

# Configuration Analysis of a Lizard Skin-like Pattern Formed by DNA Self-Assembly

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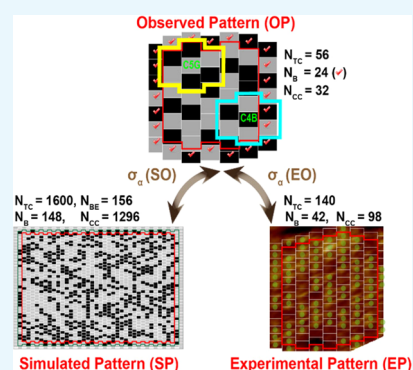


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**ABSTRACT:** Nature manifests diverse and complicated patterns through efficient physical, chemical, and biological processes. One of the approaches to generate complex patterns, as well as simple patterns, is the use of the cellular automata algorithm. However, there are certain limitations to produce such patterns experimentally due to the difficulty of finding candidate programmable building blocks. Here, we demonstrated the feasibility of generating an ocellated lizard skin-like pattern by simulation considering the probabilistic occurrence of cells and constructed the simulation results on DNA lattices via bottom-up self-assembly. To understand the similarity between the simulated pattern (SP) and the observed pattern (OP) of lizard skin, a unique configuration scheme (unit configuration was composed of 7 cells) was conceived. SPs were generated through a computer with a controlling population of gray and black cells in a given pattern. Experimental patterns (EPs) on DNA lattices, consisting of double-crossover (DX) tiles without and with protruding hairpins, were fabricated and verified through atomic force microscopy (AFM). For analyzing the similarity of the patterns, we introduced deviation of the average configuration occurrence for SP and EP with respect to OP, i.e.,  $\sigma_a(\text{SO})$  and  $\sigma_a(\text{EO})$ . The configuration and deviation provide characteristic information of patterns. We recognized that the minimum values of  $\langle\sigma_a(\text{SO})\rangle$  and  $\langle\sigma_a(\text{EO})\rangle$  occurred when 50% (55%) of black cells in given SPs (DX tiles with hairpins in given EPs) appeared to be most similar to the OP. Our study provides a novel platform for the applicability of DNA molecules to systematically demonstrate other naturally existing complex patterns or processes with ease.



## INTRODUCTION

Attributable to biocompatibility (in biotechnology) and structural stability (in nanotechnology), DNA molecules have emerged as particularly promising biomaterials for a versatile building block. Structural DNA nanotechnology (which provides methods to fabricate various dimensional nanostructures with periodic and aperiodic patterns formed by self-assembly) is significantly developed by sequence programmability (information technology) via Watson–Crick base-pairing interactions.<sup>1–12</sup> Self-assembly is an efficient way to produce thermodynamically favored patterns at the nanoscale through noncovalent interaction with precisely controlled topology.<sup>13</sup>

Nature, an inexhaustible source, manifests diverse patterns with remarkable structures produced through efficient chemical processes. These patterns can be considered as the set of dynamic organizing principles and can be explained by the interdisciplinary fields of physics, chemistry, mathematics, and biology. A commonly used approach to study the formation of these patterns is computer modeling to simulate a wide range of natural phenomena.<sup>14–23</sup> Recently, Milinkovitch's group studied an ocellated lizard by observation (via scale color dynamics) and simulation (a discrete-state dynamical lattice of mesoscopic elements) of labyrinthine

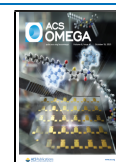
skin pattern.<sup>24</sup> The general rule was that black cells tend to have four gray neighbors and gray cells tend to have three black neighbors. Thus, it was proposed that the lizard skin color pattern was superposed on the skin cells because of the superposition of skin geometry with a continuous reaction–diffusion system.

