# A critical assessment of estimating census population size from genetic population size (or vice versa) in three fishes 

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#### Abstract

Technological and methodological advances have facilitated the use of genetic data to infer census population size $\left(\mathrm{N}_{\mathrm{c}}\right)$ in natural populations, particularly where traditional mark-and-recapture is challenging. The effective number of breeders $\left(N_{b}\right)$ describes how many adults effectively contribute to a cohort and is often correlated with $\mathrm{N}_{\mathrm{c}}$. Predicting $\mathrm{N}_{\mathrm{c}}$ from $\mathrm{N}_{\mathrm{b}}$ or vice versa in species with overlapping generations has important implications for conservation by permitting (i) estimation of the more difficult to quantify variable and (ii) inferences of $N_{b} / N_{c}$ relationships in related species lacking data. We quantitatively synthesized $N_{b} / N_{c}$ relationships in three salmonid fishes where sufficient data have recently accumulated. Mixed-effects models were analysed in which each variable was included as a dependent variable or predictor term ( $\mathrm{N}_{\mathrm{b}}$ from $\mathrm{N}_{\mathrm{c}}$ and vice versa). Species-dependent $\mathrm{N}_{\mathrm{b}} / \mathrm{N}_{\mathrm{c}}$ slope estimates were significantly positive in two of three species. Variation in species slopes was likely due to varying life histories and reinforce caution when inferring $N_{b} / N_{c}$ from taxonomically related species. Models provided maximum probable estimates for $N_{b}$ and $N_{c}$ for two species. However, study, population and year effects explained substantial amounts of variation ( $39 \%-57 \%$ ). Consequently, prediction intervals were wide and included or were close to zero for all population sizes and species; model predictive utility was limited. Cost-benefit trade-offs when estimating $N_{b}$ and/or $N_{c}$ were also discussed using a real-world system example. Our findings based on salmonids suggest that no short cuts currently exist when estimating population size and researchers should focus on quantifying the variable of interest or be aware of caveats when inferring the desired variable because of cost or logistics. We caution that the salmonid species examined share life-history traits that may obscure relationships between $N_{b}$ and $N_{c}$. Sufficient data on other taxa were unavailable; additional research examining $N_{b} / N_{c}$ relationships in species with potentially relevant life-history trait differences (e.g., differing survival curves) is needed.


## KEYWORDS

conservation biology, conservation genetics, effective population size, fisheries management, inventory and monitoring, wildlife management

## 1 | INTRODUCTION

Rapid technological and methodological advances in molecular genetics have increased interest in using genetic data to estimate or infer census population size $\left(N_{c}\right)$, especially where counting individuals is challenging (e.g., in large populations, elusive species or extremely remote locations) (Baldigo, Sporn, George, \& Ball, 2017; Fraser, Calvert, Bernatchez, \& Coon, 2013; Guschanski et al., 2009; Luikart, Ryman, Tallmon, Schwartz, \& Allendorf, 2010; Ovenden et al., 2016). While direct individual counts could be obtained from comprehensive genetic surveys (e.g., Guschanski et al., 2009), methodologies that indirectly estimate $N_{c}$ from environmental DNA (eDNA) or subsamples of individuals from a population represent potentially cost-effective means through which census sizes could be estimated. Although eDNA is emerging as a potential method through which $N_{c}$ could be inferred (Baldigo et al., 2017; Lacoursière-Roussel, Côté, Leclerc, Bernatchez, \& Cadotte, 2016), its application for this purpose remains relatively novel. In comparison, the scientific literature examining methodologies for estimating the contemporary effective population size $\left(\mathrm{N}_{e}\right)$ of natural populations is relatively well developed.

The effective size of a population is a central evolutionary parameter influencing the extent of genetic drift, inbreeding and response to natural selection in isolated populations. Contemporary $\mathrm{N}_{\mathrm{e}}$ (as opposed to long-term $N_{e}$, see Wang, 2005) represents a potentially useful tool to infer $N_{c}$ because it can be linked specifically to recent cohorts and can be estimated from a (relatively) small number of genetic samples collected during a single collection event or over multiple temporal periods (Palstra \& Fraser, 2012; Waples \& Do, 2008). Understanding the conditions under which contemporary $N_{e}$ (or its analogues) and $N_{c}$ are associated with each other is highly valuable for conservation: it may be possible to use $N_{e}$ to predict or monitor $N_{c}$ (or vice versa) provided that relationships between $N_{e}$ and $N_{c}$ exist among or within populations and/or taxonomic groups (Bernos \& Fraser, 2016; Ovenden et al., 2016; Tallmon et al., 2010; Whiteley et al., 2015).

For species with overlapping generations, the comparison of genetic and census population size can be made by comparing $N_{c}$ to how many of those adults effectively contribute their genes to a single cohort, termed the effective number of breeders $\left(\mathrm{N}_{\mathrm{b}}\right)$ (it should be noted, however, that this is dependent on the capacity to assign individuals to specific cohorts) (Waples \& Do, 2010). With minimal life-history information, $\mathrm{N}_{\mathrm{b}}$ can be used to infer contemporary $\mathrm{N}_{\mathrm{e}}$ (Waples, Luikart, Faulkner, \& Tallmon, 2013) and substitute for $N_{e}$ when attempting to predict $\mathrm{N}_{\mathrm{c}} . \mathrm{N}_{\mathrm{b}}$ also provides valuable insights into the eco-evolutionary dynamics of a population because interannual variation in $N_{b}$ may be attributable to differences in individual adult reproductive success, family survival, and the overall number of families comprising the cohort (Waples \& Antao, 2014; Whiteley et al., 2015).

