# Structural Determinants of Redox Conduction Favor

# Robustness over Tunability in Microbial

# Cytochrome Nanowires

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#### ABSTRACT

Helical homopolymers of multiheme cytochromes catalyze biogeochemically significant electron transfers with a reported  $10^3$ -fold variation in conductivity. Herein, classical molecular dynamics and hybrid quantum/classical molecular mechanics are used to elucidate the structural determinants of the redox potentials and conductivities of the tetra-, hexa-, and octaheme outermembrane cytochromes E, S, and Z, respectively, from *Geobacter sulfurreducens*. Secondsphere electrostatic interactions acting on minimally polarized heme centers are found to regulate redox potentials over a computed 0.5-V range. However, the energetics of redox conduction are largely robust to the structural diversity: Single-step electronic couplings ( $(H_{mn})$ ), reaction free energies ( $\Delta G_{mn}^{\circ}$ ), and reorganization energies ( $\lambda_{mn}$ ) are always respectively <|0.026|, <|0.26|, and between 0.5 - 1.0 eV. With these conserved parameter ranges, redox conductivity differed by less than a factor of 10 among the 'nanowires' and is sufficient to meet the demands of cellular respiration if  $10^2 - 10^3$  'nanowires' are expressed. The 'nanowires' are proposed to be differentiated by the protein packaging to interface with a great variety of environments, and not by conductivity, because the rate-limiting electron transfers are elsewhere in the respiratory process. Conducting-probe atomic force microscopy measurements that find conductivities 10<sup>3</sup>-10<sup>6</sup>-fold more than cellular demands are suggested to report on functionality that is either not used or not accessible under physiological conditions. The experimentally measured difference in conductivity between Omc- S and Z is suggested to not be an intrinsic feature of the CryoEMresolved structures.

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Cytochrome 'nanowires' are polymeric multi-heme cytochromes that catalyze the transfer of electrons across microbe-microbe<sup>1</sup> and microbe-mineral<sup>2-5</sup> interfaces. As terminal reductases in a widespread respiratory strategy<sup>6,7</sup> of biogeochemical significance,<sup>2-5</sup> and promising materials for bioelectronic technologies,<sup>8-15</sup> cytochrome 'nanowires' have attracted much recent interest.

The known structures<sup>16-18</sup> invariably feature a spiraling chain of (typically) alternating slipped and T-stacked bis-histidine-ligated *c*-type heme cofactors encased by a protein sheath (Figure 1). How differences within this architectural blueprint encode a 10<sup>3</sup>-fold variation in electrical conductivity<sup>19</sup> is currently not well understood. Conductivity in cytochrome 'nanowires,' particularly under physiological conditions (not necessarily those of atomic force microscopy experiments), has previously been modeled as a cascade of reduction-oxidation (redox) reactions,<sup>20-23</sup> but the structural determinants of the underlying redox potentials have not yet been elucidated for any of the known structures. These potentials can be tuned over a 0.8-V range by the protein matrix.<sup>24</sup> Do selective pressures operate on the protein matrix to tune the redox potentials and thereby optimize the electrical conductivity of the chain of heme cofactors? These questions motivated the present Letter.



Figure 1. Structures of Omc- E (PDB 7TF6), S (PDB 6EF8), and Z (PDB 7QL5) from top to bottom, respectively, with the color and naming conventions used for the hemes in the present work indicated. Context will make it clear which set of hemes is being referenced. The figures were prepared using visual molecular dynamics (VMD) version 1.9.4a51.

Herein, second-sphere electrostatic interactions acting on largely non-polarized heme centers are shown to tune the redox potentials over a 0.5-V range in 'nanowires' of the tetra-, hexa-, and octaheme outer-membrane cytochromes (Omc-) E, S, and Z, respectively, from *Geobacter sulfurreducens*. These are the only cytochrome 'nanowires' so far with experimentally determined structures.<sup>16-18</sup> Despite the variation in redox potentials, energetic parameters for electron transfer are found to reside within conserved parameter ranges, leading to the proposed evolutionary preference for functional robustness over tunability.