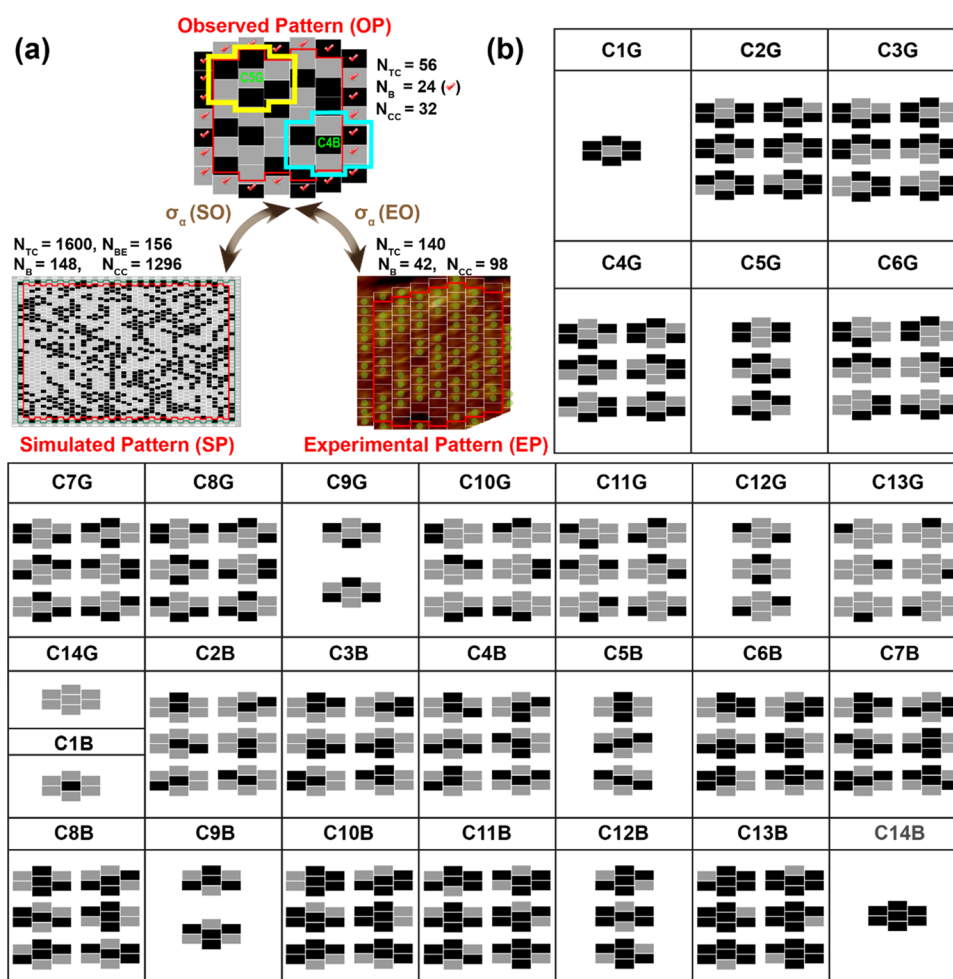
To date, naturally occurring patterns (such as lizard skin-like and *Zelkova serrata* lenticel-like patterns), which do not have specific known rules, are seldom demonstrated experimentally. Even if so, quantitative analysis of the similarity between an observed pattern (OP) and an experimentally obtained pattern is rarely discussed. In this study, we tested the feasibility to generate a lizard skin-like pattern by simulation with the aid of the probabilistic occurrence of cells and constructed the simulation results on DNA lattices via bottom-up self-assembly. To analyze the similarity between the simulated pattern (SP) or experimental pattern (EP) and the observed

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**Figure 1.** Demonstration of simulated patterns (SPs) and experimental patterns (EPs) with respect to the observed pattern (OP) of the lizard skin and a list of all available configurations. (a) Representative OP, SP, and EP. The total number of cells, empty boundary cells, boundary cells, and the number of cells providing countable configurations in given lattices are abbreviated as  $N_{TC}$ ,  $N_{BE}$ ,  $N_B$ , and  $N_{CC}$ , respectively. Boundary lines (an empty boundary line) in OP, SP, and EP (SP) are indicated in red (green). Twenty-four cells of  $N_B$  in OP are indicated with red checkmarks. A configuration unit consists of 7 cells, such as CSG (shown by the yellow line) and C4B (cyan) in the OP. EP was formed by DNA DX tiles without and with protruding hairpins. Green dots in EP indicate DX tiles having hairpins. The deviation of configuration occurrence is represented by  $\sigma_\alpha$ . Here,  $\sigma_\alpha$ (SO) and  $\sigma_\alpha$ (EO) stand for the deviation of SP with respect to OP and the deviation of EP with respect to OP, respectively. (b) Schematic representation of all possible configurations. Twenty-eight configurations (i.e., 14 for a mid-gray cell and another 14 for a mid-black) are available.