Several recent studies have estimated $\mathrm{N}_{\mathrm{b}}$ and $\mathrm{N}_{\mathrm{c}}$ within multiple populations of the same species (e.g., Beebee, 2009; Bernos \& Fraser, 2016; Ferchaud et al., 2016; Hoehn, Gruber, Sarre, Lange, \& Henle, 2012; Perrier, April, Cote, Bernatchez, \& Dionne, 2016; Whiteley et al., 2015). They identified important biological factors shaping $\mathrm{N}_{\mathrm{b}}$ / $N_{c}$ within species, such as habitat limitations, life-history traits or
density dependence (Belmar-Lucero et al., 2012; Bernos \& Fraser, 2016; Whiteley et al., 2013). Time series of $N_{b}$ and $N_{c}$ revealed that the two variables were positively correlated but that $N_{b} / N_{c}$ was variable among populations and across years. Those results provided mixed support for the usefulness of one variable to infer the other in a monitoring context (Bernos \& Fraser, 2016; Ferchaud et al., 2016; Whiteley et al., 2015). By comparison, few empirical investigations of the relationship between $N_{b}$ and $N_{c}$ among species have been conducted (Gomez-Uchida, Palstra, Knight, \& Ruzzante, 2013; Osborne, Davenport, Hoagstrom, \& Turner, 2010). Such comparisons would be extremely practical for determining how concordant $N_{b} / N_{c}$ ratios are among taxonomically related species, an especially pertinent issue for rare species that lack data. It would also allow researchers to better understand factors contributing to variation in $N_{b} / N_{c}$ in natural populations with contrasting biology or life history.

Most taxa still have little $N_{b} / N_{c}$ data emerging, but sufficient data have become recently available in three fishes from the Salmoninae subfamily (Chinook salmon, Atlantic salmon and brook trout); these species form the basis of our quantitative analysis of $N_{b} / N_{c}$ relationships. The studies examining these species have largely found positive relationships between $\mathrm{N}_{\mathrm{b}}$ and $\mathrm{N}_{\mathrm{c}}$ (e.g., Bernos \& Fraser, 2016; Ferchaud et al., 2016; Perrier et al., 2016; Van Doornik, Waples, Baird, Moran, \& Berntson, 2011; etc.); we collated data across studies to produce models for converting $\mathrm{N}_{\mathrm{b}}$ to $\mathrm{N}_{\mathrm{c}}$ (and vice versa) in each species. We then evaluated the efficacy of using one population variable to infer the other by generating population size parameter prediction intervals under which novel previously unsampled populations with only a single known population size variable (either $\mathrm{N}_{\mathrm{b}}$ or $\mathrm{N}_{\mathrm{c}}$ ) are likely to fall. We also explored whether $N_{b} / N_{c}$ curves differed for taxonomically related species and whether they could be used to infer population size parameters across species. Lastly, the monetary cost-benefit trade-offs of estimating $N_{b}$ or $N_{c}$ are discussed using a real-world example system in which $N_{b} / N_{c}$ estimates were obtained across twelve populations.

## 2 | MATERIALS AND METHODS

## 2.1 | Primary Literature review

To find articles in which both $\mathrm{N}_{\mathrm{b}}$ and $\mathrm{N}_{\mathrm{c}}$ estimates were obtained for the same populations, keyword searches were conducted on the academic search engine ISI Web of Science ${ }^{T M}$. A complete keyword search for "Effective number of breeders" was performed. Relevant references within retrieved studies were also searched for usable data. The goal of the analysis was to derive linear relationships between $N_{b}$ and $N_{c}$ across multiple species. A particular species was therefore only included in the final data set if a minimum of 10 total $N_{b} / N_{c}$ estimates from at least three different populations were found; the only taxa with species for which these data requirement were satisfied were salmonids. A subsequent search of "Effective population size salmon*" was subsequently conducted to find any additional salmonid references missed by the initial search; this search found a single additional article. In most cases, $N_{c}$ was "correctly linked" with brood year; that
is, each $N_{b}$ estimate generated from a cohort was matched with the $N_{c}$ estimate of the parental generation. Only in two cases were $N_{b}$ and $N_{c}$ incorrectly linked; these were estimates taken from populations in which $N_{c}$ and $N_{b}$ were estimated for the same year (i.e., researchers only sampled the population once). Both estimates were still included in the final data set.

Multiple methods exist to estimate $N_{b}$ which make use of either linkage disequilibrium, heterozygote excess, molecular coancestry or sibship frequency information obtained from genetic markers (Wang, 2016). Although there is currently debate regarding which estimators perform best under a variety of scenarios (e.g., the violation of assumptions necessary for the linkage disequilibrium method such as random mating, no migration) (see Gilbert \& Whitlock, 2015; Wang, 2016; Waples, 2016), the most commonly used estimator in our literature survey was the program LDNe (Waples \& Do, 2008). This program makes use of linkage disequilibrium information to estimate $N_{e} / N_{b}$ and is one of the most accurate programs currently available (Gilbert \& Whitlock, 2015). Furthermore, Bernos \& Fraser, 2016 included a comparison between Colony (which uses the sibship method) and LDNe and found a stronger link between $N_{b}$ and $N$ when the LDNe method was used. To reduce potential bias associated with different estimators and/or methods, only $N_{b}$ estimates obtained from LDNe were therefore used.