Inspired by prior work on the controlling factors for heme redox potentials,<sup>25-29</sup> the redox potential of each heme in the hydrated 'nanowires' was approximated as a sum of conformational ( $\Delta E_{conf}^{\circ}$ ) and electrostatic ( $\Delta E_{elec}^{\circ}$ ) perturbations to the potential of the fully optimized heme cofactor in vacuum ( $E_{vac,opt}^{\circ}$ ):  $E^{\circ} \approx E_{vac,opt} + \Delta E_{conf}^{\circ} + \Delta E_{elec}^{\circ}$ .

 $\Delta E_{conf}^{\circ}$  was assessed by transferring into the gas phase thermally averaged ensembles of heme conformations generated by classical molecular dynamics within the hydrated 'nanowires.' The *in vacuo* redox potentials were approximated as averages of vertical ionization potentials and vertical electron affinities from density functional theory computations on these heme conformers.

The lefthand side of Figure 2 shows that the conformations that were imposed by the Omc- E, S, and Z proteins (Tables S1-S6) minimally (< |0.09| V; Table S7-S9) shift E° relative to the fully optimized heme group (Tables S10, S11):  $\Delta E_{conf}^{\circ} = E_{vac}^{\circ} - E_{vac,opt}^{\circ}$ . The total out-of-plane distortion (d<sub>oop</sub>) of the heme macrocycles is 1.9 – 5.7-times larger than the total in-plane (d<sub>ip</sub>) distortion. No simple relationship between d<sub>oop</sub> and  $\Delta E_{conf}^{\circ}$  was found because the hemes exhibit a mixture of displacements along vibrational modes that share irreducible symmetry representations with different frontier molecular orbitals.<sup>30,31</sup> Some hemes are principally ruffled

(OmcE: #1 and #4; OmcS: #1, #2, #3 and #5; OmcZ: #1, #5, #6 and #7), principally saddled (OmcS: #4 and #6; OmcZ: #3 and #4), equally ruffled and saddled (OmcE: #3; OmcZ: #8), equally ruffled and waved (OmcZ: #2), or equally saddled, ruffled, and waved (OmcE: #2).<sup>32</sup> Thus, little or no selection for a particular heme conformation seems to be conserved among the Omc- E, S, and Z 'nanowires.' This observation does not preclude the possibility that sitespecific heme conformations may be conserved in homologous cytochromes.



Figure 2. Analysis of (*left*) conformational and (*right*) electrostatic shifts imposed by the hydrated protein environment on the heme cofactors of Omc- E, S, and Z from top to bottom. Circles, squares, and stars on the righthand side indicate the electrostatic shift in redox potential

approximated, respectively, as the difference in potentials between the hydrated protein and vacuum states, the sum of protein and solvent contributions in the hydrated protein, or the Coulombic energy for heme oxidation.

 $\Delta E_{elec}^{\circ}$  was estimated in three different ways (Eq. 1): (1) The difference between E° in the aqueously solvated protein ( $E_{full}^{\circ}$ ) and in vacuum ( $E_{vac}^{\circ}$ ), (2) the sum of protein- ( $\Delta E_{prot}^{\circ}$ ) and solvent- ( $\Delta E_{solv}^{\circ}$ ) induced shifts to  $E_{vac}^{\circ}$ , and (3) the change in Coulombic interaction energy ( $\Delta E_{coul}$ ) for heme oxidation in the protein environment assessed with fixed (non-polarizable) atomic partial charges.

$$\Delta E_{elec}^{\circ} \approx E_{full}^{\circ} - E_{vac}^{\circ} = E_{full}^{\circ} - (E_{vac,opt}^{\circ} + \Delta E_{conf}^{\circ})$$

$$\approx \Delta E_{prot}^{\circ} + \Delta E_{solv}^{\circ} = (E_{prot}^{\circ} - E_{vac}^{\circ}) + (E_{solv}^{\circ} - E_{vac}^{\circ})$$

$$\approx \Delta E_{coul} = E_{elec,ox} - E_{elec,red}$$
(1)