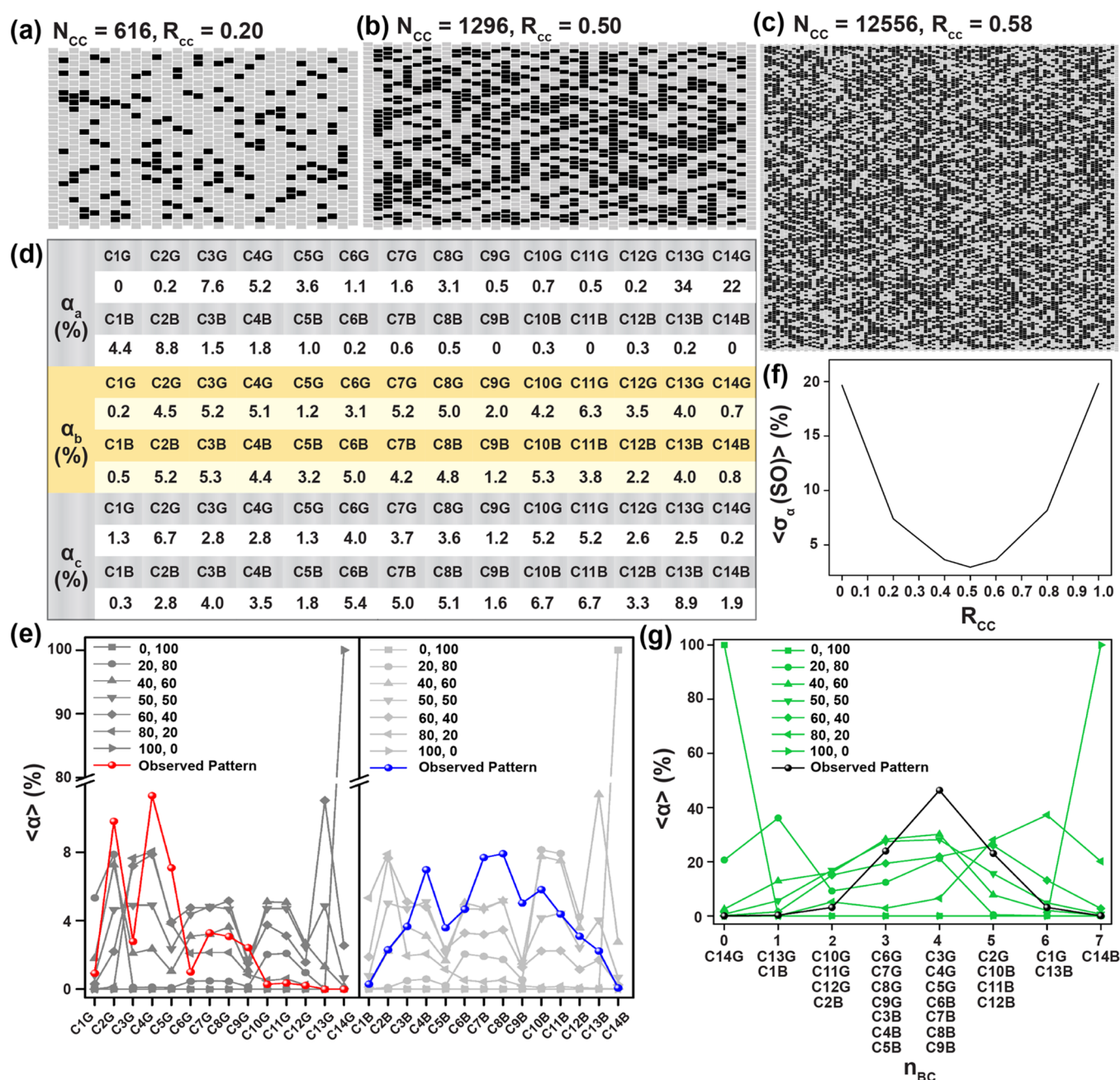
pattern (OP) of the lizard skin (we adopted OP from ocellated lizards<sup>24</sup>), countable configuration (units consisting of 7 cells) was introduced. EPs on DNA lattices, which were composed of double-crossover (DX) tiles without and with protruding hairpins, were constructed and verified through atomic force microscopy (AFM).<sup>2</sup> To explain the similarity between the patterns, we introduced the deviation of average configuration occurrence ( $\alpha$ ) for SP and EP with respect to OP (i.e.,  $\sigma_\alpha$ (SO) and  $\sigma_\alpha$ (EO)).

## RESULTS AND DISCUSSION

**Discussion of OP, SP, and EP of the Lizard Skin and a List of Available Configurations.** Figure 1a depicts representative patterns obtained from simulation (SP, which is generated through a computer by controlling the number of black cells in given countable configurations), experiment (EP, which consists of carefully designed DNA DX tiles formed via bottom-up self-assembly), and observation (OP) with the specific numbers of the cells and the deviations ( $\sigma_\alpha$ ) of configuration occurrence ( $\alpha$ ). The total number of cells,

boundary cells, and cells providing countable configurations in given lattices are named  $N_{TC}$ ,  $N_B$ , and  $N_{CC}$ , respectively. For OP and EP, boundary lines are indicated in red. Twenty-four  $N_B$  cells in OP (total number of cells placed outside of the boundary line) are indicated with red checkmarks. Here, the sum of  $N_B$  and  $N_{CC}$  is  $N_{TC}$ . For instance, 32 of  $N_{CC}$  is obtained by subtraction of 24 of  $N_B$  from 56 of  $N_{TC}$  for OP. For SP, we introduced an empty boundary line, which is indicated in green (for programming purposes). The total number of cells placed outside of the empty boundary line is named  $N_{BE}$ . Consequently,  $N_{TC}$  is given by the sum of  $N_B$ ,  $N_{BE}$ , and  $N_{CC}$ .