One potential issue that emerged with using data obtained from LDNe was the inconsistent use across studies of critical $p$-value thresholds, which are used to exclude alleles with low frequencies from $N_{b}$ estimation; low-frequency alleles can cause bias in $N_{b}$ estimates (Waples \& Do, 2010). This problem is most apparent at low sample sizes, which require higher critical $p$-values (Waples \& Do, 2010); only $N_{b}$ estimates derived from $\geq 30$ samples were therefore retained (as in Johnstone, O'Connell, Palstra, \& Ruzzante, 2012). Similarly, $\mathrm{N}_{\mathrm{b}}$ estimates which included "infinity" as an upper confidence limit were excluded from the primary data set. When $N_{b}$ and $N_{c}$ estimates were contained in figures, the ImageJ program (Abràmoff, Magalhães, \& Ram, 2005) was used to extract the data.

## 2.2 | Quantitative analysis

The efficacy of predicting both $N_{c}$ from $N_{b}$ and $N_{b}$ from $N_{c}$ was assessed using generalized linear mixed effect models (GLMMs). To generate models from which we could derive predictions, we evaluated the effect of $N_{b}$ on $N_{c}$ (and vice versa) across multiple species using the MCMCglmm package (Hadfield, 2010) in R (version 2.13.0; R Development Core Team, 2016) with a Poisson distribution and a log-link function given that census data represent counts of discrete individuals (as in Bernos \& Fraser, 2016). MCMC chains were run for $1,000,000$ iterations with a "burn in" period of 100,000 and thinning intervals of 50 ; the posterior distribution was therefore sampled > 10,000 times to obtain model parameters and associated $95 \%$ posterior density credible intervals (CI). Posterior traces and autocorrelation values were examined visually to evaluate and verify model convergence and mixing. The default (weakly informative) priors were used for all models.

Posterior modes for $\mathrm{N}_{\mathrm{c}}$ or $\mathrm{N}_{\mathrm{b}}$ were calculated from models in which $N_{b}$ or $N_{c}$ (respectively) was included as a continuous fixed effect and
"species" was included as a categorical fixed effect. An interaction between both fixed effects terms was also included. Population, study and year-within-study terms were included as random effects to account for issues of nonindependence in the data. The year random effect was nested within study except when studies were conducted by the same group of researchers on the same populations, in which case year was nested across the relevant studies. Heterogeneous variances for the residuals were specified using the idh function; residual error variance was allowed to differ for each level of the species variable.

As population size becomes large, it becomes increasingly difficult to confidently estimate Nb or Ne (Waples \& Do, 2010). Models were also fitted that allowed us to explore whether residual variance changed with the fixed effect population size $\left(N_{b}\right.$ or $\left.N_{c}\right)$ variable. This was accomplished by fitting an observation-level random effect of the form "idh(species:sqrt(1/In( $\left.N_{x}\right)$ ):units" (when testing if variance decreased with the relevant population size variable, i.e., $N_{c}$ or $N_{b}$ ) or "idh(species:sqrt( $\mathrm{N}_{x}$ )):units" (when testing if variance increased with the relevant population size variable) (as in Wood, Yates, \& Fraser, 2016). Significance of this term was evaluated by comparing $95 \%$ Cls of $\mathrm{N}_{\mathrm{x}}$-related residual error estimates at five population sizes representative of the gradients present in our data set: 20,50,100,300 and 600 for models predicting $N_{c}$ from $N_{b}$, and $50,100,500,1000$ and 10,000 for models predicting $N_{b}$ from $N_{c}$. If Cls for the $N_{x}$-related residual variances overlapped between all representative population sizes, the heteroscedastic error term was subsequently removed.

Model performance was evaluated by calculating both marginal and conditional R ${ }^{2}$ (Nakagawa \& Schielzeth, 2013); slight modifications to the code described in the paper had to be made to accommodate the modelling of heterogeneous residual variances at the species level. Multiple $\mathrm{R}^{2}$ values were computed for each model at the species level.

The efficacy and practicality of predicting $N_{c}$ or $N_{b}$ from a novel population (i.e., with random effects marginalized) was evaluated by examining $95 \%$ prediction intervals generated for each model across a gradient of $N_{c}$ (when predicting $N_{b}$ ) or $N_{b}$ (when predicting $N_{c}$ ). For most natural populations, $\mathrm{N}_{\mathrm{b}}$ ( or $\mathrm{N}_{\mathrm{e}}$ ) is almost always less than $\mathrm{N}_{\mathrm{c}}$ (Kalinowski \& Waples, 2002; Waples et al., 2013). Hence, when predicting $N_{b}$ from $N_{c}$ for natural populations, biologically meaningful and informative predicted values should typically fall within the predictor $N_{c}$ value and 0 . If upper $N_{b}$ prediction interval values were greater than the predictor $\mathrm{N}_{\mathrm{c}}$ values used to obtain them, the upper prediction intervals were considered fundamentally uninformative. When predicting $N_{b}$ from $N_{c}$, lower $95 \%$ prediction interval values were considered "informative" only when they did not include (or were extremely close to) zero. When predicting $N_{c}$ from $N_{b}$, meaningful predicted values could include any value greater than the predictor $N_{b}$ value; both upper and lower prediction interval values were considered "informative" at a given size only when they were greater than the predictor $N_{b}$ value used to obtain them.