The righthand side of Figure 2 (Tables S7-S9) shows that all three estimates of  $\Delta E_{elec}^{\circ}$  are in reasonable agreement and exceed  $\Delta E_{conf}^{\circ}$  by roughly an order-of-magnitude:  $\Delta E_{elec}^{\circ}$  is -0.65 – -0.84 (OmcS), -0.88 – -0.99 (OmcE), or -0.70 – -1.17 (OmcZ) V versus <|0.09| V for  $\Delta E_{conf}^{\circ}$ . Thus, second-sphere electrostatics primarily tune heme redox potentials in these cytochrome 'nanowires.' Interestingly, the analysis showed  $\Delta E_{elec}^{\circ}$  to result from a near complete cancellation of  $\Delta E_{prot}^{\circ}$  and  $\Delta E_{solv}^{\circ}$ : The excess negative charge of the protein and the excess positive charge of counterions in the surrounding solvent shift E° by nearly equal amounts in opposite directions.

To get an intuitive interpretation of  $\Delta E_{elec}^{\circ}$ , the hemes of Omc- E, S, and Z were transferred into solvents of different static dielectric constants ( $\epsilon_s$ )—other than 1.0 for vacuum—to find what homogeneous solvents reproduce the shifts in redox potentials exerted by the hydrated 'nanowires.'

Increasing  $\epsilon_s$  in Figure 3 from 1.0 to 1.9 (vacuum to *n*-hexane) captures 62 – 77% of the  $\Delta E_{elec}^{\circ}$  exerted by the binding sites of OmcS (Table S12). This large (-0.500 – -0.541 V) effect is understandable from the perspective of the Born equation for solvation of an ion: A non-polar solvent with  $\epsilon_s = 2$  provides half the solvation free energy as a perfect conductor with  $\epsilon_s = \infty$ . Also, the hemes in OmcS are buried (solvent accessible surface area <70 Å<sup>2</sup> of a maximum 882 Å<sup>2</sup> for the heme group) in the protein, so the binding sites are expected to be largely non-polar in character. Note that the heme group is taken here to mean the bis-imidazole ligated heme macrocycle not including the propionic acid substituents.



Figure 3. Solvent dependence of the heme redox potentials. The vertical strips indicate the effective static dielectric constant at which the color-coded hemes obtain the redox potential computed within the context of the hydrated OmcS protein.

As  $\epsilon_s$  is further increased, the hemes titrate out to the E° found in OmcS at 2.35 (heme #3), 3.05 (Heme #1), 3.58 (Hemes #2, #5, #6), and 6.67 (Heme #4) (Figure 3, Table S12). Values of

 $\epsilon_s$  in the range of 3 to 7 are consistent with prior work characterizing the interior of proteins.<sup>33,34</sup> Interestingly, hemes #3 and #4 experience dielectric extremes in the protein, even though these hemes are in van der Waals contact. The explanation for this fact requires a microscopic description of specific interactions, as developed below.

 $\Delta E_{elec}^{\circ}$  is larger in OmcE (-0.88 – -0.99 V) and OmcZ (0.70 – -1.17 V) than OmcS, (-0.65 – -0.84 V), suggesting even larger  $\epsilon_s$  are needed to reproduce the influence of the protein environment. However, the effect of a homogeneous dielectric on heme redox potential saturates-out by  $\epsilon_s \approx 20$  (*e.g.*, acetone), in which a bis-imidazole-ligated model heme group is predicted to have an E° of -0.363 V vs. SHE (Table S13). Increasing  $\epsilon_s$  by an additional 88 units to that of formamide only increased E° by 0.023 V (Table S13). The failure to model the electrostatic influence of the heme binding sites of Omc- E and Z with an implicit homogeneous solvent underscores the importance of specific interactions with the heterogeneous hydrated-protein 'solvent.' Identifying these interactions is possible by finding a way to decompose  $\Delta E_{elec}^{\circ}$  for the full environment into contributing structural features.