Configuration and deviation provide characteristic information of patterns. A configuration unit consists of 7 cells. A mid rectangular cell (either gray or black) with its 6 neighboring cells forms a unit of hexagonal countable configuration. Here, CSG (shown by a yellow line) and C4B (cyan) in OP indicate a 5th configuration having a mid-gray cell and a 4th configuration having a mid-black cell, respectively. Each cell in a unit can be either gray or black, which corresponds to without or with protruding hairpins on DNA DX tiles, respectively. For clarity, we placed green dots in EP (obtained



**Figure 2.** Demonstration and analysis of simulated patterns (SPs) with respect to the observed pattern (OP) of the lizard skin. (a) Representative SP with a lattice size of  $24 \times 26$  cells.  $R_{CC}$  is defined as the ratio of the number of black cells in given countable configurations ( $N_{CC,B}$ ) over the number of cells providing the countable configurations ( $N_{CC}$ ), i.e.,  $R_{CC} = N_{CC,B}/N_{CC}$ . A lattice shown here has an  $R_{CC}$  of 0.2. (b, c) Representative SPs with lattice sizes of  $36 \times 36$  and  $146 \times 86$  cells. (d) Configuration occurrences (named  $\alpha_a$ ,  $\alpha_b$ , and  $\alpha_c$ ) for lattices shown in (a), (b), and (c). (e) Average configuration occurrences ( $\langle \alpha \rangle$ ) for SPs with a lattice size of  $146 \times 86$  cells. Fifty SPs were evaluated. SPs are labeled with the percentage ratio of the number of black ( $N_{CC,B}$ ) and gray ( $N_{CC,G}$ ) cells in given countable configurations. Configuration occurrences for OP are indicated with red (for mid-gray cells) and blue (for mid-black cells) lines. (f) Deviation of average configuration occurrences ( $\sigma_a$ ) for SPs with a lattice size of  $146 \times 86$  cells. (g)  $\langle \alpha \rangle$  with respect to the number of black cells within a given configuration. The number of black cells within countable configurations is named  $n_{BC}$ . Specific names of corresponding configurations are listed under  $n_{BC}$ .  $\langle \alpha \rangle$  for OP is marked with a black line.

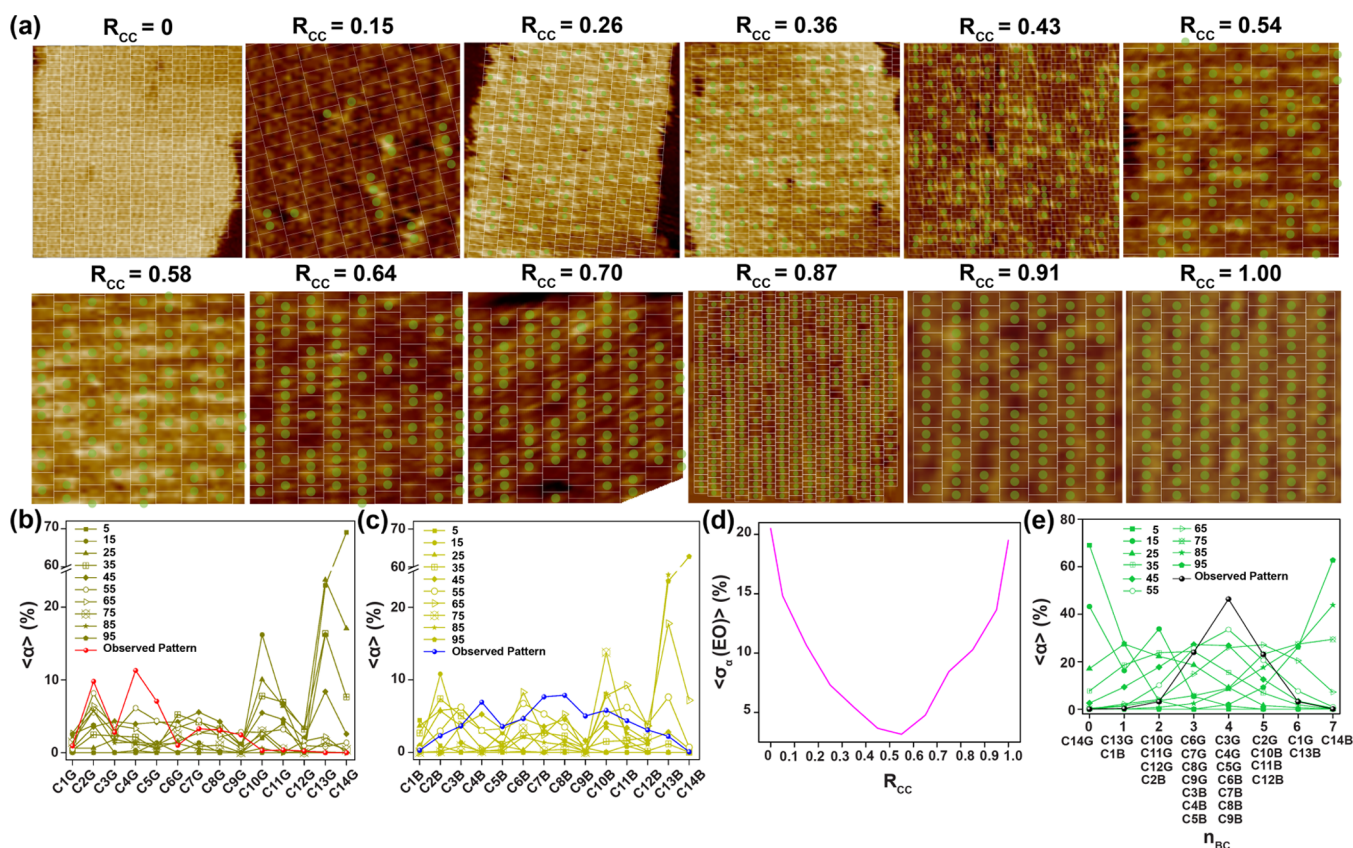
from an AFM image), which indicate cells (i.e., DX tiles) having hairpins. To determine the similarity between patterns, we introduced the deviation of configuration occurrence ( $\alpha$ ), which is represented by  $\sigma_a$ . Here,  $\sigma_a(SO)$  and  $\sigma_a(EO)$  indicate the deviation of SP with respect to OP and the deviation of EP with respect to OP, respectively.