A supplementary analysis was conducted that predicted $N_{c}$ from the lower $\mathrm{N}_{\mathrm{b}} \mathrm{Cl}$ reported in each paper as these are relevant for many conservation situations. Namely, when populations are difficult to sample effectively (i.e., populations are too large or individual samples are difficult to obtain), it can be challenging to obtain bounded

| Authors (Year) | Species | Number of Populations | Total $\mathrm{N}_{\mathrm{b}} / \mathrm{N}_{\mathrm{c}}$ estimates |
| :---: | :---: | :---: | :---: |
| Johnstone et al. (2012) | Salmo salar | 1 | 8 |
| Palstra, O'Connell, and Ruzzante (2009) | Salmo salar | 2 | 2 |
| Perrier, Normandeau, Dionne, Richard, \& Bernatchez, (2014) | Salmo salar | 1 | 1 |
| Perrier et al. (2016) | Salmo salar | 9 | 23 |
| Bernos et al. (In revision) ${ }^{\text {a }}$ | Salmo salar | 2 | 4 |
| Ferchaud et al. (2016) | Salmo salar | 9 | 19 |
| Whiteley et al. (2015) | Salvelinus fontinalis | 2 | 12 |
| Bernos and Fraser (2016) | Salvelinus fontinalis | 11 | 31 |
| Ruzzante et al. (2016) | Salvelinus fontinalis | 2 | 2 |
| Van Doornik et al. (2011) | Oncorhynchus tshawytscha | 5 | 15 |
| Van Doornik et al. (2013) | Oncorhynchus tshawytscha | 6 | 27 |
|  | Overall totals | $40^{\text {b }}$ | 144 |

${ }^{\text {a }}$ See Appendix S1.
${ }^{\mathrm{b}}$ Some populations were examined more than once across studies.
$N_{b}$ point estimates, in which case lower Cl may be more informative (Waples \& Do, 2010). Using exclusively lower CI estimates allowed us to incorporate $\mathrm{N}_{\mathrm{b}}$ estimates that had infinite upper Cl , which increased the number of estimates in the data set by 42 . However, prediction intervals calculated from $\mathrm{N}_{\mathrm{b}}$ lower Cl were always wider than models generated from point estimates (Figure S1); these models were therefore not reported.

## 3 | RESULTS

## 3.1 | Literature review

Of the 209 papers reviewed on $\mathrm{N}_{\mathrm{b}} / \mathrm{N}_{\mathrm{c}}$ across taxa, 11 contained data that met inclusion criteria. The final data set contained 144 individual $\mathrm{N}_{\mathrm{b}} / \mathrm{N}_{\mathrm{c}}$ estimates from 40 populations of three species: brook trout (15 populations), Atlantic salmon (14 populations) and Chinook salmon (11 populations) (Table 1). Any duplicate $\mathrm{N}_{\mathrm{b}} / \mathrm{N}_{\mathrm{c}}$ estimates across studies on the same populations were removed from the data set. No other species had three or more populations for which $N_{b}$ and $N_{c}$ data had been estimated in adequate quantities (i.e., $\geq 10$ data points total). $N_{b} / N_{c}$ estimates for the three salmonid species included in this analysis were typically obtained across multiple years of sampling involving the genotyping of thousands of individuals; they represent the best data presently available in the literature for examining the predictive capacity of $\mathrm{N}_{\mathrm{b}}$ to predict $\mathrm{N}_{\mathrm{c}}$ (or vice versa).

## 3.2 | Predicting $\mathrm{N}_{\mathrm{b}}$ from $\mathrm{N}_{\mathrm{c}}$

No evidence was found that residual error exhibited heteroscedasticity associated with $N_{c}$. Estimates of residual variance did not

TABLE 2 Between-species slope estimate contrasts and 95\% credible intervals when predicting $N_{b}$ from $N_{c}$ and $N_{c}$ from $N_{b}$

| $\mathrm{N}_{\mathrm{b}}$ from $\mathrm{N}_{\mathrm{c}}$ |  | $\mathrm{N}_{\mathrm{c}}$ from $\mathrm{N}_{\mathrm{b}}$ |  |
| :---: | :---: | :---: | :---: |
| Contrast | Estimate | Contrast | Estimate |
| AS vs CS | $\begin{aligned} & -0.336 \\ & (-0.658,-0.016) \end{aligned}$ | AS vs CS | $\begin{aligned} & -0.518 \\ & (-0.895,-0.102) \end{aligned}$ |
| AS vs BT | $\begin{aligned} & -0.269 \\ & (-0.510,0.031) \end{aligned}$ | AS vs BT | $\begin{aligned} & -0.488 \\ & (-0.945,-0.037) \end{aligned}$ |
| BT vs CS | $\begin{aligned} & -0.066 \\ & (-0.377,0.189) \end{aligned}$ | BT vs CS | $\begin{aligned} & -0.127 \\ & (-0.557,0.519) \end{aligned}$ |

AS, Atlantic salmon; CS, chinook salmon; BT, brook trout.
change with $\mathrm{N}_{\mathrm{c}}$; 95\% Cls for residual error estimates overlapped for all population size ranges compared (Appendix S2). The heteroscedastic error term was therefore dropped from all subsequent analyses.

The slope of the relationship predicting $N_{b}$ from $N_{c}$ differed significantly between some species. Slope estimates were significantly or marginally lower for Atlantic salmon relative to Chinook salmon $\left(P_{\text {mcmc }}=0.0413\right.$, Table 2) and brook trout ( $P_{\text {mcmc }}=0.076$, Table 2), respectively; $95 \%$ Cls for estimated differences barely overlapped zero. The slope of the relationship predicting $\mathrm{N}_{\mathrm{b}}$ from $\mathrm{N}_{\mathrm{c}}$ differed marginally from zero for Atlantic salmon ( $P_{\text {mcmc }}=0.078$, Table 3, Figure 1), whereas posterior mode slope estimates for brook trout and Chinook salmon were significant and positive with Cls not overlapping zero $\left(P_{\text {mcmc }}<0.001\right.$ and $P_{\text {mcmc }}<0.001$, Table 3, Figure 1). Slope estimates did not differ between brook trout and Chinook salmon ( $P_{\mathrm{mcmc}}=$ 0.563 , Table 2).