 $\Delta E_{elec}^{\circ}$  was computed from wavefunctions for the heme cofactor polarized by the electrostatic environment. By contrast,  $\Delta E_{coul}$ , which reproduces  $\Delta E_{elec}^{\circ}$  with a mean-unsigned error (MUE) of <0.16 eV, was computed from classical electrostatics using fixed atomic partial charges. Note that the MUE for the approximate density functional (B3LYP) used to compute  $\Delta E_{elec}^{\circ}$  was reported as ~0.11 V with respect to *ab initio* theory for related systems.<sup>35</sup> That  $\Delta E_{elec}^{\circ} \approx \Delta E_{coul}$ (Figure 2) suggests polarizability of the heme centers is a minor factor. In fact, redox potentials evaluated in the protein context with either unrelaxed (frozen vacuum-optimized) or relaxed (environmentally polarized) heme electron densities agreed within thermal energy for a oneelectron process at 298 K (Tables S14-S16). This is an intriguing result given the prior finding that polarizability plays a role in lowering the activation energy for electron transfer from the differently-ligated heme cofactor of cytochrome  $c.^{36,37}$ 

Given that  $\Delta E_{elec}^{\circ} \approx \Delta E_{coul}$ , the factors controlling  $E^{\circ}$  should be decomposable into pairwise additive contributions. Energy decomposition schemes are in general not uniquely defined, but two chemically motivated approaches involve partitioning interacting groups by physicochemical character (e.g., non-polar, aromatic, polar, acidic, basic, etc.) (Tables S17-S19), or by amino acid residue (Tables S20-S22).

Testing the latter approach, 11 of the largest per-residue contributions to the change in interaction energy upon oxidation of hemes #3 and #4 in OmcS were compared to the change in redox potentials produced by switching on/off electrostatic interactions with these residues (Tables S23-S29). Per-residue  $\Delta E_{elec}^{\circ}$  and  $\Delta E_{coul}$  correlated with an R<sup>2</sup> of 0.75 and 0.89 for hemes #4 and #3, respectively, and 0.71 overall. The correlation fell to an R<sup>2</sup> of 0.43 for heme #5, which was included as a negative control: The examined residues were not among the strongest interactions for this heme and the energetic shifts were close to the noise from thermal sampling.

The per-residue analysis revealed that Arg-187 and Arg-333 are principally responsible for taking heme #3 from having one of the most negative potentials in vacuum because of its protein-imposed conformation to one of the most positive potentials in OmcS. By contrast, no single-dominant interaction sets the redox potential of heme #4 in OmcS.

Generalizing the analysis to the other 'nanowires', 11 - 27 positive and 11 - 27 negative interactions make contributions of  $\geq |0.025|$  V to the redox potential of every heme in Omc- E, S, and Z. Redox potentials reflect an incomplete cancellation of many competing factors. This

insight is a long-established principle,<sup>27</sup> but deserves emphasis here to inject humility into discussions of cytochrome 'nanowires' as tunable or programmable biomaterials.

The sum of negative per-residue contributions to the redox potentials always exceeded the sum of positive per-residue contributions. The excess negative electrostatic interaction, averaged over all the hemes in each 'nanowire', became more negative  $(-0.81 \rightarrow -1.06 \rightarrow -1.13 \text{ eV})$  in parallel with a lowering of the vertical electron affinity from the averaged vacuum value by -1.49, -1.75, and -2.02 eV from Omc- S to E to Z. Thus, these cytochrome 'nanowires' achieve different redox potential ranges and macroscopic midpoints by differently stabilizing the oxidized state of the bound hemes.

One specific interaction responsible for this effect that is unique to OmcZ and not captured by a dielectric solvent model for the hydrated protein is an axial histidine ligand-to-propionate heme sidechain H-bond on the same or different cofactor (Figure 4). H-bonds of this sort position the negatively charged propionates very close to the heme macrocycle, and thereby contribute significantly to the more negative E°s found in Omc- Z (Table S9) versus E (Table S7) or S (Table S8). Three of these H-bonds are conserved in the fully oxidized and single-heme reduced states, whereas three more are redox-state dependent (Figure 4; Table S30). Five of the interactions form an inter-heme H-bonding network that may facilitate electron transfer, or proton-coupled electron transfer in the 'nanowire.'



Figure 4. (top) Assembly of hemes in OmcZ with H-bonded axial histidine ligands and propionates colored green and yellow if the interactions are redox-state independent or dependent, respectively. (bottom) Occupancy of the indicated H-bonds.