Figure 1b shows a schematic representation of all possible configurations. Twenty-eight configurations (i.e., 14 for a mid-gray cell and another 14 for a mid-black) are available. Each

configuration has either 1, 2, 3, or 6 units depending upon the characteristics of the configuration. For instance, C1G (C1B), which is the 1st configuration having a mid-gray (black) cell with all neighboring black (gray) cells, requires only 1 unit. In contrast, C10G (C10B) having a mid-gray (black) cell needs 6 units to construct 2 adjacent black (gray) cells in 6 neighboring cells.

**Demonstration and Analysis of SPs with Respect to the OP of the Lizard Skin.** Figure 2 demonstrates the SPs of





**Figure 3.** Demonstration and analysis of experimental patterns (EPs) with respect to the observed pattern (OP) of the lizard skin. (a) Representative EPs with various values of  $R_{CC}$  obtained by AFM data. Green dots in EP indicate cells having hairpins. AFM images for  $R_{CC}$  values of 0, 0.26, 0.36, 0.43, and 0.87 had a scan size of  $200 \times 200 \text{ nm}^2$ , while the scan size of all others was  $100 \times 100 \text{ nm}^2$ . (b, c) Average configuration occurrences ( $\langle \alpha \rangle$ ) for EPs. EPs are labeled with the mid values of  $R_{CC}$ . For instance, 25 indicates EPs with a range of  $R_{CC}$  between 21 and 30. Configuration occurrences for OP are indicated with red (for mid-gray cells) and blue (for mid-black cells) lines. (d) Deviation of average configuration occurrences ( $\sigma_\alpha$ ) for EPs with various values of  $R_{CC}$ . (e)  $\langle \alpha \rangle$  with respect to the number of cells with hairpins within a given configuration. The number of cells with hairpins within countable configurations is named  $n_{BC}$ .  $\langle \alpha \rangle$  for OP is marked with a black line.

the lizard skin [which are generated through one-dimensional (1D) cellular automata]. Three representative SPs (with lattice sizes of  $24 \times 26$ ,  $36 \times 36$ , and  $146 \times 86$  cells) corresponding to  $N_{CC}$  values of 616, 1296, and 12 556 are displayed in Figure 2a–c. To generate diverse SPs, we introduced  $R_{CC}$ , which is defined as the ratio of the number of black cells in given countable configurations ( $N_{CC,B}$ ) to the number of cells providing countable configurations ( $N_{CC}$ ) (i.e.,  $R_{CC} = N_{CC,B}/N_{CC}$ ). For instance, the 2nd and 3rd SPs shown here have  $R_{CC}$  values of 0.5 ( $=648/1296$ ) and 0.58 ( $=7283/12556$ ), respectively. As the  $R_{CC}$  value increases, the number of black cells in a given SP increases.

Numerical values of configuration occurrences for given SPs, named as  $\alpha_a$ ,  $\alpha_b$ , and  $\alpha_c$  (shown in Figure 2a–c) are noticed in Figure 2d. We obtained  $\alpha_{C\#G(B)}$  by  $(N_{CC,C\#G(B)}/N_{CC}) \times 100$ . Here,  $N_{CC,C\#G(B)}$  stands for the number of C#G(B) configuration occurrences. For instance, the proportion of  $\alpha_{a,C2B}$  and  $\alpha_{c,C7G}$  compared to other configurations is 8.8% [obtained by  $(N_{CC,C2B}/N_{CC}) \times 100 = (54/616) \times 100$ ] and 3.7% [ $(N_{CC,C7G}/N_{CC}) \times 100 = (465/12556) \times 100$ ], respectively. As can be seen, the most dominant configuration for the 1st SP was the C13G (the 13th configuration having a mid-gray cell and 1 black and 5 gray neighboring cells) with 34.0% of configuration occurrences being  $\alpha_{a,C13G}$ , and the least dominant configuration for the 2nd SP was C1G (the 1st configuration having a mid-gray cell and all black neighboring

cells), with  $\alpha_{b,C1G}$  representing 0.2% of configuration occurrences. Similarly, the most and least dominant configurations for the 3rd SP were C13B, with 8.9% of  $\alpha_{c,C13B}$ , and C14G, with 0.2% of  $\alpha_{c,C14G}$ , respectively.