TABLE 3 Slope and intercept estimates with $95 \%$ credible intervals for models predicting $N_{b}$ from $N_{c}$ and $N_{c}$ from $N_{b}$ for three salmonid species

| Species | Intercept | Slope | Marginal $\mathrm{R}^{2}$ | Conditional $\mathrm{R}^{2}$ |
| :---: | :---: | :---: | :---: | :---: |
| $\mathrm{N}_{\mathrm{b}}$ from $\mathrm{N}_{\mathrm{c}}$ |  |  |  |  |
| Atlantic salmon | $\begin{aligned} & 3.705 \\ & (2.335,5.266) \end{aligned}$ | $\begin{aligned} & 0.195 \\ & (-0.029,0.429) \end{aligned}$ | 0.424 | 0.857 |
| Brook trout | $\begin{aligned} & 0.932 \\ & (-0.329,2.480) \end{aligned}$ | $\begin{aligned} & 0.449 \\ & (0.278,0.611) \end{aligned}$ | 0.394 | 0.865 |
| Chinook salmon | $\begin{aligned} & 1.200 \\ & (-0.411,2.761) \end{aligned}$ | $\begin{aligned} & 0.528 \\ & (0.303,0.765) \end{aligned}$ | 0.343 | 0.737 |
| $N_{c}$ from $N_{b}$ |  |  |  |  |
| Atlantic salmon | $\begin{aligned} & 5.821 \\ & (4.655,7.013) \end{aligned}$ | $\begin{aligned} & 0.067 \\ & (-0.141,0.272) \end{aligned}$ | 0.376 | 0.941 |
| Brook trout | $\begin{aligned} & 4.932 \\ & (2.824,6.449) \end{aligned}$ | $\begin{aligned} & 0.590 \\ & (0.133,0.976) \end{aligned}$ | 0.376 | 0.902 |
| Chinook salmon | $\begin{aligned} & 2.992 \\ & (1.537,4.527) \end{aligned}$ | $\begin{aligned} & 0.558 \\ & (0.236,0.902) \end{aligned}$ | 0.321 | 0.856 |





FIGURE 1 Relationship predicting $N_{b}$ from $N_{c}$ in Atlantic salmon (a), brook trout (b) and Chinook salmon (c). Dotted lines represent $95 \%$ credible intervals; dashed lines represent $95 \%$ prediction intervals

The $\mathrm{N}_{\mathrm{c}}$ and species terms accounted for $34 \%-42 \%$ of the variation present in the data, depending on species; the population, study and year random effects terms accounted for $39 \%-47 \%$ of the variation (Table 3).

Prediction intervals for Atlantic salmon were uninformative as a result of a lack of a significant relationship predicting $\mathrm{N}_{\mathrm{b}}$ from $\mathrm{N}_{\mathrm{c}}$ (i.e., slope estimate Cls overlapped zero). Lower 95\% prediction intervals for brook trout and Chinook salmon were uninformative; they included (or were extremely close to) zero for both species (Figure 1). Upper $95 \%$ prediction interval values were informative for most $\mathrm{N}_{\mathrm{c}}$ values for brook trout: upper $\mathrm{N}_{\mathrm{b}}$ prediction intervals were lower than predictor $N_{c}$ values for census sizes greater than approximately 100 individuals.

Chinook salmon upper prediction interval values were meaningful only for large $N_{c}$ values; upper $95 \%$ prediction interval values were lower than predictor $\mathrm{N}_{\mathrm{c}}$ values for census sizes greater than approximately 650 individuals.

## 3.3 | Predicting $\mathrm{N}_{\mathrm{c}}$ from $\mathrm{N}_{\mathrm{b}}$

No evidence was found that residual error exhibited heteroscedasticity associated with $\mathrm{N}_{\mathrm{b}}$. The Cls for residual error estimates also overlapped for all population size ranges compared (Appendix S2). The heteroscedastic error term was therefore dropped from all subsequent analyses.


FIGURE 2 Relationship predicting $N_{c}$ from $N_{b}$ in Atlantic salmon (a), brook trout (b) and Chinook salmon (c). Dotted lines represent 95\% credible intervals; dashed lines represent $95 \%$ prediction intervals

The slope of the relationship predicting $\mathrm{N}_{\mathrm{c}}$ from $\mathrm{N}_{\mathrm{b}}$ also differed significantly between some species. The slope estimates for Atlantic salmon were significantly lower than for Chinook salmon ( $P_{\mathrm{mcmc}}=$ 0.011, Table 2) and brook trout ( $P_{\mathrm{mcmc}}=0.031$, Table 2). The slope of the relationship predicting $N_{c}$ from $N_{b}$ did not differ from zero for Atlantic salmon ( $P_{\mathrm{mcmc}}=0.550$, Table 3, Figure 2). Posterior mode slope estimates for both brook trout and Chinook salmon were again significantly positive, and Cls did not overlap zero ( $P_{\mathrm{mcmc}}=0.009$ and $P_{\text {mcmc }}=0.001$, Table 3, Figure 2); slope estimates also did not differ between brook trout and Chinook salmon ( $P_{\text {mcmc }}=0.941$, Table 2).

The $N_{b}$ and species terms accounted for $32 \%-38 \%$ of the variation present in the data, depending on species; the population, study and year random effects terms accounted for $53 \%-57 \%$ of the variation.

