressure increase caused by $3^{\circ} \mathrm{C}$ of surface warming, computed by averaging the pressure changes expected for constant versus moist lapse rates: $\Delta P=\left(\Delta P_{\text {moist }}+\Delta P_{\text {const }}\right) / 2$ where $\Delta P_{\text {moist }}=P_{\text {moist }, f}-P_{\text {moist }, i}$ and $\Delta P_{\text {const }}=P_{\text {const }, f}-P_{\text {const }, i}$ and where $i$ and $f$ denote initial and final profiles. The constant lapse rate is not changed between initial and final profiles, while the moist lapse rate changes as expected with temperature. The uncertainties are set equal to $\pm\left(\Delta P_{\text {moist }}-\Delta P_{\text {const }}\right) / 2$. The moist lapse rate case yields the larger pressure increase, i.e. $\Delta P_{\text {moist }}>\Delta P_{\text {const }}$.

[^1]:    ${ }^{1}$ https://www.nobelprize.org/prizes/medicine/2019/summary/

[^2]:    ${ }^{2}$ https://www.osha.gov/dsg/annotated-pels/tablez- $1 . \mathrm{html}$