For obtaining the average configuration occurrence ( $\langle \alpha \rangle$ ) for SPs with various  $R_{CC}$  values, we evaluated 50 SPs having a lattice size of  $146 \times 86$  cells for each  $R_{CC}$  (Figure 2e). SPs were labeled with the ratio of the number of black ( $N_{CC,B}$ ) to gray ( $N_{CC,G}$ ) cells in given countable configurations. For example, 20 in (20, 80) indicates  $R_{CC} \times 100$ . It means that SPs labeled with (20, 80), (50, 50), and (100, 0) have an  $R_{CC}$  of 0.20, 0.50, and 1.00, respectively. Configuration occurrence percentages for OP are indicated with red lines for mid-gray cells and blue lines for mid-black cells. For countable configurations with mid-gray cells (C#G, left panel), OP reveals dominant  $\langle \alpha \rangle$  occurred at C4G (11.0%) followed by C2G (8%). However, in SPs, the most occurred configurations are C2G (7.9%) for (20, 80), C2G (7.3%) for (40, 60), C13G (11%) for (60, 40), and C13G (31%) for (80, 20). In contrast, the dominant  $\langle \alpha \rangle$ , with a roughly constant value (4.5%), is obtained at several configurations such as C2G, C3G, C4G, C6G, C7G, C8G, C10G, C11G, and C13G for (50, 50). The right panel in Figure 2e displays a plot of  $\langle \alpha \rangle$  against the 14 configurations having mid-black cells (C#B). OP reveals two dominant  $\langle \alpha \rangle$  occurred at C7B (8%) and C8B (8%). In SP, most the occurred  $\langle \alpha \rangle$  are C13B (32%) for (20,80), C13B (11%) for

(40, 60), C2B (8%) for (60, 40), and C2B (8%) for (80, 20). For (50, 50),  $\langle \alpha \rangle$  of C2B, C3B, C4B, C6B, C7B, C8B, C10B, C11B and C13B are placed in the range of 4–5%.

Figure 2f displays a plot of the average deviation of configuration occurrence ( $\langle \sigma_a(\text{SO}) \rangle$ ) for SPs with respect to OP. It is defined by  $\langle \sigma_a(\text{SO}) \rangle = [\sum (\alpha_i - \langle \alpha \rangle)^2 / (N - 1)]^{1/2}$ , where  $\alpha_i$ ,  $\langle \alpha \rangle$ , and  $N$  represent average configuration occurrence of SP and OP at the  $i^{\text{th}}$  configuration and the total number of available configurations (i.e., 28), respectively. We recognize that  $\langle \sigma_a(\text{SO}) \rangle$  shows a minimum (3.0%) at  $R_{\text{CC}} = 0.50$ . This means that SP with an  $R_{\text{CC}}$  of 0.50 provides the most similar configuration to OP than any other samples quantitatively.

$\langle \alpha \rangle$  with respect to the number of black cells within a given configuration is displayed in Figure 2g. The number of black cells within a countable configuration (from 0 to 7) is named as  $n_{\text{BC}}$ . Specific names of corresponding configurations are listed under  $n_{\text{BC}}$ . For instance, configurations of C10G, C11G, C12G, and C2B have 2 black cells within the unit configuration placed under an  $n_{\text{BC}}$  of 2. For OP,  $\langle \alpha \rangle$  is marked with a black line. Furthermore, for OP,  $\langle \alpha \rangle$  is found to be highest (46%) at an  $n_{\text{BC}}$  of 4. The highest  $\langle \alpha \rangle$  for SPs with (20,80), (40,60), (50,50), (60,40), and (80,20) were calculated as 36, 30, 28, 26, and 37%, respectively.

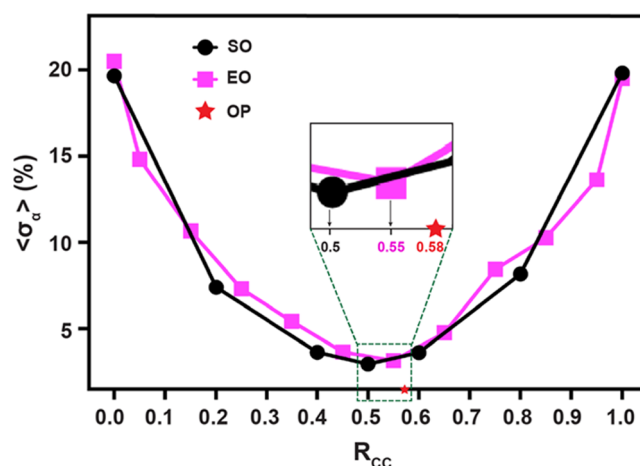
**Demonstration and Analysis of EPs with Respect to the OP of the Lizard Skin.** Figure 3a illustrates representative EPs obtained by AFM data with various values of  $R_{\text{CC}}$ . For better visualization, AFM images are overlaid with rectangular boxes representing DX tiles. Green dots in EPs indicate cells (i.e., DX tiles) having hairpins. A DX tile (with dimensions of  $12.6 \times 4 \text{ nm}^2$ ) is formed by hybridization followed by facilitating further assembly into EPs. To represent the mid-black (gray) cells in OPs, DX tiles with (without) hairpins are employed. For obtaining various EPs, EPs having different  $R_{\text{CC}}$  values are fabricated by controlling the ratio of the number of DX tiles with hairpins to the total number of DX tiles in a given EP. Average configuration occurrences ( $\langle \alpha \rangle$ ) for EPs are shown in Figure 3b,c. Configuration occurrences for OP are indicated with red (indicating mid-gray cells) and blue (indicating mid-black cells) lines. EPs are labeled with the mid values of  $R_{\text{CC}}$ . For instance, 45 indicates EPs with a range of  $R_{\text{CC}}$  between 41 and 50. For mid-gray (black) configurations in OPs, C4G (C7B and C8B) is (are) more dominant than others. For mid-gray (black) configurations in EPs, the most occurred configurations among  $\langle \alpha \rangle$  are C14G (C1B) for 5% of  $R_{\text{CC}}$ , C14G (C2B) for 15%, C13G (C2B) for 25%, C13G (C3B) for 35%, C13G (C2B) for 45%, C2G (C13B) for 55%, C2G (C13B) for 65%, C2G (C14B) for 75%, C2G (C14B) for 85%, and C2G (C14B) for 95%.