Prediction intervals for Atlantic salmon were uninformative as a result of a lack of a significant relationship predicting $N_{c}$ from $N_{b}$ (i.e., slope estimate Cls overlapped zero). Lower $95 \%$ prediction intervals for brook trout and Chinook salmon were uninformative; they included (or were extremely close to) zero for both species (Figure 2). Upper 95\% prediction interval values were meaningful for all $N_{c}$ values for both species: upper prediction intervals for $N_{c}$ were always greater than predictor $N_{b}$ values for all population sizes.

## 4 | DISCUSSION

## 4.1 | Using $N_{c}$ to predict $N_{b}$ or using $N_{b}$ to predict $N_{c}$

Recent studies have suggested that $N_{b}$ and $N_{c}$ were correlated among intraspecific populations and that one could be used to predict the other
if $\mathrm{N}_{\mathrm{b}} / \mathrm{N}_{\mathrm{c}}$ relationships were well characterized for a particular species (Bernos \& Fraser, 2016; Ferchaud et al., 2016; Osborne et al., 2010). To formally test this hypothesis, we modelled the relationship between $N_{b}$ and $N_{c}$ using a database of 40 populations from three salmonid fishes and generated prediction intervals using those models to determine efficacy of predicting one population size variable from the other. The $95 \%$ prediction intervals for some species provided potential maximum thresholds for some population size variables. For example, a brook trout population with an $N_{c}$ of approximately 1,000 is not likely to have an $N_{b}$ higher than 300 . However, the practical usefulness of this upper threshold varies depending on the species and the estimated variable.

Brook trout and Chinook salmon had potentially informative and biologically meaningful upper prediction intervals for $N_{c}$ when predicted from $\mathrm{N}_{\mathrm{b}}$. Upper prediction thresholds, however, were up to almost two orders of magnitude larger than the predictor $\mathrm{N}_{\mathrm{b}}$ values, placing them on the extreme end of $\mathrm{N}_{\mathrm{b}} / \mathrm{N}_{\mathrm{c}}$ ratios documented in wild salmonid populations (Palstra \& Fraser, 2012). Furthermore, while "informative" upper thresholds for $N_{b}$ can be predicted from moderate and large $N_{c}$ values for brook trout and Chinook salmon, these thresholds may not be informative from a practical management standpoint because, from a conservation genetics standpoint, $N_{e}$ is often the variable of more interest. Both $N_{e}$ and $N_{b}$ are likely to be less than $N_{c}$ in natural populations (Waples et al., 2013); the criteria for biologically meaningful predicted $N_{b}$ values would, however, be even more stringent when translating predicted $N_{b}$ values to $N_{e}$ values given that $N_{b}$ is typically less than $N_{e} . N_{b}$ in brook trout, for example, can range from 0.34 to 0.68 of $N_{e}$, depending on the conversion methodology used (Bernos \& Fraser, 2016).

It is also unsurprising that $\mathrm{N}_{\mathrm{b}}$ upper prediction interval values overlapped with predictor $N_{c}$ values at small $N_{c}$ in brook trout and small-to-moderate $N_{c}$ in Chinook salmon; as $N_{c}$ increases, the $N_{b} / N_{c}$ ratio tends to decrease because of density-dependent effects on reproduction (Bernos \& Fraser, 2016; Ferchaud et al., 2016; Whiteley et al., 2015). The models also did not accurately provide minimum prediction thresholds for both population size variables; for all species, lower prediction intervals at all $N_{b}$ or $N_{c}$ sizes either included or were extremely close to zero across all population sizes examined.

Recent empirical studies have shown that changes in $N_{b}$ do not always track changes in $N_{c}$ within a population over time (Bernos \& Fraser, 2016). Primary studies also reported that spatial variation among populations in $N_{b} / N_{c}$ ratios was approximately twofold greater than temporal variation within populations for two of the three species in our synthesis (Bernos \& Fraser, 2016; Ferchaud et al., 2016). Similarly, study, population and year level random effects accounted for substantial amounts of variation in our analysis (between 39\%$57 \%$ ). This variability in $N_{b} / N_{c}$ is likely a result of several biological processes acting differentially and simultaneously within and among populations, including the degree of population connectivity (Fraser, Lippé, \& Bernatchez, 2004; Gomez-Uchida et al., 2013; Lamy, Pointier, Jarne, \& David, 2012), environmental conditions (Bernos \& Fraser, 2016; Whiteley et al., 2015) or ecological differences (Belmar-Lucero et al., 2012; Waples et al., 2013). Such population variability present in both $N_{b}$ and $N_{c}$ measurements probably affected the accuracy and precision of predictions, limiting the utility of the models for predicting $\mathrm{N}_{\mathrm{b}}$ or $\mathrm{N}_{\mathrm{c}}$ for novel, nonsampled populations.

## 4.2 | Relationship between $\mathrm{N}_{\mathrm{b}}$ and $\mathrm{N}_{\mathrm{c}}$ among three salmonid species

Another primary study objective was to assess whether the trajectory and magnitude of the relationship between $N_{b}$ and $N_{c}$ differed among taxonomically related species; our results provide mixed support for this at the Salmoninae subfamily level. A general positive correlation between $N_{b}$ and $N_{c}$ was observed in brook trout and Chinook salmon: larger populations tend to have larger $\mathrm{N}_{\mathrm{b}}$. However, the slope estimates for Atlantic salmon predicting $N_{c}$ from $N_{b}$ or $N_{b}$ from $N_{c}$ were either not significantly different from zero or only marginally different from zero. Therefore, (i) taxonomically related species should not be assumed to exhibit similar $\mathrm{N}_{\mathrm{b}} / \mathrm{N}_{\mathrm{c}}$ ratios; and (ii) ecological and lifehistory characteristics of naturally spawning Atlantic salmon could buffer small populations against a loss of genetic diversity.