To summarize so far, the approximation  $E^{\circ} \approx E_{vac,opt} + \Delta E_{conf}^{\circ} + \Delta E_{elec}^{\circ}$  simplifies to  $E^{\circ\prime} \approx \Delta E_{coul}$ , where the constant  $E_{vac,opt}$  has been subsumed into  $E^{\circ}$ ,  $\Delta E_{conf}$  has been dropped because it is an order-of-magnitude smaller than  $\Delta E_{elec}^{\circ}$ , and  $\Delta E_{elec}^{\circ}$  has been replaced with  $\Delta E_{coul}$  because polarizability is a relatively minor secondary effect.  $\Delta E_{coul}$  can be partitioned into additive pairwise interactions to identify the most important structural determinants setting  $E^{\circ\prime}$ . This conclusion lays the groundwork for a (prudently exercised) *in silico* mutagenesis strategy (Figure S1) for specific applications.

The relationship  $E^{\circ\prime} \approx \Delta E_{coul}$  gives insight into how evolution and rational design efforts may modulate redox conductivity in cytochrome 'nanowires': If changes in the electrostatic environment differentially shift the  $E^{\circ\prime}$  of some heme groups, the  $\Delta E^{\circ\prime}$  between adjacent hemes can change, and with it, the free energy ( $\Delta G^{\circ}$ ) for electron transfer, which enters the exponential of the Marcus-theory<sup>38,39</sup> rate expression (Eq. 2).

$$k = \frac{2\pi \langle H^2 \rangle}{\hbar} \frac{e^{\frac{-(\Delta G^\circ + \lambda)^2}{4\lambda k_b T}}}{\sqrt{(4\pi\lambda k_b T)}}$$
(2)

The other energetic parameters in Eq. 2 are the reaction reorganization energy  $(\lambda_{rxn})$  and the donor-acceptor electronic coupling ( $\langle H \rangle$ ).  $k_b$ , T, and  $\hbar$ , signify, respectively, the Boltzmann constant, absolute temperature, and the Plank constant.

Has evolution used this redox potential-tuning strategy to modulate conductivity in cytochrome 'nanowires' by a reported<sup>19</sup> 10<sup>3</sup>-fold? Very unlikely seems the answer: Despite the 0.5-V range in computed E° for Omc- E, S, and Z,  $\Delta$ G° is always <|0.26| eV (Figure 5, top panel; Tables S31-S33).

Moreover, in the hydrated state,  $\Delta G^{\circ}$  is typically a minor component of the electron transfer activation barrier  $\left(E_{a} = \frac{(\Delta G^{\circ} + \lambda_{rxn})^{2}}{4\lambda_{rxn}}\right)$  for these systems compared to  $\lambda_{rxn}$ , which is 0.5 – 1.0 eV. As expected, there is some relationship between  $\lambda_{rxn}$  and the solvent accessibility of the heme macrocycles (Figure 5, middle left);<sup>40</sup> both of these parameters being similar across the three 'nanowires.'  $\lambda_{rxn}$  is also more than 20-times larger than the (H)s, which are sub-0.026 eV in Omc- E, S, and Z (Figure 5, middle right). The T-stacked hemes in OmcZ tend to be ~1 Å closer than in Omc- E or S (Table S34-36), but the geometrical difference has a relatively minor influence on the thermal distribution of (H) (Figure 5, middle right) and cannot by itself explain

the 10<sup>3</sup>-fold higher conductivity. The result that  $\lambda_{rxn} \gg \langle H \rangle$  justifies the use of the non-adiabatic

form of the Marcus rate expression in Eq. 2 to compute redox conductivity.

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Figure 5. Comparison of the reaction ( $\Delta G^{\circ}$ ) and reorganization ( $\lambda_{rxn}$ ) free energies and electronic couplings ((H)) for Omc- E, S, and Z, and the predicted currents.