The deviation of average configuration occurrences ( $\sigma_a$ ) for EPs as a function of  $R_{\text{CC}}$  is plotted and shown in Figure 3d. The minimum of  $\sigma_a$  (i.e., 3.2%) occurs at an  $R_{\text{CC}}$  of 0.55. This might imply that 55% of DX tiles with hairpins in EPs appear to be most similar to the OP.

Figure 3e displays  $\langle \alpha \rangle$  with respect to the number of cells with hairpins within a given configuration. The number of cells with hairpins within countable configurations is named as  $n_{\text{BC}}$ . Specific names of corresponding configurations are listed under  $n_{\text{BC}}$  (e.g., configurations of C2G, C10B, C11B, and C12B have 5 cells with hairpins within the unit configuration and are placed under an  $n_{\text{BC}}$  of 5). A black line represents  $\langle \alpha \rangle$  for OP. In the case of OPs,  $\langle \alpha \rangle$  revealed its highest values at an  $n_{\text{BC}}$  of 4. In EPs, the highest  $\langle \alpha \rangle$  is occurred at an  $n_{\text{BC}}$  of 0

for 5% of  $R_{\text{CC}}$ , an  $n_{\text{BC}}$  of 0 for 15% of  $R_{\text{CC}}$ , an  $n_{\text{BC}}$  of 1 for 25% of  $R_{\text{CC}}$ , an  $n_{\text{BC}}$  of 2 for 35% of  $R_{\text{CC}}$ , an  $n_{\text{BC}}$  of 3 for 45% of  $R_{\text{CC}}$ , an  $n_{\text{BC}}$  of 4 for 55% of  $R_{\text{CC}}$ , an  $n_{\text{BC}}$  of 5 for 65% of  $R_{\text{CC}}$ , an  $n_{\text{BC}}$  of 7 for 75% of  $R_{\text{CC}}$ , an  $n_{\text{BC}}$  of 7 for 85% of  $R_{\text{CC}}$ , and an  $n_{\text{BC}}$  of 7 for 95% of  $R_{\text{CC}}$ .

**Deviation of Average Configuration Occurrence for SPs and EPs with Respect to the OP of the Lizard Skin.** To compare the similarity between SP (EP) and OP,  $\langle \sigma_a(\text{SO}) \rangle$  and  $\langle \sigma_a(\text{EO}) \rangle$  are plotted in Figure 4 as a function of  $R_{\text{CC}}$ .



**Figure 4.** Deviation of average configuration occurrence ( $\sigma_a$ ) for SP and EP with respect to OP, i.e.,  $\sigma_a(\text{SO})$  and  $\sigma_a(\text{EO})$ , as a function of  $R_{\text{CC}}$ . An enlarged image shows the minimum values of  $\sigma_a(\text{SO})$  and  $\sigma_a(\text{EO})$ , which occurred at  $R_{\text{CC}}$  values of 0.50 and 0.55, respectively.  $R_{\text{CC}}$  of OP, which was 0.58, is marked with a red star.

By analyzing OPs, an  $R_{\text{CC}}$  of 0.58 was obtained (which is marked with a red star). Minimum values of  $\langle \sigma_a(\text{SO}) \rangle$  and  $\langle \sigma_a(\text{EO}) \rangle$  occurred at  $R_{\text{CC}}$  of 0.50 and 0.55, respectively. This might imply that 50% (55%) of black cells in given SPs (DX tiles with hairpins in given EPs) were most similar to the OP. In addition, we noticed that the  $R_{\text{CC}}$  of SP and EP agreed well with the  $R_{\text{CC}}$  of OP ( $=0.58$ ) within 13.8% [ $=(0.50-0.58/0.58) \times 100$ ] and 5.2% deviations (indicated in an enlarged image).