Reproductive life histories differ markedly among salmonids. While male brook trout exhibit variable ages at maturity (Hutchings, 1993) and male Chinook salmon exhibit alternative reproductive phenotypes (Berejikian et al., 2010), male Atlantic salmon exhibit one of two extreme reproductive phenotypes: an early maturing freshwater phenotype (1-2 years of age) or an anadromous phenotype (typically 4-6 years of age) (Hutchings \& Jones, 1998; Myers, Hutchings, \& Gibson, 1986). In some populations, up to $80 \%$ of males delay or forgo oceanic migration to mature in freshwater (Myers et al., 1986) at a size much smaller than their anadromous conspecifics (Hutchings \& Myers,
1988). The presence of the early maturation phenotype is well known to have a positive influence on $\mathrm{N}_{\mathrm{e}}$ by balancing sex ratios, decreasing variance in reproductive success and increasing outbreeding between cohorts within a population (Johnstone et al., 2012; Jones \& Hutchings, 2001; Perrier et al., 2014; Saura, Caballero, Caballero, \& Morán, 2008).

The primary literature $N_{c}$ estimates excluded early maturation phenotypes ("parr") in all but two (landlocked) Atlantic salmon populations. Most $N_{c}$ estimates are actually estimates of anadromous adults only and therefore underestimate the number of reproductive individuals within a population (Myers, 1984; Perrier et al., 2014). This very likely explains the lack of relationship between $N_{c}$ and $N_{b}$ for Atlantic salmon; observed $N_{b} / N_{c}$ ratios are probably upwardly biased because the male alternative phenotype may buffer $N_{b}$ estimates when male anadromous numbers are small (Ferchaud et al., 2016; Johnstone et al., 2012). Future research on any species should include all reproductive phenotypes when estimating $\mathrm{N}_{\mathrm{c}}$.
$\mathrm{N}_{\mathrm{b}} / \mathrm{N}_{\mathrm{c}}$ relationships were similar in brook trout and Chinook salmon, with $\mathrm{N}_{\mathrm{b}}$ tending to increase at a similar rate with $\mathrm{N}_{\mathrm{c}}$. These species have substantial differences in life histories (e.g., semelparity vs. iteroparity, obligate vs. facultative anadromy), but their spawning behaviour can be similar. Both, for example, prefer spawning habitat with hypoheic upwelling (Curry \& Noakes, 1995; Geist, 2000; Geist \& Dauble, 1998) and spawn at high densities; brook trout have been observed to exhibit aggregate spawning (Belmar-Lucero et al., 2012; Blanchfield \& Ridgway, 1997) and Chinook salmon spawn in clusters at densities much higher than Atlantic salmon (Fleming, 1998; Geist \& Dauble, 1998). As $N_{c}$ increases within populations in both species similar density-dependent issues may emerge (i.e., mate competition, nest superimposition) and affect $\mathrm{N}_{\mathrm{b}}$.

Overall, the among species comparisons suggest that extrapolating $N_{b}$ or $N_{c}$ estimates from $N_{b} / N_{c}$ curves for species related at the family/subfamily taxonomic level may, in some cases, over- or underestimate population size estimates; mixed evidence was found that $N_{b} / N_{c}$ relationships differed between these species, with observed differences likely a result of different species-level life-history characteristics. If $N_{b} / N_{c}$ relationships for a taxonomically related species are used as "proxy" population parameters for another "data-deficient" species, careful consideration should be taken to evaluate life-history and behavioural similarities to determine whether such an extrapolation is valid or meaningful.

## 4.3 | Cost-benefit consideration in quantifying $\mathrm{N}_{\mathrm{b}}$ or $\mathrm{N}_{\mathrm{c}}$ to infer the other

Conservation resources are often limited; it is therefore important to consider the relative costs of quantifying $N_{c}$ and $N_{b}$ in wild populations given the degree of uncertainty in converting one to the other. To help other researchers considering similar research projects, we provided an example of the comparative costs of estimating $N_{c}$ and $N_{b}$ in a series of stream brook trout populations of varying size from Cape Race, Newfoundland, Canada (Table 4). This was based on one of the largest empirical studies of $\mathrm{N}_{\mathrm{b}} / \mathrm{N}_{\mathrm{c}}$ to date (Bernos \& Fraser, 2016; see Table 1). Intriguingly, the relative costs of quantifying $N_{c}$

| Expense | Small population |  | Medium population |  |
| :--- | :--- | :--- | :--- | :--- | Large population

${ }^{\text {a }}$ Does not include travel expenses to/from field site (gas/food/accommodation), nor travel expenses for the marking event (these would be equivalent for $N_{b}$ and $N_{c}$ estimation).
${ }^{\text {b }}$ Based on 10-15 microsatellite loci, and sample sizes of $n=35,65$, and 95 for small, medium and large populations, respectively.