Within the conserved parameter ranges for  $\Delta G^{\circ}$ ,  $\lambda_{rxn}$ , and (H), the computed redox current for a 300 nm filament under low (0.1 V) applied bias is predicted to increase in the order Omc- Z  $(1.5 \times 10^{-2}) < S (7.2 \times 10^{-1}) < E (8.9 \times 10^{-1} \text{ fA})$  (Figure 5, bottom). Compared to the 10<sup>2</sup>-fA current discharged by an entire *Geobacter sulfurreducens* cell,<sup>41,42</sup> 6667, 138, or 115 'nanowires' of exclusively the Omc- Z, S, or E variety would be needed. Note that the 5-fold smaller conductivity predicted for OmcZ is hardly significant: The computed lower conductivity is attributable to a strongly exergonic ( $\Delta G^{\circ} = -0.250 \text{ eV}$ ) heme #6  $\rightarrow$  #7 electron transfer step that creates a trap state. If the  $\Delta G^{\circ}$  for this step is overestimated by -0.050 eV, which is comparable to the standard-error-of-the-mean for this quantity, the computed current would be 10-times larger, and only 641 OmcZ 'nanowires' would be needed exclusively for cellular respiration. In fact, in the limit of all free-energy optimized rates, Omc- E, S, and Z have essentially the same conductivity, supporting currents of 20-60 fA at 0.1 V (Table S38).

The expression of hundreds-to-thousands of 'nanowires' by a single cell seems biologically reasonable to the present author. The prediction of functional similarity among all the known 'nanowires' also seems sensible given the expectation that catalytic centers, not redox cofactor chains, form the bottlenecks in biology.<sup>43,44</sup> Formation of the pre-cursor complex between a 'nanowire' and molecular electron donors and acceptors (*i.e.*, collisional diffusion, molecular recognition, and protein-protein binding) likely makes the injection or ejection of charges into the 'nanowires' slower than the movement of charge through a densely packed and rigid array of redox centers.

If 'nanowires' are not the rate-limiting step for extracellular electron transfer, little evolutionary pressure can be expected to differentiate them by conductivity. Instead, evolution will act to conserve the central heme architecture—not because it is optimal but because it is

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sufficient—and work to adapt the protein sheath to the particularities of the habitat for the microorganism. It is advantageous for the conductivity of the heme chain to be robust to rapid or large-scale mutational alterations to the surrounding protein so the same 'solution' to the respiratory problem can be used over-and-over again. This is a general theme in biology: Conserve the functional entity and simply adapt its interface or packaging for a great diversity of circumstances (e.g., light harvesting antenna complexes that allow photosynthetic organisms with the same photosystems to inhabit very different spectral niches.)

In the context of Omc- S and Z, *G. sulfurreducens* likely switches to overexpress OmcZ at an electrode<sup>19</sup> not because the heme chain of OmcZ is intrinsically much more conductive, but because the greater aggregation propensity and exposure of the heme groups more readily facilitates inter-protein electron transfer than is possible with OmcS to build a conductive biofilm matrix.

From the perspective of conducting-probe atomic force microscopy (CP-AFM) measurements,<sup>16,19</sup> however, the computed conductivities are too small by  $10^4$ - and  $10^9$ -fold for Omc- S and Z respectively; no data is currently available for OmcE. That is, CP-AFM experiments indicate that a 300-nm cytochrome 'nanowire' under a 0.1-V bias carries a thousand- to a million-fold greater current than produced by an entire *G. sulfurreducens* cell. The large discrepancy between cellular physiology and CP-AFM measurements suggests that either the Omc- S and Z 'nanowires' have a tremendous current-carrying capacity that is largely unused by a *G. sulfurreducens* cell, or the CP-AFM measurements are reporting on a biologically irrelevant conduction mechanism. Note that *G. sulfurreducens* will not exploit excess available potential energy if an anode is set at a potential more than 0.1-V above the thermodynamic limit for extracellular electron transfer.<sup>45</sup>

It is not surprising that the computations on OmcZ do not uphold the reported greater conductivity by CP-AFM, because the cryogenic electron microscopy (CryoEM) structure used as input to the computations disagrees with the other characterization details presented in that report, as already noted.<sup>46</sup> Furthermore, it is very unlikely that the structures resolved by CryoEM and present in the CP-AFM measurements are the same, because in the latter, a relatively strong compressional force of 50 nN is applied to the protein.<sup>47,48</sup> Given that OmcZ is more flexible than OmcS, this compressional force is likely to differentially change the conformation of OmcZ, and that may contribute to the difference in measured conductivity between the two 'nanowires.' This is particularly the case since the length dependence of the current was measured with increasing distance from the Au electrode (see Fig.3 in Ref. 19), meaning that the current in subsequent measurements had to pass from the tip to the other electrode through previously compressed sections of the protein.