## CONCLUSIONS

In this study, we discussed how an observed lizard pattern could be generated experimentally as well as by simulation. In addition, we analyzed them through configuration analysis of a lizard skin-like pattern formed by simulation and DNA self-assembly. To generate diverse SPs and EPs, we introduced  $R_{\text{CC}}$  (which is defined as the ratio of the number of black cells in given countable configurations to the total number of cells providing countable configurations). As the  $R_{\text{CC}}$  increases, the number of black cells in given SPs and EPs increase. Numerical values of configuration occurrences (which heavily relied on  $R_{\text{CC}}$ ) for given SPs and EPs were carefully examined. To obtain similarity between SP/EP and OP, we investigated  $\langle \sigma_a(\text{SO}) \rangle$  and  $\langle \sigma_a(\text{EO}) \rangle$  as a function of  $R_{\text{CC}}$ . The minima of  $\langle \sigma_a(\text{SO}) \rangle$  and  $\langle \sigma_a(\text{EO}) \rangle$  (which describe the most similar pattern to the OP) occurred at  $R_{\text{CC}}$  values of 0.50 and 0.55, respectively.

## METHODS

**Construction of the Experimental Patterns (EP) Formed by DNA Double-Crossover (DX) Tiles.** Synthetic



oligonucleotides purified via high-performance liquid chromatography (HPLC) were purchased from Bioneer (Daejeon, Korea). For hybridization of the EPs, the two-step annealing method was adopted. Individual strands for each tile (i.e.,  $R_0$  and  $S_0$  tiles having no hairpins and  $R_1$  and  $S_1$  strands with hairpins) were mixed with equimolar concentration (400 nM) in  $1 \times \text{TAE}/\text{Mg}^{2+}$  buffer solution (40 mM Tris, 20 mM acetic acid, 1 mM ethylenediaminetetraacetic acid (EDTA) [pH 8.0], and 12.5 mM magnesium acetate). For obtaining individual tiles, the mixture of individual strands for each tile in the test tube was cooled from 95 to 25 °C by placement in a Styrofoam box containing 2 L of boiled water for 2 days to facilitate the hybridization process (i.e., first step: high-temperature annealing). For construction of EPs with specific values of  $R_{cc}$ ,  $R_0$ ,  $S_0$ , and  $R_1$ ,  $S_1$  were mixed with appropriate concentrations of individual tiles. For instance, EPs with  $R_{cc}$  of 0, 0.2, 0.5, and 1.0 were formed by following sets: ( $[R_0] = [S_0] = 100$  nM and  $[R_1] = [S_1] = 0$  nM), ( $[R_0] = [S_0] = 80$  nM and  $[R_1] = [S_1] = 20$  nM), ( $[R_0] = [S_0] = 50$  nM and  $[R_1] = [S_1] = 50$  nM), and ( $[R_0] = [S_0] = 0$  nM and  $[R_1] = [S_1] = 100$  nM), respectively. Mixtures were then placed in 2 L of water in a Styrofoam box and gradually cooled down from 40 to 25 °C to facilitate further hybridization (second step: low-temperature annealing) (Supporting Information Figure S1, Supporting Information Tables S1 and S2).

**AFM Imaging.** DNA sample solution (5  $\mu\text{L}$ ) was dropped on a cleaved mica surface (with a size of  $5 \times 5 \text{ mm}^2$ ) followed by incubation for 30 s. Then, 30  $\mu\text{L}$  of  $1 \times \text{TAE}/\text{Mg}^{2+}$  was added to mica and another 20  $\mu\text{L}$  of  $1 \times \text{TAE}/\text{Mg}^{2+}$  was mounted on an oxide-sharpened silicon nitride AFM tip (Veeco, CA). AFM images were obtained in the scan-assist mode by a Digital Instruments Nanoscope V8 (Veeco, CA).

## ■ ASSOCIATED CONTENT

### Supporting Information

The Supporting Information is available free of charge at <https://pubs.acs.org/doi/10.1021/acsomega.1c03593>.

Schematic illustration of DX tiles without ( $R_0$ ,  $S_0$ ) and with hairpins ( $R_1$ ,  $S_1$ ) with their detailed base sequences for EP formation, strand details representing the number of bases and DNA sequences used in DX tiles, and sequence of the sticky ends used in DX tiles (PDF)

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### Author Contributions

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### Author Contributions

A.T. and M.T.R. initiated the project, designed and performed experiments, analyzed data, and wrote the paper. S.P., S.L., T.B.N.N., T.H.N.V., and S.K. analyzed data. T.H.H. and S.H.P. initiated and directed the project, designed experiments, analyzed data, and wrote the paper. The manuscript was written through contributions of all authors. All authors have given approval to the final version of the manuscript.

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### Notes

The authors declare no competing financial interest.

## ■ ABBREVIATIONS

DNA, deoxyribonucleic acid; SP, simulated pattern; OP, observed pattern; EP, experimental pattern; DX, double-crossover; AFM, atomic force microscopy; HPLC, high-performance liquid chromatography; TAE, tris-acetate-EDTA; EDTA, ethylenediaminetetraacetic acid

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