TABLE 4 Example cost-benefit trade-offs associated with estimating $\mathrm{N}_{\mathrm{c}}$ and $N_{b}$ in wild populations, based on one of the largest $N_{b} / N_{c}$ studies to date conducted on brook trout occupying small streams in Cape Race, Newfoundland, Canada (Bernos \& Fraser, 2016). Expenses are approximate and in CDN dollars
and $N_{b}$ were very similar. Costs unsurprisingly increased with increasing population size: in general, more labour resources were required to estimate $N_{c}$ and more consumables were required to estimate $N_{b}$ using molecular markers. Given this, the choice of estimating $N_{c}$ or $N_{b}$ may depend largely on how much confidence one desires in estimating either variable specifically while balancing other considerations. For example, at Cape Race estimating $N_{c}$ with accuracy and precision is feasible but can be invasive, requiring the tagging of many adults within streams (especially for large populations). Conversely, estimating $N_{b}$ is arguably less invasive in relying on sampling juvenile cohorts that naturally experience density dependence, but these $N_{b}$ estimates may only translate into maximum estimates of $\mathrm{N}_{\mathrm{c}}$.

## 4.4 | Future research

The number of populations with data available for each species in our models was modest (11-15 per species, limited to the Salmoninae subfamily). The species examined in this study (salmonids) may share lifehistory traits that could potentially obscure the relationship between Nb and Nc. Salmonids, for example, are characterized by type-III survival curves; species with high fecundity and juvenile mortality typically exhibit low $N_{e} / N_{c}$ ratios (Palstra \& Ruzzante, 2008). The salmonid species examined also exhibit high variance in reproductive success (Blanchfield,

Ridgway, \& Wilson, 2003; Tentelier et al., 2016). Relationships between $N_{b}$ and $N_{c}$ for species with higher $N_{b} / N_{c}$ ratios or lower variance in $N_{b}$ over time could be stronger. This review examined data for all taxa, but sufficient data were available only for species from the Salmoninae subfamily; unfortunately, the data necessary to examine $N_{b} / N_{c}$ relationships among other taxonomic groups with differing life-history characteristics are not available in the scientific literature at this time.

While several other species (both salmonid and nonsalmonid) did have studies in which both $N_{b}$ and $N_{c}$ were estimated (see Appendix S3) they were excluded from our final data set for three reasons: (i) population size variables were only estimated for one or two populations across studies in each species; (ii) adequate data did not exist to generate robust species curves (i.e., $\geq 10$ datapoints); or (iii) LDNe was not used to obtain $N_{b}$ estimates. As further studies examine $N_{b}$ / $N_{c}$ relationships within a variety of taxa, it may be possible to generate more robust predictive models and increase their practical utility for conservation purposes.

This study focused partially on the practicality of predicting $N_{b}$ or $\mathrm{N}_{\mathrm{c}}$ for novel, previously unsampled populations based on relationships generated from recently published data. While these predictive models were somewhat limited in their practical applications, it may still be possible to use these models to reliably infer one population size variable from the other for populations with well-established
baseline data. Population and temporal model terms often account for a significant component of the variation observed in population size terms (Ferchaud et al., 2016); with enough temporal data, it may be possible to reliably track changes in one population size variable through the other (but see Bernos \& Fraser, 2016). Although outside the scope of this study, future research could examine under what conditions this could be reliably carried out. For example, how many years of historical data are necessary to reliably track a given population? Are $N_{b} / N_{c}$ relationships in some species more variable over time than others? Are certain ecological or life-history traits among populations associated with more stable $N_{b} / N_{c}$ relationships?

The extent to which the $N_{b} / N_{c}$ relationships explored herein apply to differing ecotypes of the explored species is also unknown. Salmonids are an extremely plastic taxa; many species have multiple life-histories and/or inhabit a wide range of habitats. The brook trout populations represented in this study, for example, are largely lentic; whether the modelled $N_{b} / N_{c}$ relationships could be extrapolated to lotic or anadromous populations remains undetermined.

Finally, we found no evidence for heteroscedasticity in any of the modelled $N_{b} / N_{c}$ relationships, although there have been indications of this across population size gradients in studies with a large number of populations (Bernos \& Fraser, 2016). Therefore, future studies are encouraged to continue to account for this potential heteroscedasticity, particularly given that it becomes increasingly difficult to estimate genetic population size variables $\left(\mathrm{N}_{\mathrm{b}}, \mathrm{N}_{\mathrm{e}}\right)$ for large populations (Waples \& Do, 2010).

## 5 | CONCLUSIONS

Although estimating the maximum number of adults present in a given population could help guide management and conservation decisions, the upper prediction intervals determined herein generally represented documented taxonomic extremes for $\mathrm{N}_{\mathrm{b}} / \mathrm{N}_{\mathrm{c}}$ ratios in salmonids and lower prediction intervals were largely uninformative; predicting a precise $N_{b}$ or $N_{c}$ estimate for a novel population based off of a single population size variable is, with current data available, not realistically possible. While $N_{c}$ prediction intervals generated from $N_{b}$ estimates were marginally worse than prediction intervals in salmonids generated from other molecular data (e.g., eDNA in Baldigo et al., 2017), realizing the full potential of the anticipated conservation applications of genetic techniques to predict and estimate $N_{c}$ (e.g., Luikart et al., 2010) will realistically require the accumulation of more data.

Molecular technologies and methods are rapidly advancing and could represent a practical means of estimating $N_{c}$ in the future. However, researchers should be cognizant of the limitations of using one population size variable to infer the other; researchers and/or managers should, whenever possible, focus efforts on quantifying the population size variable of interest except when the costs/logistics of measuring that variable are prohibitive. Further research is also necessary to determine whether less variable relationships exist between $N_{b}$ and $N_{c}$ for other taxonomic groups with differing life-history characteristics than salmonids.

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## DATA ARCHIVING STATEMENT

Data for this study are available from the Dryad Digital Repository: https://doi.org/10.5061/dryad.136bm.

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## SUPPORTING INFORMATION

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