In closing, a mechanistic picture appliable to all known cytochrome 'nanowires' has been developed in which second-sphere electrostatic interactions acting on largely non-polarized heme centers regulate redox potentials. Despite variations in E°, potential *differences* for adjacent hemes fall within a conserved range for Omc- E, S, and Z, as do the other energetic parameters of non-adiabatic redox reactions. Thus, structural determinants of redox conductivity in cytochrome 'nanowires' favor functional robustness over tunability in response to, for example, variation in protein sequence, a finding consistent with the high mutational rate among multi-heme cytochromes.<sup>17</sup>

#### **Computational Methods**

Theoretical background and technical details for the molecular dynamics (MD) and quantum mechanical/molecular mechanical (QM/MM) density functional theory (DFT) protocols used in this work were extensively described earlier.<sup>23</sup> Here, focus is given to a high-level summary of the computations.

Trimeric assemblies of Omc- E (PDB 7TF6), S (PDB 6EF8), and Z (PDB 7QL5) were used as filament models. The filaments were assigned standard protonation states for pH 7 and immersed in aqueous solutions having sufficient Na<sup>+</sup> ions to neutralize the net -3, -6, and -15*e* charge-persubunit of Omc- E, S, and Z, respectively. Each system then underwent minimization, thermalization to 300 K, and density equilibration under a 1.0 bar atmosphere. Production-stage trajectories for each filament were propagated in the *NVT* ensemble for all-heme-oxidized and single-heme-reduced microstates. The reduced heme in the latter set of simulations was one of the cofactors in the central subunit of the filament model, the last heme of the preceding subunit, or the first heme of the proceeding subunit. In total, 7, 9, and 11 MD simulations with accumulated times of 2.4, 2.1, and 1.8  $\mu$ s were conducted, respectively, for Omc- E, S, and Z. Additionally, the single-heme-reduced trajectories for OmcZ were repeated in methanol (1.8  $\mu$ s) and chloroform (1.7  $\mu$ s) to mimic the aggregated or membrane-associated state.

For each of these simulations, 141 (OmcE) or 180 (Omc- S and Z separately) frames were selected after at least 36-ns of the production simulations at a 200-ps interval. The vertical energy gaps—ionization potentials and electron affinities were computed for each heme conformer using B3LYP with a mixed double-ζ basis set (LANL2DZ for Fe and 6-31G(d) for H, C, N, and S). Redox potentials were approximated with linear response theory as the average of the vertical ionization potential and the negative of the vertical electron affinity, set relative to

the absolute potential of the standard hydrogen electrode (SHE), and corrected for the integrated heat capacity and entropy of the electron according to the electron convention and Fermi-Dirac statistics.

H-bonding networks and solvent accessibility were examined, respectively, with CPPTRAJ<sup>49,50</sup> of the AmberTools package and Visual Molecular Dynamics (VMD).

#### ASSOCIATED CONTENT

#### Supporting Information

The Supporting Information is available free of charge on the ACS Publications website.

Tables detailing the normal coordinate structure decomposition analysis of heme conformations, energetic partitioning of redox potentials, assessment of the influence of polarizability and dielectric media on redox potentials, inter-heme H-bonds. Marcus-theory electron transfer parameters and predicted redox currents, minimum inter-heme distances, electron transfer reorganization energies for OmcZ in methanol and chloroform, and the length of the performed molecular dynamics simulations. Also a figure showing the proposed Effective Charge on Last Common Atom approach to *in silico* mutagenesis.

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### Author Contributions

The research described herein was initiated and conducted solely by the corresponding author. Acknowledgements are given below to others who provided insightful advice on related questions.

Notes

The author declares no competing financial interest.

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